

## Step-1

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Given that  $A = A^T$  needs a row exchange, then it also needs a column exchnage to stay symmetric.

In matrix language,  $PA$  loses the symmetry of  $A$  but  $\boxed{PAP^T}$  recovers the symmetry since the rows in  $P$  are the columns in  $P^T$ .