

# **Projeto com Circuitos Reconfiguráveis**

## **Projeto de Sistemas em Chip**

### **Fault Tolerant System Design**

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## Overview

- Introduction
  - Definition of fault tolerance
  - Applications of fault tolerant system design
- Fundamentals of dependability
  - dependability attributes: reliability, availability, safety
  - dependability impairments: faults, errors, failures
- **Some dependability evaluation techniques**
  - common measures: failure rate, MTTF, MTTR
- Redundancy techniques
  - space redundancy
    - hardware redundancy
    - information redundancy
    - software redundancy
  - time redundancy

## Fault tolerance

- Targets development of a system which functions correctly in presence of faults
- Achieved by some kind of **redundancy**
  - redundancy allows either to detect or to mask a fault
- Fault detection/masking are followed by fault location, containment and recovery
  - the goal is to **reconfigure** the system to remove faulty components

## **Fault detection, localization, containment and recovery**

Fault detection is the process of recognising that a fault has occurred

Fault location is the process of determining where a fault has occurred

Fault containment (contenção) is the process of isolating a fault and preventing its effect to propagate throughout a system

Fault recovery is the process of regaining operational status

## Summary

- fault detection
  - identify that a fault has occurred
- fault location
  - find where the fault is
- fault containment
  - prevent propagation of the fault
- fault recovery
  - modify structure to remove faulty component
  - graceful degradation: continue operation with a degraded performance

## Evaluation techniques

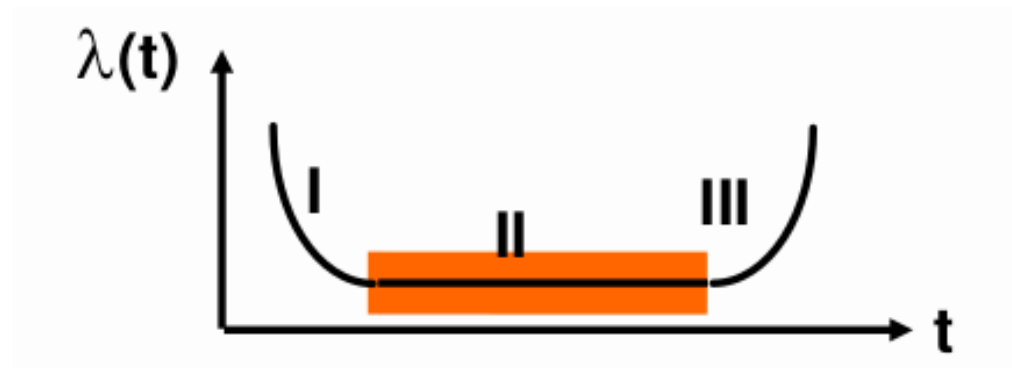
- Qualitative evaluation
  - aims to identify, classify and rank the failure modes, or event combinations that would lead to system failures
- Quantitative evaluation
  - aims to evaluate in terms of probabilities the attributes of dependability:
    - failure rate
    - mean time to failure
    - mean time to repair
    - mean time between failures
    - fault coverage

## Failure rate

- failure rate
  - expected number of failures per time-unit
  - example
    - 1000 controllers working at  $t_0$
    - after 10 hours: 950 working
    - failure rate for each controller:  
0.005 failures / hour  
(50 failures / 1000 controllers) / 10 hours

## Failure rate

- typical evolution of  $\lambda(t)$  for hardware:



- bathtub: I infant mortality, II useful life, III wear-out
- for useful life period  $\lambda = \text{constant}$ , the reliability is given by

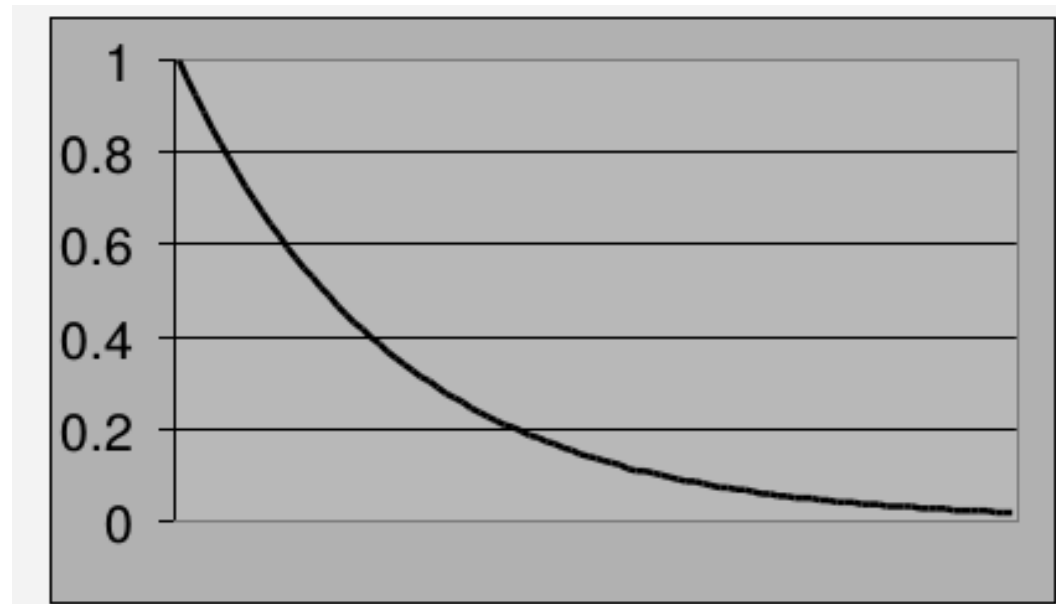
$$R(t) = e^{-\lambda t}$$



## Exponential failure law

If  $\lambda$  is constant,  $R(t)$  varies exponentially as a function of time

$$R(t) = e^{-\lambda t}$$



## Failure rate calculation

- determined for components
  - systems: combination of components
  - $\lambda$  of the system = sum of  $\lambda$  of the components
- determine  $\lambda$  experimentally
  - slow
    - e.g. 1 failure per 100 000 hours (=11.4 years)
  - expensive
    - many components required for significance
- use standards for  $\lambda$

## MTTF

- MTTF: mean time to failure
  - expected time until the first failure occurs
- If we have a system of  $N$  identical components and we measure the time  $t_i$  before each component fails, then MTTF is given by

$$MTTF = \frac{1}{N} \sum_{i=1}^N t_i$$

## MTTF

- MTTF is meaningful only for systems which operate without repair until they experience a failure
- Most of mission-critical systems undergo a complete check-up before the next mission
  - all failed redundant components are replaced
  - system is returned to fully operational state
- When evaluating reliability of such system, mission time rather than MTTF is used

## MTTR

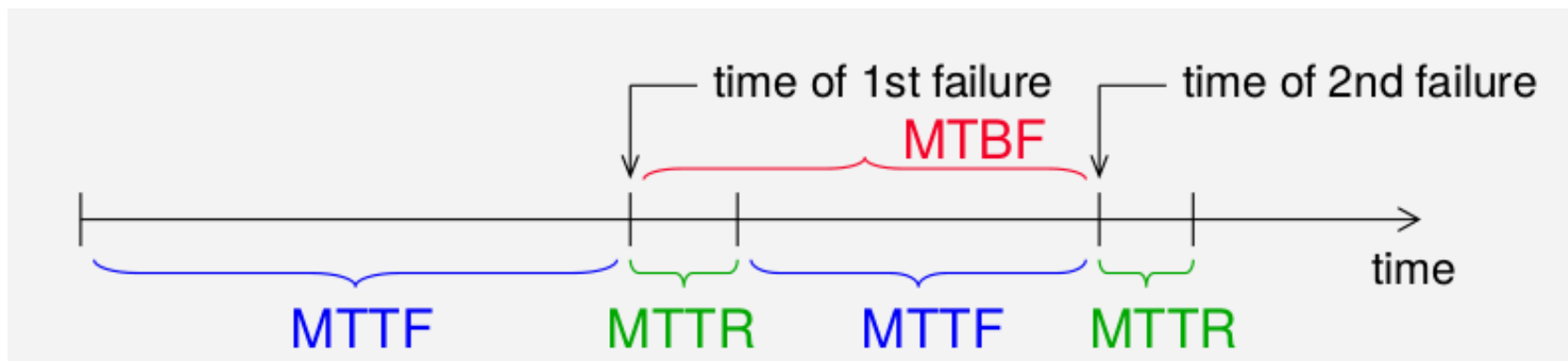
- MTTR: mean time to repair
  - expected time until repaired
- If we have a system of  $N$  identical components and  $i^{th}$  component requires time  $t_i$  to repair, then MTTR is given by

$$MTTR = \frac{1}{N} \sum_{i=1}^N t_i = \frac{1}{\mu}$$

- difficult to calculate
- determined experimentally
- normally specified in terms of repair rate  $\mu$ , which is the average number of repairs that occur per time period

## MTBF

- MTBF: mean time between failures
  - functional + repair
  - $MTBF = MTTF + MTTR$
- small time difference:  $MTBF \approx MTTF$
- conceptual difference

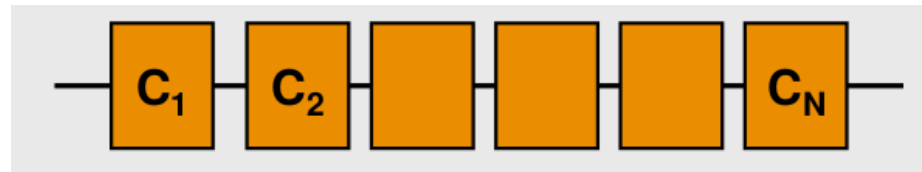


## Dependability modelling

- up to now:  $\lambda$  and  $R(t)$  for components
- systems are sets of components
- system evaluation approaches:
  - reliability block diagrams (RBD)
  - Markov processes

## Serial system

- system functions if and only if all components function



- If  $C_i$  are independent:

$$R_{series}(t) = \prod R_i(t)$$

$$\lambda_{series}(t) = \sum_{i=1}^N \lambda_i$$



## Parallel system

- system works as long as one component works
- unreliability:  $Q(t) = 1 - R(t)$
- If  $C_i$  are independent:

$$Q_{parallel}(t) = 1 - \prod_{i=1}^N Q_i(t)$$

$$R_{parallel}(t) = 1 - \prod_{i=1}^N (1 - R_i(t))$$

