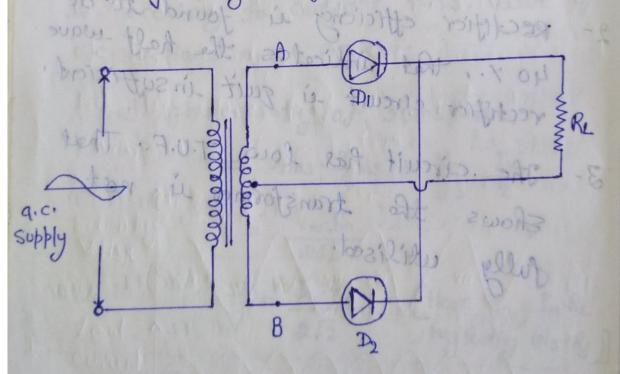
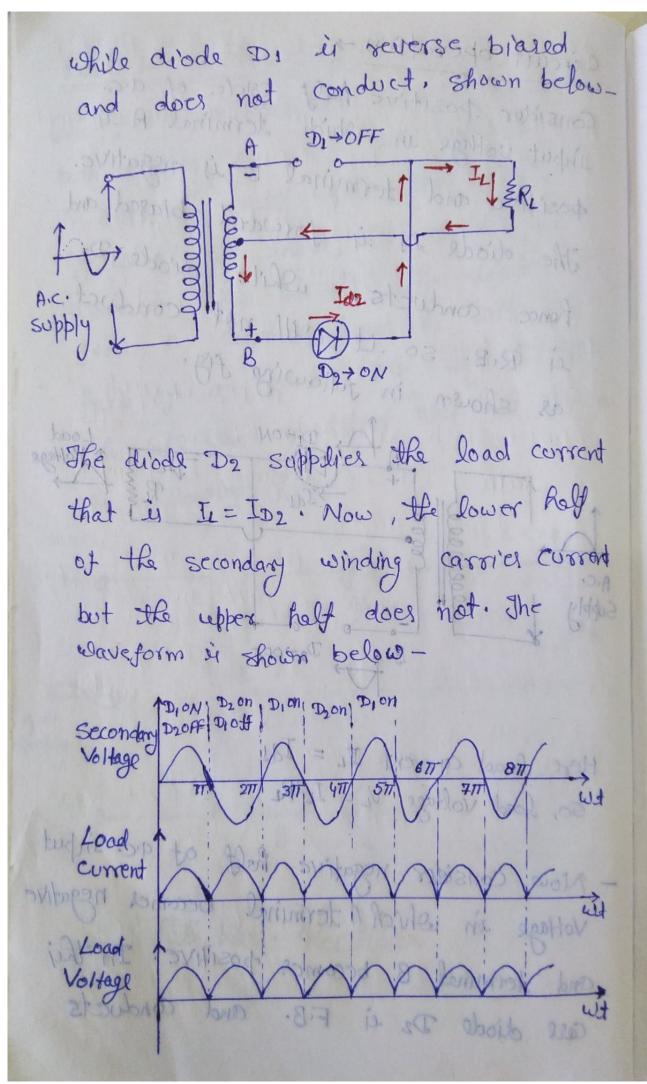
Full Wave Rectifier 1->

The following fig.



Full Wave Rectifier

circuit operation > Consider positive half cycle of a.c. input voltage in which terminal A is positive and terminal B is negative. The diode Ds is forward biased and hence conducts, while diode P2 ei R.B. so it will not conduct, as shown in tollowing fig. norros bood ala A 2000 W. Law Dich Ben Here local corrent IL = Ids So, load voltage VL = IL-RL - Now, consider negative half of acc input Voltage en which A terminal becomes negative and terminal B becomes positive. In the Call diode Dz ei FiB. and conducts



Ide =
$$\frac{2\pi}{2\pi} \int_{0}^{2\pi} L_{L} d(\omega t) = \frac{2}{2\pi} \int_{0}^{2\pi} I_{m} \sin \omega t d(\omega t)^{n}$$

= $\frac{I_{m}}{IT} \left[-1 - 1 \right] = \frac{2I_{m}}{TT}$

: $\int_{0}^{2\pi} L_{L} = \frac{2I_{m}}{TT}$

The discontruction of $\int_{0}^{2\pi} R_{L} = \frac{2I_{m}}{TT}$

The discontruction of $\int_{0}^{2\pi} L_{m} = \frac{2I_{m}}{TT}$

The discontruction of $\int_{0}^{2\pi} L_{m$

depower output -> Paic = Jac RL = (25m) - RL = 4 Jm RL ac power Input (Pac) -Pac = Irms (RstR+Re) = (Im)2 (Rs+R+Re) = Im (Ps+Ry+Re) Rectifier Efficiency > h = Pac $h = \frac{\frac{4}{112} \int_{m}^{2} RL}{\frac{1}{2} \left(R_{s} + R_{f} + R_{l}\right)} = \frac{8}{11^{2}} \frac{RL}{\left(R_{L} + R_{f} + R_{l}\right)}$ $\Rightarrow \eta = \frac{\partial}{\pi^2} \cdot \frac{1}{1 + (R_1 + R_2)} = \frac{0.812}{1 + R_1 + R_2}$ If (Rs +Ry) << Re +ten max. Heavetical efficiency is n= 0.812 = /%, h= 81.2 % Ripple factor > Form factor, $f = \frac{I_{\text{rms}}}{I_{\text{dc}}} = \frac{I_{\text{m}}/f_{2}}{2I_{\text{m}}/IT} = \frac{tT}{2f_{2}} = 1.11$: Ripple factor 1= [t2-1] : Y= [(1.11)2-1) (1.11)2-1 18 = 0.18

