

This key should allow you to understand why you choose the option you did (beyond just getting a question right or wrong). More instructions on how to use this key can be found [here](#).

If you have a suggestion to make the keys better, please fill out the short survey [here](#).

*Note: This key is auto-generated and may contain issues and/or errors. The keys are reviewed after each exam to ensure grading is done accurately. If there are issues (like duplicate options), they are noted in the offline gradebook. The keys are a work-in-progress to give students as many resources to improve as possible.*

1. Solve the modeling problem below, if possible.

*A new virus is spreading throughout the world. There were initially 3 many cases reported, but the number of confirmed cases has quadrupled every 5 days. How long will it be until there are at least 1000000 confirmed cases?*

The solution is About 46 days, which is option B.

- A. About 64 days

You modeled the situation with  $e$  as the base, but solved correctly otherwise.

- B. About 46 days

\* This is the correct option.

- C. About 28 days

You modeled the situation correctly but did not apply the properties of log correctly.

- D. About 33 days

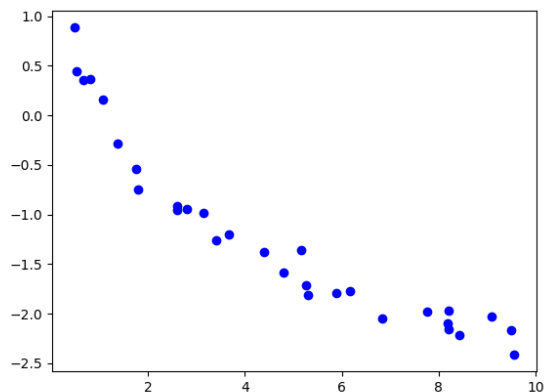
You modeled the situation with  $e$  as the base and did not apply the properties of log correctly.

- E. There is not enough information to solve the problem.

If you chose this option, please contact the coordinator to discuss why you think this is the case.

**General Comment:** Set up the model the same as in Module 11M. Then, plug in 1000000 and solve for  $d$  in your model.

2. Determine the appropriate model for the graph of points below.



The solution is Logarithmic model, which is option C.

A. Linear model

For this to be the correct option, we need to see a mostly straight line of points.

B. Non-linear Power model

For this to be the correct option, we need to see a polynomial or rational shape.

C. Logarithmic model

For this to be the correct option, we want a rapid change early, then an extremely slow change later.

D. Exponential model

For this to be the correct option, we want an extremely slow change early, then a rapid change later.

E. None of the above

For this to be the correct option, we want to see no pattern in the points.

**General Comment:** This question is testing if you can associate the models with their graphical representation. If you are having trouble, go back to the corresponding Core module to learn about the specific function you are having trouble recognizing.

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3. For the scenario below, use the model for the volume of a cylinder as  $V = \pi r^2 h$ .

*Pringles wants to add 34 percent more chips to their cylinder cans and minimize the design change of their cans. They've decided that the best way to minimize the design change is to increase the radius and height by the same percentage. What should this increase be?*

The solution is About 10 percent, which is option C.

A. About 17 percent

This corresponds to treating both radius and height as equal contributors and not solving correctly.

B. About 16 percent

This corresponds to solving correctly but treating both radius and height as equal contributors to the volume.

C. About 10 percent

\* This is the correct option.

D. About 3 percent

This corresponds to not solving for the increase properly.

E. None of the above

If you chose this, please contact the coordinator to discuss how you solved the problem.

**General Comment:** Remember that when plugging the increases of values in, you need to treat it as that percentage above 100. For example, a 5 percent increase means 105 percent.

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4. Solve the modeling problem below, if possible.

*A new virus is spreading throughout the world. There were initially 6 many cases reported, but the number of confirmed cases has quadrupled every 1 days. How long will it be until there are at least 10000 confirmed cases?*

The solution is About 6 days, which is option C.

A. About 8 days

You modeled the situation with  $e$  as the base, but solved correctly otherwise.

B. About 3 days

You modeled the situation correctly but did not apply the properties of log correctly.

C. About 6 days

\* This is the correct option.

D. About 4 days

You modeled the situation with  $e$  as the base and did not apply the properties of log correctly.

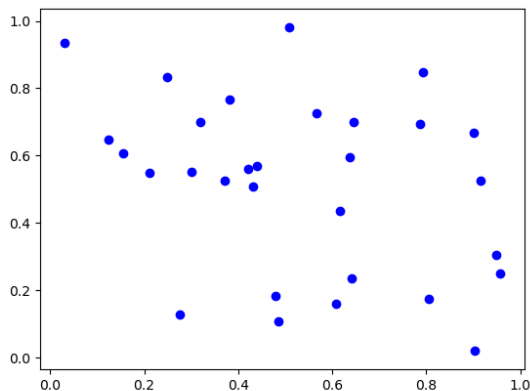
E. There is not enough information to solve the problem.

If you chose this option, please contact the coordinator to discuss why you think this is the case.

**General Comment:** Set up the model the same as in Module 11M. Then, plug in 10000 and solve for  $d$  in your model.

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5. Determine the appropriate model for the graph of points below.



The solution is None of the above, which is option E.

A. Logarithmic model

For this to be the correct option, we want a rapid change early, then an extremely slow change later.

B. Exponential model

For this to be the correct option, we want an extremely slow change early, then a rapid change later.

C. Linear model

For this to be the correct option, we need to see a mostly straight line of points.

D. Non-linear Power model

For this to be the correct option, we need to see a polynomial or rational shape.

E. None of the above

For this to be the correct option, we want to see no pattern in the points.

**General Comment:** This question is testing if you can associate the models with their graphical representation. If you are having trouble, go back to the corresponding Core module to learn about the specific function you are having trouble recognizing.

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6. For the information provided below, construct a linear model that describes the total distance of the path,  $D$ , in terms of the time spent on a particular path *if we know that all parts of the path are equal length*.

*A bicyclist is training for a race on a hilly path. Their bike keeps track of their speed at any time, but not the distance traveled. Their speed traveling up a hill is 7 mph, 11 mph when traveling down a hill, and 8 mph when traveling along a flat portion.*

The solution is The model can be found with the information provided, but isn't options 1-3., which is option D.

A.  $616t$

The coefficient here is calculated by multiplying the speeds together rather than adding them.

B.  $0.359t$

The coefficient here is calculated as if you were trying to model the time on the total path.

C.  $26t$

This would be correct if we knew the time spent on each path was equal.

D. The model can be found with the information provided, but isn't options 1-3.

\* This is the correct option. Since the paths are equal length and the bike can travel different speeds on each part, the time spent on each path is not equal! The model would be  $7t_u + 11t_d + 8t_f$ , where  $t_u$  is time traveling up,  $t_d$  is time traveling down, and  $t_f$  is time traveling on a flat portion.

E. The model cannot be found with the information provided.

If you chose this option, please contact the coordinator to discuss why you think we cannot model the situation.

**General Comment:** Be sure you pay attention to the variable we are writing the model in terms of. To create the model with a single variable, we have to know that variable is the same throughout each path!

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7. For the scenario below, use the model for the volume of a cylinder as  $V = \pi r^2 h$ .

*Pringles wants to add 48 percent more chips to their cylinder cans and minimize the design change of their cans. They've decided that the best way to minimize the design change is to increase the radius and height by the same percentage. What should this increase be?*

The solution is About 14 percent, which is option D.

A. About 24 percent

This corresponds to treating both radius and height as equal contributors and not solving correctly.

B. About 4 percent

This corresponds to not solving for the increase properly.

C. About 22 percent

This corresponds to solving correctly but treating both radius and height as equal contributors to the volume.

D. About 14 percent

\* This is the correct option.

E. None of the above

If you chose this, please contact the coordinator to discuss how you solved the problem.

**General Comment:** Remember that when plugging the increases of values in, you need to treat it as that percentage above 100. For example, a 5 percent increase means 105 percent.

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8. For the scenario below, find the variation constant  $k$  of the model (if possible).

*In an alternative galaxy, the cube of the time,  $T$  (Earth years), required for a planet to orbit Sun  $\chi$  increases as the cube of the distance,  $d$  (AUs), that the planet is from Sun  $\chi$  increases. For example, when Ea's average distance from Sun  $\chi$  is 3, it takes 76 Earth days to complete an orbit.*

The solution is  $k = 16258.370$ , which is option C.

A.  $k = 4.028$

This copies the constant used in the homework.

B.  $k = 11852352.000$

This corresponds to the model  $T^3 = \frac{k}{d^3}$ .

C.  $k = 16258.370$

\* This is the correct option corresponding to the model  $T^3 = kd^3$ .

D.  $k = 2.937$

This corresponds to the model  $T^{1/3} = kd^{1/3}$ .

E. Unable to compute the constant based on the information given.

This corresponds to believing you cannot determine the type of model from the information given.

**General Comment:** Since  $T$  increases proportionally as  $d$  increases, we know this is a direct variation model.

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9. Solve the modeling problem below, if possible.

*In CHM2045L, Brittany created a 27 liter 6 percent solution of chemical  $\chi$  using two different solution percentages of chemical  $\chi$ . When she went to write her lab report, she realized she forgot to write the amount of each solution she used! If she remembers she used 5 percent and 26 percent solutions, what was the amount she used of the 26 percent solution?*

The solution is 1.29, which is option B.

A. 13.50

This would be correct if Brittany used equal parts of each solution.

B. 1.29

\*This is the correct option.

C. 21.93

This was a random value. If this was not a guess, contact the coordinator to talk about how you got this value.

D. 25.71

This is the concentration of 5 percent solution.

E. There is not enough information to solve the problem.

You may have chose this if you thought you needed to know how much of the second solution was used in the problem. Remember that the total minus the first solution would give you the second amount used.

**General Comment:** Build the model exactly as you did in Module 9M. Then, solve for the volume you are looking for.

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10. Solve the modeling problem below, if possible.

*In CHM2045L, Brittany created a 28 liter 18 percent solution of chemical  $\chi$  using two different solution percentages of chemical  $\chi$ . When she went to write her lab report, she realized she forgot to write the amount of each solution she used! If she remembers she used 18 percent and 40 percent solutions, what was the amount she used of the 18 percent solution?*

The solution is 28.00, which is option C.

A. 14.00

This would be correct if Brittany used equal parts of each solution.

B. 0.00

This is the concentration of 40 percent solution.

C. 28.00

\*This is the correct option.

D. 2.48

This was a random value. If this was not a guess, contact the coordinator to talk about how you got this value.

E. There is not enough information to solve the problem.

You may have chose this if you thought you needed to know how much of the second solution was used in the problem. Remember that the total minus the first solution would give you the second amount used.

**General Comment:** Build the model exactly as you did in Module 9M. Then, solve for the volume you are looking for.

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