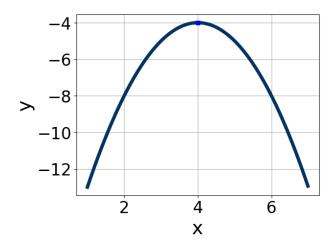
1. Factor the quadratic below. Then, choose the intervals that contain the constants in the form (ax + b)(cx + d); $b \le d$.

$$24x^2 + 38x + 15$$

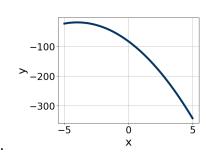
- A. $a \in [3.99, 4.27], b \in [2, 8], c \in [5.98, 6.1], and <math>d \in [2, 7]$
- B. $a \in [1.23, 1.49], b \in [2, 8], c \in [17.17, 18.57], and <math>d \in [2, 7]$
- C. $a \in [7.87, 8.11], b \in [2, 8], c \in [2.99, 3.71], and <math>d \in [2, 7]$
- D. $a \in [0.58, 1.25], b \in [13, 20], c \in [0.61, 1.5], and <math>d \in [18, 21]$
- E. None of the above.
- 2. Write the equation of the graph presented below in the form $f(x) = ax^2 + bx + c$, assuming a = 1 or a = -1. Then, choose the intervals that a, b, and c belong to.

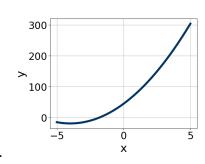


- A. $a \in [0, 5], b \in [4, 10], and <math>c \in [7, 13]$
- B. $a \in [-3, 0], b \in [4, 10], \text{ and } c \in [-22, -17]$
- C. $a \in [-3, 0], b \in [-10, -5], \text{ and } c \in [-14, -8]$
- D. $a \in [0, 5], b \in [-10, -5], \text{ and } c \in [7, 13]$
- E. $a \in [-3, 0], b \in [-10, -5], \text{ and } c \in [-22, -17]$

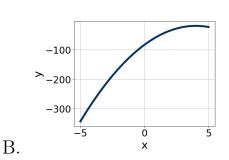
3. Graph the equation below.

 $f(x) = -(x-4)^2 - 19$



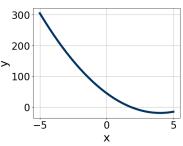


Α.



C.

D.



E. None of the above.

4. Solve the quadratic equation below. Then, choose the intervals that the solutions belong to, with $x_1 \leq x_2$ (if they exist).

$$-14x^2 + 8x + 9 = 0$$

A.
$$x_1 \in [-0.59, -0.31]$$
 and $x_2 \in [0.6, 1.9]$

B.
$$x_1 \in [-1.62, -0.68]$$
 and $x_2 \in [-0.1, 0.7]$

C.
$$x_1 \in [-16.48, -15.25]$$
 and $x_2 \in [6.9, 10.1]$

D.
$$x_1 \in [-24.23, -22.57]$$
 and $x_2 \in [23.9, 25.2]$

- E. There are no Real solutions.
- 5. Solve the quadratic equation below. Then, choose the intervals that the solutions x_1 and x_2 belong to, with $x_1 \leq x_2$.

$$10x^2 - 37x - 36 = 0$$

A.
$$x_1 \in [-1, -0.56]$$
 and $x_2 \in [3.81, 4.76]$

B.
$$x_1 \in [-8.46, -7.58]$$
 and $x_2 \in [44.2, 46.52]$

C.
$$x_1 \in [-4.38, -3.54]$$
 and $x_2 \in [-0.16, 1.8]$

D.
$$x_1 \in [-1.75, -1.5]$$
 and $x_2 \in [0.98, 3.03]$

E.
$$x_1 \in [-0.36, -0.01]$$
 and $x_2 \in [13.28, 13.84]$