

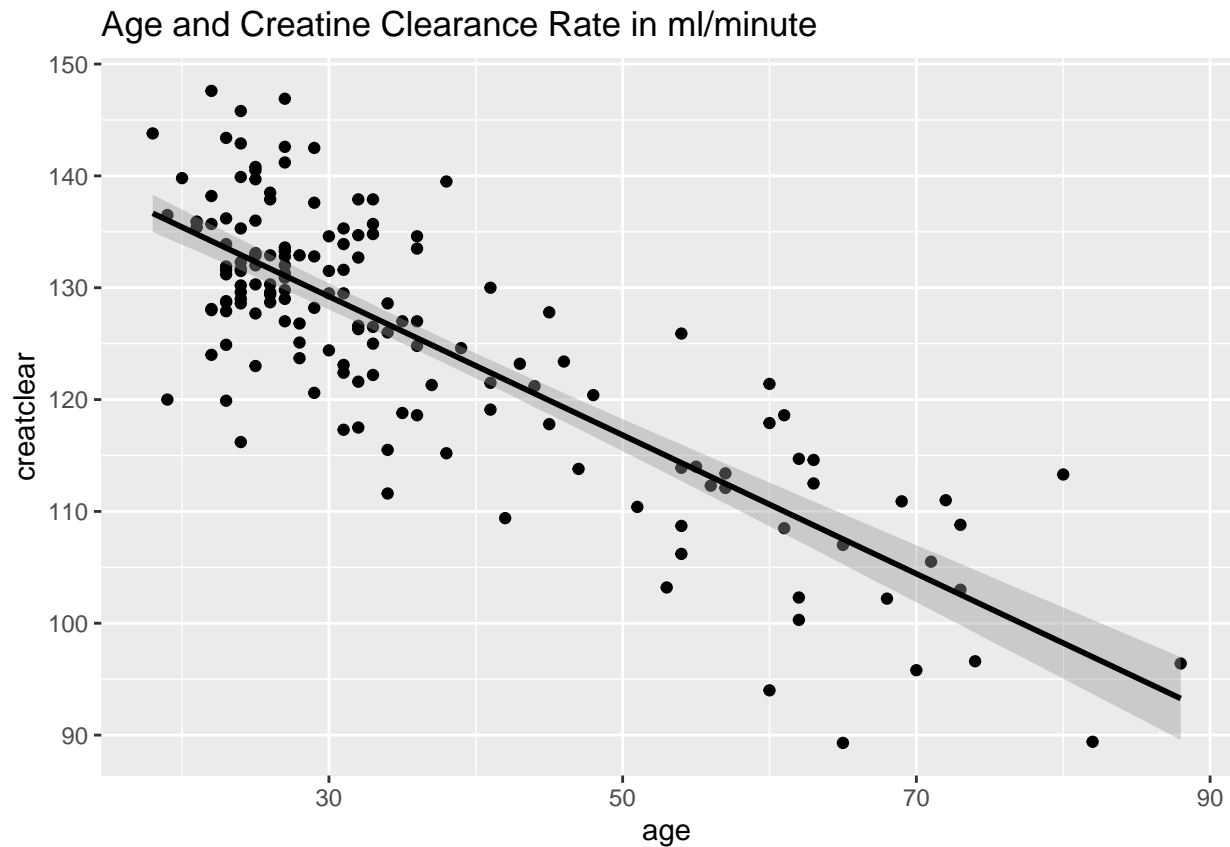
Homework8

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2025-04-07

To access my GitHub repository, click here: <https://github.com/DanielWu3627/SDS315>. Please check the file named **Homework8.Rmd**.

Problem 1



```
## (Intercept)      age
##      147.81      -0.62
```

Part A

For a 55-year-old, we expect the creatinine clearance should be about 113.71 ml/minute. I determined this by first running a regression analysis of creatinine clearance vs. age and then using the `coef()` function to get the y-intercept, which is about 147.81, and the slope, which is about -0.62. Therefore, with $y = \text{slope} * x + \text{y-intercept}$ ($y = -0.62x + 147.81$) is $-0.62 * 55 + 147.81 = 113.71$ ml/minute.

Part B

Creatinine clearance decreases by a rate of approximately -0.62 ml/minute per year. I determined this by first running a regression analysis and then using the `coef()` function to get the slope, which is about -0.62. As age increases by 1, the creatinine clearance should decrease by 0.62 ml/minute.

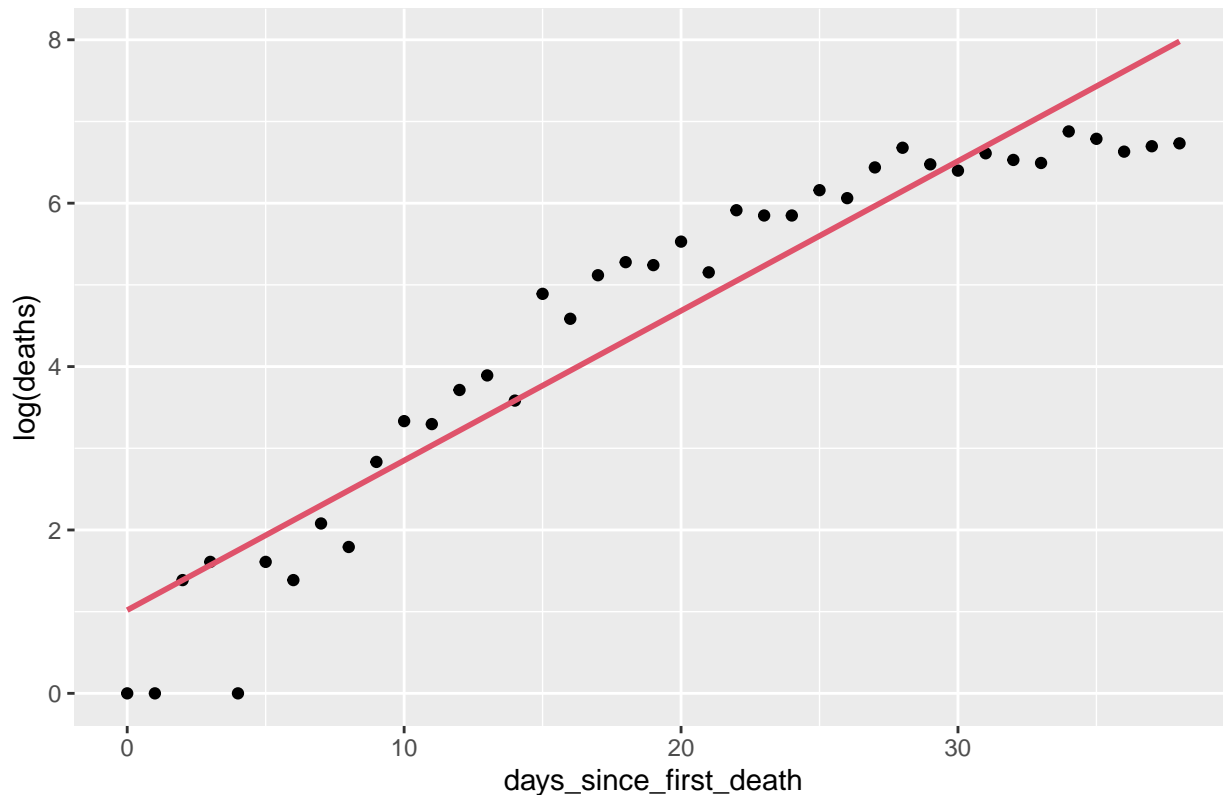
Part C

$y = -0.62x + 147.81 \rightarrow -0.62 * 40 + 147.81 = 123.01$ (expected creatine value for a 40-yr-old) $y = -0.62x + 147.81 \rightarrow -0.62 * 60 + 147.81 = 110.61$ (expected creatine value for a 60-yr-old) The expected creatine clearance rate is 123.01 ml/minute for the 40-yr-old. This 40-yr-old has a rate of 135, which is about 11.99 above the expected value. The expected creatine rate for a 60-yr-old is 110.61 ml/minute, but that 60-yr-old's is 112, with a difference of 1.39 above the expected value. Therefore, the creatine clearance rate is healthier for the 40-year old with a rate of 135.

Problem 2

1.

Number of reported COVID deaths in Italy

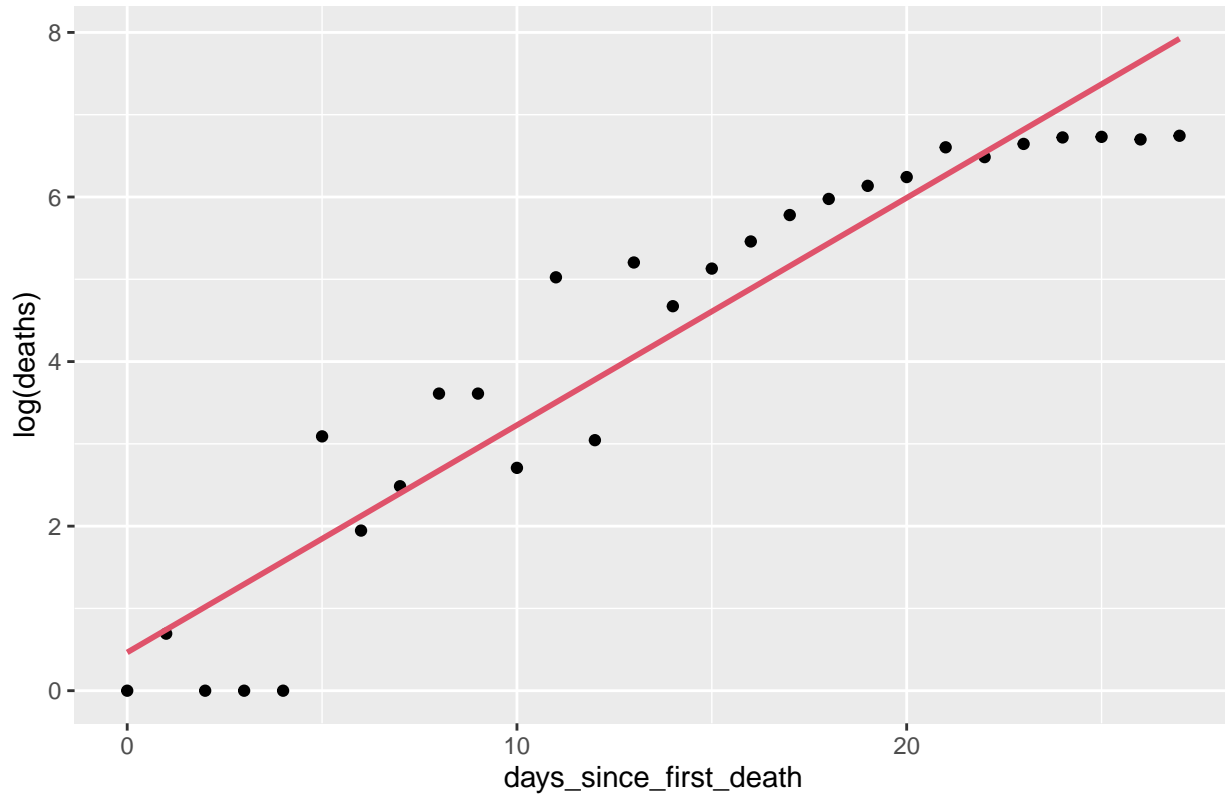


```
##           name      lower    upper level    method    estimate
## 1      Intercept  0.5391942  1.6003642  0.95 percentile  0.6786914
## 2 days_since_first_death  0.1593454  0.2079217  0.95 percentile  0.2082641
## 3           sigma  0.5508425  0.8360535  0.95 percentile  0.8271387
## 4      r.squared  0.8546581  0.9328625  0.95 percentile  0.8812985
## 5           F 217.5720775 514.1080635  0.95 percentile 274.7062862

## [1] "The doubling time for Italy is approximately 3.9"
```

The estimated growth rate for Italy is 0.180, with a 95% confidence interval [0.159, 0.208]. The estimated doubling time for Italy is 3.9 days, with a 95% confidence interval [3.4, 4.4].

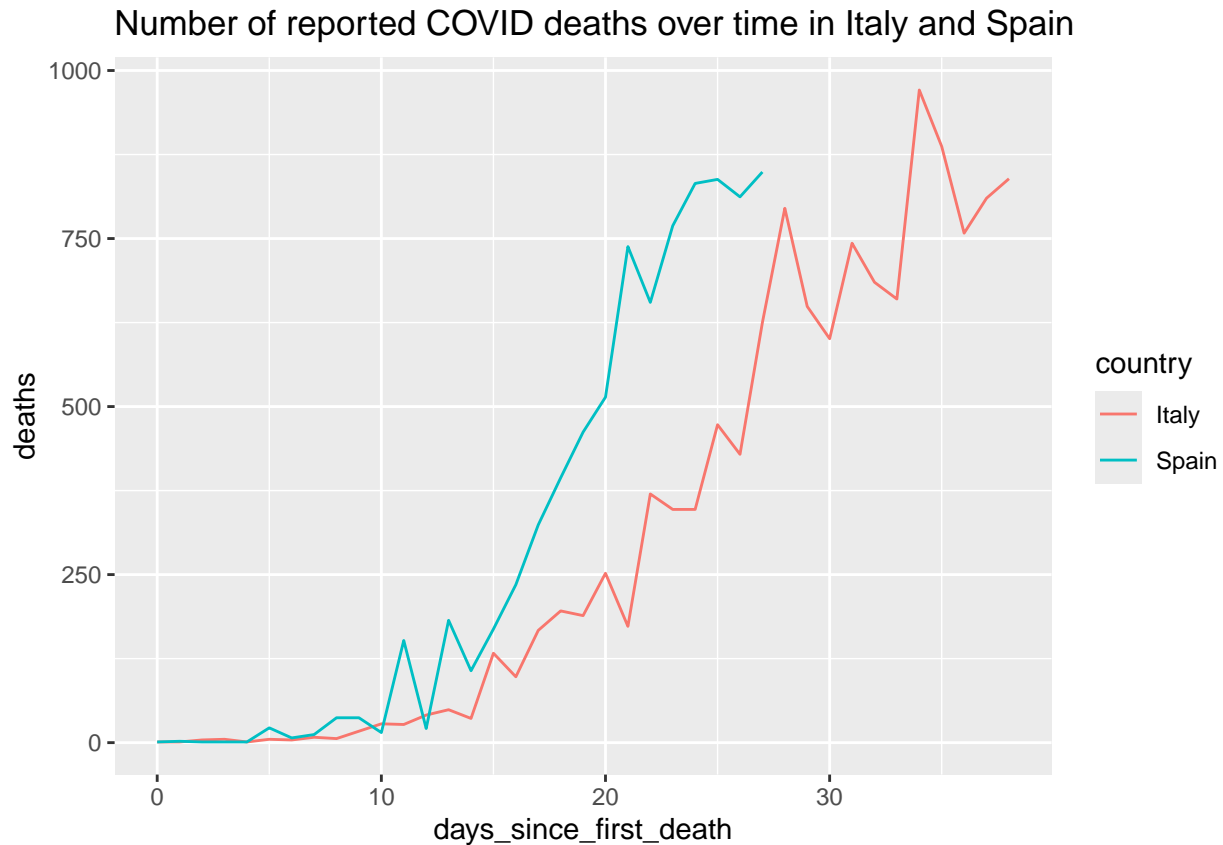
Number of reported COVID deaths in Spain



```
##           name      lower      upper level      method      estimate
## 1      Intercept -0.1516204  1.2470547  0.95 percentile  0.2656199
## 2 days_since_first_death  0.2347834  0.3166407  0.95 percentile  0.2976922
## 3           sigma  0.5981941  0.9581418  0.95 percentile  0.6876322
## 4      r.squared  0.8292877  0.9390789  0.95 percentile  0.9228520
## 5           F 126.3030515 400.7818540  0.95 percentile 311.0147789

## [1] "The doubling time for Spain is 2.3"
```

The estimated growth rate is 0.287, with a 95% confidence interval [0.235, 0.317]. The estimated doubling time for Spain is 2.3 days, with a 95% confidence [2.2, 3].



Problem 3

```
##      name      lower      upper level      method      estimate
## 1 Intercept  4.5362285  4.8893692  0.95 percentile  4.6933843
## 2 log.price. -1.7690751 -1.4529753  0.95 percentile -1.5477914
## 3      sigma  0.2316697  0.3001399  0.95 percentile  0.2578064
## 4 r.squared  0.6864506  0.8440191  0.95 percentile  0.7599025
## 5          F 249.5790359 616.8585949  0.95 percentile 360.8070609
```

I bootstrapped 10,000 times. For each time, I performed regression analysis for $\log(\text{sales})$ vs. $\log(\text{price})$. The coefficient for $\log(\text{price})$ is the expected price elasticity, which is around -1.46. When the price increases by 1 %, the sales decreases at the 95% confidence level of [-1.78, -1.46].