

Reminder: the book uses  $H(e^{j\hat{\omega}})$  for what I've been calling  $\hat{H}(\hat{\omega})$  in class.

1. From the book, Problem P-6.4. In part (c), no need to hand in the MATLAB part, but do it if you can.
2. From the book, Problem P-6.5.
3. From the book, Problem P-6.8.
4. From the book, Problem P-6.14.
5. An FIR system has frequency response

$$\hat{H}(\hat{\omega}) = \left(1 - e^{j\pi/2}e^{-j\hat{\omega}}\right) \left(1 - e^{-j\pi/2}e^{-j\hat{\omega}}\right) \left(1 + e^{-j\hat{\omega}}\right) .$$

Use linearity to find the output signal  $y[n]$  that arises when the input signal is

$$x[n] = 7 + 13 \cos(.5\pi n + .25\pi) + 11\delta[n - 3] .$$

6. Find an FIR system with I/O relationship

$$y[n] = \sum_{k=0}^4 b_k x[n - k]$$

that annihilates every discrete-time phase-shifted cosine with normalized frequency  $\pi/3$  or  $\pi/7$ . When I say “find the system,” I mean find the  $b_k$ ,  $0 \leq k \leq 4$ . When I say “annihilates,” I mean “gives zero output in response to.”