# MAT2001 FAT-LAB

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Q1-Using R, create your own (Student Record) dataset and do the summary statistics and draw four graphs with interpretation. Use at least 10 observations with five variables.

Aim-To create student dataset and do the summary statistics and draw four graphs with interpretation in R-Studio

Code-

rollno=c(1,2,3,4,5,6,7,8,9,10)

rollno

stu\_marks=c(100,99,97,100,40,60,30,20,0,100)

stu\_marks

stu\_gender=c(0,1,0,1,1,1,0,0,0,0) # here 0-Boy , 1-Girl

stu\_gender

```
backlog = c(0,0,0,0,1,0,1,1,1,0) \ \# \ here \ 0 - no Backlog \ , 1 - Backlog
```

backlog

no\_of\_backlogs=c(0,0,0,0,1,1,2,3,4,1) #number of backlog left

no\_of\_backlogs

stuinfo=data.frame(rollno,stu\_marks,stu\_gender,backlog,no\_of\_backlogs)

stuinfo

summary(stuinfo)

summary(stuinfo\$stu\_marks)

summary(stuinfo\$stu\_gender)

plot(stuinfo\$stu\_marks,type="l",main = "Marks
of Students",xlab = "Roll
Number",ylab="Marks",col="blue")

plot(stu\_marks,backlog, main = "Backlog of
Students", xlab = "Student Marks", ylab =
"Backlog",col="red")

plot(rollno,no\_of\_backlogs,main="Number of Backlogs",xlab = "Roll

```
Number",ylab="Number of Backlogs",col =
"purple")
plot(stuinfo$stu_gender,type="l",main =
"Gender of Students",xlab = "Roll
Number",ylab="Student Gender",col="blue")
Output-
> rollno=c(1,2,3,4,5,6,7,8,9,10)
> rollno
[1] 1 2 3 4 5 6 7 8 9 10
> stu_marks=c(100,99,97,100,40,60,30,20,0,100)
> stu_marks
[1] 100 99 97 100 40 60 30 20 0 100
> stu_gender = c(0,1,0,1,1,1,0,0,0,0) # here 0-Boy,
1-Girl
> stu_gender
[1] 0 1 0 1 1 1 0 0 0 0
> backlog=c(0,0,0,0,1,0,1,1,1,0) # here 0-no
Backlog, 1-Backlog
```

### > backlog

#### [1] 0 0 0 0 1 0 1 1 1 0

> no\_of\_backlogs=c(0,0,0,0,1,1,2,3,4,1) #number of backlog left

> no\_of\_backlogs

 $[1] \ 0 \ 0 \ 0 \ 0 \ 1 \ 1 \ 2 \ 3 \ 4 \ 1$ 

> stuinfo=data.frame(rollno,stu\_marks,stu\_gender ,backlog,no\_of\_backlogs)

#### > stuinfo

rollno stu\_marks stu\_gender backlog no\_of\_backlogs

1	1	100	0	0	0
2	2	99	1	0	0
3	3	97	0	0	0
4	4	100	1	0	0
5	5	40	1	1	1
6	6	60	1	0	1
7	7	30	0	1	2

 8
 8
 20
 0
 1
 3

 9
 9
 0
 0
 1
 4

 10
 10
 100
 0
 0
 1

> summary(stuinfo)

rollno stu\_marks stu\_gender backlog no\_of\_backlogs

Min.: 1.00 Min.: 0.00 Min.: 0.0 Min.: 0.0 Min.: 0.00 Min.: 0.00

1st Qu.: 3.25 1st Qu.: 32.50 1st Qu.:0.0 1st Qu.:0.0 1st Qu.:0.00

Median: 5.50 Median: 78.50 Median: 0.0

Median: 0.0 Median: 1.00

Mean: 5.50 Mean: 64.60 Mean: 0.4

Mean :0.4 Mean :1.20

3rd Qu.: 7.75 3rd Qu.: 99.75 3rd Qu.:1.0 3rd Qu.:1.0 3rd Qu.:1.75

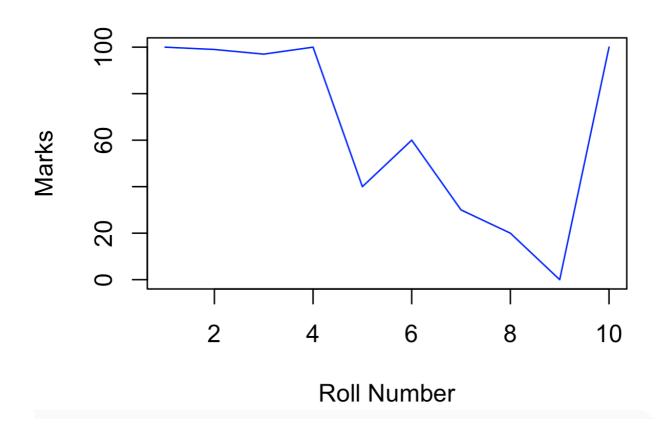
Max. :10.00 Max. :100.00 Max. :1.0 Max. :1.0 Max. :4.00

> summary(stuinfo\$stu\_marks)

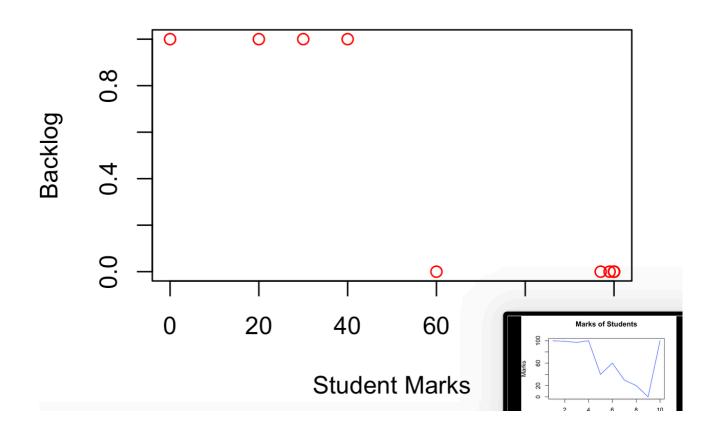
Min. 1st Qu. Median Mean 3rd Qu. Max.

- 0.00 32.50 78.50 64.60 99.75 100.00
- > summary(stuinfo\$stu\_gender)
  - Min. 1st Qu. Median Mean 3rd Qu. Max. 0.0 0.0 0.0 0.4 1.0 1.0
- > plot(stuinfo\$stu\_marks,type="l",main =
  "Marks of Students",xlab = "Roll
  Number",ylab="Marks",col="blue")
- > plot(stu\_marks,backlog, main = "Backlog of Students", xlab = "Student Marks", ylab = "Backlog",col="red")
- > plot(rollno,no\_of\_backlogs,main="Number of Backlogs",xlab = "Roll Number",ylab="Number of Backlogs" ,col = "purple")
- > plot(stuinfo\$stu\_gender,type="l",main =
  "Gender of Students",xlab = "Roll
  Number",ylab="Student Gender",col="blue")

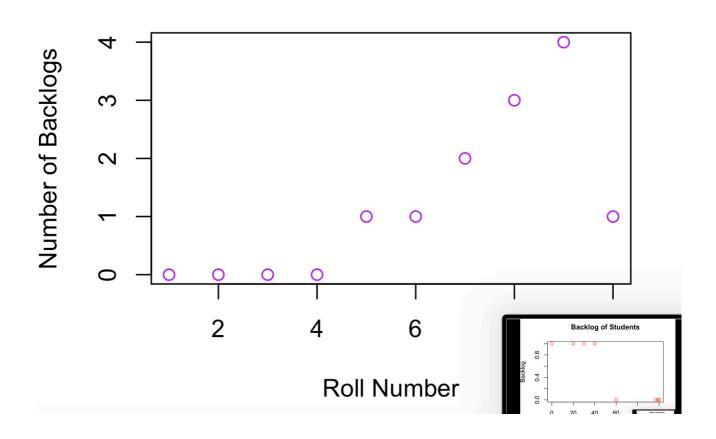
#### **Marks of Students**



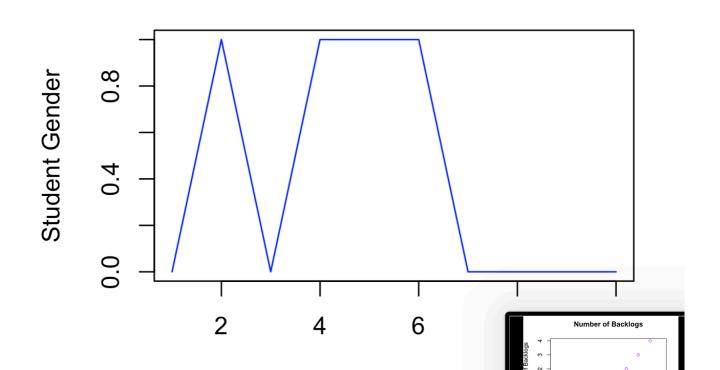
## **Backlog of Students**



## **Number of Backlogs**



#### **Gender of Students**



Q2 The breaking strengths of cables produced by manufacturer have a mean of 1800 Kg and a standard deviation of 100 Kg. by a new technique in the manufacturing process, it is claimed that breaking strength can be increased. To test this claim, a sample of 50 cables is tested and it is found that the mean breaking strength is 1850Kg. Using R programming can we support the claim at the 1% significance level?

**Aim-To Study Testing of Hypothesis** 

```
Code-
alpha=0.01
x1bar=1850
x2bar=1800
sd1=100
sd2=sqrt(50)
t=abs(x1bar-x2bar)/(sqrt((sd1^2/n1)+sd2^2/n2))
tv=qt(1-(alpha/2),n1+n2-2)
```

```
tv
```

```
Output-
```

```
> alpha=0.01
```

$$> sd1=100$$

$$> sd2=sqrt(50)$$

$$> tv = qt(1-(alpha/2),n1+n2-2)$$

> t

[1] 1.115249

> tv

[1] 3.355387

Result- We reject Ho and we conclude that a new technique can improve the break strength.