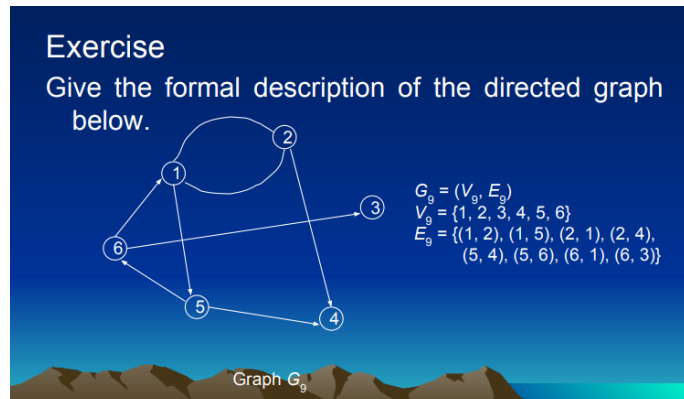


Graph 9



Outdegree of:

1 is 2

2 is 2

3 is 0

4 is 0

5 is 2

6 is 2

Indegree of:

1 is 2

2 is 1

3 is 1

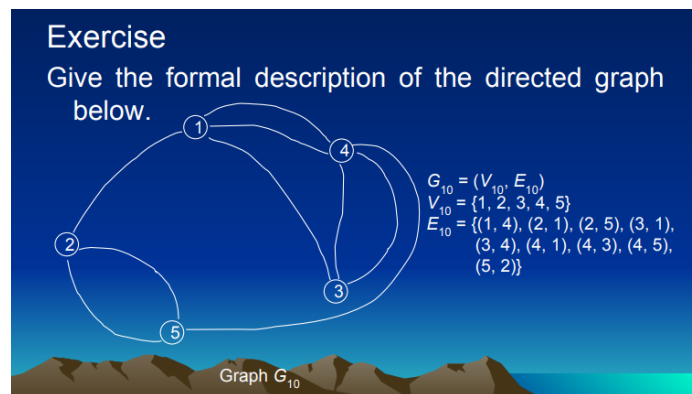
4 is 2

5 is 1

6 is 1

- The vertices adjacent to Node 1 are nodes 2 and 6. The vertices adjacent from Node 1 are nodes 2,6,5. The edges incident to Node 1 are (1,2), (1,5), (2,1), (6,1).

Graph 10



Outdegree of:

1 is 1

2 is 2

3 is 2

4 is 3

5 is 1

Indegree of:

1 is 3

2 is 1

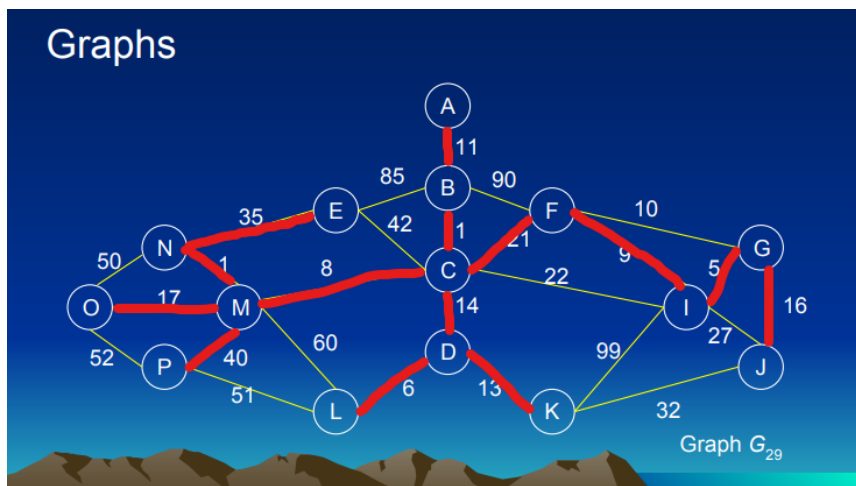
3 is 1

4 is 2

5 is 2

- The vertices adjacent to Node 1 are nodes 2 and 4. The vertices adjacent from Node 1 are nodes 2, 3, 4. The edges incident to Node 1 are (1,4), (2,1), (3,1), (4,1).

Graph 29



$$G_{29} = (V_{29}, E_{29})$$

$$V_{29} = \{A, B, C, D, E, F, G, I, J, K, L, M, N, O, P\}$$

$$E_{29} = \{(A,B), (B,E), (B,F), (C,D), (C,E), (C,F), (C,I), (C,M), (D,K), (D,L), (E,N), (F,G), (F,I), (G,I), (G,J), (I,J), (I,K), (J,K), (L,M), (L,P), (M,N), (M,O), (M,P), (N,O), (O,P)\}$$

Kruskal's Algorithm

$$\text{Edge (B,C) } w(B,C) = 1$$

$$\text{Edge (M,N) } w(M,N) = 1$$

$$\text{Edge (G,I) } w(G,I) = 5$$

$$\text{Edge (D,L) } w(D,L) = 6$$

$$\text{Edge (C,M) } w(C,M) = 8$$

$$\text{Edge (F,I) } w(F,I) = 9$$

$$\text{Edge (F,G) } w(F,G) = 10$$

$$\text{Edge (A,B) } w(A,B) = 11$$

$$\text{Edge (D,K) } w(D,K) = 13$$

$$\text{Edge (C,D) } w(C,D) = 14$$

$$\text{Edge (G,J) } w(G,J) = 16$$

$$\text{Edge (M,O) } w(M,O) = 17$$

$$\text{Edge (C,F) } w(C,F) = 21$$

$$\text{Edge (C,I) } w(C,I) = 22$$

$$\text{Edge (I,J) } w(I,J) = 27$$

$$\text{Edge (J,K) } w(J,K) = 32$$

$$\text{Edge (E,N) } w(E,N) = 35$$

$$\text{Edge (M,P) } w(M,P) = 40$$

$$\text{Edge (C,E) } w(C,E) = 42$$

$$\text{Edge (N,O) } w(N,O) = 50$$

$$\text{Edge (L,P) } w(L,P) = 51$$

$$\text{Edge (O,P) } w(O,P) = 52$$

$$\text{Edge (L,M) } w(L,M) = 60$$

$$\text{Edge (B,E) } w(B,E) = 85$$

$$\text{Edge (B,F) } w(B,F) = 90$$

$$\text{Cost of Minimum Spanning Tree} = 197$$

Prim's Algorithm

$$11 + 1 + 14 + 6 + 13 + 21 + 9 + 5 + 16 + 8 + 1 + 35 + 17 + 40 = 197$$