

① Two-Sum:

O(n) approach:

Using hash-map.

Focus on finding complement of each $\text{nums}[i]$; if complement is found in the map then return its index and i as answer. If not found then store the index of the element in the map.

```
unordered_map<int,int> mp;
```

```
for (int i=0; i < n; i++) {
```

```
    int complement = target - nums[i];
```

```
    if (mp.find(complement) !=
```

```
        mp.end()) {
```

```
        return {mp[complement], i};
```

```
mp[nums[i]] = i;
```

② Dutch national flag algo:

Time: $O(N)$, space: $O(1)$.

Time: O(N), Space: O(1)

[mid ----- high] [high + 1 ----- n-1]

\Rightarrow All the segments are sorted except the (mid-high) orange.

Question! Sort colors.

Ex:

The diagram shows a horizontal array of six boxes containing the numbers 2, 0, 2, 1, 1, 0. Above the array, the label "low" has an arrow pointing to the first box (index 0). Below the array, the label "mid" has an arrow pointing to the fourth box (index 3). To the right of the array, the label "high" has an arrow pointing to the last box (index 5).

NOW $\text{arr}[\text{mid}] = 2 \rightarrow \text{swap}$ $\text{arr}[\text{mid}] = 2$

and aer [high] and high--

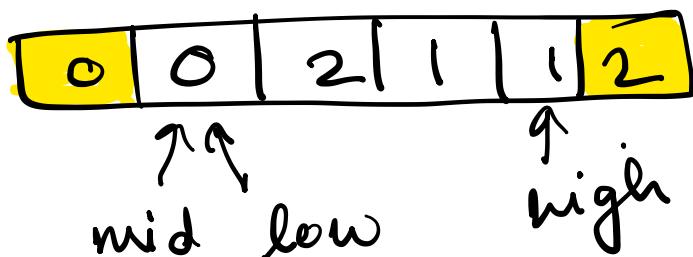
A hand-drawn diagram of an array [0, 0, 2, 1, 1, 2] with indices 0 to 5. An arrow labeled "low" points to index 0. An arrow labeled "high" points to index 5. An arrow labeled "mid" points to index 3.

Now $\text{arr[mid]} == 0$, swap

arr[mid] & arr[low] ,

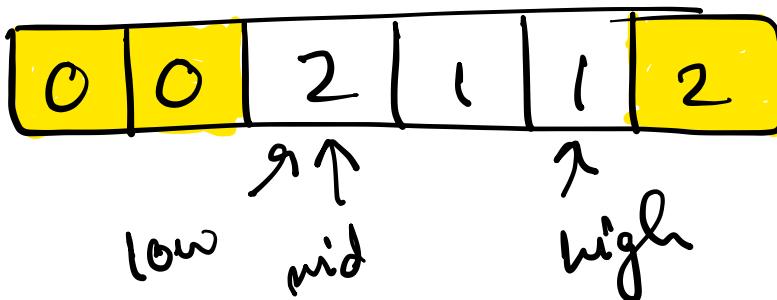
$\text{low}++$, $\text{mid}++$.

\Rightarrow



Now $\text{arr[mid]} == 0$, swap arr[low] &
 arr[mid] , $\text{low}++$, $\text{mid}++$.

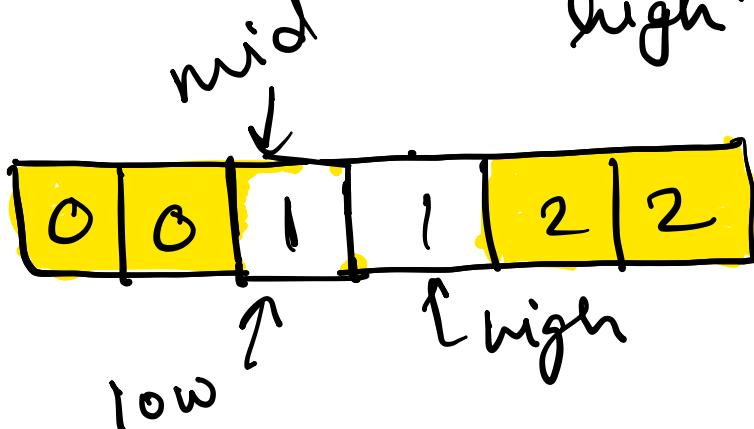
\Rightarrow



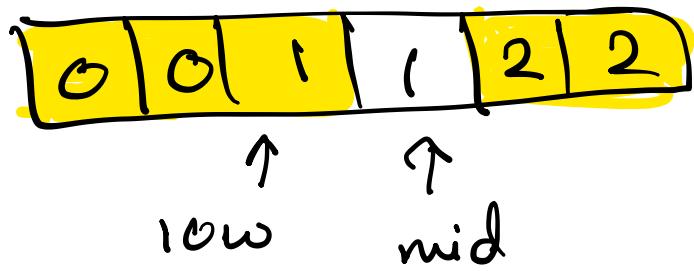
Now $\text{arr[mid]} == 2$, swap

arr[mid] & arr[high] ;

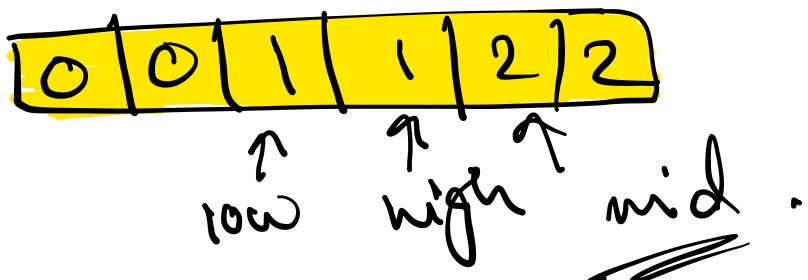
$\text{high}--$.



$\Rightarrow \text{arr[mid]} = 1, \text{mid}++$



$\Rightarrow \text{arr[mid]} = 1, \text{mid}++$



Code: $\text{int mid} = 0;$

$\text{int low} = 0;$

$\text{int high} = n - 1;$

$\text{while } (\text{mid} \leq \text{high}) \{$

$\text{if } (\text{arr[mid]} == 0) \{$

$\text{swap } (\text{arr[low]}, \text{arr[mid]})$

$\text{low}++; \text{mid}++; \}$

$\text{else if } (\text{arr[mid]} == 1)$
 $\text{mid}++; \}$

```

else { swap (arr[mid] ),
        arr [high] ) ;
        high -- j
    }
}

```

- ③ Moore's Voting Algorithm:
- To find the majority 'element' present in the array.
- It helps optimise the soln. to $O(N)$ time complexity & $O(1)$ space complexity.
- Example question: Majority Element.
- logic: • If count == 0, update the candidate to the current number.

- If current number is equal to the candidate, increment count.
- else decrement count.

Example: [2, 2, 1, 1, 1, 2, 2]

Count = 0, candidate = 0

$\boxed{2} \rightarrow \text{count} = 1 \Rightarrow \text{candidate} = 2$

$\boxed{2} \rightarrow \text{count} = 2 \Rightarrow \text{candidate} = 2$

$\boxed{1} \rightarrow \text{count} = 1 \Rightarrow \dots$

$\boxed{1} \rightarrow \text{count} = 0 \Rightarrow \dots \quad \boxed{2} \rightarrow \boxed{1}$

$\boxed{1} \rightarrow \text{count} = 1 \Rightarrow \text{candidate} = 1$

$\boxed{2} \rightarrow \text{count} = 0 \Rightarrow \text{candidate} = 1 \rightarrow 2$

$\boxed{2} \rightarrow \dots = 1 \Rightarrow \boxed{\text{candidate} = 2}$

This ..

④ Kedane's Algorithm :

If the sum of a sub-array becomes less than 0, don't consider it.

Only consider those sub-arrays which gives the summation.

Ex: $[-2, 1, -3, 4, -1, 2, 1, -5, 4]$.

Let $\text{sum} = \text{INT_MIN}$.

$\rightarrow (-2)$: $\text{sum} = -2$ (neglect)

$\rightarrow (1)$: $\text{sum} = 1$

$\rightarrow (1, -3)$: $\text{sum} = -2$ (neglect)

$\rightarrow (4)$: $\text{sum} = 4$

$\rightarrow (4, -1)$: $\text{sum} = 3$

$\rightarrow (4, -1, 2)$: $\text{sum} = 5$

$\rightarrow (4, -1, 2, 1)$: $\text{sum} = 6$ } \$ desired .

$\rightarrow (4, -1, 2, 1, -5) : \text{sum} = 1$

$\rightarrow \cancel{(4, -1, 2, 1, -5, 4)} : \text{sum} = 5$

Rough:

prices = $[7, 1, 5, 3, 6, 4]$

\Rightarrow Buy at day 2 and sell at day 5.

choose min then choose maximum,

⑤ Buy and sell stock:

choose the min. element & then compare it difference with each of its next elements.

The pair with the maximum difference will be the ans.

else return 0.

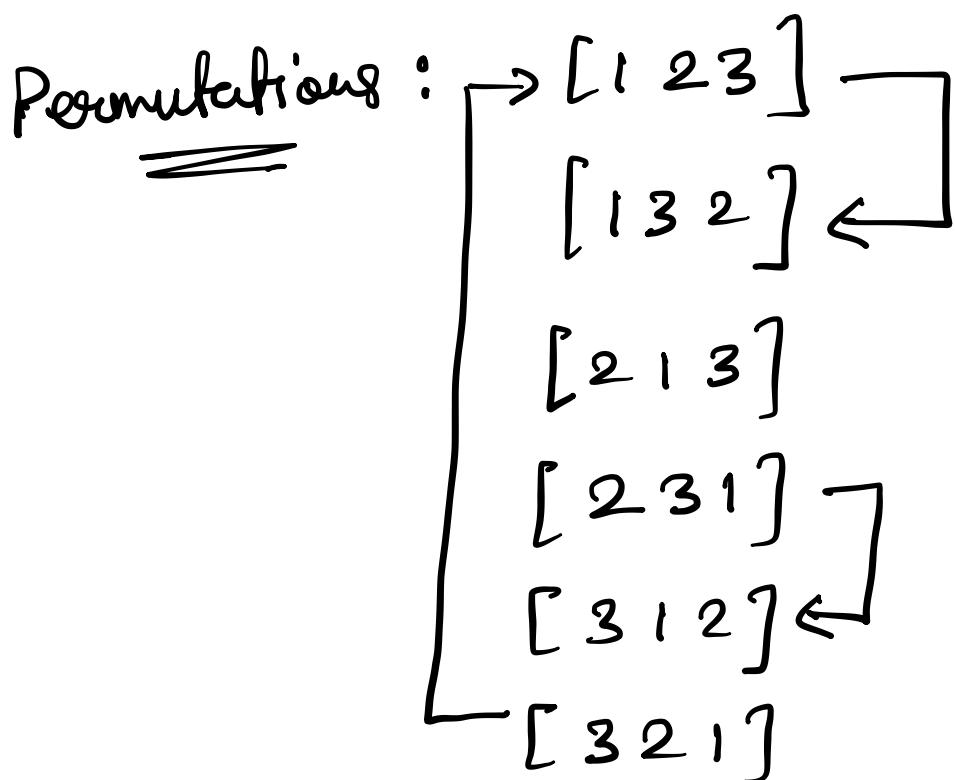
⑥ Rearrange Array Elements
by Sign:

Example: nums = [3, 1, -2, -5, 2, -4]

positive integers = 3, 1, 2.
negative integers = -2, -5, -4.

Order: [3 -2 1 -5 2 -4]

⑦ Next Permutation: (Pending)



⑧ readers in an Array.

Ex: $[4, 7, 1, 0]$.

$\Rightarrow \underline{\underline{7, 1, 0}}$.

Ex: $[10, 22, 12, 3, 0, 6]$.

$\Rightarrow [22, 12, 6]$

$[10, 22, 12, 3, 0, 6]$

i j
 $if (arr[i] > arr[j])$ ~~\rightarrow~~ ($j++$)

$\Rightarrow 10 > 22 \quad X$

$\Rightarrow 22 > 12 \quad \checkmark ;$

$22 > 3 \quad \checkmark$

$22 > 0 \quad \checkmark$

$22 > 6 \quad \checkmark$

$$\Rightarrow 12 > 3 \quad \checkmark$$

$$12 > 0 \quad \checkmark$$

$$12 > 6 \quad \checkmark$$

$$\Rightarrow 3 > 0 \quad \checkmark \quad \left. \begin{array}{l} \\ \end{array} \right\} n \neq 0$$

$$3 > 6 \quad \times \quad \left. \begin{array}{l} \\ \end{array} \right\}$$

```

vector<int> ans;
for(int i = 0; i < nums.size(); i++){
    bool leader = true;
    for(int j = i+1; j < nums.size(); j++){
        if(arr[j] > arr[i]){
            leader = false;
            break;
        }
    }
    if(leader){
        ans.push_back(arr[i]);
    }
}
return ans;
};

```

Here the complexity is $O(n^2)$

Approach 2: To store the max element traversing from the right end towards the left end.

```

int n = nums.size();
int maxi = INT_MIN;
vector<int> ans;
int max = arr[n-1];
ans.push_back(arr[n-1]);
for(int i = n-2; i >= 0; i--){
    if(arr[i] > max){
        ans.push_back(arr[i]);
        max = arr[i];
    }
}
return ans;
}

```

```

int max = arr[n-1];
ans.push_back(arr[n-1]);
for(int i = n-2; i >= 0; i--) {
    if (arr[i] > max) {
        ans.push_back(arr[i]);
        max = arr[i];
    }
}
return ans;
}

```

3.

⑨ Find length of longest sequence which contains consecutive elements.

Example: $[100, 200, 1, 3, 2, 4]$.

$\rightarrow \text{Ans} = 4$.

Sort : $(\underbrace{1, 2, 3, 4}_{\uparrow \uparrow \uparrow}, 100, 200)$

```
for (int i=0 ; i<n ; i++) {  
    if (arr[i+1] - arr[i] == 1)  
        cut++;  
    if (arr[i+1] == arr[i]) continue;  
    else cut = 1;  
    maxi = max (ans, cut);
```

TC: $O(n \log n)$

SC: $O(1)$

$TC : O(n) \Rightarrow$ Approach:

Approach 2:

$SC : O(n)$

⑩ Set matrix zero :

| | 0,0 | 0,1 | 0,2 |
|-----|-----|-----|-----|
| 1,0 | 1 | 1 | 1 |
| 2,0 | 1 | 0 | 1 |

⇒

| | | |
|---|---|---|
| 1 | 0 | 1 |
| 0 | 0 | 0 |
| 1 | 0 | 1 |

{ if ($\text{matrix}[\text{row}][\text{col}] == '0'$) {
 $\text{matrix}[\text{row} + i][\text{col}] == 0;$
 $\text{matrix}[\text{row}][\text{col} + i] == 0;$
}

→ for (int i=0; i<n; i++) {

| 0,0 | 0,1 | 0,2 | 0,3 |
|-----|-----|-----|-----|
| 1,0 | 1,1 | 1,2 | 1,3 |
| 2,0 | 2,1 | 2,2 | 2,3 |
| 0 | 1 | 2 | 0 |
| 3 | 4 | 5 | 2 |
| 1 | 3 | 1 | 5 |

⇒

| | | | |
|---|---|---|---|
| 0 | 0 | 0 | 0 |
| 0 | 4 | 5 | 0 |
| 0 | 3 | 1 | 0 |

$m \times n \Rightarrow \text{row} \times \text{col}.$

n columns.

m rows.

```

vector<bool> row(n, false);
vector<bool> col(m, false);
for (int i=0; i<n; i++) {
    for (int j=0; j<m; j++) {
        if (matrix[i][j] == 0) {
            row[i] = true;
            col[j] = true;
        }
    }
}
    
```

ii) Rotate matrix by 90° degree :

| | 0 | 1 | 2 |
|---|---|---|---|
| 0 | 1 | 2 | 3 |
| 1 | 4 | 5 | 6 |
| 2 | 7 | 8 | 9 |



| | | |
|---|---|---|
| 7 | 4 | 1 |
| 8 | 5 | 2 |
| 9 | 6 | 3 |

0^{th} row $\Leftrightarrow 2^{\text{nd}}$ col.

1^{st} row $\Leftrightarrow 1^{\text{st}}$ col.

2^{nd} row $\Leftrightarrow 0^{\text{th}}$ col.

| | 0 | 1 | 2 | n |
|-----|----|----------|----|-----|
| 0 | 1 | 2 | 3 | 9 |
| 1 | 10 | 11 | 12 | 18 |
| 2 | 19 | 20 | 21 | 27 |
| n | | \vdots | | |

0^{th} row $\Leftrightarrow n^{\text{th}}$ col.

1^{st} row $\Leftrightarrow (n-1)^{\text{th}}$ col.

2^{nd} row $\Leftrightarrow (n-2)^{\text{th}}$ col

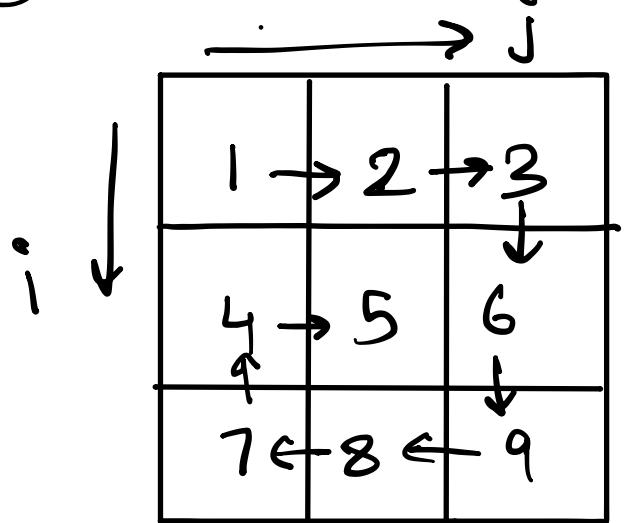
\vdots

$(n-1)^{\text{th}}$ row $\Leftrightarrow 1^{\text{st}}$ col.

n^{th} row $\Leftrightarrow 0^{\text{th}}$ col.

Transpose and reverse.

⑫ Spiral Matrix:



$$\Rightarrow \text{Ans: } [1 \ 2 \ 3 \ 6 \ 9 \ 8 \ 7 \ 4 \ 5]$$

if j reaches $(n-1)$ →
iterate column $[n-1]$

if i reaches $(n-1)$ →
iterate ~~not~~ row $[n-1]$.

if j reaches 0 →
iterate column [0]

int top = 0;

int bottom = matrix.size() - 1;

int left = 0;

```
int right = matrix[0].size() - 1  
while (top <= bottom &&  
      left <= right) {  
    for (int i = left; i <= right; i++) {  
        result.push_back(matrix[top][i]);  
    }  
    top++;  
    for (int i = top; i <= bottom; i++) {  
        result.push_back(matrix[i][right]);  
    }  
    right--;  
    .  
    .  
    .  
}
```

~~(3) imp~~ Subarray - Sum Equals K.

Example: $\text{nums} = [1, 1, 1]$; $K=2$

$$\begin{aligned}\text{Subarray } 1 &= [1+1] = 2 \\ \text{Subarray } 2 &= [1+1] = 2\end{aligned}$$

$\text{nums} = [1 2 3]$; $K=3$.

$$\begin{aligned}\text{Subarray } 1 &= [1+2] = 3 \\ \text{Subarray } 2 &= [3] = 3\end{aligned}$$

$O(N^2)$ soln. \rightarrow Easy (Don't do).
Try Prefix Sum approach. ($O(N)$).

int i=0;

while ($i < n$) {

 sum = arr[i];

 if ($sum == K$) cut + $\rightarrow j$

 i =

```
class Solution {
public:
    int subarraySum(vector<int>& nums, int k) {
        int n = nums.size();
        int cnt = 0;
        int sum = 0;
        unordered_map<int, int> mp;

        mp[0] = 1; // To handle the case when subarray starts from index 0

        for (int i = 0; i < n; i++) {
            sum += nums[i];

            if (mp.find(sum - k) != mp.end()) {
                cnt += mp[sum - k];
            }

            mp[sum]++;
        }

        return cnt;
    }
};
```

/

(14) Majority element $\geq \left\lfloor \frac{n}{3} \right\rfloor$.

Example: $\text{nums} = [3, 2, 3]$

$$\text{ans} = 3$$

\Rightarrow Simply do using frequency mapping.

TC: $O(n)$, SC: $O(n)$.

Optimal Approach: TC: $O(n)$
SC: $O(1)$

Idea: At most, 2 elements in an array can appear more than $\left\lfloor \frac{n}{3} \right\rfloor$ times.

```

vector<int> majorityElement(vector<int>& nums){
    int n = nums.size();
    int count1 = 0;
    int count2 = 0;
    int candidate1 = 0;
    int candidate2 = 1;
    for(int num: nums){
        if(num == candidate1){
            count1++;
        }
        else if(num == candidate2){
            count2++;
        }
        else if(count1 == 0){
            candidate1 = num;
            count1 = 1;
        }
        else if(count2 == 0){
            candidate2 = num;
            count2 = 1;
        }
        else{
            count1--;
            count2--;
        }
    }

    count1 = 0;
    count2 = 0;
    for(int num: nums){
        if(num == candidate1) count1++;
        else if(num == candidate2) count2++;
    }

    vector<int> ans;
    if(count1 > n/3) ans.push_back(candidate1);
    if(count2 > n/3) ans.push_back(candidate2);
    return ans;
}

```

IS 3 Sum Problem :

Find 3 such elements so that
 the sum is equal to 0.
 $\text{nums} = [-1, 0, 1, 2, -1, -4]$
 $\text{ans} = [-1, 0, 1] ; [-1, -1, 2]$.

~~Idea~~: Fix i and move j & k
pointers.

- Sort the array vector.
- to prevent duplicates ignore consecutive elements.

~~Q16~~ General Approach to solve
~~K-SUM~~ problem:

General Strategy →

- ① Sorting the array.
 - to skip duplicates.
 - Two pointers logic for 2 sum.
- ② Using recursion to reduce K-sum into $(K-1)$ sum.
- ③ Base-case is 2sum, solved with pointers.

Template: (Remember) :

Template for k-sum:

```
vector<vector<int>> kSum(vector<int>& nums, int target, int k, int start){  
    vector<vector<int>> ans;  
    int n = nums.size();  
    if(k == 2){  
        int left = start;  
        int right = n-1;  
        while(left < right){  
            int sum = nums[left] + nums[right];  
            if(sum == target){  
                ans.push_back({nums[left], nums[right]});  
                left++;  
                right--;  
                while(left < right && nums[left] == nums[left-1]) left++;  
                while(left < right && nums[right] == nums[right+1]) right--;  
            }  
            else if(sum < target) left++;  
            else{  
                right--;  
            }  
        }  
    }  
    else{  
        for(int i = start; i < n-k+1; i++){  
            // to avoid the duplicate elements  
            if(i > start && nums[i] == nums[i-1]) continue;  
            vector<vector<int>> temp = kSum(nums, target-nums[i], k-1, i+1);  
            for(auto& t : temp){  
                for(auto& t : temp){  
                    t.insert(t.begin(), nums[i]);  
                    res.push_back(t);  
                }  
            }  
        }  
    }  
    return res;  
}  
  
vector<vector<int>> fourSum(vector<int>& nums, int target){  
    sort(nums.begin(), nums.end());  
    return kSum(nums, target, 4, 0);  
}
```

~~length of the longest subarray with zero sum.~~

→ Example : { 9, -3, 3, -1, 6, -5 }

⇒ [[-3, 3], [-1, 6, -5], [-3, 3, -1, 6, -5]]

Example: 1, -1, 3, 2, -2, -8, 1, 7, 10

Hashmap = $(1, 0)$;
(prefixsum, index)

[sum = 1]

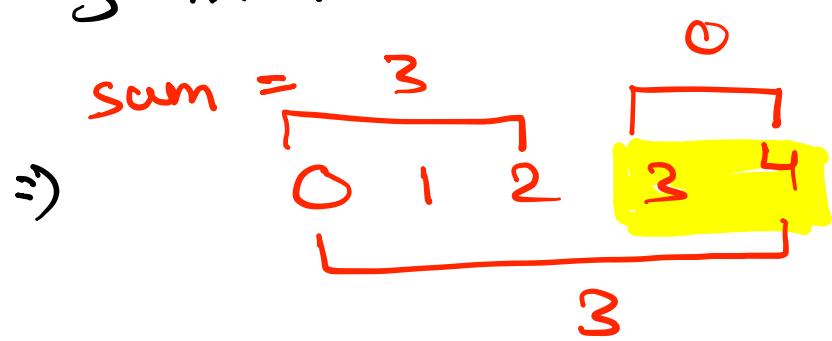
• Sum = $1 - 1 = 0 \Rightarrow \text{maxLength} = 2$.

• Sum = $1 - 1 + 3 = 3$
Hashmap = $(1, 0); (3, 2)$.

• Sum = $1 - 1 + 3 + 2 = 5$
Hashmap = $(1, 0); (3, 2); (5, 3)$

• Sum = $1 - 1 + 3 + 2 - 2 = 3$.

Now hashmap contains the sum
3 in it with index value = 2.



$$\text{Current length} = 4 - 2 = 2$$

$$\bullet \text{Sum} = 1 - 1 + 3 + 2 - 2 - 8 = -5$$

HashMap = (1, 0); (3, 2); (5, 3); (-5, 5)

$$\bullet \text{Sum} = -5 + 1 = -4$$

HashMap = (1, 0); (3, 2); (5, 3); (-5, 5); (-4, 6)

$$\bullet \text{Sum} = -4 + 7 = 3$$

HashMap = (1, 0); (3, 2); (5, 3); (-5, 5); (-4, 6)

Now 3 exists at index 2 as well.

$$\text{Length} = 7 - 2 = 5$$

$$\bullet \text{Sum} = 3 + 10 = 13$$

HashMap = (1, 0); (3, 2); (5, 3); (-5, 5); (-4, 6);
(13, 8)

```
int maxLen(vector<int> arr){
    int n = arr.size();
    int currLen = 0;
    unordered_map<int, int> mp;
    int maxi = 0;
    int sum = 0;
    for(int i = 0; i < n; i++) {
        sum += arr[i];
        if(sum == 0) {
            maxi = i + 1;
        }
        else {
            if(mp.find(sum) != mp.end()) {
                maxi = max(maxi, i - mp[sum]);
            }
            else {
                mp[sum] = i;
            }
        }
    }
    return maxi;
}
```

Pattern Identification:

- ① longest subarray with given sum K.
 - ② maximum subarray sum.
 - ③ Count subarrays with given sum.
 - ④ longest subarray with sum=0
 - ⑤ K-sum.
- Some

① Longest subarray with given sum K.

~~very important~~

$$K=3$$

0 1 2 3 4 5 6 7 8 9

$\text{arr}[] = [1, 2, 3, 1, 1, 1, 1, 4, 2, 3]$.

$\text{prefixSum}(\text{sum}, \text{index}) \rightarrow$

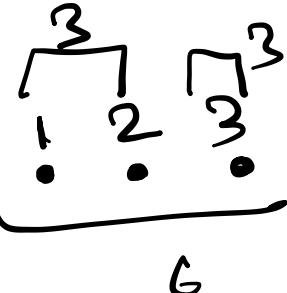
(1, 0); (3, 1)

As we find $(1+2) = 3$ at $\text{index} = 1 \Rightarrow$

$$\text{length} = 2$$

(1,0) (3,1) (6,2)

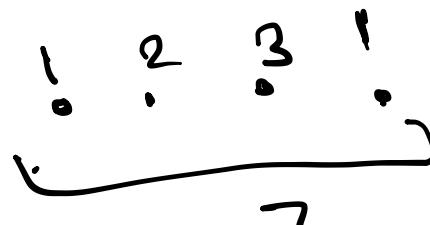
Now in the hashmap we have $(3,1) \Rightarrow$

 $\Rightarrow \text{length} = 2 - 1 = 1$.

$$\max\text{len} = \max(1, 2) = 2$$

HashMap: (1,0), (3,1), (6,2), (7,3)

Now

 ; I need a
7

4 in the hashmap but it not present.

HashMap: (1,0), (3,1), (6,2), (7,3), (8,4)

We don't have 5 in hashmap.
so move ahead.

HashMap: (1,0), (3,1), (6,2), (7,3), (8,4),
(9,5).

Now $(9-3) = 6 \Rightarrow 6$ is present in

the map, so $\text{indice}(=5) - \text{indice}(=2) = \boxed{3}$

$$\underline{\underline{\maxLen = \max(3, 2) = 3}},$$

```
int maxLen(vector<int> arr){  
    int n = nums.size();  
    int currLen = 0;  
    unordered_map<int, int> mp;  
    int maxi = 0;  
    int sum = 0;  
    for(int i = 0; i < n; i++){  
        sum += arr[i];  
        if(sum == 6){  
            maxi = i + 1;  
        }  
        else{  
            if(mp.find(sum) != mp.end()){  
                maxi = max(maxi, i -  
                    mp[sum]);  
            }  
            else{  
                mp[sum] = i;  
            }  
        }  
    }  
    return maxi;  
};
```

```

class Solution {
public:
    int subarraySum(vector<int>& nums, int k) {
        int n = nums.size();
        int cnt = 0;
        int sum = 0;
        unordered_map<int, int> mp;

        mp[0] = 1; // To handle the case when subarray starts from index 0

        for (int i = 0; i < n; i++) {
            sum += nums[i];

            if (mp.find(sum - k) != mp.end()) {
                cnt += mp[sum - k];
            }

            mp[sum]++;
        }

        return cnt;
    }
};

```

Question 18) count subarrays with given XOR K.

Properties of XOR:

- ① $A \wedge A = 0$
- ② $A \wedge 0 = A$

③ For an array arr, the XOR of subarray $arr[i, \dots, j]$ is :

$\text{prefix XOR}[j] \wedge \text{prefix XOR}[i-1]$.

$$\overbrace{\quad\quad\quad}^{\text{XOR} = xR} \quad\quad\quad \overbrace{\quad\quad\quad}^{\text{XOR} = k}$$

Example : $\overbrace{4, 2, 2, 6}^{\text{XOR} = x}, 4$

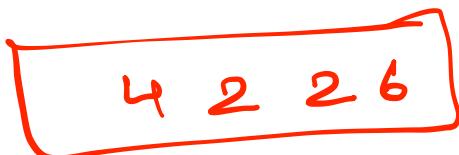
$$\Rightarrow x^k = xR.$$

$$\Rightarrow (x^k)^k = xR^k.$$

$$\Rightarrow \boxed{x = xR^k} \quad \underline{\text{Remember}}.$$

Now, we will search for a subarray ending at 6 & having XOR of k.

For example in the above test:



$$xR = 4^2^2^6 = 2.$$

$$k = 6$$

If $(x = xR^k)$ exist in the array, then yes increment cut.

$$\boxed{x = 2^6 = 4}$$

$xOR = 4$ is present for the first element.

lets look the implementation .

Declare a hashmap .

Arr = [4 2 2 6 4] ; $\boxed{K=6}$

hashmap : (front XOR, cut)

= (0,1)

$xR = 4$; $K=6$; $\boxed{x=2}$

2 is not present in
hashmap .

hashmap = (0,1) ; (4,1)

$$xR = 4^1 2 = 6$$

$$K=6$$

$\boxed{x=0} \Rightarrow 0$ is present .

Thus $\boxed{\text{cut} = 1}$

hashmap = (0,1); (4,1); (6,1)

$$xR = 4^1 2^1 2^1 = 4$$

$$K = 6$$

$x = 2 \Rightarrow 2$ not present.

hashmap = (0,1); (4,2); (6,1)

$$xR = 4^1 2^1 2^1 6^1 = 2$$

$$K = 6$$

$x = 4 \Rightarrow 4$ is present.

$$\Rightarrow \text{cnt} = 1 + 2 = 3$$

hashmap = (0,1); (4,2); (6,1); (2,1)

$$xR = 4^1 2^1 2^1 6^1 4^1 = 6$$

$$K = 6$$

$x = 0 \Rightarrow 0$ is present

$$\Rightarrow \text{cnt} = 1 + 2 + 1 = 4$$

Ans = 4

```
int subArraywithXORk(vector<int> arr, int k){  
    int n = arr.size();  
    int cnt = 0;  
    unordered_map<int, int> prefixXOR;  
    prefixXOR[0] = 1;  
    int xr = 0;  
    for(int i = 0; i < n; i++) {  
        xr ^= arr[i];  
        int x = xr ^ k;  
        if(prefixXOR.find(x) != prefixXOR.end()) {  
            cnt += prefixXOR[x];  
        }  
        else {  
            prefixXOR[xr]++;  
        }  
    }  
    return cnt;  
}
```

Q: 9 Merge intervals : Pending

Example: $\left[[1, 3], [2, 6], [8, 10], [15, 18] \right]$

$$\left[[1, 6], \downarrow [8, 10], [15, 18] \right]$$

If last element $>$ first element of
the other block, then

merging will take place..

Q20) maximum Product Subarray :

→ $O(N^2)$ soln.

```
for (int i=0; i<n; i++) {
```

```
    int product = arr[i];
```

```
    for (int j=i; j<n; j++) {
```

```
        if (product > * = arr[j]);
```

```
}
```

```
maxi = max (product, maxi);
```

```
}
```

```
return maxi;
```

→ Optimal: $O(N)$.

- even negatives → return the product of the whole array.

- odd negatives →

- zeros → reset value to 1.

```
class Solution {  
public:  
    int maxProduct(vector<int>& nums) {  
        int maxi = INT_MIN;  
        int n = nums.size();  
        int suffix = 1;  
        int prefix = 1;  
        for(int i=0; i< n; i++){  
            if(prefix == 0) prefix = 1;  
            if(suffix == 0) suffix = 1;  
            prefix *= nums[i];  
            suffix *= nums[n-i-1];  
            maxi = max(maxi, max(suffix, prefix));  
        }  
        return maxi;  
    }  
};
```

