

x = 1;	1
for i = 1:n	from i = 1 to n+1 $\sum 1$
for j = 1:n	from l = 1 to n \sum (from j = 1 to n+1 $\sum(1)$)
x = x + 1;	from l = 1 to n \sum (from j = 1 to n $\sum(1)$)

the for loop check is checked 1 more time than the contents of the for-loop, hence the n+1.
Total runtime is:

1.

$$1 + n+1 + n(n+1) + n*n$$

Polynomial of function:
 $2 * 10^{-9}n^2 + 5 * 10^{-7}n + 0.0014$

- 3.
- Upper bound: n^2
Lower bound: n
- Big-O(n^2)
Big-Omega(n) less precisely: Big-Omega(1)
Big-theta(n^2)

- 4.
- If I was reading the textbook correctly, n_0 is in big theta at n_0 , $f(n)$ lies between $c_1g(n)$ and $c_2g(n)$, meaning n_0 lies within the upper and lower bounds of the function. I picked $n = 12500$ as this lies right on the curve that fits to my data, hence it would be within the upper and lower bounds of big theta.

Modified function:

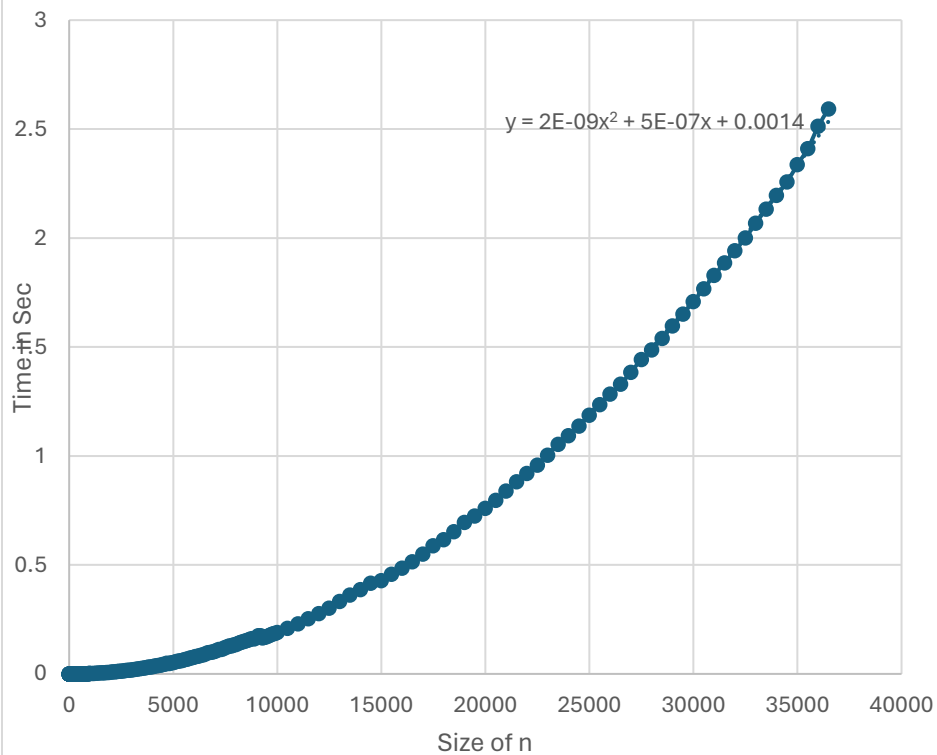
If you modified the function, it would take the algorithm longer to run:

5.

If you modified the function, it would increase the total run time adding an additional $n*n$ so:

$$1 + n + 1 + n(n+1) + n*n + n*n$$

Time vs n
Prior to modification



Time vs n
After modification

