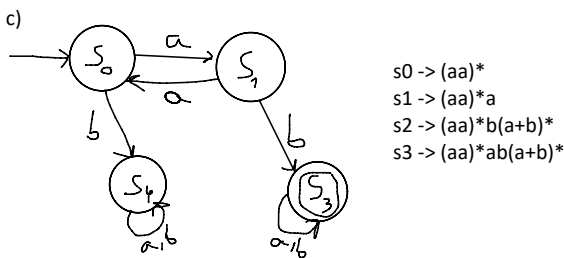


1.  
a) Linear Direita:  $A \rightarrow w \mid wB$   
Linear Esquerda:  $A \rightarrow w \mid Bw$  } K não é linear à direita nem à esquerda pq não satisfaz estas condições

$K \rightarrow SabM$   
 $S \rightarrow aaS \mid \epsilon$   
 $M \rightarrow aM \mid bM \mid \epsilon$

$S \rightarrow$  Palavras com número par de a's  $\rightarrow \{aa\}^*$   
 $M \rightarrow$  Qualquer palavra constituída por a's, b's ou palavra vazia  $\rightarrow \{a,b\}^*$   
 $K \rightarrow \{aa\}^*ab\{a,b\}^*$

b)  $(aa)^*ab(a+b)^*$



- d)
- $[\epsilon] \neq [a]$  pq se  $Z = b$ ,  $\epsilon Z \notin L$  e  $aZ \in L$   
 $[\epsilon] \neq [b]$  pq se  $Z = ab$ ,  $\epsilon Z \in L$  e  $bZ \notin L$   
 $[a] \neq [b]$  pq se  $Z = b$ ,  $aZ \in L$  e  $bZ \notin L$   
 $[ab] \neq [a]$   
 $\neq [b]$   
 $\neq [\epsilon]$  } pq  $ab \in L$ , mas  $\epsilon \notin L$ ,  $a \notin L$  e  $b \notin L$

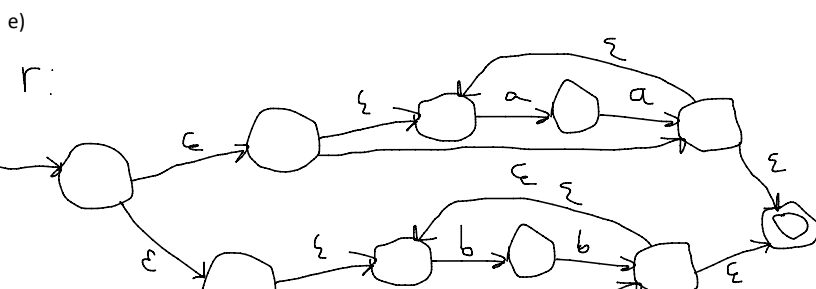
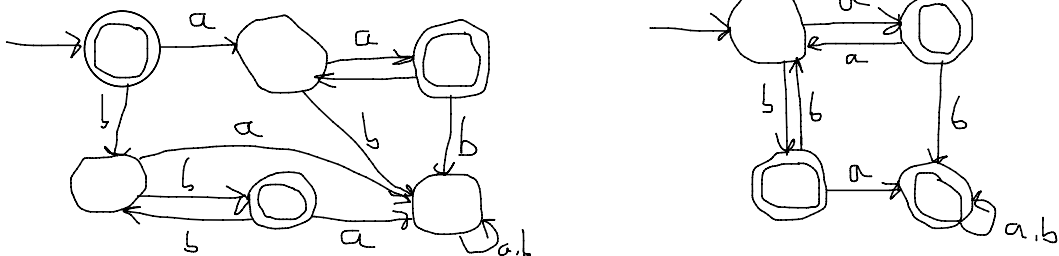
$[abb] = [ab] = [aba]$  pq para  $Z = \Sigma^*$ ,  $abbZ \in L$ ,  $abZ \in L$  e  $abaZ \in L$

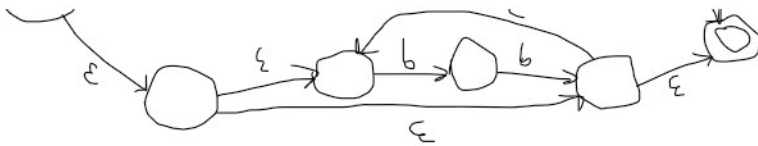
$[b] = [ba] = [bb]$  pq para  $Z = \Sigma^*$ ,  $bZ \in L$ ,  $baZ \in L$  e  $bbZ \in L$

2.  
 $r = (aa)^* + (bb)^*$   
 $s = (aa + bb)^*$

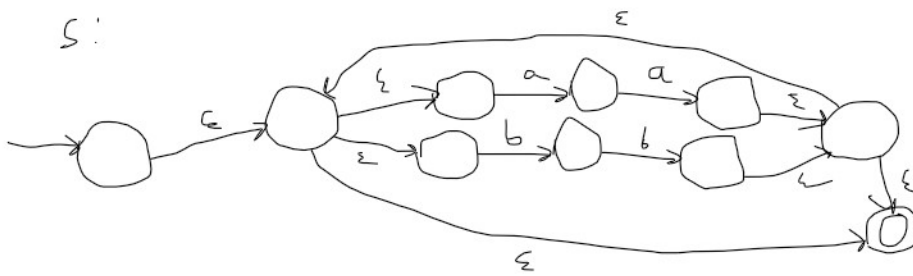
- a)  $S \rightarrow aaK \mid bbT \mid \epsilon$   
 $K \rightarrow aaK \mid \epsilon$   
 $T \rightarrow bbT \mid \epsilon$
- b)  $S \rightarrow \epsilon \mid aaS \mid bbS$

- c) d) Estados finais passam a não o ser e vice-versa, pq  $\Sigma^* \setminus L(s)$

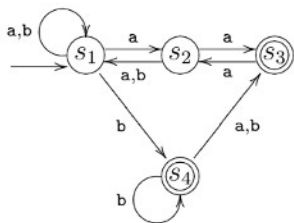




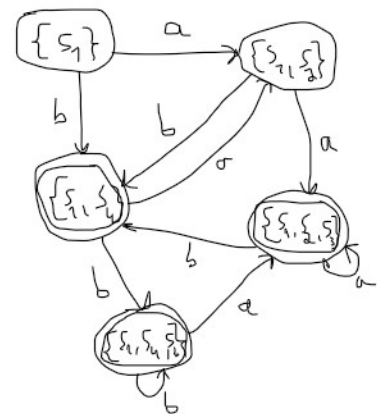
S:



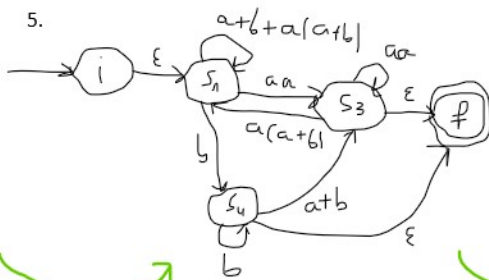
4.



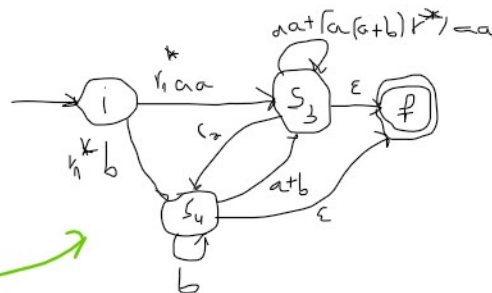
	a	b
$S_1$	$\{1,2\}$	$\{1,4\}$
$\{1,2\}$	$\{1,2,3\}$	$\{1,4\}$
$\{1,4\}$	$\{1,2\}$	$\{1,4,3\}$
$\{1,2,3\}$	$\{1,2,3\}$	$\{1,4\}$
$\{1,4,3\}$	$\{1,2,3\}$	$\{1,4,3\}$



5.



Eliminando s2

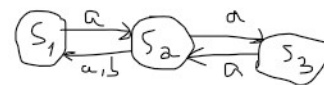


Eliminando s1

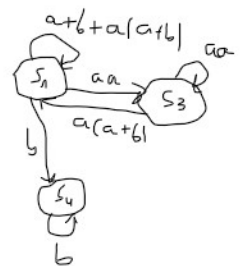
$$r_1 = a + b + a(a + b)^*$$

$$r_2 = a(a + b)r_1^*b$$

Transições para s2:



Transições para s1:

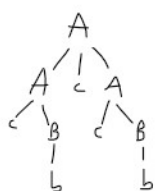


6.

a)  
cbccb

A | AcA | cBccB | cbccb

1 árvore:



6 derivações:

$A \Rightarrow A c A \Rightarrow c B c A \Rightarrow c B c c B \Rightarrow c b c c B \Rightarrow c b c c b$   
 $A \Rightarrow A c A \Rightarrow c B c A \Rightarrow c B c c B \Rightarrow c B c c b \Rightarrow c b c c b$   
 $A \Rightarrow A c A \Rightarrow A c c B \Rightarrow c B c c B \Rightarrow c b c c B \Rightarrow c b c c b$   
 $A \Rightarrow A c A \Rightarrow A c c B \Rightarrow c B c c B \Rightarrow c B c c b \Rightarrow c b c c b$   
 $A \Rightarrow A c A \Rightarrow A c c B \Rightarrow A c c b \Rightarrow c B c c b \Rightarrow c b c c b$   
 $A \Rightarrow A c A \Rightarrow c B c A \Rightarrow c b c A \Rightarrow c b c c B \Rightarrow c b c c b$