## Data Exploration Assignment

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Source Code:

```
#include <iostream>
#include <fstream>
#include <vector>
#include <algorithm>
#include <math.h>
using namespace std;
vector<double> rm;
vector<double> medv;
double sum(vector<double> v) {
  double s = 0;
  for (int i = 0; i < v.size(); i++) {
double mean(vector<double> v) {
  return sum(v) / v.size();
double median(vector<double> v) {
  sort(v.begin(), v.end());
  int n = v.size();
```

```
if (n % 2 == 0) {
    return (v[n / 2 - 1] + v[n / 2]) / 2;
  } else {
double range(vector<double> v) {
  return \ *max\_element(v.begin(), v.end()) - *min\_element(v.begin(), v.end()); \\
double covariance(vector<double> x, vector<double> y) {
  int n = x.size();
  double mean_x = mean(x);
  double mean_y = mean(y);
  double cov = 0;
  for (int i = 0; i < n; i++) {
    cov += (x[i] - mean\_x) * (y[i] - mean\_y);
double variance(vector<double> x, vector<double> y) {
  return covariance(x, y);
double correlation(vector<double> x, vector<double> y) {
  return covariance(x, y) / sqrt(variance(x, x) * variance(y, y));
```

```
int main() {
  ifstream inFS:
  string line;
  string rm_in, medv_in;
  const int MAX_SIZE = 1000;
  vector<double> rm(MAX_SIZE);
  vector<double> medv(MAX_SIZE);
  cout << "*** Opening file Boston.csv ***" << endl;
  inFS.open("Boston.csv");
  if (!inFS.is_open()) {
    cout << "!!! Could not open file Boston.csv !!!" << endl;</pre>
  cout << "Reading line 1" << endl;</pre>
  getline(inFS, line);
  cout << "Heading: " << line << endl;</pre>
  int numObservations = 0;
  while (inFS.good()){
    getline(inFS, rm_in, ',');
    getline(inFS, medv_in, '\n');
     rm[numObservations] = stod(rm_in);
     medv[numObservations] = stod(medv_in);
     numObservations++;
```

```
rm.resize(numObservations);
medv.resize(numObservations);
cout << "new length: " << rm.size() << endl;</pre>
cout << "*** Closing file Boston.csv ***" << endl;</pre>
inFS.close();
cout << "\nNumber of records: " << numObservations << endl;</pre>
cout << "\nResults for rm:" << endl;</pre>
cout << "Sum: " << sum(rm) << endl;
cout << "Mean: " << mean(rm) << endl;
cout << "Median: " << median(rm) << endl;</pre>
cout << "Range: " << range(rm) << endl;</pre>
cout << "\nResults for medv:" << endl;</pre>
cout << "Sum: " << sum(medv) << endl;</pre>
cout << "Mean: " << mean(medv) << endl;</pre>
cout << "Median: " << median(medv) << endl;</pre>
cout << "Range: " << range(medv) << endl;</pre>
cout << "\nCovariance: " << covariance(rm, medv) << endl;</pre>
cout << "Correlation: " << correlation(rm, medv) << endl;</pre>
return 0;
```

```
}
```

## Output

```
[Running] cd "/Users/sagardarnal/Desktop/Final Semester/CS 4375.004 - Intro to Machine Learning/" 66 g++ Assignment1.cp -o Assignment1 66 "/Users/sagardarnal/Desktop/Final Semester/CS 4375.004 - Intro to Machine Learning/"
"Assignment1
"Assignment1
"Reading: rm, medv
new length: 906
"Results for rm:
Sum: 180.003
Median: 6.2065
Results for rm:
Sum: 180.003
Median: 6.2065
Results for medv:
Sum: 180.003
Median: 6.2085
Range: 5.219

Results for medv:
Sum: 180.003
R
```

b.

R is ideal for quick data analysis and exploration, while C++ is more suitable for performance-critical applications and for fine-tuning the implementation for specific use cases. As we did the data exploration in class, I found R allows a lot of functionality and easiness than C++.

Meanwhile, C++ experience is not as bad for this project.

c.

The central tendency and distribution of a dataset are condensed into three statistical measures: mean, median, and range. The average of the data is called the mean, however outliers might affect it. The center number, or median, is unaffected by outliers. Range, which is the difference between the largest and lowest value, is a tool for locating outliers. These measurements are helpful in spotting potential problems with the data, such as outliers, skewness, or missing values, before machine learning. It is easier to get data ready for machine learning when you are aware of its features.

d.

Covariance and correlation are two statistics that describe the relationship between two variables or attributes in a dataset. Covariance is a measure of the strength of the linear relationship between the variables, with positive values indicating they increase together and negative values indicating they vary in opposite directions. Correlation normalizes the covariance to a value between -1 and 1, with -1 indicating a strong negative relationship, 0 indicating no relationship, and 1 indicating a strong positive relationship. This information is useful in machine learning as

it can help identify which variables have a strong impact on the target variable, which can inform feature selection and the development of more effective models.