

# The LSST DESC Data Challenge 1: Simulating data for the next generation of photometric redshift surveys

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The success of future Stage IV dark energy surveys ([Albrecht et al. 2006](#)) relies in the ability to model and mitigate systematic uncertainties. Realistic simulation offer a unique opportunity to study systematic uncertainties and test the processing and analysis pipelines of ongoing and future experiments. Here we present a set of realistic simulations of  $\sim 40$  sq.-deg. that try to mimic the depth and characteristics of LSST 10-years coadd images in the  $r$ -band. We characterize our samples performing several astrometric and photometric checks to assess the quality of the measurements and to enable the usage of these simulations for future studies.

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## Introduction

The increase in statistical power from recent cosmological experiments makes the modeling, and mitigation of systematic uncertainties key to extract the maximum performance and produce competitive analyses. More traditional in high energy

particle physics (Brun et al. 1978), (Sjöstrand et al. 2006), end-to-end simulations provide a unique framework to model systematics and streamline processing and analysis pipelines given that we have complete information about the inputs and outputs. With the larger availability of computational resources this approach has also been extended to photometric redshift galaxy surveys (Suchyta et al. 2016; Bruderer et al. 2016) and a similar effort is undergoing in spectroscopic surveys such as DESI (DESI Collaboration et al. 2016). For surveys like the LSST (Ivezic et al. 2008) where the expected data volume is very large and where a highly stringent control of the systematic uncertainties is required, producing these kind of end-to-end simulations becomes necessary.

In this paper, we present the procedure to generate and process images that resemble the data that will be produced by LSST (Ivezic et al. 2008) after 10 years of operation in  $r$ -band using state of the art tools. We also characterize the products of this process for future studies. These products encompass single-visit and coadded calibrated exposures (i.e., flattened, background removed, etc) and source catalogs that add up to  $\sim 225TB$ . They are the result of three different simulations: imSim dithered, imSim undithered, and PhoSim that will be introduced later.

This paper is structured as follows: In Section 2 we describe the input catalog used for our simulations, in Section 3 we introduce two different approaches to generate simulated images to resemble LSST data. In Section 4 we present the procedure and tools used to perform calibration and source extraction on the simulated images. In Section 5 we describe the output catalogs produced by our pipelines. Finally, in Section 6 we present some concluding remarks.

## Image generation: inputs

Describe CatSim inputs and dithering

## Image generation: pipeline

The artificial generation of astronomical images is a very complex and computationally demanding process. In the recent years there is a big effort in the community in order to create software that allows more realistic and fast image generation (Suchyta et al. 2016; Bruderer et al. 2016). In our case, we use two different approaches: In one approach we use modeling of the input sources using GALSIM (Rowe et al. 2015). The other approach consists in running a full photon-shooting simulation using PHOSIM (Peterson et al. 2015). The former has a big

speed advantage but the latter fully traces each photon coming from the sources through the atmosphere and the instrument, increasing the level of realism. These two approaches allow us to focus on different systematic effects and science cases.

## The imSim pipeline

Describe imSim

## The PhoSim pipeline

Describe PhoSim

## Image processing pipeline

Once the images are produced we process them using the LSST software stack (Jurić et al. 2015). This is an open source high-performance data processing and analysis system intended for use in O/IR survey data. The code can be found at [dm.lsst.org](https://dm.lsst.org) and [pipelines.lsst.io](https://pipelines.lsst.io). The raw, uncalibrated single exposures are used as inputs. The software performs the reduction, detection, deblending and measurement on individual visits and coadds producing the level 2 data products (Jurić et al. 2015).

Say something about data size, times, configuration, etc

## Output catalogs

After being processed, the catalogs are accessible by DESC collaborators and stored at NERSC. We generate pandas dataframes and three different databases for each one of the total coadd catalogs in order to be accessed by the collaborators and perform their own analyses. These catalogs contain 10.6 million objects covering an area of  $\sim 43 \text{ deg}^2$ . [More description of the catalog.](#)

In order to check the level of realism and the accuracy of the processed catalogs we perform several quality assurance tests. We focus on three different areas that can induce a systematic effect in the weak lensing and clustering observables: astrometry, photometry and PSF.

Add depth results and comparison with expected depth and plots with the object density.

## Astrometry checks

Biases on astrometry can potentially affect both clustering and weak lensing measurements. These biases can have different origins: PSF mis-characterization, not corrected sensor effects, presence of blended sources are among the most common scenarios for single-visit exposures. In the case of co-adds we should add to this list a different effect: incorrect modeling of proper motion for the measured objects.

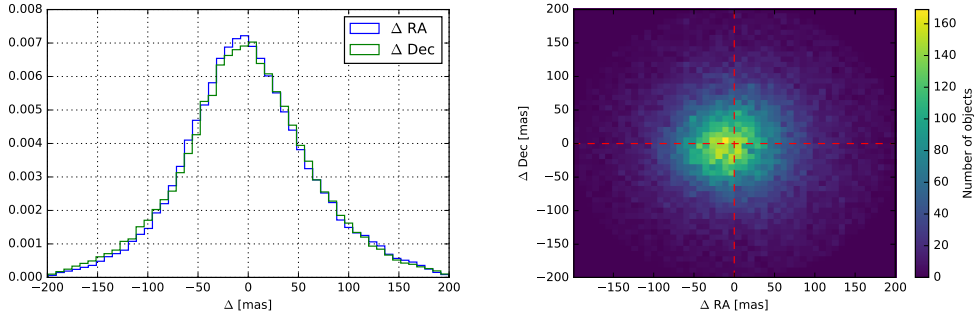
We will follow two approaches to check the quality of the astrometric solutions that we obtained: an *external* check comparing to the input *truth* catalog; and an *internal* check comparing different visits.

### External checks

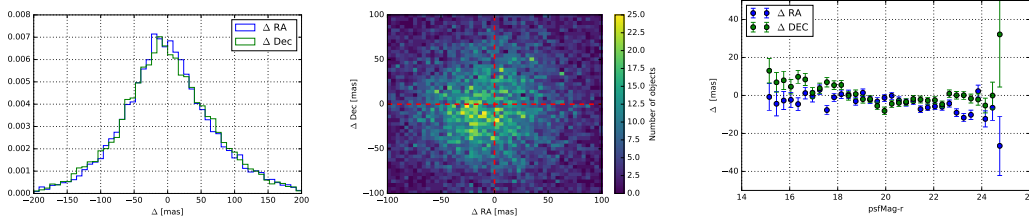
As we have already mentioned, one of the big advantages of using simulations is that we have access to the *true* underlying information. We will use this information to check the precision of the astrometric measurements in single exposures and co-adds. For these studies we will select stellar objects. In order to do so, we use the classifier included in the LSST software stack<sup>1</sup> and choose objects with `base_ClassificationExtendedness_value==0`. We also require that `deblend_nChild==0` to ensure that the objects are completely deblended, i.e., they are primary sources. We match these objects to the stellar sources in the input catalog. In both cases we will use a KDTree (Pedregosa et al. 2011) to retrieve those objects in the input catalog that are in a radius of 0.2 arc-seconds (one pixel) of those detected in the output catalog and select the match that is closest in magnitude. We only consider sources which have a magnitude difference smaller than 0.02 magnitudes.

We selected a representative single visit (visit number 270675 for the imSim dithered run) and calculated the difference between the measured and the input positions. These are represented in Figure 1. We can see that both RA and Dec distributions are compatible with each other, meaning that there are no anisotropies in the detection, as expected from the inputs. However, we find that the distribu-

<sup>1</sup> To see more details about the classifier refer to section 4.9.10 at (Bosch et al. 2017)



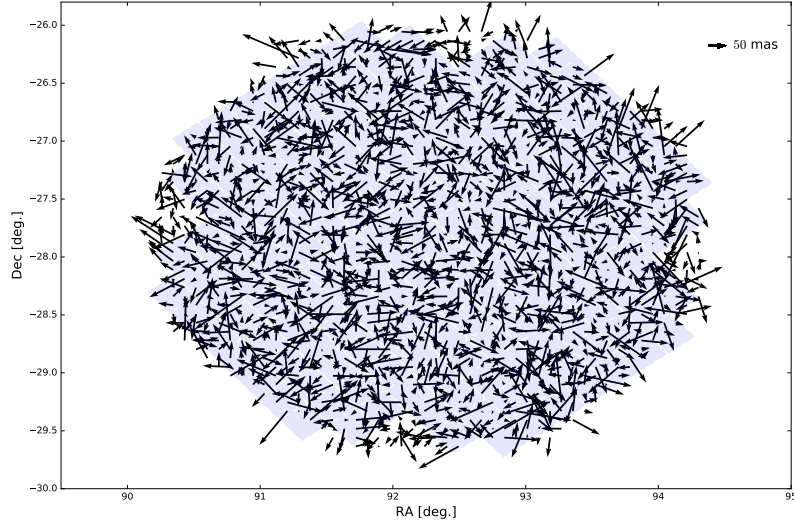
**Figure 1.** Left: Distribution of the difference  $\Delta = X_{\text{measured}} - X_{\text{input}}$  in RA (blue) and Dec (green) coordinates. We cannot appreciate any differences between these, however we see that there is median is not at zero  $\Delta_{\text{median}} \approx -2$  mas. The histograms are normalized such that the total sum of the counts is equal to one. Right: 2D histogram showing the bivariate distribution of the difference in RA (horizontal axis) and Dec (vertical axis). We selected one random representative exposure (visit number 270675 for the imSim dithered run). The effect is similar for the undithered imSim run and for the PhoSim run.



**Figure 2.** Left: Distribution of the difference  $\Delta = X_{\text{measured}} - X_{\text{input}}$  in RA (blue) and Dec (green) coordinates as in Figure 1 but accumulating the results for 50 randomly selected visits from the imSim dithered run. Middle: 2D histogram showing the bivariate distribution of the difference in RA (horizontal axis) and Dec (vertical axis). Right: Mean astrometric residual as a function of magnitude for RA (blue) and Dec (green). These distributions are similar for the undithered imSim run and for the PhoSim run.

tions are assymetric and that the median is not zero. This effect is even more noticeable when we accumulate visits as in Figure 2, where we accumulated the results for 50 randomly selected visits of the imSim dithered run. This effect is also present in the dithered and undithered imSim runs and in the PhoSim run. We also checked the dependence the mean astrometric residual with the magnitude of the objects as shown in Figure 2 where a mild bias for the brightest objects can be seen. This bias is smaller than 15 mas, much smaller than the resolution of the input N-body simulation. This means that the two point clustering statistics will not be affected by this bias. **Check origin of these biases: Some pepole suggest proper motion: Why then present in single visits? I think it's the way we simulate the saturation (see the trend with magnitude).**

We also wanted to check if there is a preferred orientation for the differences between the input and output position in a single visit. Using the same visit as before we show the astrometric residuals in Figure 3. In this Figure we can see that the



**Figure 3.** Astrometric residuals measured in visit 270675 from the imSim dithered run. The light blue squares represent the CCD chips in the LSST focal plane. The base of the arrow is on the input matched object. The arrows have been re-scaled 10,000 for visualization purposes.

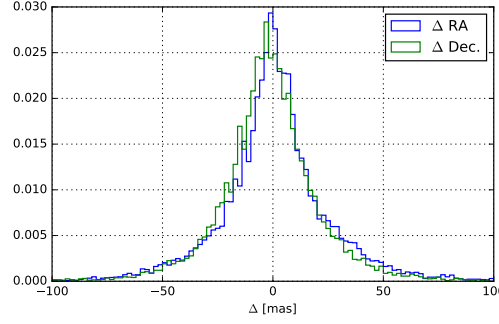
astrometric residuals do not show any noticeable structure and appear to be mostly random.

### Internal checks

Another important test is to ensure the internal consistency of the astrometric solutions between different exposures. To do that we selected a small region of the co-added area, which we will refer to as *patch* and compared the positions of the objects detected in the co-add image with the positions of objects detected in individual exposures that overlap with that patch.

In particular, we randomly chose 10 catalogs from individual exposures and looked for objects that fulfilled the following criteria:

- `deblend_nChild==0`, this means that the object has been completely deblended (it is a primary match).
- `base_PixelFlags_flag_edge==0`, which means that the object is not close to an edge.
- `base_PixelFlags_flag_interpolatedCenter==0`, the object does not have any interpolated pixels in its center.



**Figure 4.** Distribution of the mean difference in position (RA:blue, Dec:green) between the coadd and the different individual exposures where each source has been detected.

Note that in this case we are not requiring the objects to be classified as stars (we are omitting the cut in `base_ClassificationExtendedness_value`) but we are adding some cuts to ensure that the objects were properly measured. Once we perform our selection, the next step is to match the objects in the different exposures. To do so we use the matching algorithm included in the LSST software [stackReference?](#) and calculate the mean of the difference between the position of each source in the co-add,  $X_{coadd,i}$  and the position of the matched object in each of the exposures where it has been detected,  $X_{visit_j,i}$  for  $j \in [1, 10]$ , i.e.,

$$\Delta = \langle X_{coadd,i} - X_{visit_j,i} \rangle \quad (1)$$

we only consider sources that have been detected in at least 5 exposures. The resulting distribution is shown in Figure 4 where we see that is noticeably narrower than those shown in Figure 1 and Figure 2 and no apparent bias is found showing that the processing is consistent.

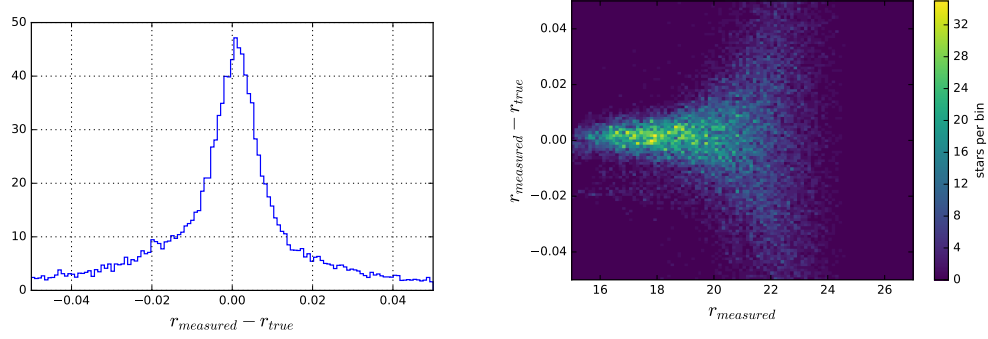
## Photometry checks

As we did in previous sections we are going to perform two different tests to test the quality of our simulations: first we are going to compare our output catalogs to the inputs, and second we are going to check the consistency between different visits for the same objects.

## External checks

We want to analyze the accuracy of the magnitude measurement comparing the input catalog with the output image. This process not only checks the accuracy of the measurement pipeline but also, it tests the quality and level of realism of the





**Figure 5.** Left: Distribution of magnitude difference between the input and output catalogs. Right: Difference magnitude between input and output catalogs as a function of the measured magnitude. We considered 50 visits randomly selected from the imSim dithered run. We find similar results for the imSim undithered run and for the PhoSim run.

image generation pipeline. For these external checks we use again the same 50 randomly selected visits as we did in the previous section to check the astrometric residuals. To study the photometric residuals we change slightly the matching strategy from previous sections. In this case we eliminate the threshold in magnitude difference so, we just look for the input source that is closest in magnitude in a 0.2 arc-seconds radius around each detected source. In Figure 5 we can see the distribution of the photometric residuals. We see that this distribution gets wider as we go fainter (as expected) and that the 0.02 magnitude selection cut was a good proxy to ensure that we account for most sources properly matched.

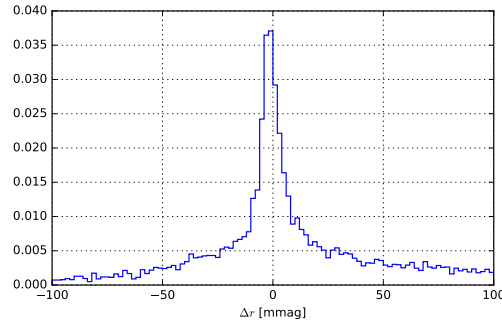
## Internal checks

We also checked the consistency of the photometry between different exposures. Using the same approach and sample presented in Section 5.1.2 we compared the mean difference between the coadded source and 10 random single-visit images. In principle, we would expect that some objects will show differences between different epochs due to their intrinsic variability, however, these effects are not found in the inputs of the simulation for any of the objects, thus, the differences between different epochs will come mainly from statistical fluctuations and different observing conditions. The results from these checks can be seen in Figure 6.

In this Figure we can see that the mean of the distribution is compatible with zero and that most sources have a magnitude difference lower than 25 mmag given the narrow peak. However we can appreciate the presence of long tails probably due to blends and mismatching or artifacts.

## PSF checks





**Figure 6.** Distribution of the mean difference in magnitude between the coadd and the different individual exposures where each source has been detected. The mean of the distribution is consistent with zero.

In order to ensure the accuracy of shape measurements a robust and accurate estimation of the PSF is required. In the case of imSim, we have a perfectly known input PSF that only depends on the airmass at the time of observation. We can check if the measurement pipeline can reconstruct the PSF and at which level of precision. To do that, we select 50 random visits, retrieve the measured PSF using the pipeline, and compare this to the input model given the observing conditions and compute the residual.

## Conclusions

## Acknowledgments

Here is where you should add your specific acknowledgments, remembering that some standard thanks will be added via the `acknowledgments.tex` and `contributions.tex` files.

This is the text imported from `acknowledgments.tex`, and will be replaced by some standard LSST DESC boilerplate at some point.

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 Paul Price: Contribution  
 Javier Sanchez: Validation and analysis, started note  
 Glenn Sembroski: Contribution  
 Anze Slosar: Contribution  
 Brian Van Klaveren: Contribution  
 Chris W. Walter: Contribution  
 Matt Wiesener: Contribution  
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