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EXP NO. :5

AIM: To implement Insertion , Deletion and Inorder , Preorder , Postorder Traversal in a Binary Search Tree

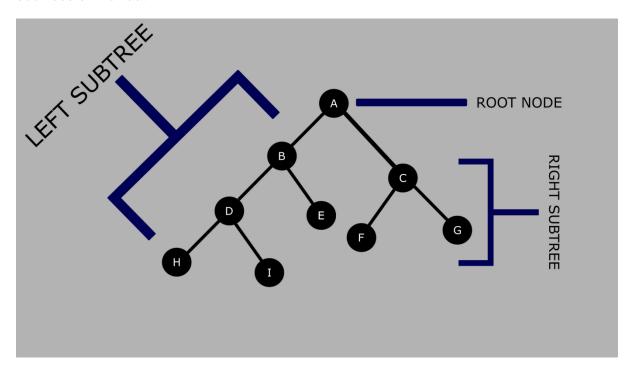
THEORY:

What is a tree?

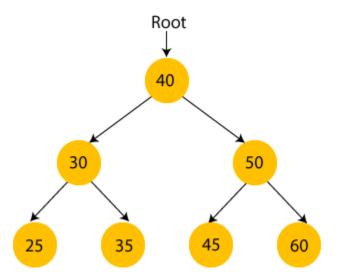
A tree is a kind of data structure that is used to represent the data in hierarchical form. It can be defined as a collection of objects or entities called as nodes that are linked together to simulate a hierarchy. Tree is a non-linear data structure as the data in a tree is not stored linearly or sequentially.

What is a Binary Search tree?

A binary search tree follows some order to arrange the elements. In a Binary search tree, the value of left node must be smaller than the parent node, and the value of right node must be greater than the parent node. This rule is applied recursively to the left and right subtrees of the root.



Let's understand the concept of Binary search tree with an example.



In the above figure, we can observe that the root node is 40, and all the nodes of the left subtree are smaller than the root node, and all the nodes of the right subtree are greater than the root node.

Similarly, we can see the left child of root node is greater than its left child and smaller than its right child. So, it also satisfies the property of binary search tree. Therefore, we can say that the tree in the above image is a binary search tree.

Advantages of Binary search tree

Searching an element in the Binary search tree is easy as we always have a hint that which subtree has the desired element.

As compared to array and linked lists, insertion and deletion operations are faster in BST.

Creation of a binary search tree

Now, let's see the creation of binary search tree using an example.

Suppose the data elements are - 45, 15, 79, 90, 10, 55, 12, 20, 50

First, we have to insert 45 into the tree as the root of the tree.

Then, read the next element; if it is smaller than the root node, insert it as the root of the left subtree, and move to the next element.

Otherwise, if the element is larger than the root node, then insert it as the root of the right subtree.

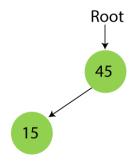
Now, let's see the process of creating the Binary search tree using the given data element. The process of creating the BST is shown below -

Step 1 - Insert 45.



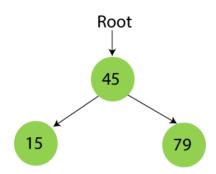
Step 2 - Insert 15.

As 15 is smaller than 45, so insert it as the root node of the left subtree.



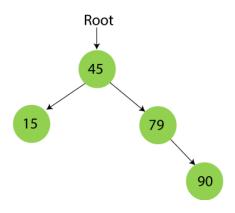
Step 3 - Insert 79.

As 79 is greater than 45, so insert it as the root node of the right subtree.



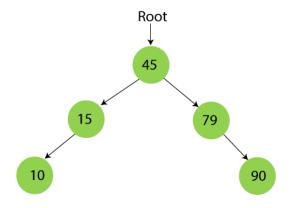
Step 4 - Insert 90.

90 is greater than 45 and 79, so it will be inserted as the right subtree of 79.



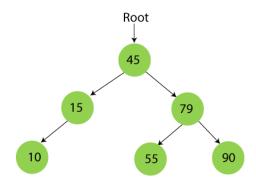
Step 5 - Insert 10.

10 is smaller than 45 and 15, so it will be inserted as a left subtree of 15.



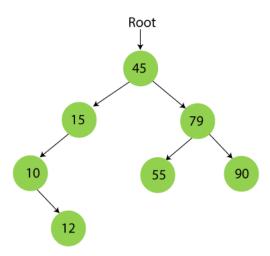
Step 6 - Insert 55.

55 is larger than 45 and smaller than 79, so it will be inserted as the left subtree of 79.



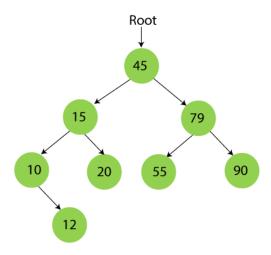
Step 7 - Insert 12.

12 is smaller than 45 and 15 but greater than 10, so it will be inserted as the right subtree of 10.



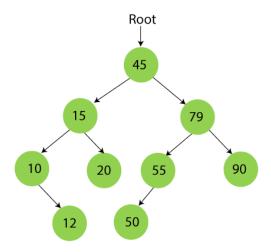
Step 8 - Insert 20.

20 is smaller than 45 but greater than 15, so it will be inserted as the right subtree of 15.



Step 9 - Insert 50.

50 is greater than 45 but smaller than 79 and 55. So, it will be inserted as a left subtree of 55.



Searching in Binary search tree

Searching means to find or locate a specific element or node in a data structure. In Binary search tree, searching a node is easy because elements in BST are stored in a specific order. The steps of searching a node in Binary Search tree are listed as follows -

First, compare the element to be searched with the root element of the tree.

If root is matched with the target element, then return the node's location.

If it is not matched, then check whether the item is less than the root element, if it is smaller than the root element, then move to the left subtree.

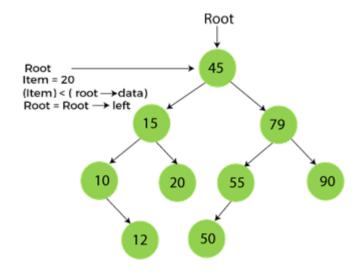
If it is larger than the root element, then move to the right subtree.

Repeat the above procedure recursively until the match is found.

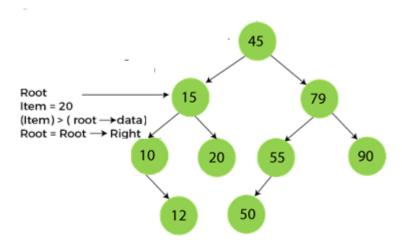
If the element is not found or not present in the tree, then return NULL.

Now, let's understand the searching in binary tree using an example. We are taking the binary search tree formed above. Suppose we have to find node 20 from the below tree.

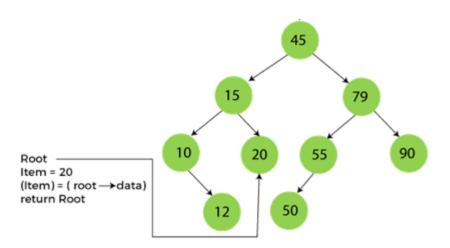
Step1:



Step2:



Step3:



Deletion in Binary Search tree

In a binary search tree, we must delete a node from the tree by keeping in mind that the property of BST is not violated. To delete a node from BST, there are three possible situations occur -

The node to be deleted is the leaf node, or,

The node to be deleted has only one child, and,

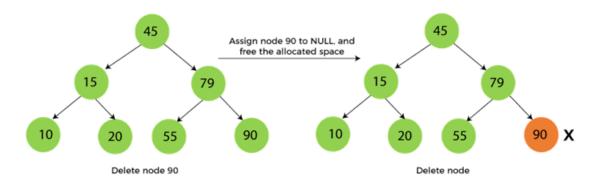
The node to be deleted has two children

We will understand the situations listed above in detail.

When the node to be deleted is the leaf node

It is the simplest case to delete a node in BST. Here, we have to replace the leaf node with NULL and simply free the allocated space.

We can see the process to delete a leaf node from BST in the below image. In below image, suppose we have to delete node 90, as the node to be deleted is a leaf node, so it will be replaced with NULL, and the allocated space will free.

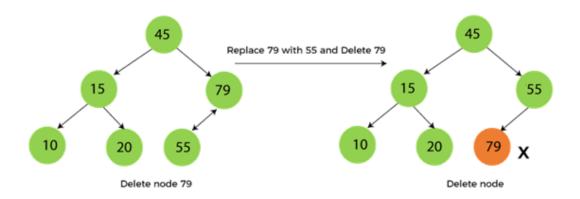


When the node to be deleted has only one child

In this case, we have to replace the target node with its child, and then delete the child node. It means that after replacing the target node with its child node, the child node will now contain the value to be deleted. So, we simply have to replace the child node with NULL and free up the allocated space.

We can see the process of deleting a node with one child from BST in the below image. In the below image, suppose we have to delete the node 79, as the node to be deleted has only one child, so it will be replaced with its child 55.

So, the replaced node 79 will now be a leaf node that can be easily deleted.



When the node to be deleted has two children

This case of deleting a node in BST is a bit complex among other two cases. In such a case, the steps to be followed are listed as follows -

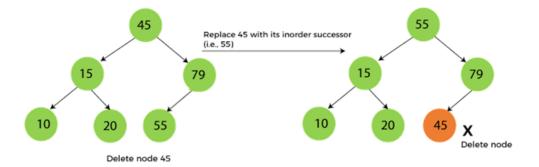
First, find the inorder successor of the node to be deleted.

After that, replace that node with the inorder successor until the target node is placed at the leaf of tree.

And at last, replace the node with NULL and free up the allocated space.

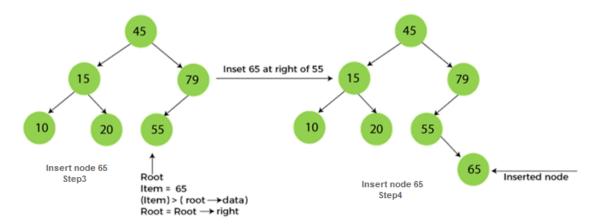
The inorder successor is required when the right child of the node is not empty. We can obtain the inorder successor by finding the minimum element in the right child of the node.

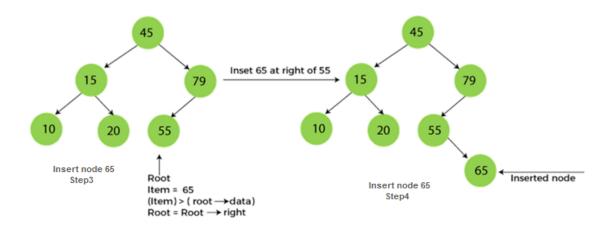
We can see the process of deleting a node with two children from BST in the below image. In the below image, suppose we have to delete node 45 that is the root node, as the node to be deleted has two children, so it will be replaced with its inorder successor. Now, node 45 will be at the leaf of the tree so that it can be deleted easily.



Insertion in Binary Search tree

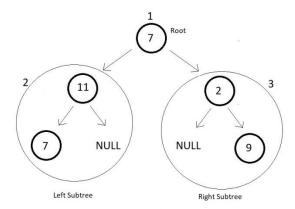
A new key in BST is always inserted at the leaf. To insert an element in BST, we have to start searching from the root node; if the node to be inserted is less than the root node, then search for an empty location in the left subtree. Else, search for the empty location in the right subtree and insert the data. Insert in BST is similar to searching, as we always have to maintain the rule that the left subtree is smaller than the root, and right subtree is larger than the root.





PreOrder Traversal in a Binary Tree:

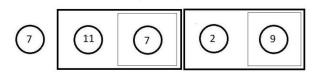
So in this traversal technique, the first node you start with is the root node. And thereafter you visit the left subtree and then the right subtree. Taking the above example, I'll mark your order of traversal as below. You first visit section 1, then 2, and then 3.



Now, this was to give you a general idea of the traverse in a binary tree using PreOrder Traversal. Each time you get a tree, you first visit its root node, and then move to its left subtree, and then to the right.

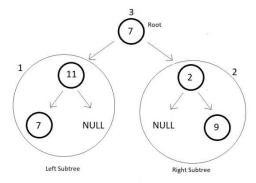
So, here you first visit the root node element 7 and then move to the left subtree. The left subtree in itself is a tree with root node 11. So, you visit that and move further to the left subtree of this subtree. There you see a single element 7, you visit that, and then move to the right subtree which is a NULL. So, you're finished with the left subtree of the main tree. Now, you move to the right subtree which has element 2 as its node. And then a NULL to its left and element 9 to its right.

So basically, you recursively visit each subtree in the same order. And your final traversal order is:



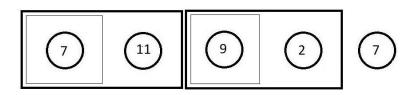
PostOrder Traversal in a Binary Tree:

In this traversal technique, things are quite opposite to the PreOrder traversal. Here, you first visit the left subtree, and then the right subtree. So, the last node you'll visit is the root node. Taking the same above example, I'll mark your order of traversal as below. You first visit section 1, then 2, and then 3.



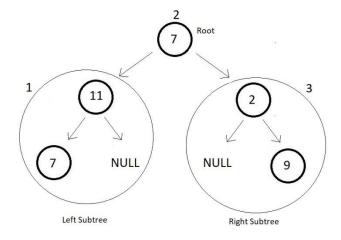
This was again a general idea of you traverse in a binary tree using PostOrder Traversal. Each time you get a tree, you first visit its left subtree, and then its right subtree, and then move to its root node.

I expect you to write the flow of the traversal in PostOrder yourself, and let me know if you could. We would anyway see them in detail.



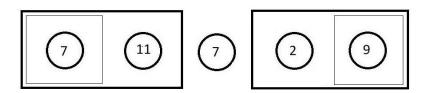
InOrder Traversal in a Binary Tree:

In this traversal technique, we simply start with the left subtree, that is you first visit the left subtree, and then go to the root node and then you'll visit the right subtree. Taking the same above example, I'll mark your order of traversal as below. You first visit section 1, then 2, and then 3.



This was a general idea of you traverse in a binary tree using InOrder Traversal. Each time you get a tree, you first visit its left subtree, and then its root node, and then finally its right subtree.

I expect you to write the flow of the traversal in InOrder yourself, and let me know if you could.



ALGORITHM:

1)Struct node

Data members

Int data

Pointer to right node

Pointer to left node

2) Function void Preorder(struct node*root)

If root is not equal to null

Print root->data

Call Preorder recursively to left of the root

Call Preorder recursively to right of the root

3) Function void Postorder(struct node*root)

If root is not equal to null

Call Postorder recursively to left of the root

Call Postorder recursively to right of the root

Print root->data

4) Function void Inorder(struct node*root)

If root is not equal to null

Call Postorder recursively to left of the root

Print root->data

Call Postorder recursively to right of the root

5) Function struct node*Creation(int val)

Allocate memory for node ptr

Set ptr->data =data

Set ptr->left =NULL

Set ptr->right=NULL

Return ptr

6) Function void Insertion(int value, struct node*root)

Set a temporary pointer prev to NULL

Run a while loop until root is not equal to NULL

Store root in prev

If value is equal to root->data

Print value you entered is already present

Return

Else if value is less than root->data

Go to left of root

Else

Go to right of root

Create a node new_node with the help of Creation function

If value is less than prev->data

Store new_node in prev->left

Else

Store new_node in prev->right

7)Function int InorderSuccessor(struct node*root)

```
Set a temporary node temp to root
```

Run a while loop until temp and temp->left is not equal to NULL

Make temp equal to temp->left

Return temp->data

8) Function int Search(struct node*root,int value)

Run a while loop until root is not equal to NULL

If value is equal to root value

Return 1

Else if value is less than root value

Go to left of root

Else

Go to right of root

Return 0

9) Function struct node*Deletion(struct node*root,int data)

If data is less than root value

Call the function Deletion to root->left

Else if data is greater than root value

Call the function Deletion to root->right

Else

If root->left==NULL

Store root->right in node ptr

Free root

Return ptr

Else if root->right ==NULL

Store root->left in node ptr

Free root

Return ptr

```
Else
                      Call the function InorderSuccessor(root->right) and store the value in
temp
                      Set root->data=temp
                      Call the function Deletion(root->right,temp) recursively and store
value in root->right
       Return root
10) Main Function
       Data members
       Int ch,flag=0
       Set struct node*root to NULL
       Do while(flag!=1)
              Display the menu
              Take input of ch
              Switch(ch)
                      Case 1:
                             Take input of value you want to insert
                             If root equal to NULL
                                     Call function Creation and store result in root
                             Else
                                     Call function Insertion(value,root)
                             Call function Inorder(root)
                             Break
                      Case 2:
                              Take input the value you want to delete
                             If Search function returns 1
                                     Print Element found
                                     Call function Deletion(root, value) and store result in
                             root
```

Else Print element not found Call function Inorder(root) Break Case 3: Call function Inorder(root) Break Case 4: Call function Preorder(root) Break Case 5: Call function Postorder(root) Break Case 6: Set Flag to 1

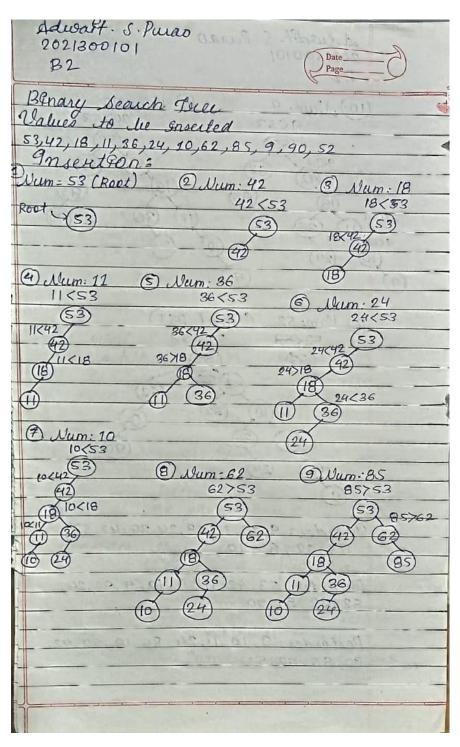
Break

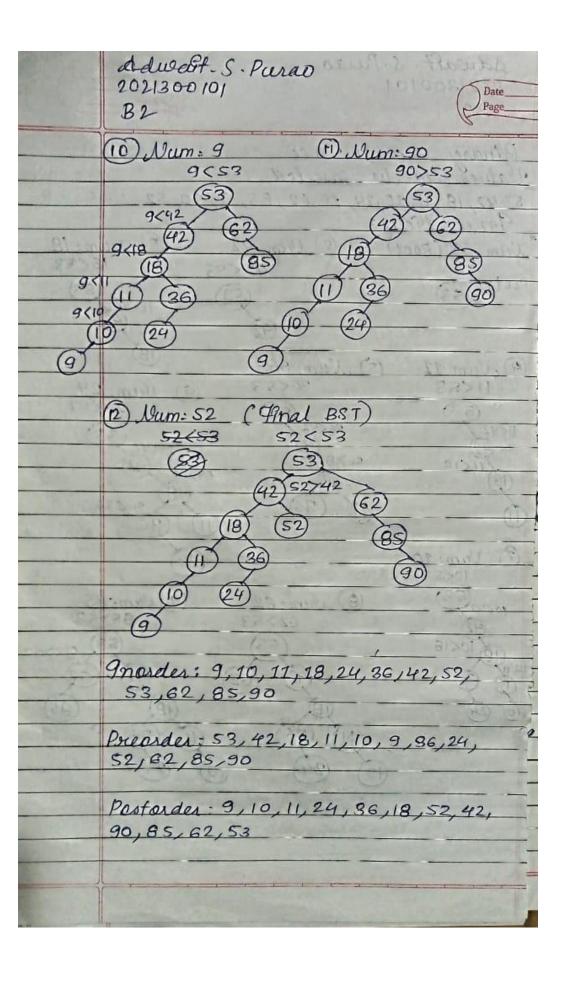
Break

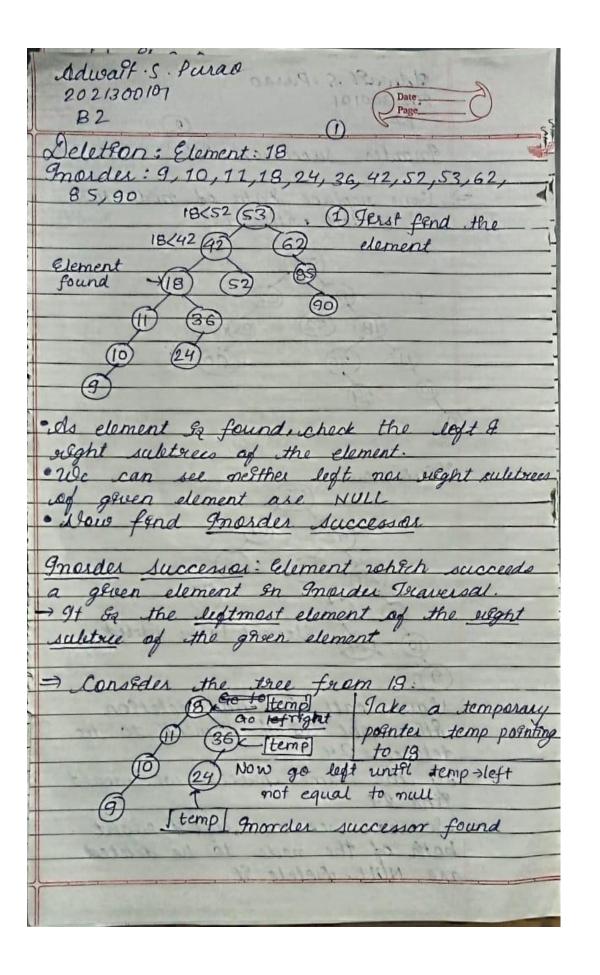
Print Invalid input

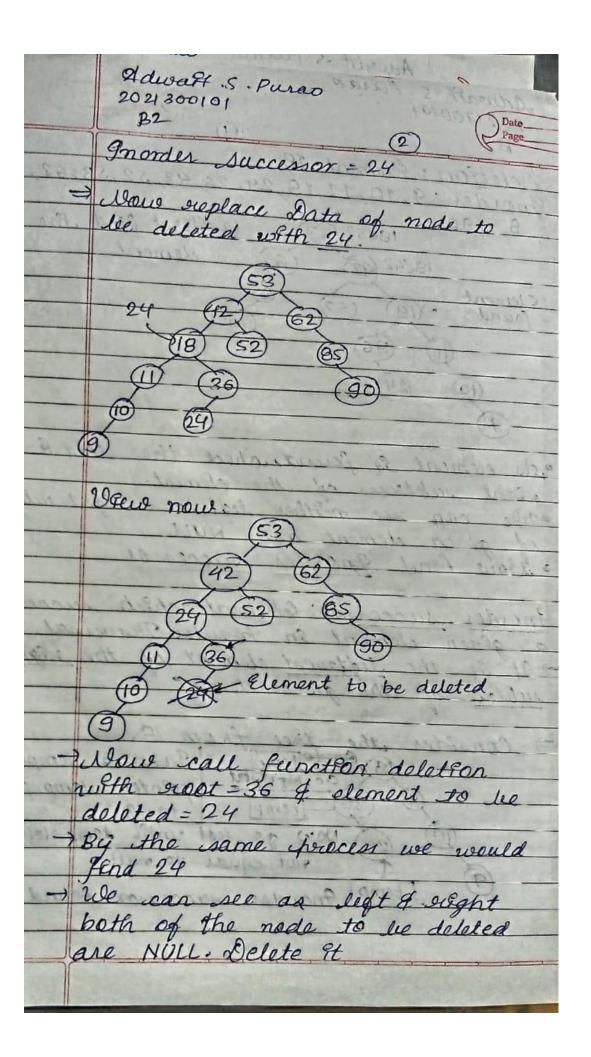
Default:

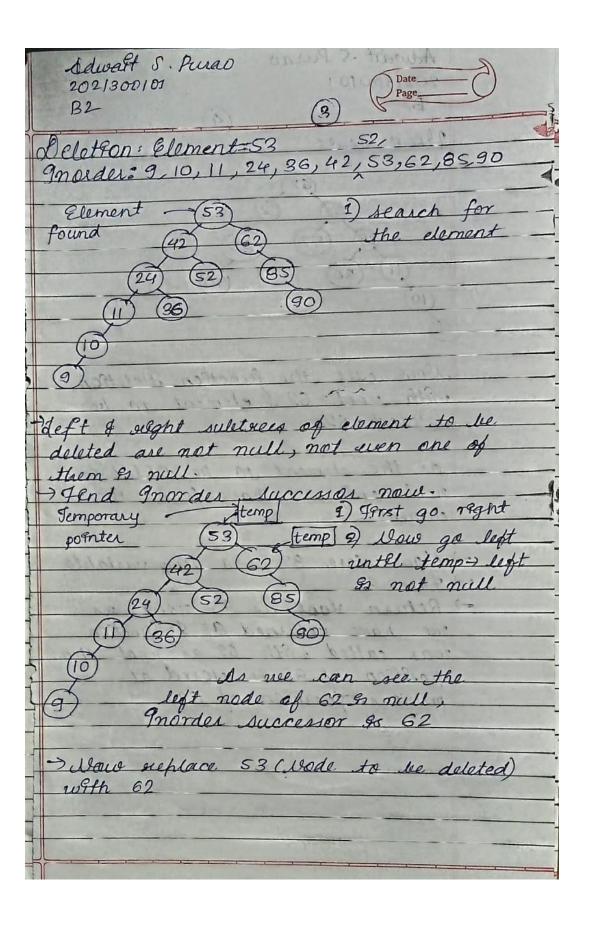
PROBLEM SOLVING ON CONCEPT:

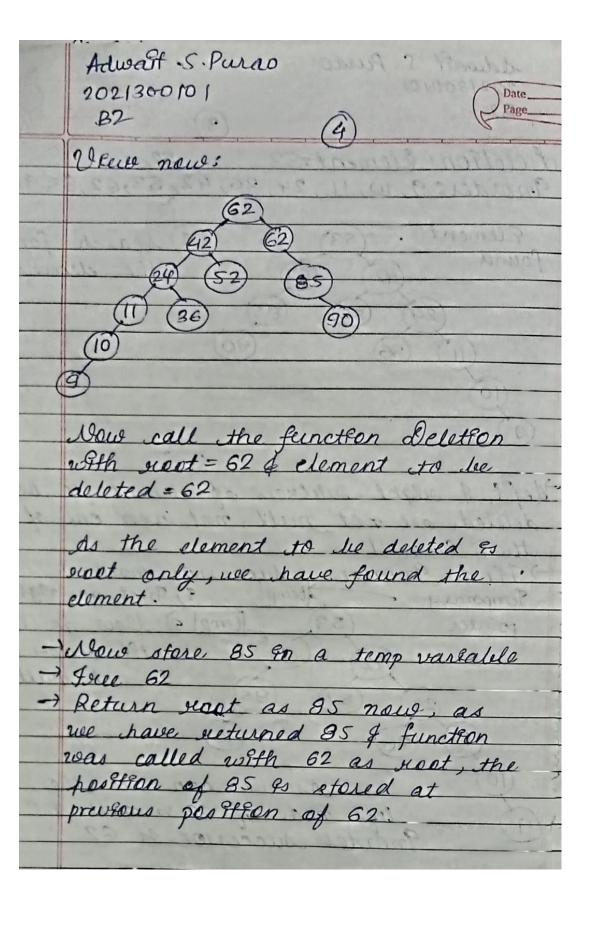


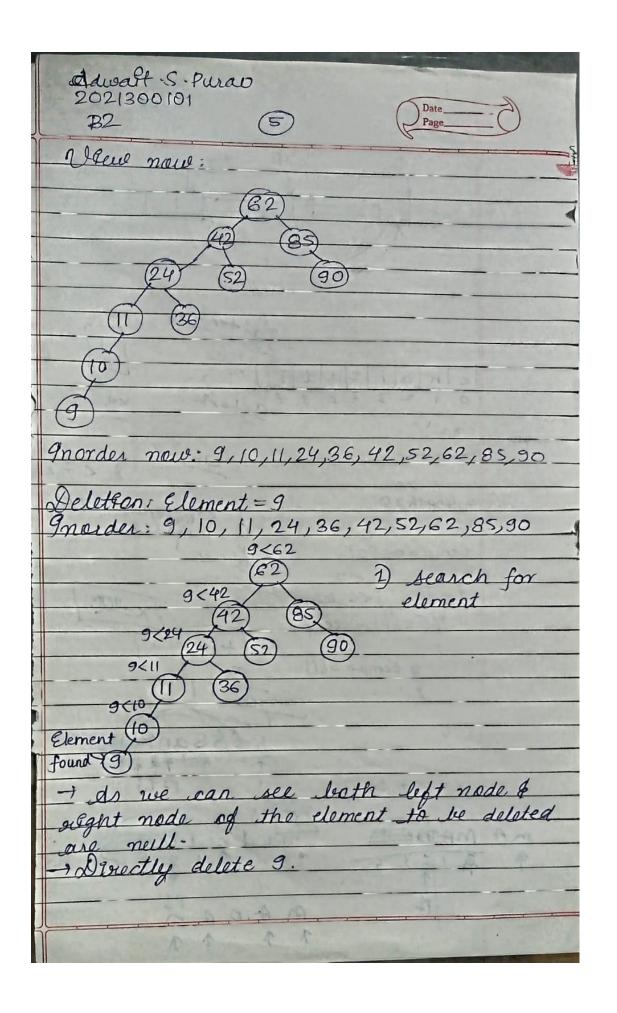


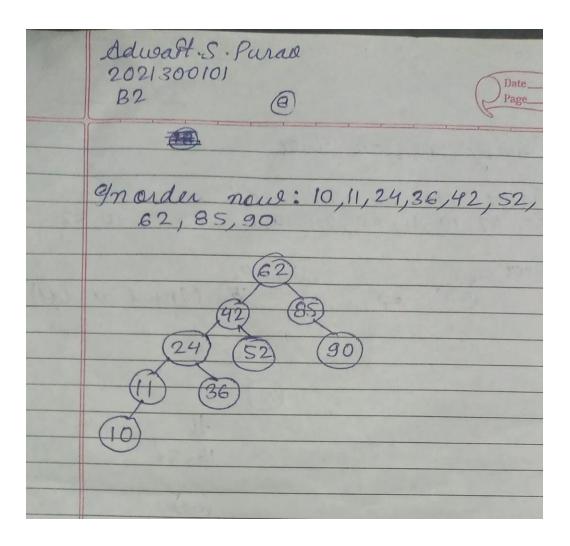












CODE:

```
#include<stdio.h>
#include<stdlib.h>

struct node{
    struct node*left;
    int data;
    struct node*right;
};

//Postorder is VLR
void Preorder(struct node*root){
//Call the function recursively until we have reached the end
    if(root!=NULL){
    printf("%d ",root->data);//Print data
        Preorder(root->left);//Recur the function to the left of the current node
        Preorder(root->right);//Recur the function to the right of the current
node
    }
```

```
//Postorder is LRV
void Postorder(struct node*root){
//Call the function recursively until we have reached the end
    if(root!=NULL){
        Postorder(root->left);//Recur the function to the left of the current
node
        Postorder(root->right);//Recur the function to the right of the
current node
        printf("%d ",root->data);//Print data
    }
//Inorder is LVR
void Inorder(struct node*root){
    //Call the function recursively until we have reached the end
    if(root!=NULL){
    Inorder(root->left);//Recur the function to the left of the current node
    printf("%d ",root->data);//Print data
    Inorder(root->right);//Recur the function to the right of the current node
    }
struct node*Creation(int val){
    struct node*ptr=(struct node*)malloc(sizeof(struct node));
    ptr->data=val;
    ptr->left=NULL;
    ptr->right=NULL;
    return ptr;
void Insertion(int value, struct node*root){
    //For storing the leaf node
    struct node*prev=NULL;
    //While loop is for searching for the node hence it goes while it's not
equal to null
   while(root!=NULL){
        prev=root;
        //If value is already present get out of function
        if(value ==root->data){
            printf("The value you entered is already present in the tree.So
can't insert!\n");
            return ;
        //If value is less than root value go to the left
        else if(value<root->data){
            root=root->left;
```

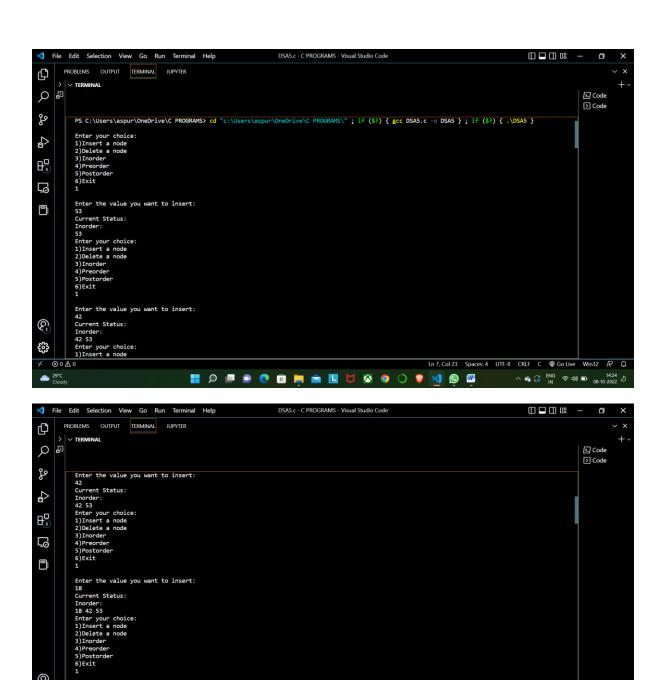
```
//If value is greater than root value go to the right
            root=root->right;
        }
    //After appropriate leaf node has been found create a new node
    struct node*new_node =Creation(value);
    //If value is less than value of leaf node insert to the left
    if(value<prev->data){
        prev->left=new node;
    }
    //If value is greater than value of leaf node insert to the right
    else{
        prev->right=new_node;
    }
//Inorder successor is the element which succeeds the current element in
Inorder Traversal
//Pass in the node to the right of the current node
int InorderSuccessor(struct node*root){
    struct node*temp=root;
    //Inorder successor is the leftmost node of the right subtree of the
current node
   while(temp && temp->left!=NULL){
        temp=temp->left;
    return temp->data;
int Search(struct node*root,int value){
   while(root!=NULL){
        // If value is found stop
        if(value==root->data){
            return 1;
        //If value is less than root value go to the left
        else if(value<root->data){
            root=root->left;
        //If value is greater than root value go to the right
        else{
            root=root->right;
```

```
return 0;
struct node*Deletion(struct node*root,int data){
    //If data is less than data of root node go to the left subtree
    if(data < root->data){
        root->left=Deletion(root->left,data);
    }
    //If data is greater than data of root node go to the right subtree
    else if(data > root->data){
        root->right=Deletion(root->right,data);
    }
    //Steps after reaching the node to be deleted
    else{
        //If the left subtree of the node to be deleted is NULL
        //free the node and replace it by the node at the right of it
        if(root->left == NULL){
            struct node*ptr=root->right;
            free(root);
            return ptr;
        }
        //If the right subtree of the node to be deleted is NULL
        //free the node and replace it by the node at the left of it
        else if(root->right == NULL){
            struct node*ptr=root->left;
            free(root);
            return ptr;
        }
        //If the node to the right and left are not null
        else{
            int temp=InorderSuccessor(root->right);//Store the value of the
Inorder successor in a temporary variable
            root->data=temp;//Store the value of Inorder successor in root
            root->right=Deletion(root->right,temp);//Delete the Inorder
successor of root
    return root;
int main(){
```

```
int ch;
    int flag=0;
    struct node*root=NULL;
    do{
        printf("\nEnter your choice:\n");
        printf("1)Insert a node\n2)Delete a
node\n3)Inorder\n4)Preorder\n5)Postorder\n6)Exit\n");
        scanf("%d",&ch);
        switch(ch){
            case 1:
                {
                    int value;
                    printf("\nEnter the value you want to insert:\n");
                    scanf("%d",&value);
                    if(root==NULL){
                        root=Creation(value);
                    else{
                        Insertion(value, root);
                    printf("Current Status:\n");
                    printf("Inorder:\n");
                    Inorder(root);
                    break;
            case 2:
                    int value;
                    printf("Enter the value you want to Delete:\n");
                    scanf("%d",&value);
                    if(Search(root, value) == 1){
                        printf("Element found!Now deleting %d\n",value);
                        root=Deletion(root, value);
                    else{
                        printf("Element not found!\n");
                    printf("Current Status:\n");
                    printf("Inorder:\n");
                    Inorder(root);
                    printf("\n");
                    break;
            case 3:
                    printf("\nInorder:\n");
                    Inorder(root);
```

```
break;
        case 4:
            {
                printf("\nPreorder:\n");
                Preorder(root);
                break;
        case 5:
            {
                printf("\nPostorder:\n");
                Postorder(root);
                break;
        case 6:
            {
                printf("\nProgram finished!\n");
                flag=1;
                break;
            default:
            {
                printf("Invalid input\n");
                break;
}while(flag!=1);
return 0;
```

OUTPUT SCREENSHOT:



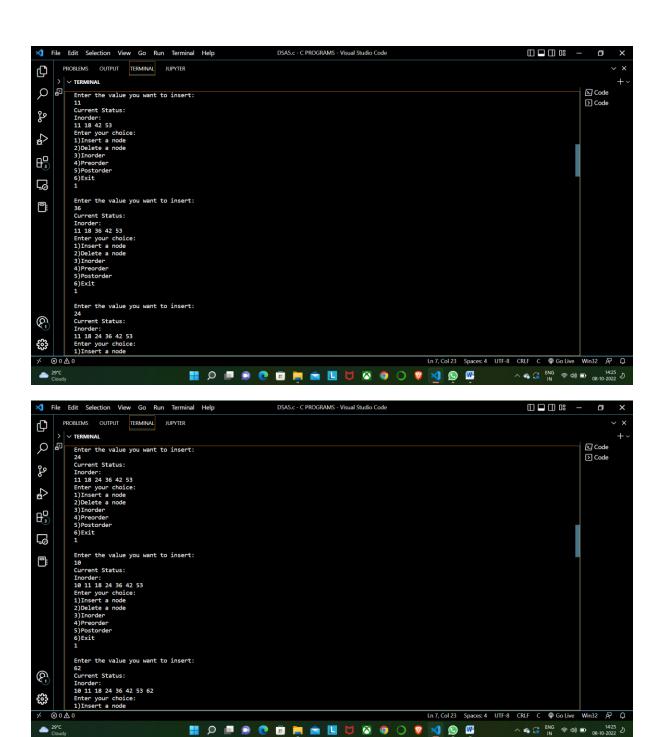
Ln 7, Col 23 Spaces: 4 UTF-8 CRLF C @ Go Live Win32 & Q

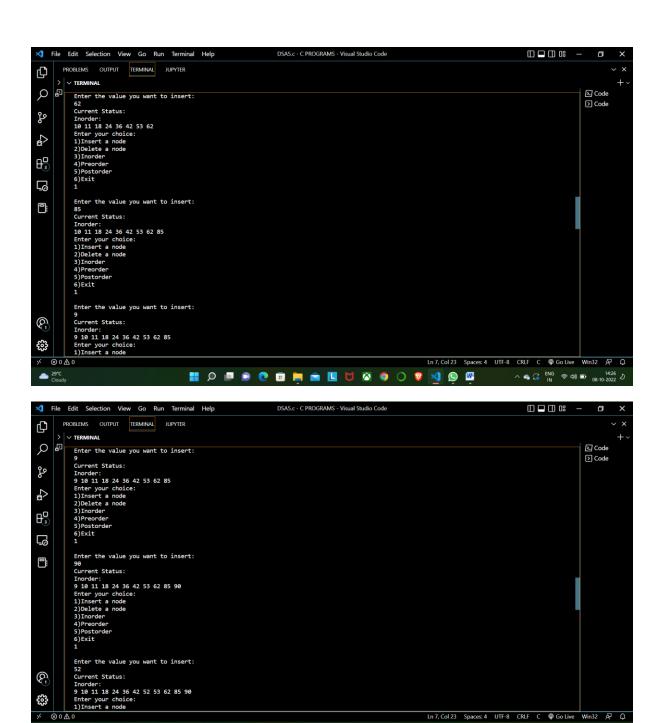
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⊗0∆0 29°C Cloud

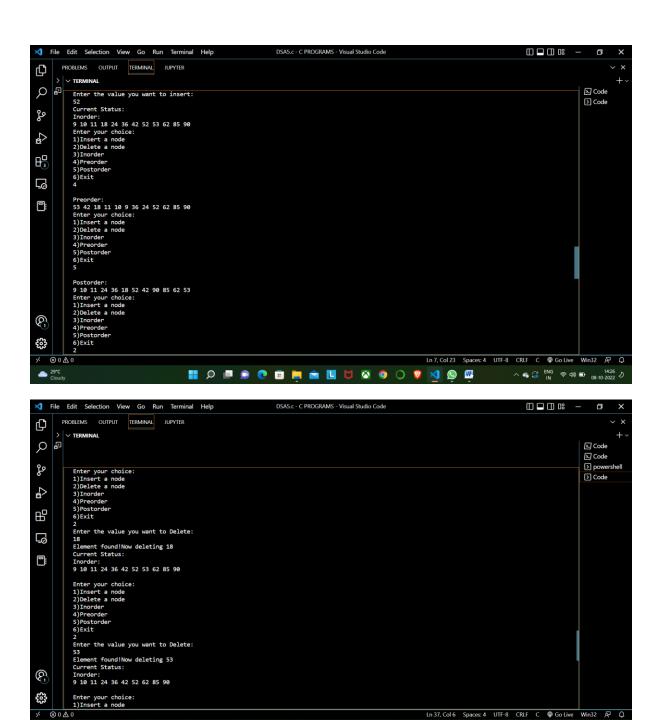
Enter the value you want to insert: 11 Current Status: Inorder:



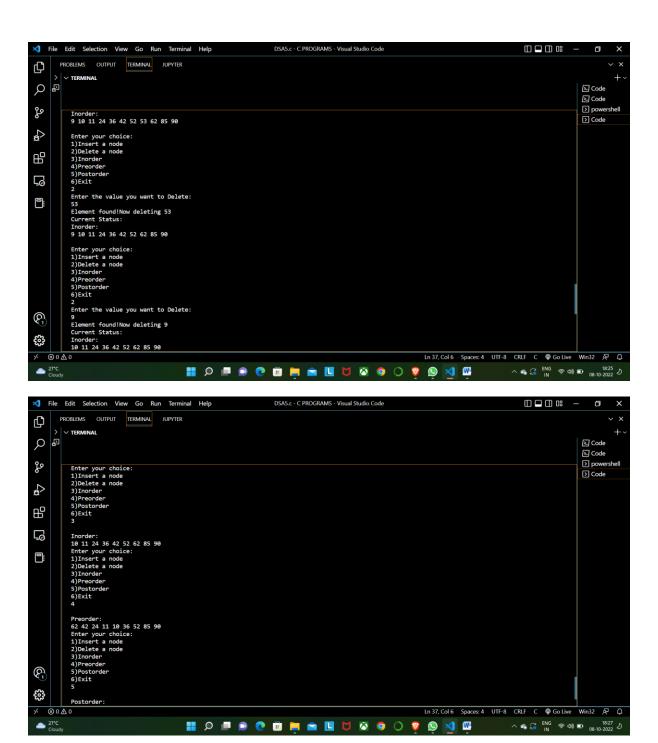


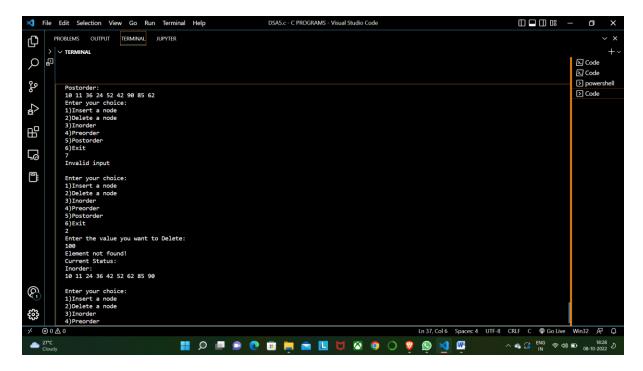
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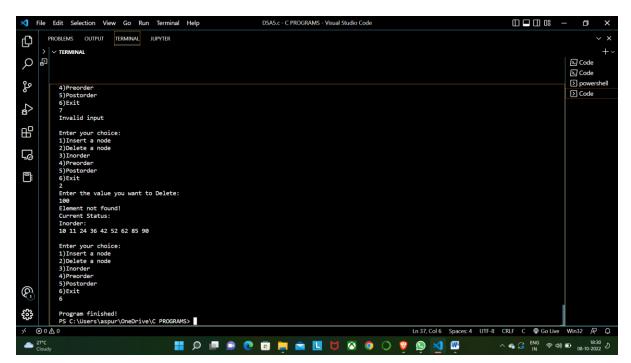


27°C Cloudy





Test case: If element not present is tried to be deleted.



CONCLUSION:

In the above experiment we learnt about the concept of binary search trees. We understood the internal structure of a node, which contains a data part another node to the right and a node to the left. We understood that a binary tree has at most two children nodes. We understood various terminologies related to trees like root node, leaf node, left subtree and right subtree. We also understood that leaf node has no children. We implemented the Insertion, Deletion and

Inorder, Preorder, Postorder traversals also we implemented the functions Search, InorderSuccessor of the tree with the help of a menu driven program.