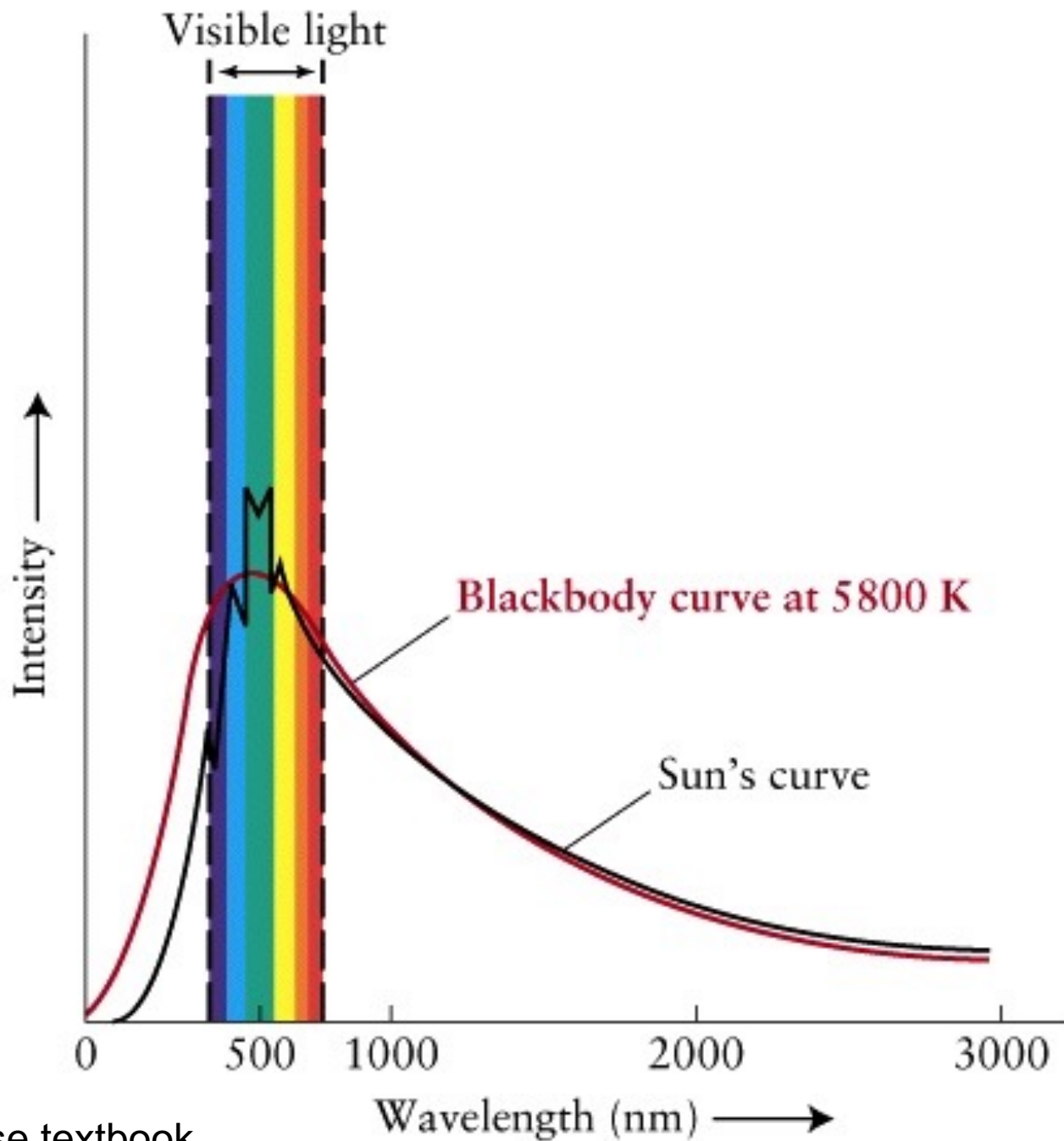


# Blackbody Radiation

- Continuum spectrum
- Blackbody radiation
- Wien's Displacement Law
- Luminosity
- Flux

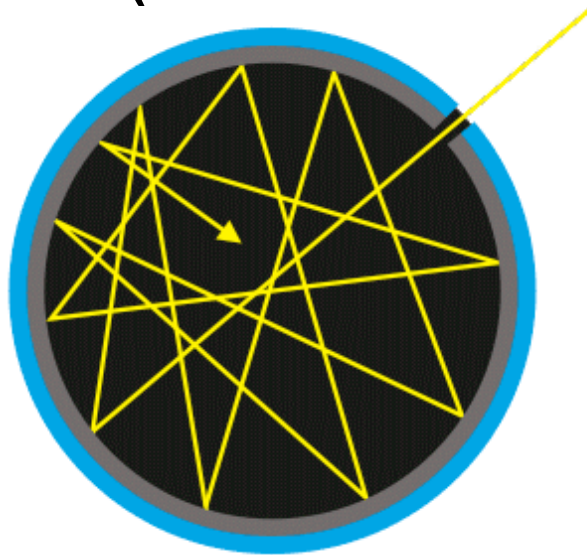
# The Sun's Continuum Spectrum

- The intensity of light from the Sun peaks at a wavelength  $\lambda=500\text{nm}$
- Continuum spectrum is approximately that of a perfect blackbody with  $T=5800\text{ K}$



# Blackbody Radiation

- A perfect absorber and emitter of radiation is called a blackbody
- Intensity of radiation is described by the Planck function (see handout)

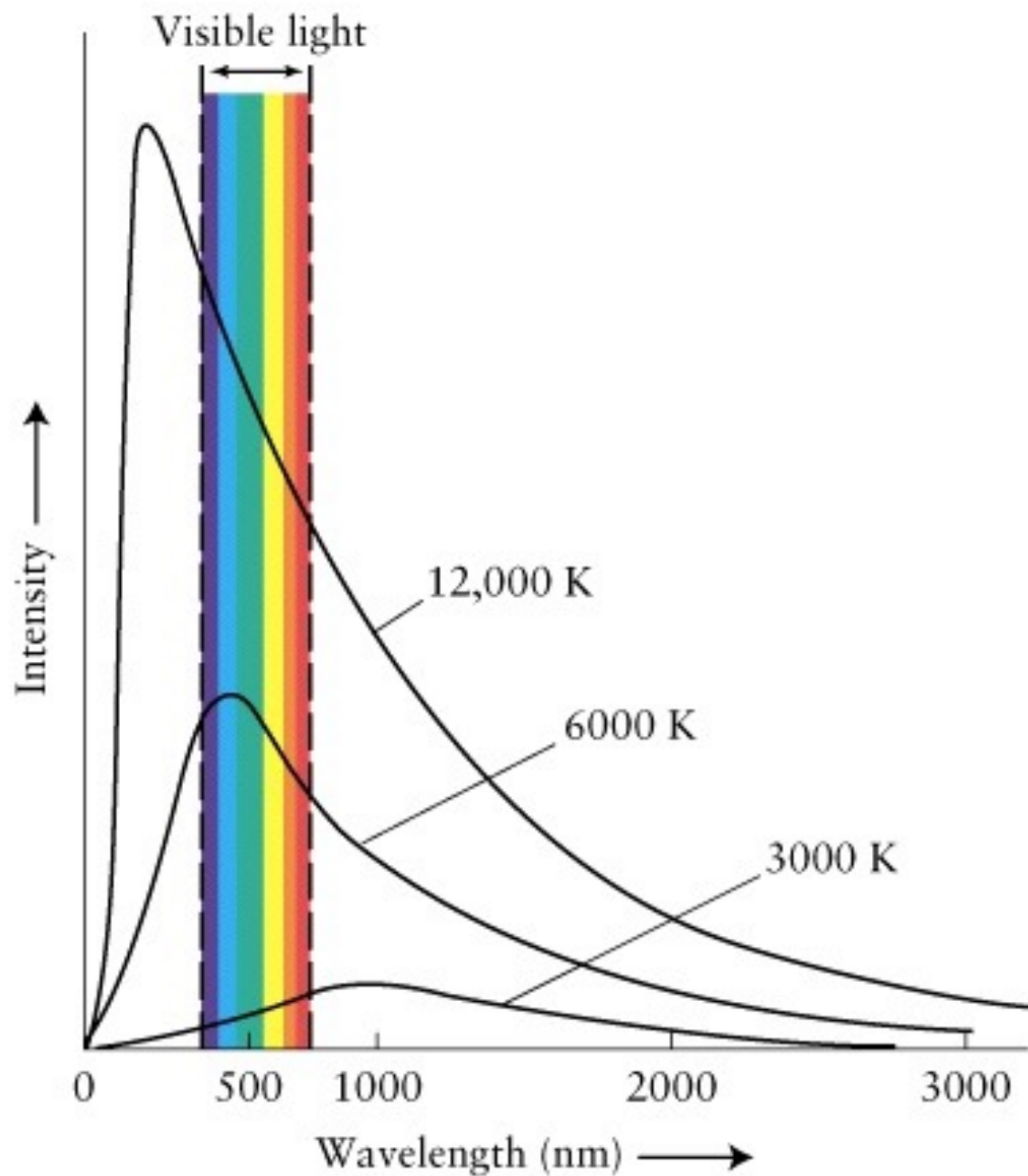


Conceptual Black Body

# Wien Displacement Law

- The wavelength of the peak of the emission from a blackbody of temperature  $T$  is given by

$$\lambda_{max} = \frac{3 \times 10^{-3}}{T}$$



From Universe textbook

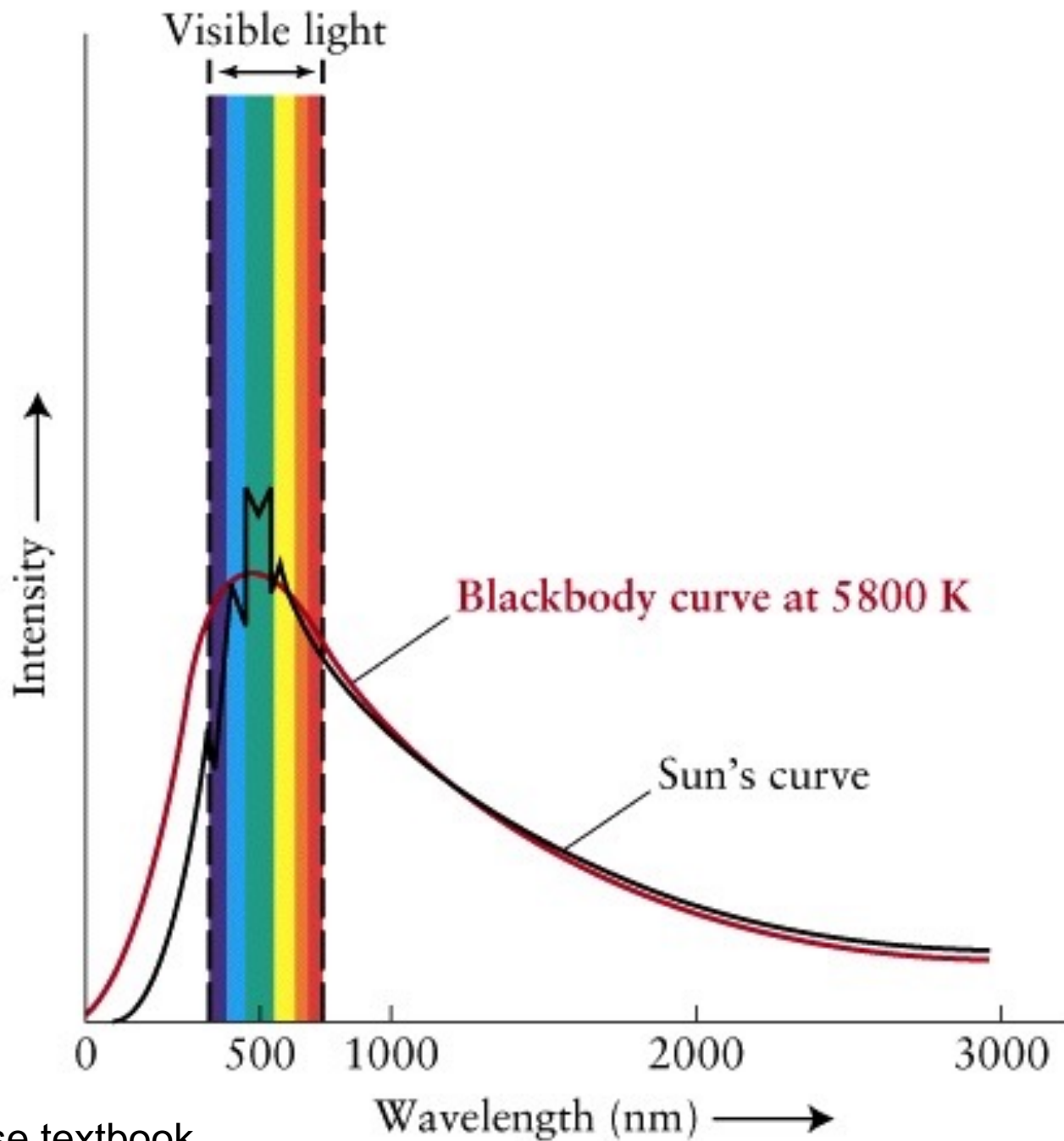
# Class Exercise

Calculate the wavelength of the peak of emission of the Sun with a surface temperature of 5 800 K.

# Class Exercise

$$\begin{aligned}\lambda_{max} &= \frac{3 \times 10^{-3}}{T} \\ &= \frac{3 \times 10^{-3}}{5800} \\ &= 5.2 \times 10^{-7} \text{ m} \\ &= 520 \text{ nm}\end{aligned}$$





# Luminosity of a Blackbody

- The total power in the radiation from a sphere of radius  $R$  emitting blackbody radiation with temperature  $T$  is

$$L = 4\pi R^2 \sigma T^4$$

where  $\sigma$  is the Stefan-Boltzmann constant

- Used to define the effective temperature,  $T_{eff}$  of a star

# Class Exercise

Calculate the effective temperature of the Sun given that it has a radius,  $R=7 \times 10^8 \text{ m}$  and luminosity,  $L=4 \times 10^{26} \text{ W}$

# Class Exercise

$$L = 4\pi R^2 \sigma T_{eff}^4$$

$$T_{eff} = \left( \frac{L}{4\pi R^2 \sigma} \right)^{\frac{1}{4}}$$

$$= \left( \frac{4 \times 10^{26}}{4\pi (7 \times 10^8)^2 5.7 \times 10^{-8}} \right)$$

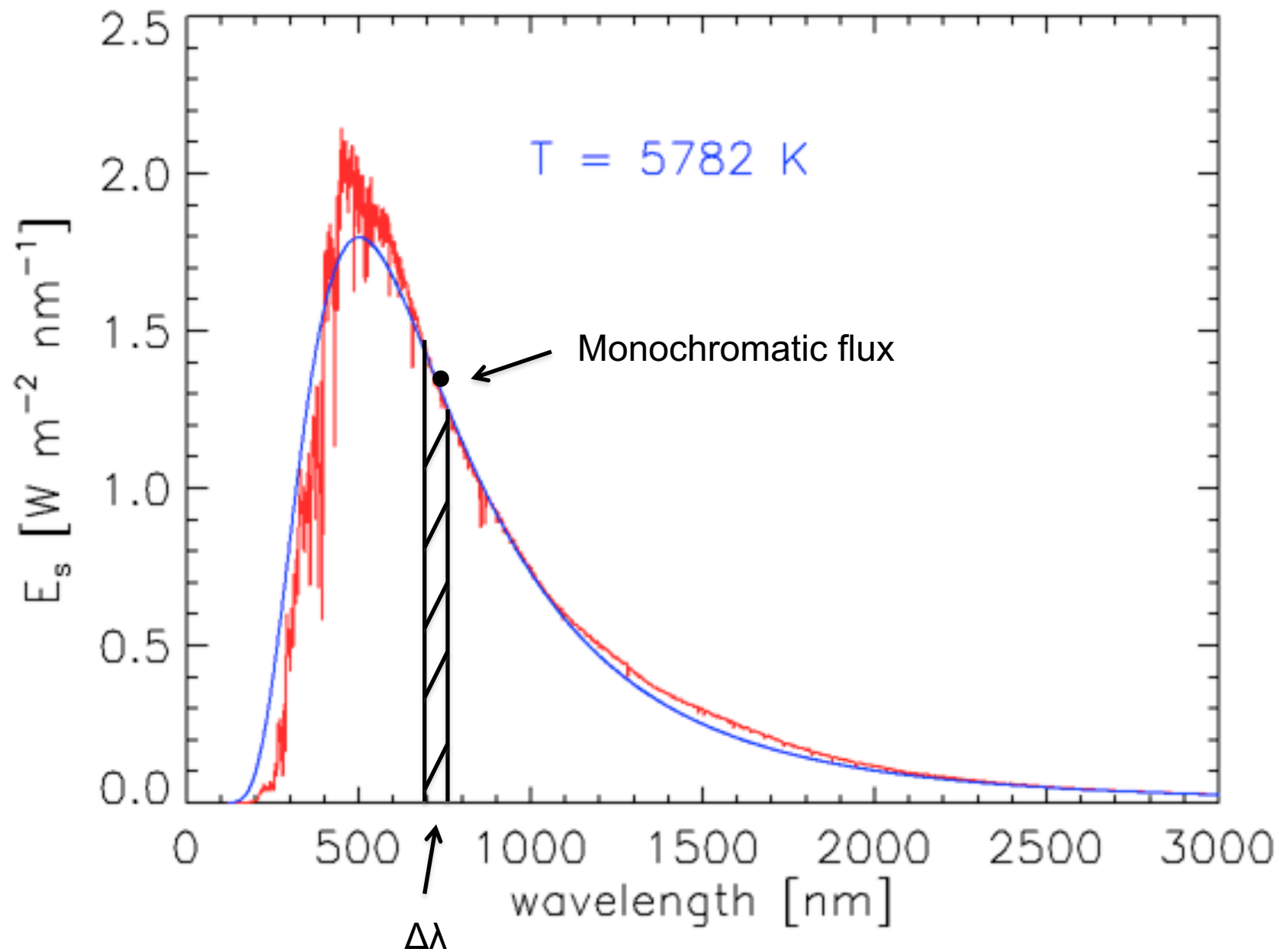
$$= 5\,800 \text{ K}$$

# Luminosity and Flux

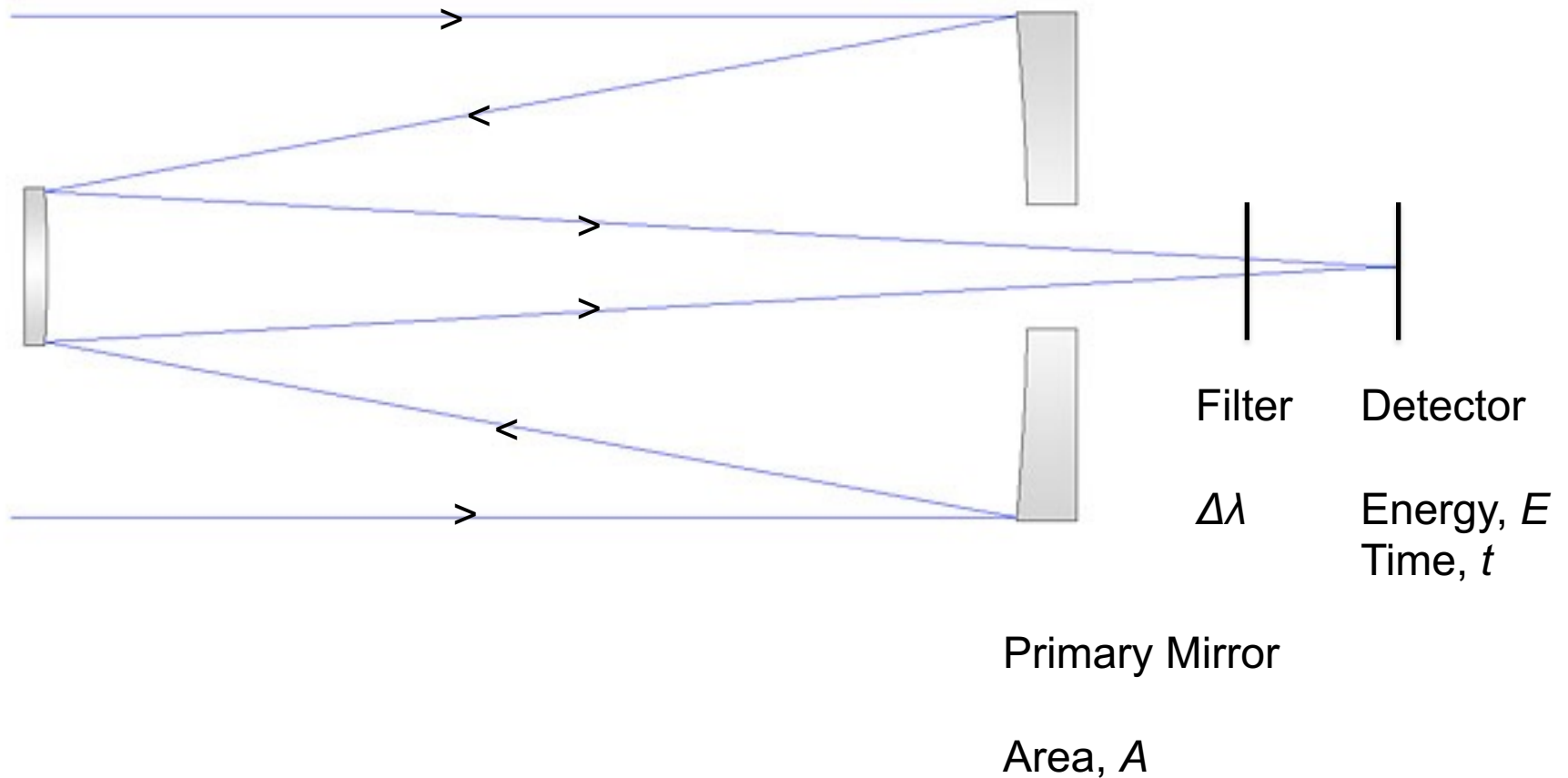
- We can also determine the luminosity of the Sun (or any star) by finding the total flux of radiation reaching Earth as long as we also know the distance
- When we observe the spectrum of a star we are measuring the flux of radiation as a function of wavelength

# Monochromatic Flux

- monochromatic flux of radiation  $f_\lambda$  is defined as the amount of energy crossing a unit area per unit time per unit wavelength interval ( $\text{Js}^{-1}\text{m}^{-2}\text{m}^{-1}$  or e.g.  $\text{Wm}^{-2}\text{nm}^{-1}$ )



# Telescopes Measure Flux

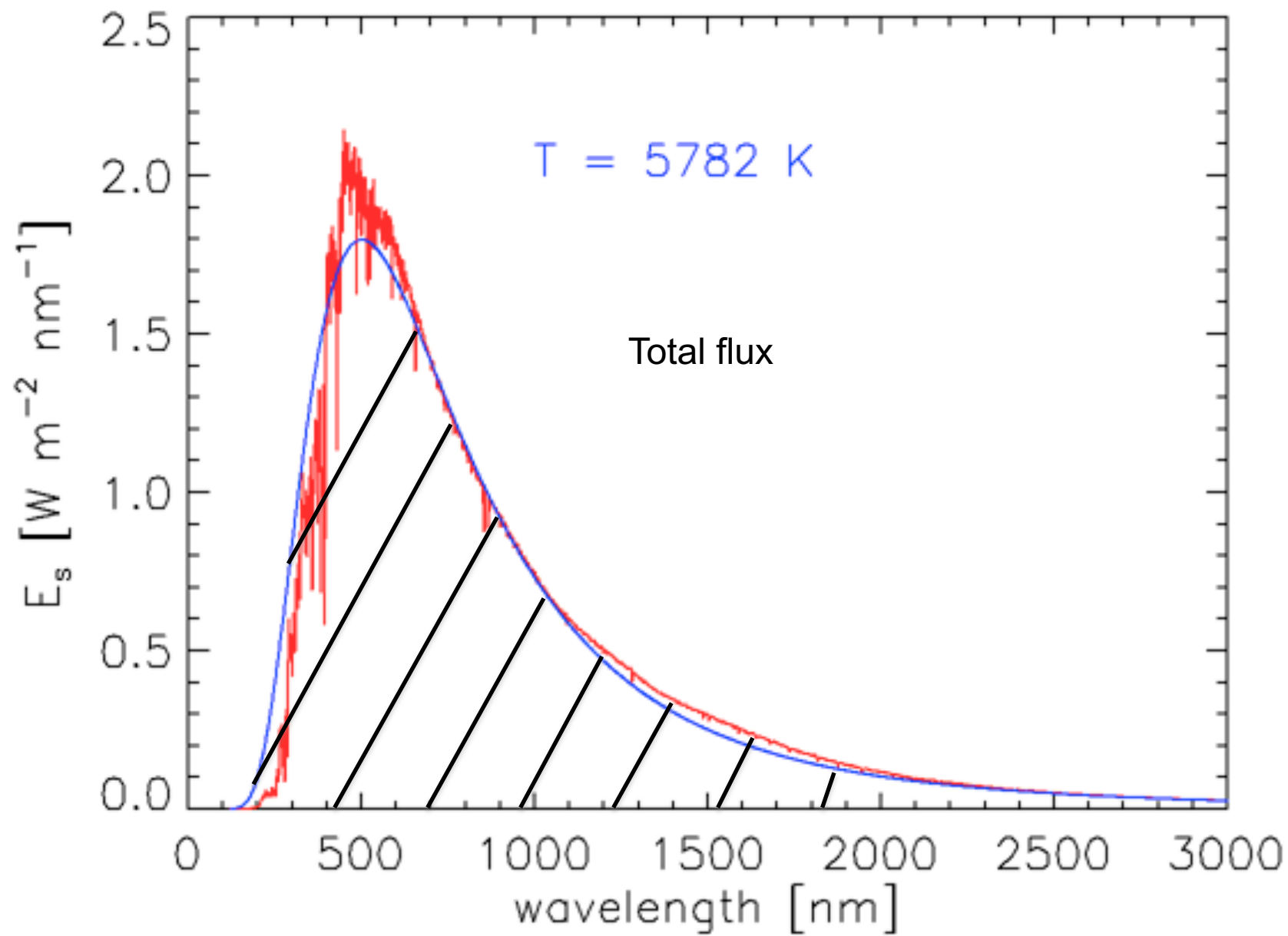




# Total Flux

- The flux of radiation,  $f$ , is defined as the amount of energy crossing a unit area per unit time ( $\text{Js}^{-1}\text{m}^{-2}$  or  $\text{Wm}^{-2}$ )
- It is the sum of the monochromatic fluxes over all wavelengths

$$f = \int_0^{\infty} f_{\lambda} d\lambda$$

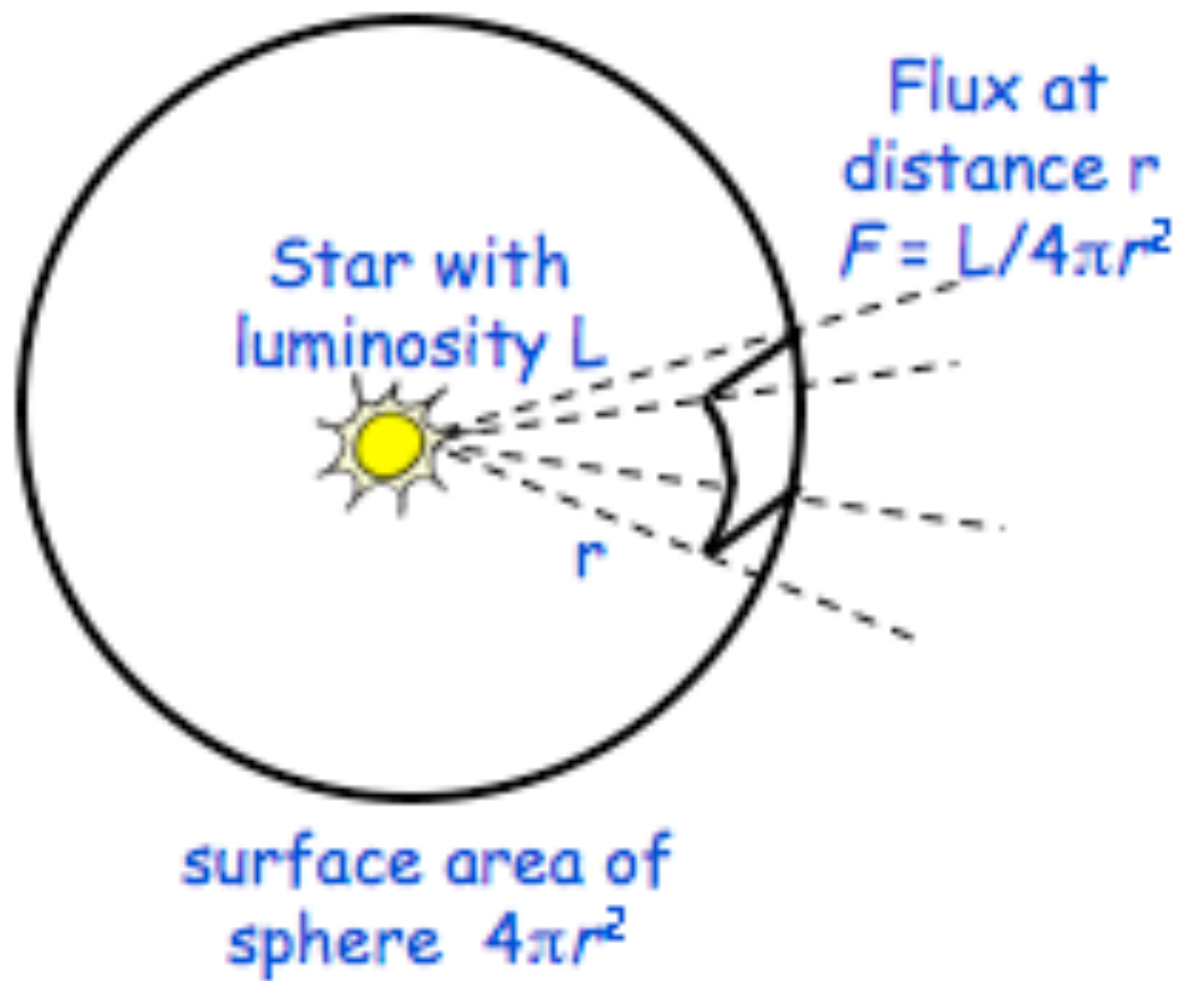


- At a distance,  $d$ , from the Sun it is given by

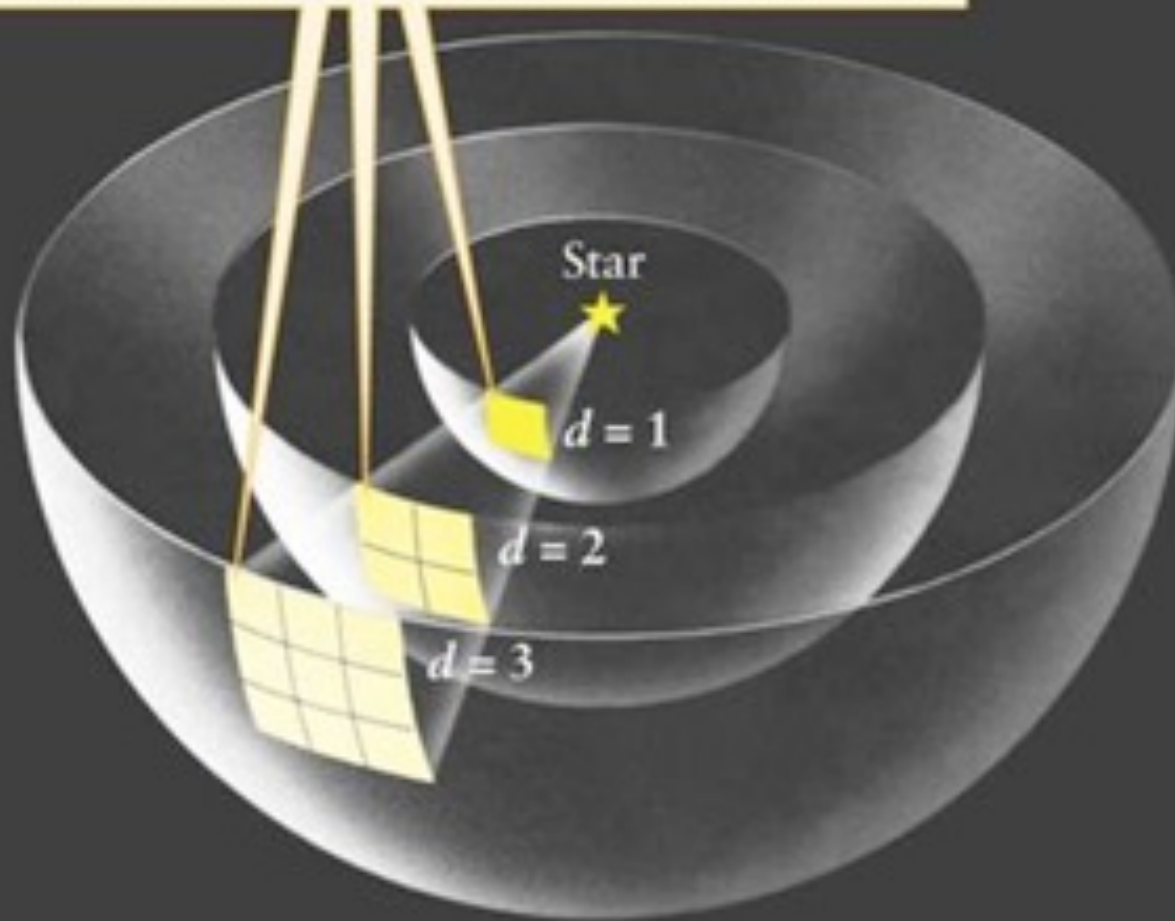
$$f = \frac{L}{4\pi d^2}$$

- Note that flux falls with the inverse square of the distance
- Hence, the luminosity can be found from

$$L = 4\pi d^2 f$$



With greater distance from the star, its light is spread over a larger area and its apparent brightness is less.

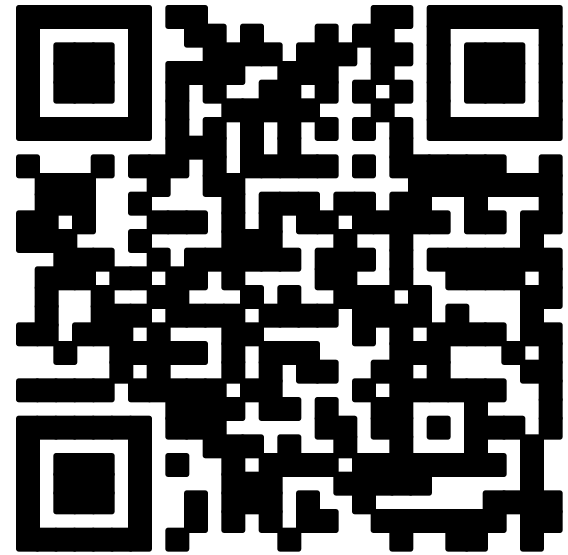


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##/##

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Question slide

# Which of these are examples of inverse square laws in physics?

Force due to electrostatic point charge

0%

Force due to tension in a spring

0%

Force due to gravity

0%



##/##

Join at: [vevox.com](https://vevox.com)

ID: 149-932-041

Results slide

# Which of these are examples of inverse square laws in physics?

Force due to electrostatic point charge

##.##%

Force due to tension in a spring

##.##%

Force due to gravity

##.##%



# Summary

- The Sun and stars radiate from their surfaces very much like a blackbody
- The effective temperature of a star can be found using Wien's law
- The luminosity of a star can be found by measuring its flux and using the inverse square law