1.

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fun function (x:bool) (y:bool) = true;
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2. 16 unique truth tables.

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AND:
fun function (x:bool) (y:bool) = x andalso y;
OR:
fun function (x:bool) (y:bool) = x orelse y;
Tautology:
fun function (x:bool) (y:bool) = true;
Contradiction:
fun function (x:bool) (y:bool) = false;
x – statement 1:
fun function (x:bool) (y:bool) = x;
NOT x - negation of statement 1:
fun function (x:bool) (y:bool) = not(x);
NOT y – negation of statement 2:
fun function (x:bool) (y:bool) = not(y);
y – statement 2:
fun function (x:bool) (y:bool) = y;
Converse non-implication:
fun function (x:bool) (y:bool) = not(x) and also y;
Converse implication:
fun function (x:bool) (y:bool) = x and also not(y);
Implication (Conditional):
fun function (x:bool) (y:bool) = not(x) orelse y;
Non-implication:
fun function (x:bool) (y:bool) = x orelse not(y);
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Biconditional (NXOR):
fun function (x:bool) (y:bool) = (not(x) \text{ orelse } y) and also (not(y) \text{ orelse } x);
XOR:
fun function (x:bool) (y:bool) = (x \text{ and also not}(y)) orelse (y \text{ and also not}(x));
NAND:
fun function (x:bool) (y:bool) = not(x) and also not(y);
NOR:
fun function (x:bool) (y:bool) = not(x) orelse not(y);
3.
They are both nameless functions, meaning that they can be called with "it" keyword.
They are of different types: int and real. Int has rounded numbers, Real has decimal point numbers,
even rounded ones (example: 1.0).
4.
        First.
val a= [3,3,3,3,3];
val b= [4,3,3,3,3];
fun function1 (z) (x:int) = if z=[] and also x=0 then false
else if z=[] then true
else if hd(z)=3 then true and also function 1 (tl(z)) (x+1) else false;
fun function2 (x) (y):bool = if x(y) (0)=true then true else false;
        Second.
val a = [3,3,3,3,3];
val b= [4,3,3,3,3];
fun function 1(z) = if z = [] then false
else if hd(z)=4 then true
else false orelse function1 (tl(z)) (y) (x+1);
fun function2 (x) (y):bool = if x(y)=true then true else false;
```

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5.
fun function 3x = ();
maybe this one - fun function x = \{\};
Otherwise I think it's the only one, since the only possible way to get unit is by calling an empty tuple.
6.
fun function4 x = (x, x);
I think it's the only one since there is only one parameter and end result is a tuple with two identical
parameters.
7.
fun function5 (x) (y) = (x,y);
8.
2 functions – in SML there are only single argument functions.
it could be written as fn x => fn y => (x,y);
9.
fun func (a) (b) = (a:'a, b:'a);
10.
2 functions - in SML there are only single argument functions.
it could be written as fn a => fn b => (a:'a,b:'a);
11.
fun func ((f: 'a->'b), x:'a) = f(x);
```

1 function since both arguments are in a tuple, and a tuple is considered as single argument to the fanction.
13.
fun func (f1:'a->'b) (f2:'b->'c) = f2 o f1;
14.
3 functions – 2 fanctions as parameters, but it also returns a fanction.
fn f1:'a->'b => f2:'b->'c => f2 o f1;
15.
fn x:'a => fn f2:'b->'c => fn f3:'a->'b => f2 o f3;
16.
exception exc;
fun function () = raise exc;