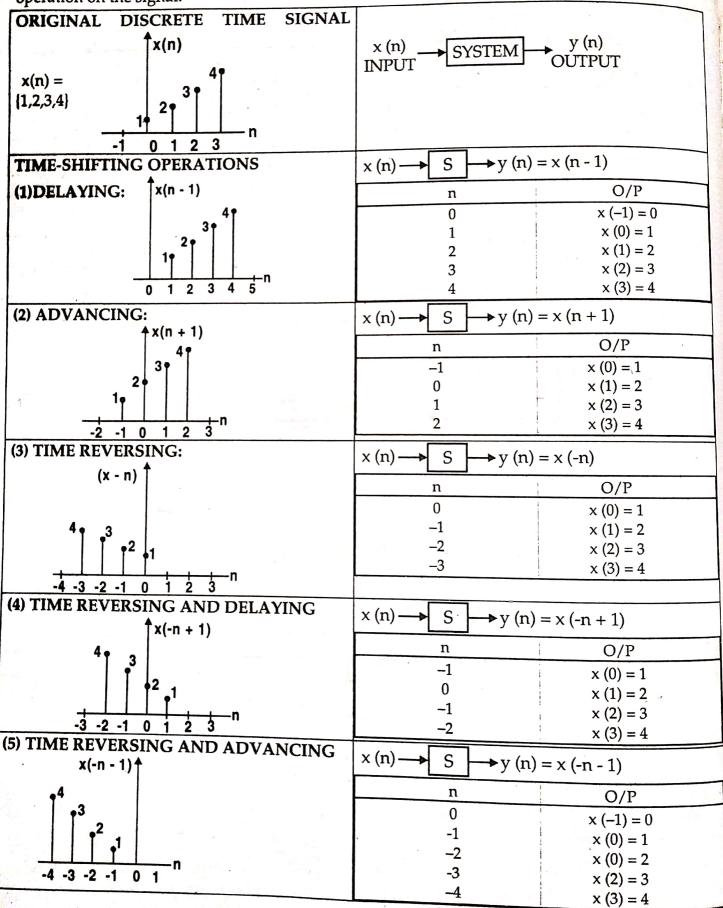
OPERATIONS ON DISCRETE-TIME SIGNALS

Think that the signal is being passed through a system and the system performs the specific operation on the signal.



Control of the contro		
TIME SCALING OPERATIONS	x(n) - S	\rightarrow y(n) = x (2n)
(1) DOWN SCALING (COMPRESSION)	n	O/P
(Down Sampling)	0	x(0) = 1
93 Decimation ¹	1	x(2) = 3
	2	x(4) = 0
n	1	The state of the s
0 1 2 "		
(2) UP SCALING (EXPANSION)	x(n) → S	$\rightarrow y(n) = x\left(\frac{n}{2}\right)$
(Up Sampling)		(2) O/P
(Interpolation)	. n	x(0) = 1
W(=\0)	1	$\begin{array}{c} x(0) = 1 \\ \times (1/2) \end{array}$
x(n/2) •4	2	$\begin{array}{c} x(1/2) \\ x(1) = 2 \end{array}$
2 •3	3	x (3/2)
1	4	x(2) = 3
	5	x (5/2)
0 1 2 3 4 5 6	6	x(3) = 4
AMPLITUDE SCALING OPERATIONS (1) UPSCALING (AMPLIFYING)	x(n)	\rightarrow y(n) = 2x (n)
† 2x(n)	n	O/P
8.	0	2x(0) = 2
6.	1	2x(0) = 2 2x(1) = 4
4.	2	2x(2) = 6
2	3	2x(3) = 8
		27 (0) = 0
0 1 2 3 4 (2) DOWN SCALING (ATTENNA TO 1)		
(2) DOWN SCALING (ATTENUATION) † x(n)/2	$x(n) \longrightarrow S$	$\rightarrow y(n) = \frac{x(n)}{2}$
2.	n	O/P
1.5	0	
1 1	1	$\times (0)/2 = 0.5$
0.5	2	x(1)/2 = 1
0 1 2 3	3	x(2)/2 = 1.5
		x(3)/2 = 2
★		
•	x(n) → S -	y(n) = x(n) + z(n)
8•	1	1.7
6.	$\int z(n)$	
5 1	n	O/P
	0	x(0) + z(0) = 6
0 1 2 3	1	
x(n) + z(n)	2	x(1) + z(1) = 8
A(11) + 4(11)	3	x(2) + z(2) = 10
12•		x(3) + z(3) = 12
1.0		
8.		
6		
		
0 1 2 3		

¹ The word decimation has a strange origin. During the period of the Roman empire, if a legion broke ranks and ran during battle, its members were lined up and every tenth person was killed. The process was called *Decimation*.

