

## CURS 4

## 1.4.1. Restoring Division

$$\begin{array}{r} 5741 \\ \hline 101 \end{array} \quad | \quad \begin{array}{r} 135 \\ 42 \end{array}$$

semnul reziduurii

nr. 5741

COUNT	S	A	Q	M
000	0	<u>00101101</u>	<u>00010110</u>	<u>10000111</u>
	-	<u>10000111</u>		
1	<u>1</u>	<u>10100110</u>	<u>00010110</u>	
	+	<u>10000111</u>		
0		<u>00101101</u>		
0		<u>01011010</u>	<u>00101100</u>	
				← restaurare ← shiftare la stanga
001	-	<u>10000111</u>		
1	<u>1</u>	<u>11010011</u>	<u>00101100</u>	
	+	<u>10000111</u>		
0		<u>01011010</u>		
0		<u>10110100</u>	<u>01011000</u>	
				ex: Quotient = 22 <sub>10</sub>
010	-	<u>10000111</u>		
0	<u>0</u>	<u>00101101</u>	<u>01011001</u>	
	+	<u>10000111</u>		
0		<u>01011010</u>	<u>10110010</u>	
011	-	<u>10000111</u>		
1	<u>1</u>	<u>11010011</u>	<u>10110010</u>	
	+	<u>10000111</u>		
0		<u>01011010</u>		
0		<u>10110101</u>	<u>01100100</u>	
100	-	<u>10000111</u>		
0	<u>0</u>	<u>00101110</u>	<u>01100101</u>	
	+	<u>10000111</u>		
0		<u>01011100</u>	<u>11001010</u>	
				↳ Remainder = 6 <sub>10</sub>
101	-	<u>10000111</u>		
1	<u>1</u>	<u>11010101</u>	<u>11001010</u>	
	+	<u>10000111</u>		
0		<u>01011100</u>		
0		<u>10111001</u>	<u>10010100</u>	
				Divizor → m-bit
110	-	<u>10000111</u>		
0	<u>0</u>	<u>00110010</u>	<u>10010101</u>	
	+	<u>10000111</u>		
0		<u>01100101</u>	<u>00101010</u>	
				Quotient → m-bit
111	-	<u>10000111</u>		
1	<u>1</u>	<u>11011110</u>	<u>00101010</u>	
	+	<u>10000111</u>		
0		<u>01100101</u>		
				Remainder → m-bit
				Dividend → (2m - 1) bit
				Remainder = (101) <sub>10</sub> => 13 op. aritmetice

## 1.4.2. Non-Restoring Division

$$r_{i+1}' = r_{i+1} - M$$

L'restul L'cel care trebuia  
partial sa dea

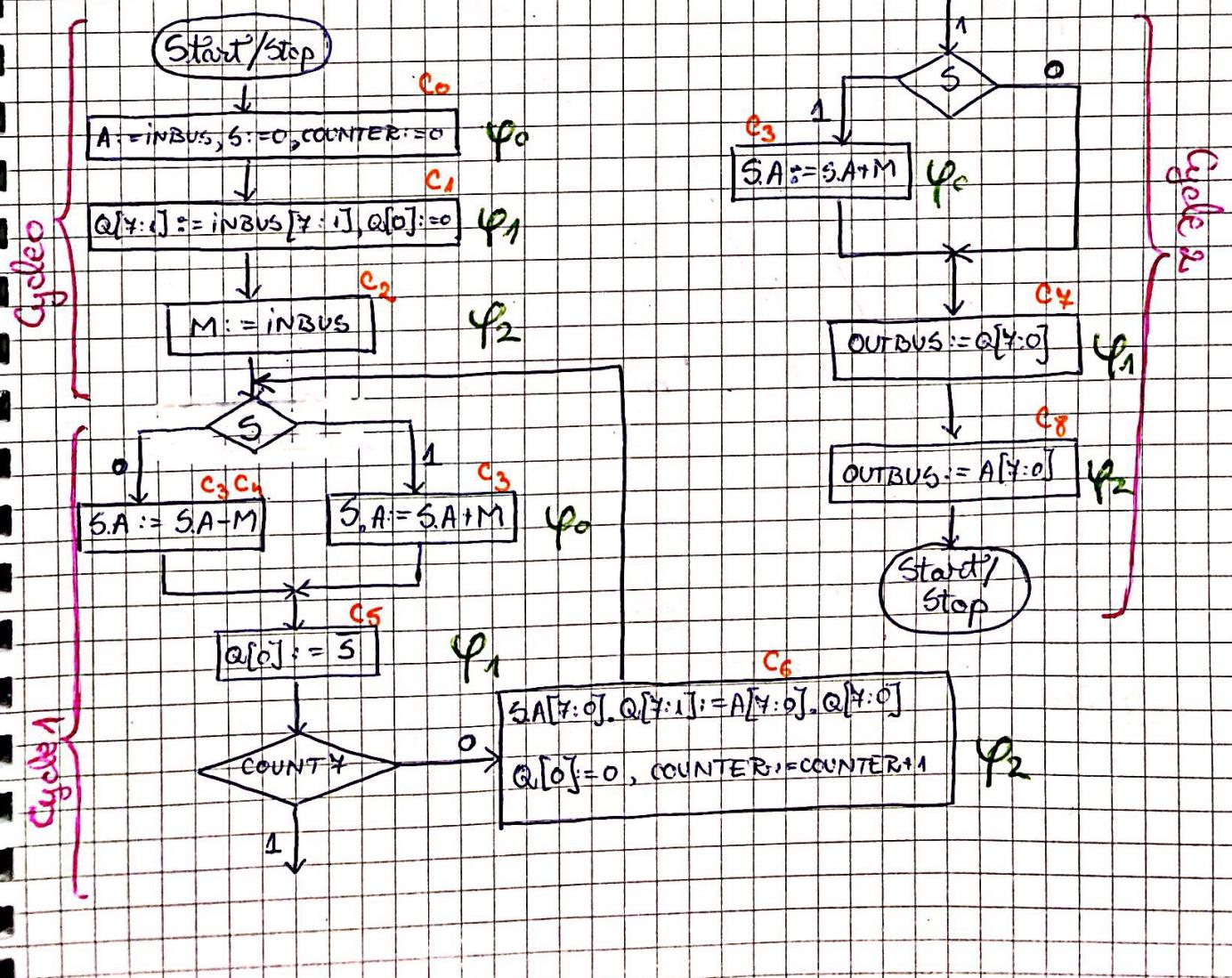
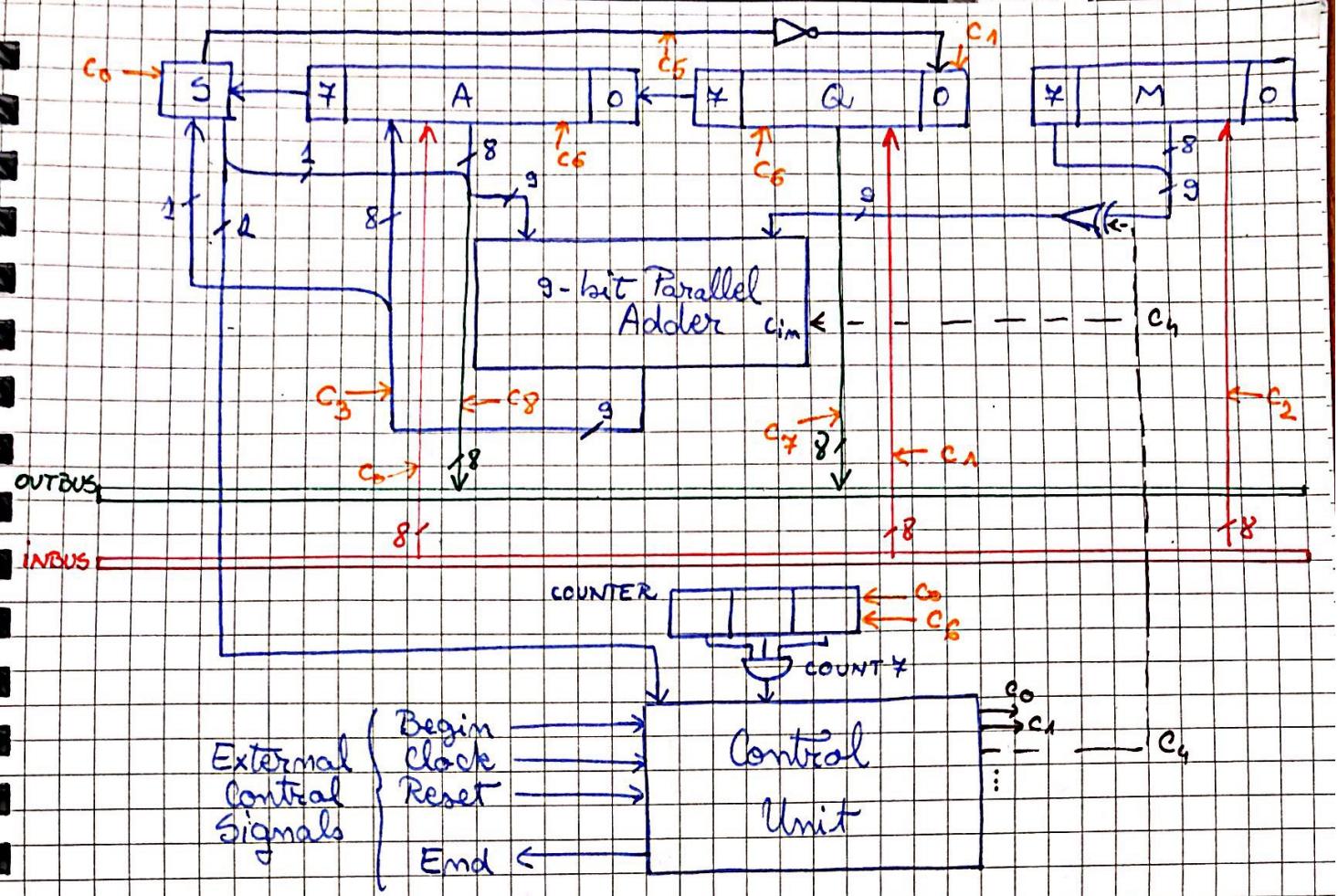
$$r_i' = 2r_{i+1}' = 2(r_{i+1} - M)$$

L'shiftare

Dacă  $q_i = 0 \Rightarrow M$  nu intră în A  $\Rightarrow r_i = 2r_{i+1} - M = r_i' + M$

$q_i = 1 \Rightarrow M$  intră în A  $\Rightarrow r_i = 2(r_{i+1} - M) - M = r_i' - M$

COUNT	S	A	Q	M
000	-	00101101	00010110	10000111
		<u>10000111</u>		
	①	10100110	00010110	
		<u>10100110</u>		
		101001100	00101100	
001	+	10000111		
	①	11010011	00101100	
		<u>110100110</u>		
010	+	10000111		
	②	00101101	01011001	
		<u>001011010</u>		
		01011010	10110010	
011	-	10000111		
	③	11010011	10110010	
		<u>110100110</u>		
		10100111	01100100	
100	+	10000111		
	④	00101110	01100101	
		<u>001011100</u>		
		01011100	11001010	
101	-	10000111		
	1	1101		
110	+	10000111		
	⑤	00110010	00101010	
		<u>001100101</u>		
		01100101	00101010	
111	-	10000111		
	⑥	11011110	00101010	
		<u>110111100</u>		
		10111100	00101010	
PC	+	10000111		
	0	<u>01100101</u>		
		01100101	Quotient = (42) <sub>10</sub>	
			Reminder = (101) <sub>10</sub>	
	↳	pas de corecție pt că ultimul S=1.		
			→ 9 op. aritmétice	



### 1.4.3. Algoritmul S.R.T.

Reprezentare pentru:

- radix 4:  $\{\bar{2}, \bar{1}, 0, 1, 2\}$
- radix 8:  $\{\bar{4}, \bar{3}, \bar{2}, \bar{1}, 0, 1, 2, 3, 4\}$
- radix 16:  $\{\bar{8}, \bar{7}, \bar{6}, \dots, 6, \bar{4}, \bar{8}\}$
- radix 2:  $\{\bar{1}, 0, 1\}$

$$10\bar{1}0\bar{1} = -1 \cdot 2^0 + 0 \cdot 2^1 - 1 \cdot 2^2 + 0 \cdot 2^3 + 1 \cdot 2^4 = 11$$

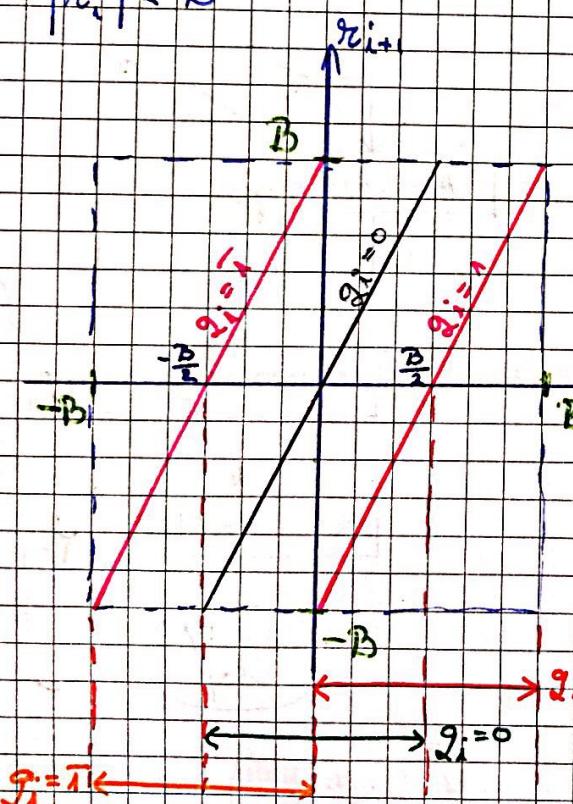
Codificare:  $1 \rightarrow ! ; 0 \rightarrow \circ ; \bar{1} \rightarrow \overset{\circ}{1} \Rightarrow$

$$\Rightarrow \begin{array}{r} 10000 \\ 00101 \\ \hline 01011 \end{array} = (11)_{10}$$

$$r_{i+1} \leftarrow 2r_i - q_i \cdot B$$

$$q_i \in \{\bar{1}, 0, 1\}$$

$$|r_i| < B$$



Aici:  $\begin{cases} A \rightarrow P \\ Q_0 \rightarrow A \\ M \rightarrow B \end{cases}$

$$r_i = 0 \Rightarrow r_{i+1} = 2B - B = B \quad q_i = 1$$

$$r_i = 2r_i - B = 0 \Rightarrow \\ \Rightarrow r_i = \frac{B}{2}$$

$$r_{i+1} = -B = 2r_i - B \Rightarrow \\ \Rightarrow r_i = 0$$

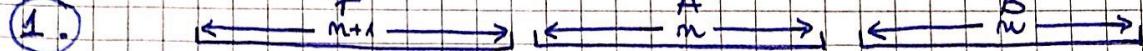
$$q_i = -1 :$$

$$M_{i+1} = B \Rightarrow M_i = 0$$

$$M_{i+1} = 0 \Rightarrow M_i = -B/2$$

$$M_{i+1} = -B \Rightarrow M_i = -B$$

Algoritmul lui SRT: (radix 2)  $2^k$  Divident  $2^k$  Divisor



If  $B$  has  $k$  leading 0's, shift P.A.B to positions left

2. For  $i=0$  to  $m-1$

If top 3 bits of register  $P$  are equal then  $g_i = 0$ ; Shift P.A left

If top 3 bits of  $P$  are not equal and  $P > 0$  then :

$g_i = 1$ ; Subtract  $B$  from  $P$ ; Shift P.A left

If top 3 bits of  $P$  are not equal and  $P < 0$  then :

$g_i = -1$ ; Add  $B$  to  $P$ ; Shift P.A left

3. If  $P < 0$  Add  $B$  to  $P$ ; Subtract 1 from A

4. Shift  $P$  right  $k$  positions