Anda Pratica 6 Pengunta 1

1. 
$$+\Psi \rightarrow (\Psi \vee \Psi)$$
 $\frac{\Psi^{\dagger}}{\Psi \vee \Psi} \rightarrow I$ 
 $2 + (\Psi \vee \Psi) \rightarrow \Psi$ 
 $2 + (\Psi \rightarrow \Psi) \rightarrow \Psi$ 

$$7. \vdash (\psi \rightarrow \psi) \rightarrow (\psi \rightarrow (\psi \vee \chi))$$

$$\frac{(\Psi \rightarrow \Psi)^{1} \quad \Psi^{2}}{\Psi \quad VId}$$

$$\frac{\Psi \quad VId}{\Psi \quad \forall V \quad \Rightarrow I,2}$$

$$\frac{(\Psi \rightarrow \Psi) \rightarrow (\Psi \vee Y)}{(\Psi \rightarrow (\Psi \vee Y))} \rightarrow I,1$$

8. 
$$(\Psi \rightarrow \gamma) \rightarrow ((\Psi \wedge \Psi) \rightarrow \gamma)$$

$$(\Psi \rightarrow \gamma) \qquad \qquad (\Psi \wedge \Psi) \rightarrow \xi$$

$$(\Psi \rightarrow \gamma) \qquad \qquad (\Psi \wedge \Psi) \rightarrow \xi$$

$$(\Psi \rightarrow \gamma) \rightarrow ((\Psi \wedge \Psi) \rightarrow \gamma)$$

$$(\Psi \rightarrow \gamma) \rightarrow ((\Psi \wedge \Psi) \rightarrow \gamma)$$

9. 
$$7(\varphi V \psi) \rightarrow 7\psi$$

$$\frac{2}{\varphi V \psi}$$

$$\frac{1(\varphi V \psi)^{2}}{\varphi V \psi} \rightarrow \psi$$

$$\frac{1(\varphi V \psi)^{2}}{\varphi V \psi} \rightarrow \psi$$

$$\frac{1}{\varphi V \psi} \rightarrow \psi$$

$$\frac{1}{\varphi V \psi} \rightarrow \psi$$

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En todo: Pela correcar do sistema N Temo =

$$\frac{(\Psi \rightarrow \Psi) \wedge 7\Psi}{\Psi} \wedge Ed \qquad (\Psi \rightarrow \Psi) \wedge 7\Psi}{\Psi} \wedge Ee$$

$$\frac{1}{1\Psi} \rightarrow I, 2$$

$$\frac{1}{1\Psi} \rightarrow I, 1$$

$$((\Psi \rightarrow \Psi) \wedge 7\Psi) \rightarrow 7\Psi$$

3. 
$$\bot \rightarrow \varphi$$

$$\frac{\bot}{\varphi} \bot, \uparrow$$

$$\frac{\bot}{\varphi} \rightarrow \bot, \uparrow$$

$$(\Psi \rightarrow \Psi) \rightarrow (\Psi \rightarrow \Psi)$$

$$(\Psi \rightarrow$$

Pergenta 3 Em todas dlineas: 1 /74V4} = 4->4 Pela correção do Sistema N tenso que = \_ VE, 2, 4 7447 2. 4→4 = 14V4 ((+) 4) 1 (P) = E  $\frac{1}{14} - \frac{1}{12}$   $\frac{1}{14} = \frac{1}{1(14)}$   $\frac{1}{14} = \frac{1}{1}$   $\frac{1}{14} = \frac{1}{1}$   $\frac{1}{14} = \frac{1}{1}$   $\frac{1}{14} = \frac{1}{14}$ 3. {7 (YNY)} = (74V74) 4 42 1 (4 N4) 3 7 E 14 7 1,2

4. 
$$\{19 \vee 74\} = 7(4 \wedge 4)$$
 $70 \vee 74$ 
 $70$ 

7.  $\{\Psi \vee (\Psi \wedge \delta)\} = (\Psi \vee \Psi) \wedge (\Psi \vee \delta)$ 4N8 NED YNS NEE

PVY PVJ NI 4 r (4 r 8) (4 r 4) r (4 r 8) r 1 (4V4)n(4N8) VE,2,3 (4v4)n(4v8) (4V4) N (4VD) 1 (4ND) 4ND VILLE 4ND) VE 4VD 4ND VE 4V(4ND) 315 VE 8. { (ev+) n (ev8)} = (ev (4n8) (PV4) n (PVS) nEd PV (4NS) (b, (4, 5) 4 (4 ND) NED BY NI

4 ND VIE

(4NY) V(4ND)

VEZ,3  $9. \left\{ \Psi \Lambda (\Psi V \delta) \right\} = (\Psi \Lambda \Psi) V (\Psi \Lambda \delta)$ (UNY) V (UNS) 4ηδητά Ψηδητέα Ψηδητία Ψηδητία Ψηδητία Ψηδητέα Ψηδητέα Ψηδητέα Ψηδητί 4x(4v8)