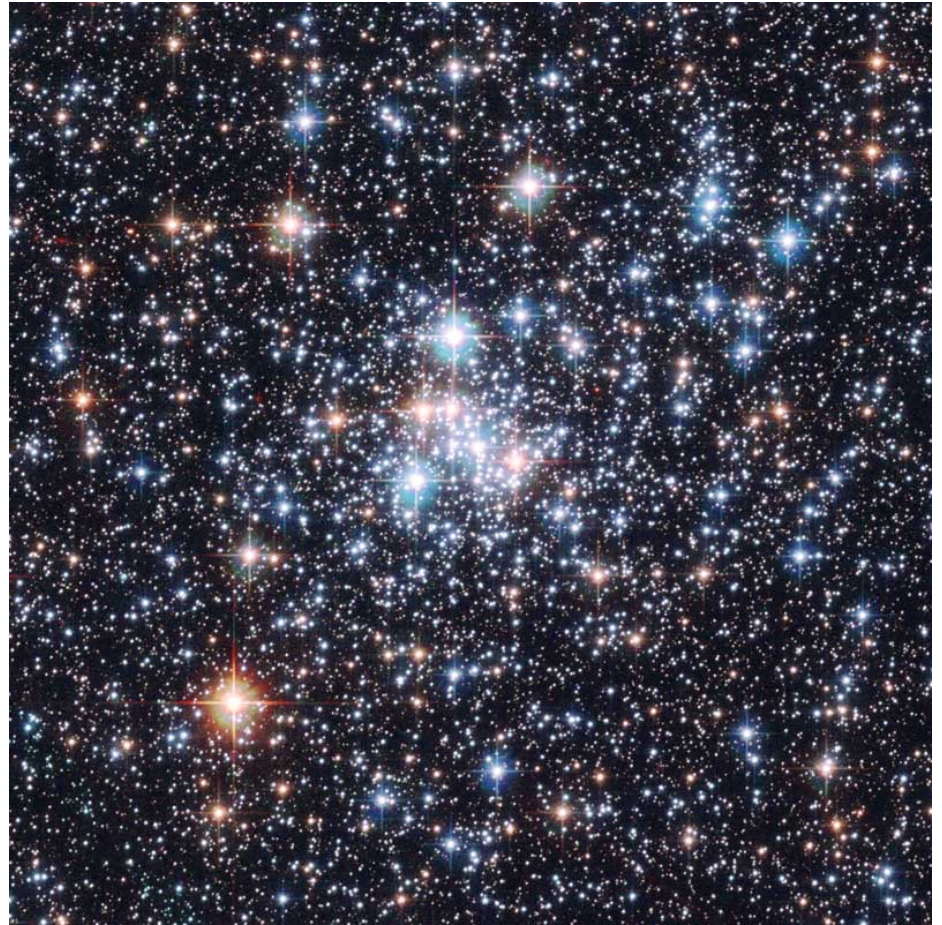


Magnitudes and Colours

- Brightness
- Apparent magnitude
- Absolute magnitude
- Colour



Brightness

- Flux is the fundamental measure of a star's apparent brightness
- However, in practice this is measured in magnitudes
- historically this was a 1 to 6 scale for stars visible to the naked eye.
 - magnitude 1 = brightest
 - magnitude 6 = faintest

Magnitude Scale

- The magnitude scale is a logarithmic scale such that a difference of 5 magnitudes corresponds to a factor of 100 in monochromatic flux, f_{λ}

Join the Vevox session

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vevox.app

Name any other logarithmic scales that you know about.



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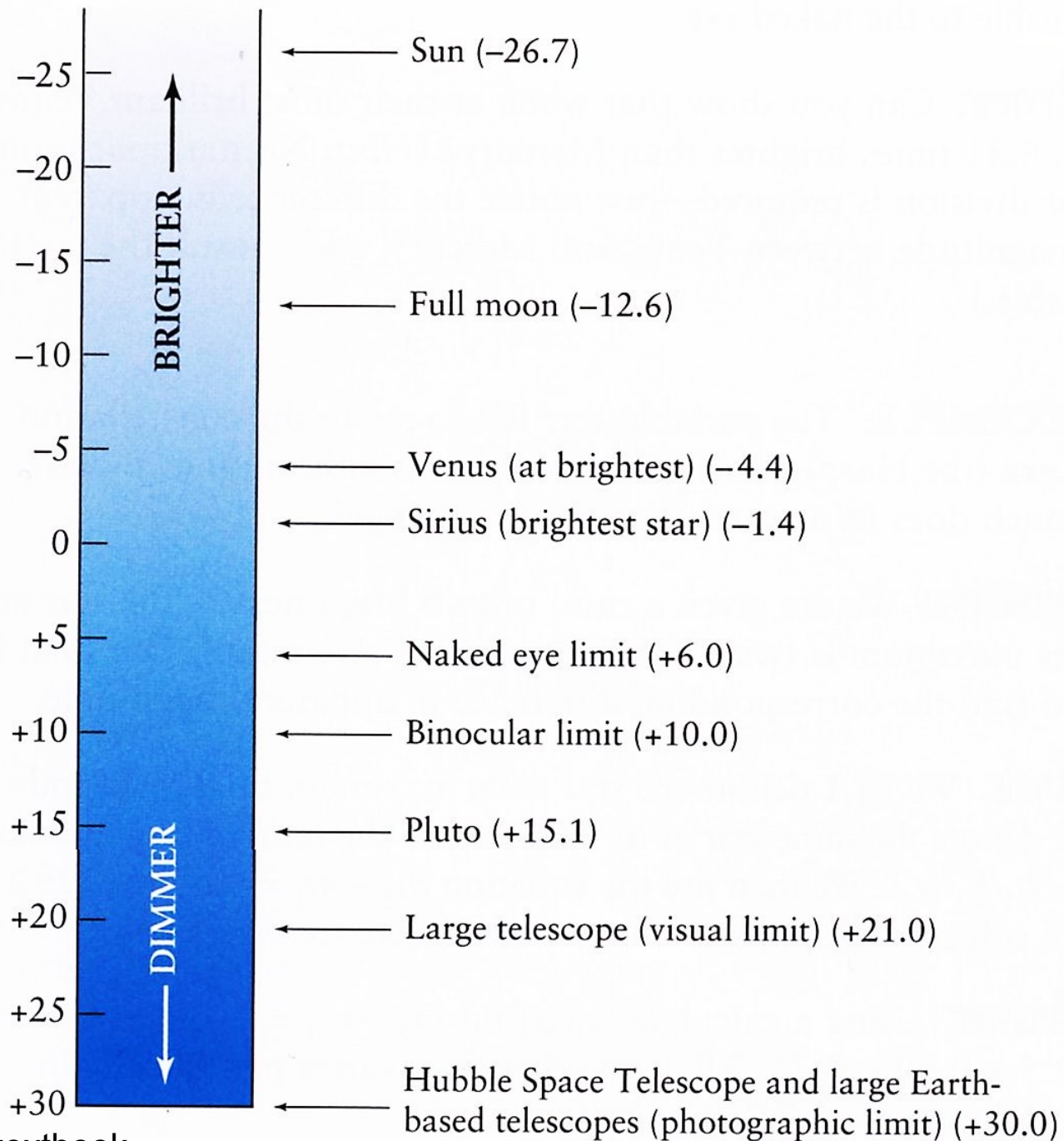
ID: 145-051-022

Preparing

vevox.app

Name any other logarithmic scales that you know about.

RESULTS SLIDE



Pogson's Relation

- the apparent magnitudes of two stars m_1 and m_2 are related to their fluxes f_1 and f_2 by

$$\frac{f_1}{f_2} = 100^{(m_2 - m_1)/5}$$
$$= 10^{2(m_2 - m_1)/5} = 10^{0.4(m_2 - m_1)}$$

$$\therefore \log \frac{f_1}{f_2} = \frac{2}{5}(m_2 - m_1)$$

$$m_2 - m_1 = 2.5 \log \frac{f_1}{f_2}$$

known as Pogson's Relation

Class Example

- How many times fainter can the Hubble Space Telescope see (limiting magnitude +30.0) compared to a large ground-based telescope with limiting magnitude +21.0?

How many times fainter can the Hubble Space Telescope see (limiting magnitude +30.0) compared to a large ground-based telescope with limiting magnitude +21.0?

$$m_2 - m_1 = 2.5 \log \frac{f_1}{f_2}$$

$$30 - 21 = 2.5 \log \frac{f_1}{f_2}$$

$$\log \frac{f_1}{f_2} = \frac{9}{2.5} = 3.6$$

$$\frac{f_1}{f_2} = 10^{3.6} = 4000$$

Apparent Magnitude

- The apparent magnitude, m , of a star is defined relative to the star Vega, which is defined to have a magnitude of zero.
- The flux of Vega is referred to as the ‘zero magnitude flux’ and is the zero point for the magnitude scale.

MAP 13

EPOCH 2000.0

STELLAR MAGNITUDES



DOUBLE OR MULTIPLE STARS

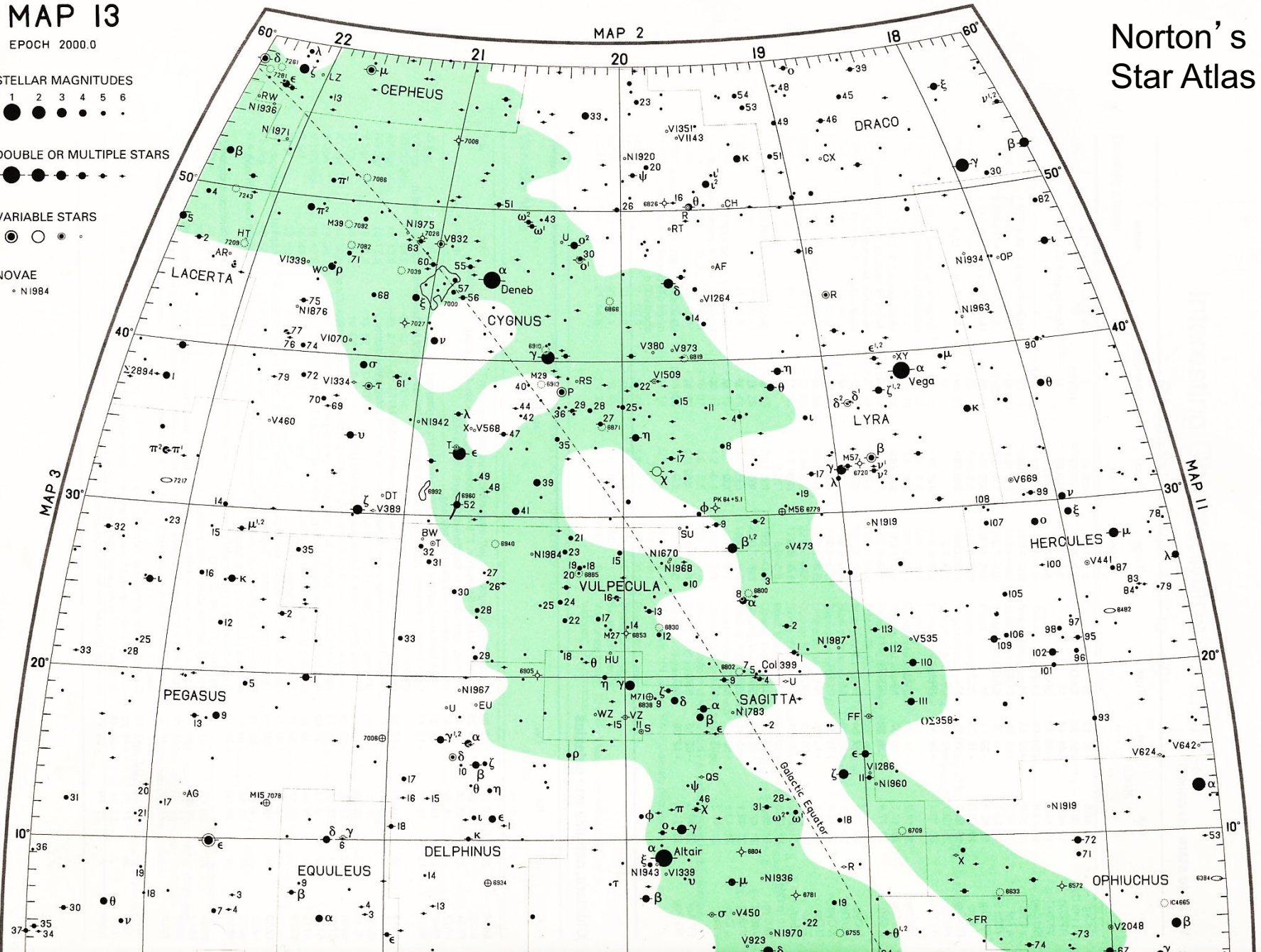


VARIABLE STARS



NOVAE

• N1984



Absolute brightness

- Apparent brightness depends on both the luminosity or power L (W) of the star and its distance d (m or pc)
- (the parsec (pc) will in Workshop 2)
- An intrinsically luminous star which is far away can have a similar apparent brightness to an intrinsically faint one nearby.

Absolute Magnitude

- To compare absolute brightness need to define a reference distance D .
- Absolute magnitude M is the apparent magnitude a star would have if it was at a distance $D=10$ parsecs.

Since $\frac{f(D)}{f(d)} = \left(\frac{d}{D}\right)^2$

$$m - M = 2.5 \log \frac{f(D)}{f(d)} = 2.5 \log \left(\frac{d}{D}\right)^2$$

Taking $D = 10$ pc and if d is in pc

$$m - M = 5 \log \frac{d}{10}$$

$$m - M = 5 \log d - 5$$

Class Example

- What is the absolute magnitude of the star Betelgeuse that has apparent magnitude $m=+0.5$ and distance of 220 pc?



- What is the absolute magnitude of the star Betelgeuse that has apparent magnitude $m=+0.5$ and distance of 220 pc?

$$m - M = 5 \log d - 5$$

$$M = m - 5 \log d + 5$$

$$= 0.5 - 5 \log 220 + 5$$

$$= -6.2$$

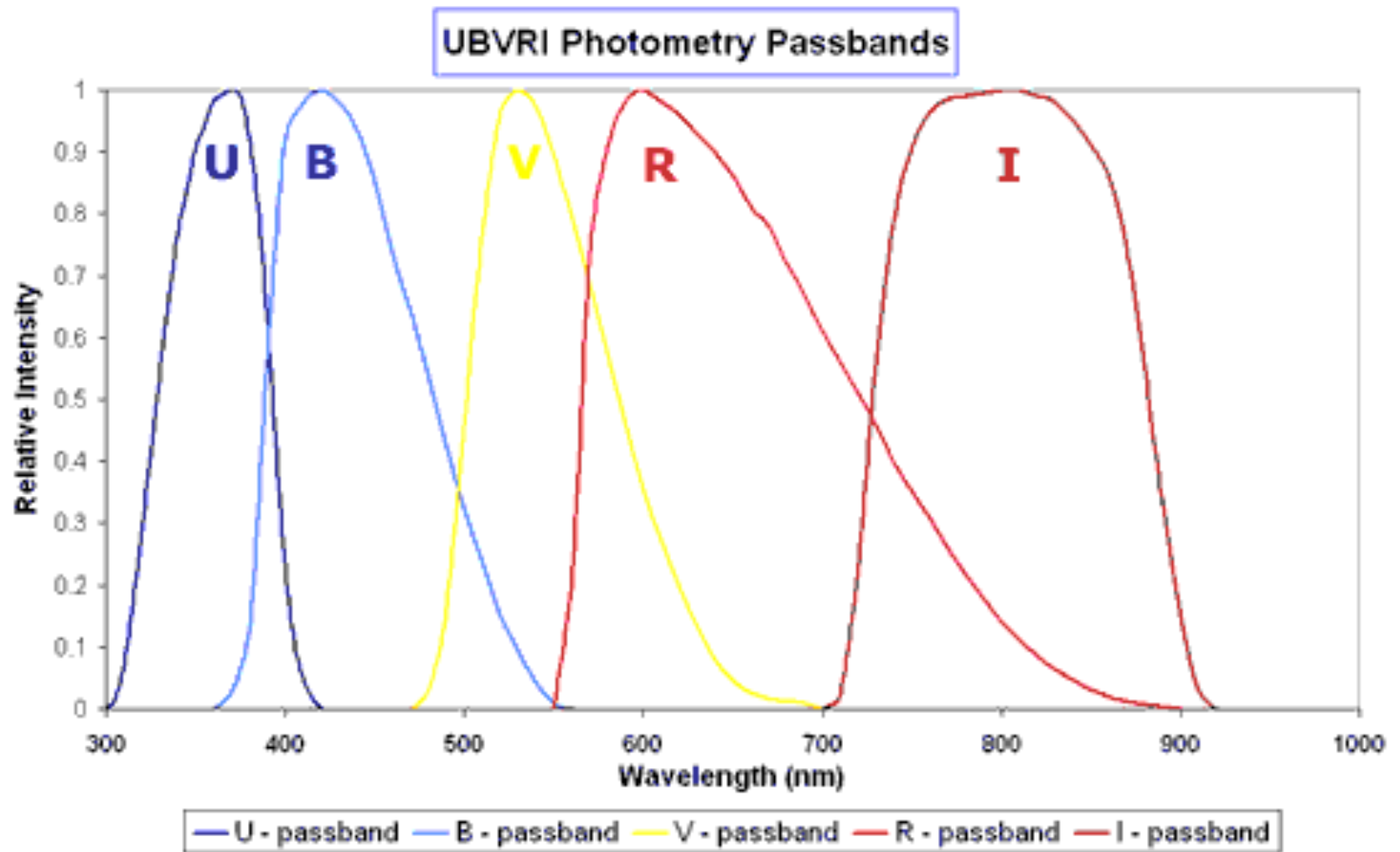
- Compare to the Sun that has $M=+4.8$

Stellar Colours

- Stars will have different brightnesses in different wavelength regions.
- Hot stars are relatively blue
- Cool stars are relatively red.
- Measure this by obtaining brightness through different filters such as the Blue (B band) at 430 nm and Visible (V band) at 550 nm



Credit: ESA & NASA; Acknowledgement: E. Olszewski (U. Arizona) HST



Credit: Data from M. Bessell

B-V Colour

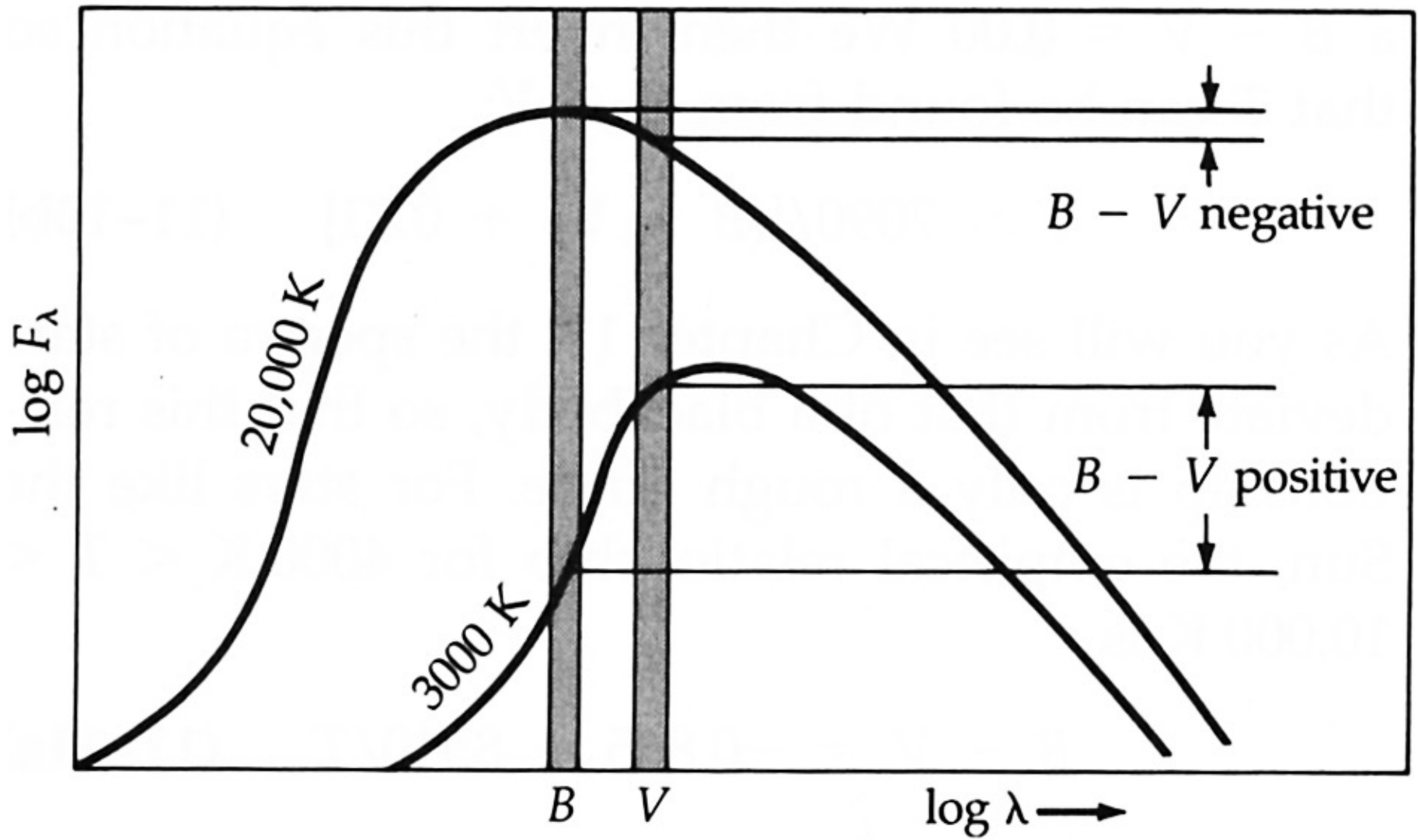
- can measure apparent magnitude through these filters to give:

m_B and m_V also written as B and V

- if $m_B < m_V$ or B-V is negative then the star is blue
- if $m_B > m_V$ or B-V is positive then the star is red

Zero Point

- Magnitudes are calibrated relative to the star Vega which is defined to be zero magnitude in all wavebands
- Vega ($T_{\text{eff}}=10\,000\text{ K}$) $m_B=m_V=0.0$ and $B-V=0.0$
- Other examples:
 - Sun ($T_{\text{eff}}=5\,800\text{ K}$) has $B-V=+0.6$
 - ϵ Ori ($T_{\text{eff}}=25\,000\text{ K}$) has $B-V=-0.2$



From Zeilik Fig 11-4

Summary

- the logarithmic magnitude scale is used to measure the brightness of star, both apparent and absolute
- the brightness of stars in different colour filters is used to quantify the colour of stars
- the colour of a star is related primarily to its surface temperature