Objective 4 - Solving Radical Equations (Quadratic)

Solve radical equations that lead to quadratic equations.

Link to section in online textbook.

First, watch <u>this video</u> to see how solving radical equations is different from solving linear and quadratic equations. **The major difference is in the restricted domains of radical functions!** This objective will focus on radical equations that lead to quadratic equations. That means we can have 0, 1, or 2 solutions (based on whether the potential solutions are in the domains of the radical functions).

Question 1 Solve the following equation.

$$\sqrt{15\,x^2 + 18} - \sqrt{39\,x} = 0$$

Smallest solution: $x = \boxed{0.6}$

Largest solution: x = 2.0

If there is only one Real solution, type "NA" as the largest solution. If there are no Real solutions, type "NA" for both.

Question 2 Solve the following equation.

$$\sqrt{18\,x^2 - 16} - \sqrt{-12\,x} = 0$$

Smallest solution: $x = \boxed{-1.333}$

Largest solution: $x = \boxed{NA}$

If there is only one Real solution, type "NA" as the largest solution. If there are no Real solutions, type "NA" for both.

Question 3 Solve the following equation.

Learning outcomes:

Author(s): Darryl Chamberlain Jr.

Objective 4 - Solving Radical Equations (Quadratic)

$$\sqrt{-30\,x^2 - 15} - \sqrt{-45\,x} = 0$$

Smallest solution: $x = \boxed{NA}$

Largest solution: $x = \boxed{NA}$

If there is only one Real solution, type "NA" as the largest solution. If there are no Real solutions, type "NA" for both.