

Design Analysis and Algorithm – Lab Work

Week 6

Question 1: Write a Program to perform Quick Sort using

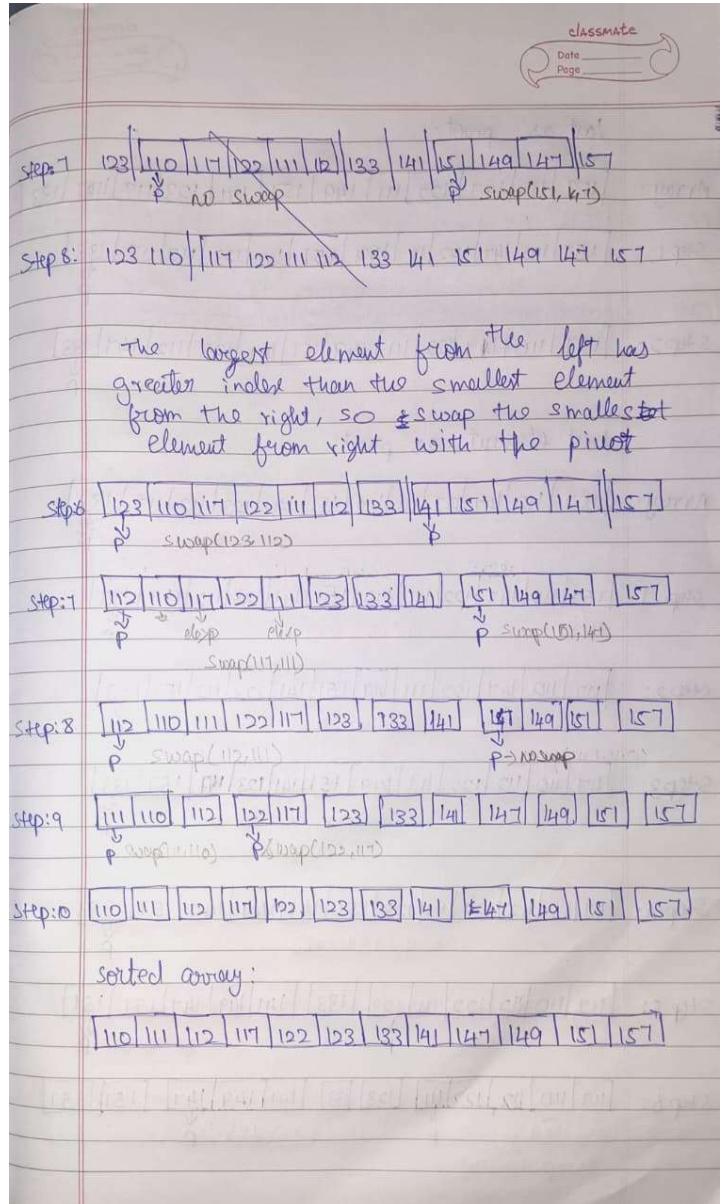
- first element

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Quick sort : first element as pivot

Step:1:	[157 110 147 122 111 149 151 141 123 112 117 133]
P	↓ swap 157 - 133
	Swap 157 with 133
	[133 110 147 122 111 149 151 141 123 112 117 157]
	All elements are less than pivot so no more swapping in it
Step:2:	[133 110 147 122 111 149 151 141 123 112 117 157]
	↓ P swap 147, 117
	swap 147, 117
Step:3:	[133 110 147 122 111 149 151 141 123 112 117 157]
	↓ P swap 141, 111
	swap 141, 111
Step:4:	[133 110 117 122 111 112 151 141 123 149 147 157]
	↓ P swap 151, 112
	swap 151, 112
Step:5:	[133 110 117 122 111 112 123 141 151 149 147 157]
	↓ P swap 141, 112
	swap 141, 112
	target the element from left has greater index than the smallest element from right so, swap the smallest with pivot.
Step:6:	[123 110 117 122 111 112 133 141 151 149 147 157]
	↓ swap 123, 112
	P no swap needed



CODE:

```
#include <stdio.h>

int partition(int arr[], int low, int high) {
    int pivot = arr[low];
    int i = low + 1;
    int j = high;

    while (i <= j) {
        while (i <= high && arr[i] <= pivot)
            i++;
        j--;
    }
    swap(arr, i, j);
    return i;
}

void swap(int arr[], int i, int j) {
    int temp = arr[i];
    arr[i] = arr[j];
    arr[j] = temp;
}
```

```

        while (arr[j] > pivot)
            j--;

        if (i < j) {
            int temp = arr[i];
            arr[i] = arr[j];
            arr[j] = temp;
        }
    }

    int temp = arr[low];
    arr[low] = arr[j];
    arr[j] = temp;

    return j;
}

void quickSort(int arr[], int low, int high) {
    if (low < high) {
        int p = partition(arr, low, high);
        quickSort(arr, low, p - 1);
        quickSort(arr, p + 1, high);
    }
}

int main() {
    int arr[] = {10, 7, 8, 9, 1, 5};
    int n = sizeof(arr) / sizeof(arr[0]);

    quickSort(arr, 0, n - 1);

    printf("Sorted array:\n");
    for (int i = 0; i < n; i++)
        printf("%d ", arr[i]);

    return 0;
}

```

OUTPUT:

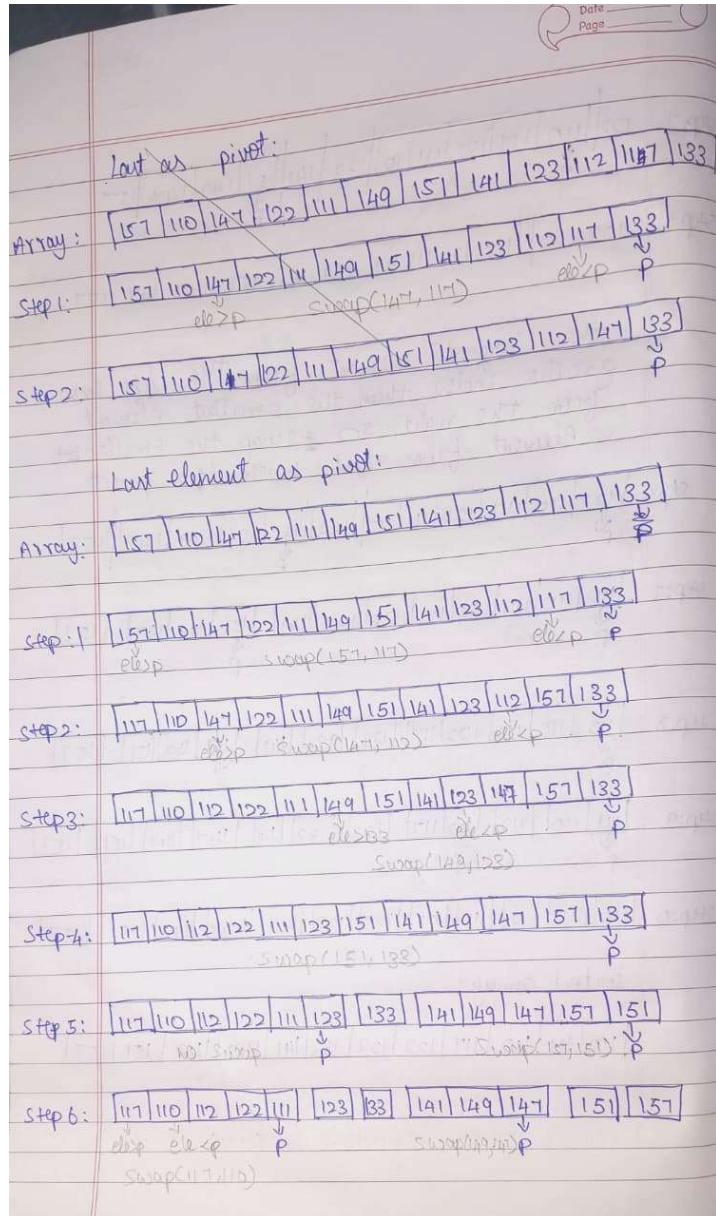
```

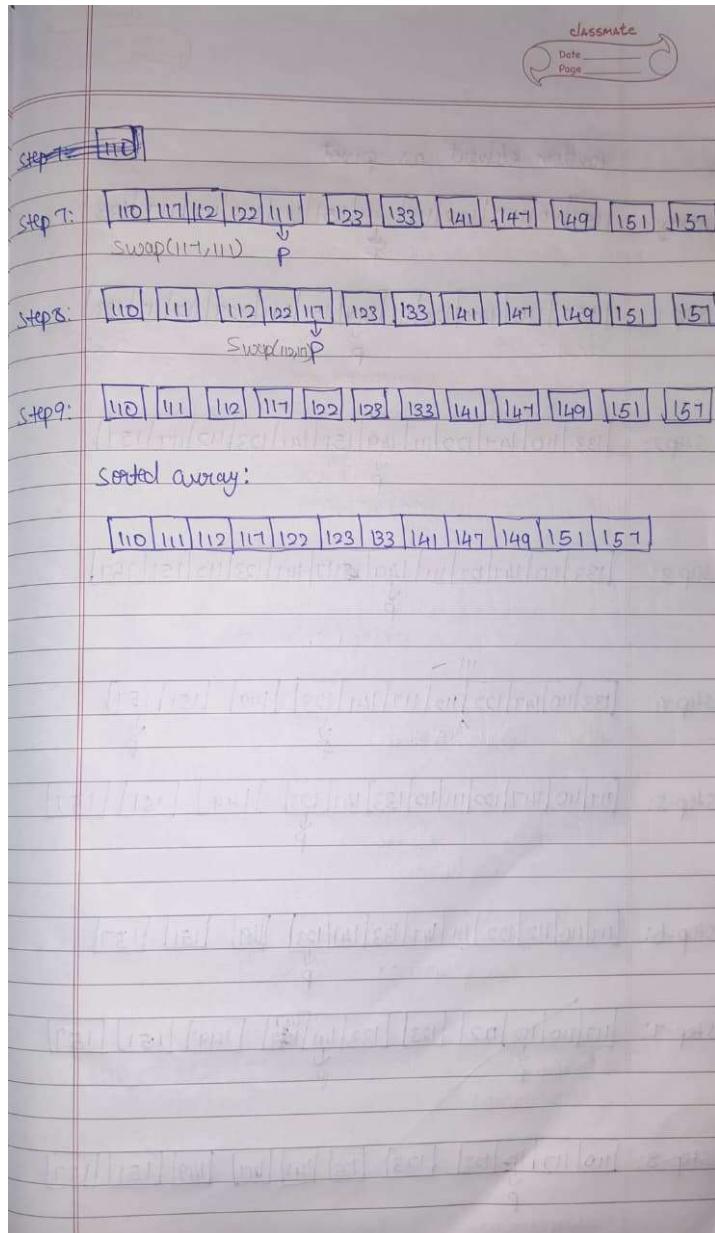
C:\Sem-4\DA\Week-6>gcc QuickSort_1st.c
C:\Sem-4\DA\Week-6>.\a
Sorted array:
110 111 112 117 122 123 133 141 147 149 151 157

```

b. middle element

METHOD:





CODE:

```
#include <stdio.h>

int partition(int arr[], int low, int high) {
    int pivot = arr[high];
    int i = low - 1;

    for (int j = low; j < high; j++) {
        if (arr[j] <= pivot) {
            i++;
            int temp = arr[i];
            arr[i] = arr[j];
            arr[j] = temp;
        }
    }
    return i;
}
```

```
        arr[j] = temp;
    }

    int temp = arr[i + 1];
    arr[i + 1] = arr[high];
    arr[high] = temp;

    return i + 1;
}

void quickSort(int arr[], int low, int high) {
    if (low < high) {
        int p = partition(arr, low, high);
        quickSort(arr, low, p - 1);
        quickSort(arr, p + 1, high);
    }
}

int main() {
    int arr[] = {10, 7, 8, 9, 1, 5};
    int n = sizeof(arr) / sizeof(arr[0]);

    quickSort(arr, 0, n - 1);

    printf("Sorted array:\n");
    for (int i = 0; i < n; i++)
        printf("%d ", arr[i]);

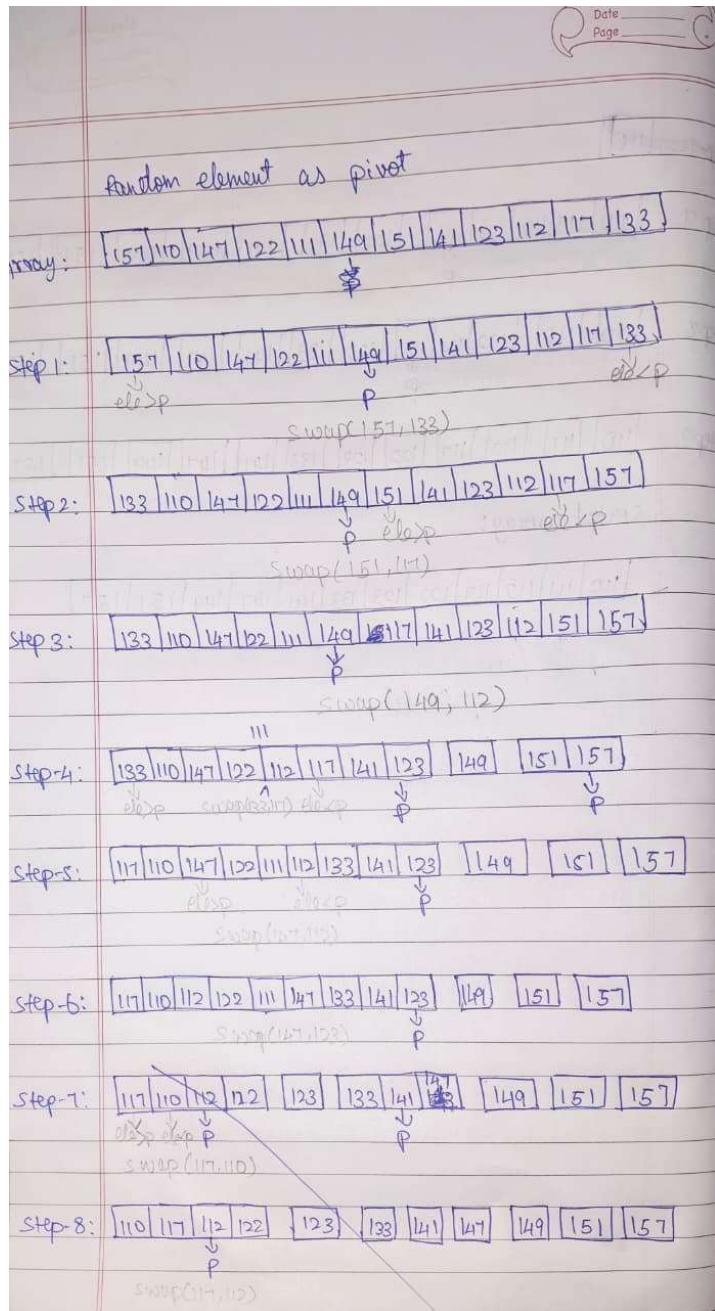
    return 0;
}
```

OUTPUT:

```
C:\Sem-4\DA\Week-6>gcc QuickSort_last.c
C:\Sem-4\DA\Week-6>.\a
Sorted array:
110 111 112 117 122 123 133 141 147 149 151 157
```

c. random element.

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Step-9:	110	112	111	122	103	123	141	147	149	151	157	
			↓									
Step-10												
	110	112	111	122	123	133	141	147	149	151	157	
Sorted Array:												
Step-7:	111	110	112	102	111	123	133	141	147	149	151	157
				↓			↓					
	ele > p		p		ele < p							
	Swap(111, 110)											
Step-8:	111	110	112	122	111	123	133	141	147	149	151	157
				↓			↓					
	p		p									
	swap(111, 110)						swap(122, 111)					
Step-9:	110	111	112	117	122	123	133	141	147	149	151	157
Sorted Array:												
	110	111	112	117	122	123	133	141	147	149	151	157

CODE:

```
#include <stdio.h>
#include <stdlib.h>
#include <time.h>

int partition(int arr[], int low, int high) {
    int pivot = arr[high];
    int i = low - 1;

    for (int j = low; j < high; j++) {
        if (arr[j] <= pivot) {
            i++;
            swap(&arr[i], &arr[j]);
        }
    }
    swap(&arr[i + 1], &arr[high]);
    return i + 1;
}

void swap(int *a, int *b) {
    int temp = *a;
    *a = *b;
    *b = temp;
}
```

```
        int temp = arr[i];
        arr[i] = arr[j];
        arr[j] = temp;
    }
}

int temp = arr[i + 1];
arr[i + 1] = arr[high];
arr[high] = temp;

return i + 1;
}

int randomPartition(int arr[], int low, int high) {
    int randomIndex = low + rand() % (high - low + 1);

    int temp = arr[randomIndex];
    arr[randomIndex] = arr[high];
    arr[high] = temp;

    return partition(arr, low, high);
}

void quickSort(int arr[], int low, int high) {
    if (low < high) {
        int p = randomPartition(arr, low, high);
        quickSort(arr, low, p - 1);
        quickSort(arr, p + 1, high);
    }
}

int main() {
    srand(time(NULL));

    int arr[] = {10, 7, 8, 9, 1, 5};
    int n = sizeof(arr) / sizeof(arr[0]);

    quickSort(arr, 0, n - 1);

    printf("Sorted array:\n");
    for (int i = 0; i < n; i++)
        printf("%d ", arr[i]);

    return 0;
}
```

OUTPUT:

```
C:\Sem-4\DA\Week-6>gcc QuickSort_random.c  
C:\Sem-4\DA\Week-6>.\a  
Sorted array:  
110 111 112 117 122 123 133 141 147 149 151 157
```

Time Complexity:

Quick Sort has a best-case and average-case time complexity of **$O(n \log n)$** , which occurs when the pivot element divides the array into two nearly equal subarrays at each recursive step. However, in the worst case, when the pivot selection results in highly unbalanced partitions (such as when the smallest or largest element is consistently chosen as the pivot), the time complexity degrades to **$O(n^2)$** . Although different pivot selection strategies can reduce the likelihood of the worst case, they do not change the theoretical time complexity bounds of the algorithm.

Space Complexity:

Quick Sort is an in-place sorting algorithm and therefore requires **$O(1)$** auxiliary space for data storage. However, due to its recursive nature, additional space is required for the recursion stack. In the best and average cases, the depth of recursion is **$O(\log n)$** , resulting in a space complexity of **$O(\log n)$** , whereas in the worst case of highly unbalanced partitions, the recursion depth can grow to **$O(n)$** , leading to a space complexity of **$O(n)$** .