

Exam - EXAMPLE 1

① B)

$$② S = \log_2 (1 + \text{SNR}) = \log_2 \left(1 + \frac{P_r}{N_0 \cdot B_c} \right)$$

$$\Leftrightarrow \uparrow S = \frac{C}{B_c \downarrow}$$

R:D)

- ③
- o FER = F
 - o L times (same frame)

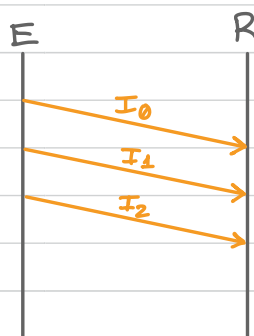
$$P(c) = 1 - F^L$$

↳ todas as frames recebidas com erro

R:D)

④ $W = 2 \text{ bits} = 2^2 = 4$ $2^2 - 1 = 3$

↳ Pode mandar 4 frames antes de receber uma mensagem de confirmação



R:D) C)

- ⑤
- o M/M/1
 - o arrival rate = λ packets/s
 - o capacity = C bit/s
 - o N packets in queue
 - o average delay = T

o $\lambda' = 10 \cdot \lambda$ and $C' = 10 \cdot C$ and $L = L'$:

$$\begin{aligned}
 L &= L' \\
 \Leftrightarrow \frac{C}{\mu} &= \frac{C'}{\mu'} \\
 \Leftrightarrow \frac{C}{\mu} &= \frac{10 \cdot C}{10 \cdot \mu} \\
 \Leftrightarrow \mu' &= 10 \cdot \mu \\
 T &= \frac{1}{\mu - \lambda} \\
 \Leftrightarrow T &= \frac{1}{\frac{\mu'}{10} - \frac{\lambda'}{10}} \\
 \Leftrightarrow T &= \frac{10}{\mu' - \lambda'} \\
 \Leftrightarrow T' &= T/10 \\
 N &= \frac{\lambda}{\mu - \lambda} \\
 \Leftrightarrow N &= \frac{\lambda'}{\mu' - \lambda'} \\
 \Leftrightarrow N &= \frac{10 \cdot \lambda}{10 \cdot \mu - 10 \cdot \lambda} \\
 \Leftrightarrow N &= \frac{\lambda'}{\mu' - \lambda'} = N'
 \end{aligned}$$

R: C)

⑥

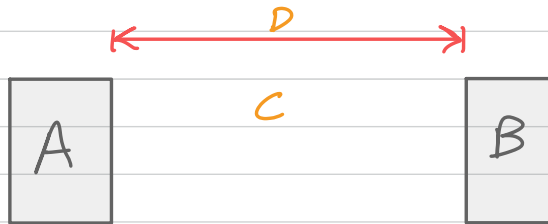


?

R: E)

⑦ D)

⑧



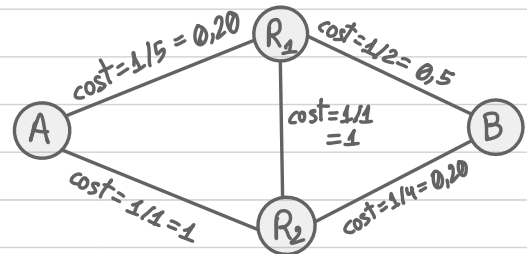
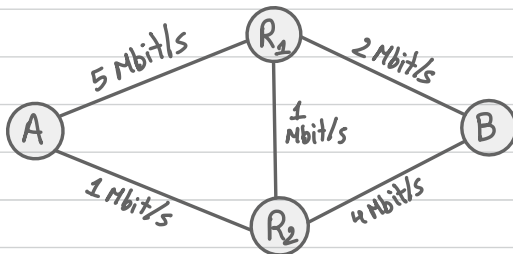
$W = W$
 $RTT = R$

$$\text{Bitrate} = \text{Congestion Window} / \text{RTT}$$

$$= \boxed{W / R \text{ (bytes/s)}} \leftarrow \text{throughput}$$

R: D)

⑨



o minimum cost path = $A \rightarrow R_1 \rightarrow B$ (maximum throughput is 2 Mbit/s)

R: E)

⑩ B)

⑪ Selective - Repeat ARQ

• $C_{\text{channel}} = 2 \text{ Mbit/s} = (2 \times 10^6) \text{ bit/s}$

• $T_p = 250 \text{ ms}$

• $E[L] = 250 \text{ bytes} = 250 \times 8 = 2000 \text{ bits}$

• $\text{BER} = 10^{-4} \rightarrow \text{FER} = 1 - (1 - 10^{-4})^{2000} \approx 0,1813$

• $M = 64$

$\rightarrow R_{\text{max}} = ? (S \cdot (R_{\text{ou}} C))$

$W_{\text{max}} = \frac{M}{2} = \frac{64}{2} = 32$

$R_{\text{max}} = S \cdot C$

$a = \frac{T_p}{T_f} = \frac{250 \text{ ms}}{L/C} = \frac{0,250 \text{ s}}{\frac{2000 \text{ bit}}{(2 \times 10^6) \text{ bit/s}}} = 250$

$S = \frac{W \cdot (1 - P_e)}{1 + 2 \cdot a} = \frac{32 \times (1 - 0,2)}{1 + 2 \cdot 250} = 0,0511$

$P_e = \text{FER} = 1 - (1 - \text{BER})^L = 1 - (1 - 10^{-4})^{2000} \approx 0,2$

$R_{\text{max}} = S \cdot C = 0,0511 \times (2 \times 10^6) = 102195,6 \text{ bit/s} \approx 102 \text{ Kbit/s}$

⑫ • $S = 1$

• $\text{BER} = 10^{-4} \rightarrow \text{FER} = 0,8$

$\rightarrow W = ?$

$1 + 2 \cdot a = 1 + 2 \cdot \frac{T_p}{T_f} = 1 + 2 \cdot \frac{0,250}{2000/(2 \times 10^6)} = 1 + 2 \times 250 = 501$

$\begin{cases} S = 1, & W \geq 1 + 2 \cdot a \\ S = \frac{W}{1 + 2 \cdot a}, & W < 1 + 2 \cdot a \end{cases}$

$W_{\text{max}} = \frac{64}{2} = 32$

Como queremos o $S = 1$, então usamos a fórmula para $W \geq 1 + 2a$:

$W \geq 1 + 2 \cdot a \Leftrightarrow 2^{K-1} \geq 501$

$\Rightarrow K - 1 \geq \log_2(501)$

$\Leftrightarrow K \geq 9,97$

$\Rightarrow K \geq 10$, pois $K \in \mathbb{Z}_0^+$

$\hookrightarrow W = 2^{K-1} = 2^{10-1} = 2^9 = 512$

(13) $L = 1,30 \times E[L] = 1,30 \times 2000 = 2600 \text{ bits}$

$FER = P_e = 0,05$

$T_p = 250 \text{ ms}$

$C_{\text{channel}} = R_{\text{channel}} = (2 \times 10^6) \text{ bit/s}$

$\rightarrow R_{\text{MAX}} = ?$

$$R_{\text{MAX}} = S \cdot R$$

$$W = \frac{64}{2} = 32$$

$$W = 1 + 2 \cdot a$$

$$\Rightarrow 2^{K-1} = 501$$

$$\Leftrightarrow K-1 = \log_2(501)$$

$$\Rightarrow K = 9,97 \approx 10$$

$$1 + 2 \cdot a = \underbrace{501}_{\text{ex. anterior}}$$

$$W_{\text{MAX}} = 2^{K-1} = 2^{10-1} = 2^9 = 512$$

$$S = \frac{W \cdot (1 - P_e)}{1 + 2 \cdot a} = \frac{32 \times 0,95}{501} = 0,061$$

$$R_{\text{MAX}} = S \cdot C = 0,061 \times (2 \times 10^6) \approx 121 \text{ Kbit/s}$$

(14) $M/M/1$

$\lambda = 600 \text{ pac/s}$

$E[L] = 1500 \text{ Bytes} = 1500 \times 8 = 12000 \text{ bits}$

$\rho = 1 - 0,40 = 0,60$

$\rightarrow T = ?$

$$T = \frac{1}{\mu - \lambda} = \frac{1}{\mu - 600}$$

$$\rho = \frac{\lambda}{\mu} \Rightarrow \mu = \frac{\lambda}{\rho} = \frac{600 \text{ pac/s}}{0,60} = 1000 \text{ pac/s}$$

$$= \frac{1}{1000 - 600} = \frac{1}{400} = 0,0025 \text{ s} = 2,5 \text{ ms}$$

(15) $M/M/1/B$

$B = 1$

$\rightarrow P[\text{Number of Packets} > 0] = ?$

Como $\rho = 0,60 (< 1)$, então $P(0) = \frac{(1-\rho) \cdot \cancel{\rho^0}}{1-\rho^2} = \frac{0,40}{1-(0,60)^2} = 0,625$

Então $P[\text{Number of Packets} > 0] = 1 - P(0) = 1 - 0,625$
 $= 0,375$
 $\approx 0,38$

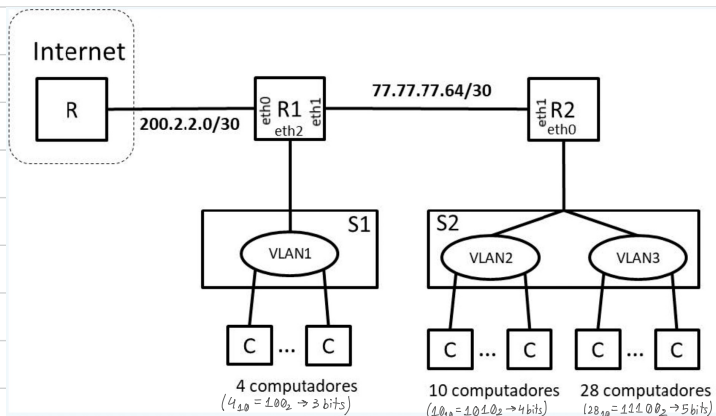
16) $L = 1500 \text{ Bytes} = 1500 \times 8 = 12000 \text{ bits}$
 $\rightarrow N_w = ?$

$N_w = \lambda \cdot T_w = \rho N$ → Teorema Little

Como o tamanho L é fixed length, então estamos perante um M/D/1.

$T_w = \frac{\rho}{2 \cdot \mu \cdot (1 - \rho)} = \frac{0,6}{2 \times 1000 \times 0,4} = 0,00075 \text{ s}$ $N_w = \lambda \cdot T_w = 600 \cdot 0,00075 = 0,45$

17)



/30	-	2 bit	$\rightarrow 2^2 - 2 = 4 - 2 = 2$ endereços
/29	-	3 bit	$\rightarrow 2^3 - 2 = 8 - 2 = 6$ endereços
/28	-	4 bit	$\rightarrow 2^4 - 2 = 16 - 2 = 14$ endereços
/27	-	5 bit	$\rightarrow 2^5 - 2 = 32 - 2 = 30$ endereços
/26	-	6 bit	$\rightarrow 2^6 - 2 = 64 - 2 = 62$ endereços
/25	-	7 bit	$\rightarrow 2^7 - 2 = 128 - 2 = 126$ endereços
/24	-	8 bit	$\rightarrow 2^8 - 2 = 256 - 2 = 254$ endereços

o Começar pela VLAN com mais hosts:

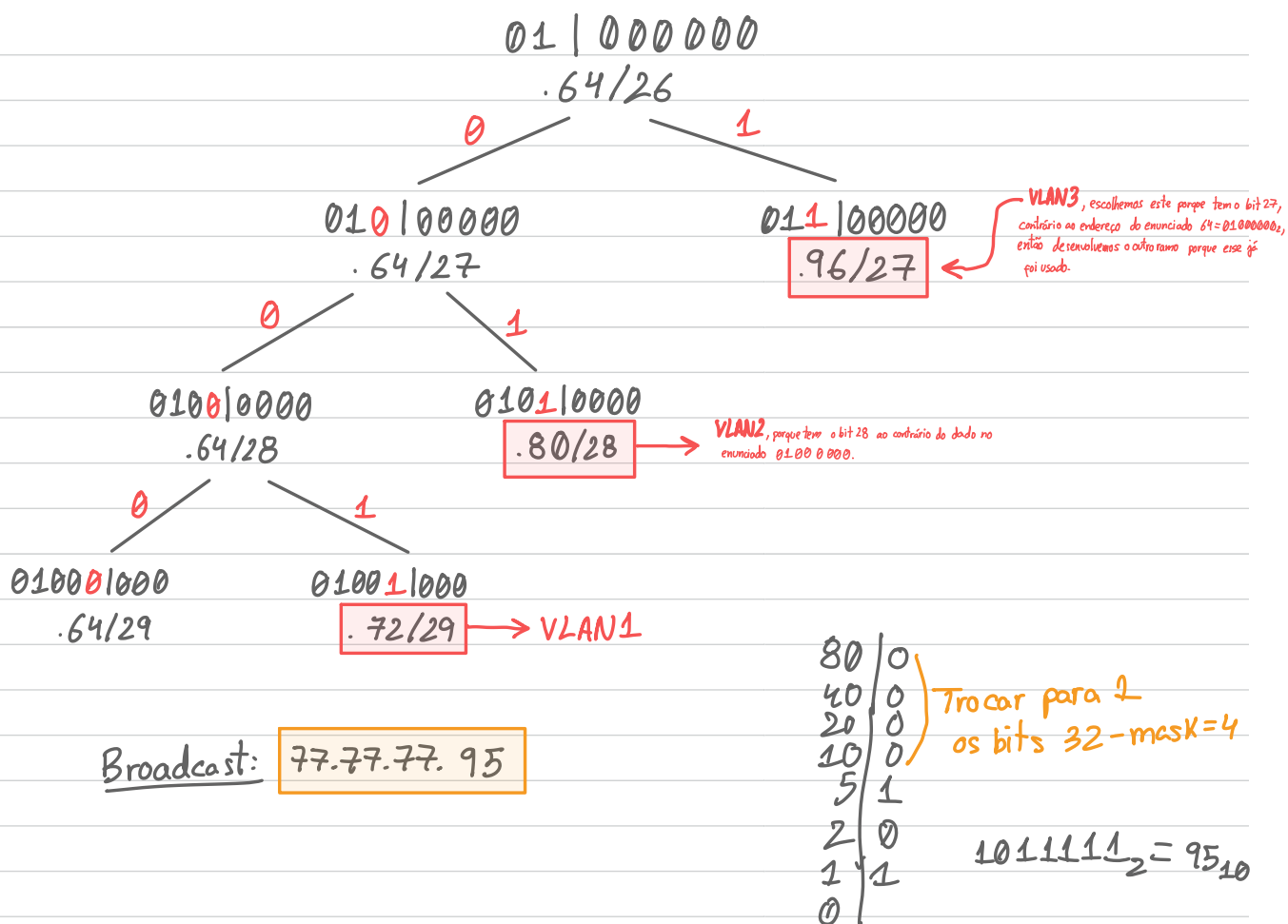
VLAN3: 5 bits $\rightarrow N_{\text{hosts}} = 2^5 - 2 = 32 - 2 = 30 \text{ hosts}$ (77.77.77.96/27)

VLAN2: 4 bits $\rightarrow N_{\text{hosts}} = 2^4 - 2 = 16 - 2 = 14 \text{ hosts}$ (77.77.77.112/28)

VLAN1: 3 bits $\rightarrow N_{\text{hosts}} = 2^3 - 2 = 8 - 2 = 6 \text{ hosts}$ (77.77.77.120/29)

R: 77.77.77.96/27

18



19

o Broadcast VLAN1: 77.77.77.79

o Highest address of R1.eth2 (Broadcast-1): 77.77.77.78

72 | 0
36 | 0
18 | 0
9 | 1
4 | 0
2 | 0
1 | 1
0 | 0

1001111₂ = 79₁₀

20

o R2 default gateway: Tem a ligação direta ao outro router.

o Endereço dado no enunciado: 77.77.77.64/30 passa a ser R2 eth0: 77.77.77.65.