#### dm25s1

#### Topic 04: Exploratory Data Analysis

Part 02: EDA Pass2

#### Dr Bernard Butler

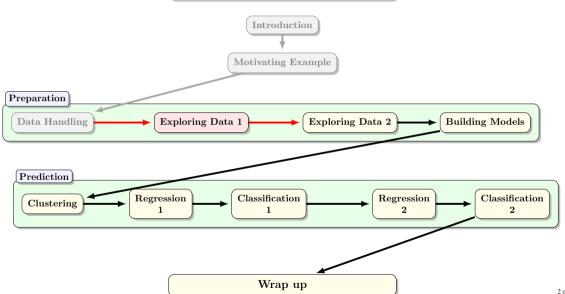
Department of Computing and Mathematics, WIT. (bernard.butler@setu.ie)

#### Autumn Semester, 2025

#### Outline

- Feature and target distributions
- Plotting
- After EDA Pass 2

#### Data Mining (Week 4)



## EDA Pass2 — Summary

1. Introduction

- 2. A Selection of Statistical Visualisations and Metrics
- 2.1 Categorical Features
- 2.2 Numerical Features

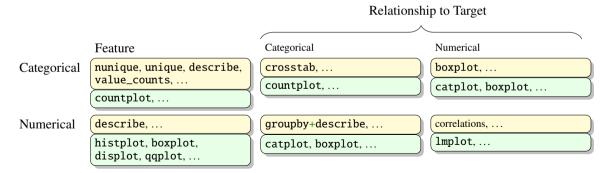
#### 3. Summary

### Acknowledgment

A big thanks to Dr Kieran Murphy, who provided many of the slides for today's lecture.

# Introducing EDA Pass2

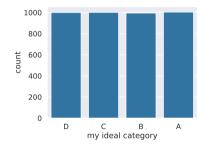
#### A Selection of Statistical Visualisations and Metrics



## Categorical Variables

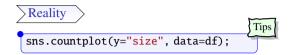
#### >The Ideal

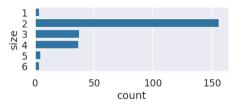
- Each level equally likely.
- Not too many levels: 2–12(ish).



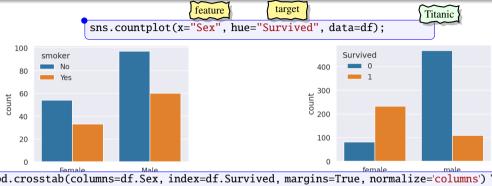
#### Tools

- nunique, unique, value\_counts.
- sns.countplot shows the counts of observations in each categorical level using bars.





- If size was the target, then most models will train towards the majority class (size=2).
- If size was a feature, then quality of predictor could vary greatly depending on the feature categorical level.
- Consider merge/drop rare category levels.



pd.crosstab(columns=df.Sex.index=df.Survived.margins=True.normalize='columns') \ .style.format("{:.2%}").background\_gradient(cmap='summer\_r')

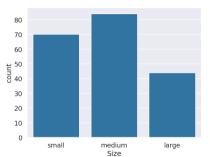
sex	Female Male		All	
smoker				
No	62.07%	61.78%	61.89%	
Yes	37.93%	38.22%	38.11%	

No relationship between sex and smoker

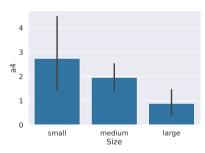
Sex	female male		All	
Survived				
0	25.80%	81.11%	61.62%	
1	74.20%	18.89%	38.38%	

Strong relationship between Sex and Survived

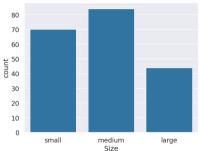
sns.countplot(x="Size", data=df);



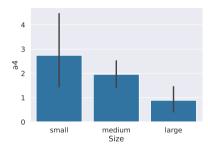
 Shows the counts of observations in each categorical level using bar (height/width). sns.catplot(x="Size", y="a4", data=df, kind='bar');



sns.countplot(x="Size", data=df);

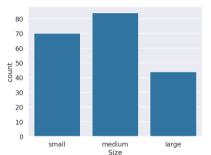


 Shows the counts of observations in each categorical level using bar (height/width). sns.catplot(x="Size", y="a4", data=df, kind='bar');



- Shows the average level (mean) and uncertainty (std)
  of the numerical target (a4) in each categorical level
  of the categorical variable.
- Vertical bar shows 95% confidence interval.

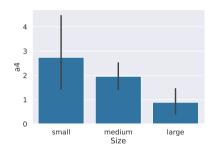
sns.countplot(x="Size", data=df);



Shows the counts of observations in each categorical level using bar (height/width).

Is it usable?

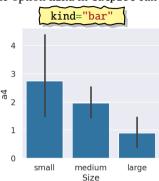
sns.catplot(x="Size", y="a4", data=df, kind='bar');

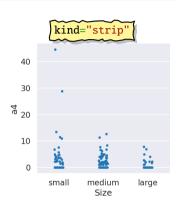


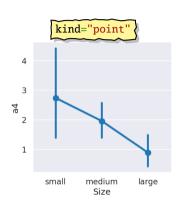
- Shows the average level (mean) and uncertainty (std) of the numerical target (a4) in each categorical level of the categorical variable.
- Vertical bar shows 95% confidence interval.

Is it useful?

The option kind in catplot can be:

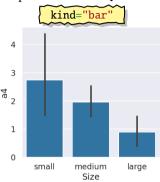


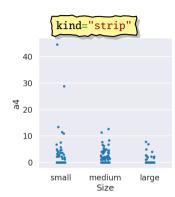


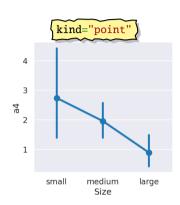


• bar and point show essentially the same information, but point is more compact when comparing multiple categorical features to a continuous target on the same plot.

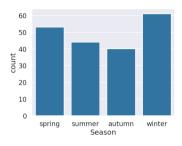
The option kind in catplot can be:

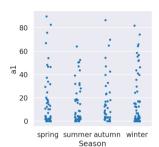


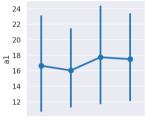


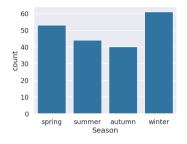


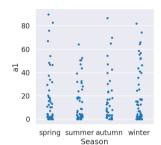
- bar and point show essentially the same information, but point is more compact when comparing multiple categorical features to a continuous target on the same plot.
- strip shows individual observations useful (as in this case) to show that the larger uncertainty in Size="small" observations is mainly due to two outliers.

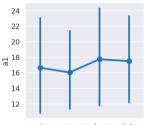










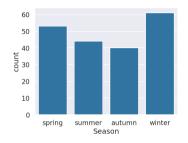


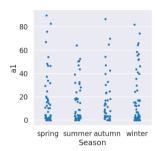
spring summer autumn winter Season

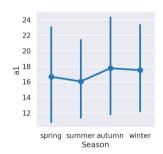
#### df.groupby("Season")["a1"].agg(["mean","count","std"])

	mean	count	std
Season	$\bar{x}$	n	$\sigma$
spring	16.649057	53	23.093786
summer	16.038636	44	17.920798
autumn	17.745000	40	21.611203
winter	17.498361	61	22.568256

### Example — Dataset: Algae Blooms, Feature: Season, Target: a1





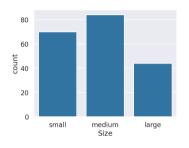


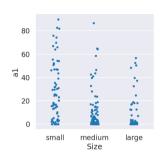
#### df.groupby("Season")["a1"].agg(["mean","count","std"])

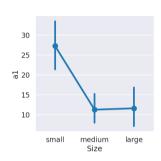
	mean	count	std
Season	$\bar{x}$	$\overline{n}$	$\sigma$
spring	16.649057	53	23.093786
summer	16.038636	44	17.920798
autumn	17.745000	40	21.611203
winter	17.498361	61	22.568256

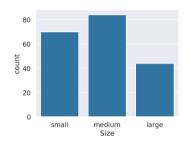
- Countplot shows no issues with feature Season all levels approximately
  equally represented.
- Catplots show slightly less spread in a1 for Season="summer" observations.
   (strip shows smaller range, point shows smaller standard deviation).
- $\Rightarrow$  Mean levels of **a1** for different levels of **Season** are well within the 95% confidence intervals  $(\bar{x} \pm \sigma 1.96/\sqrt{n})$ , so no/weak relationship between categorical feature and numerical target.

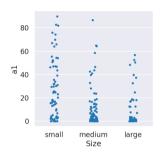
### Example — Dataset: Algae Blooms, Feature: Size, Target: a1

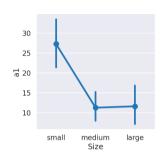








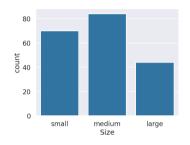


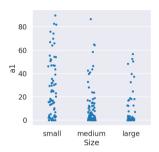


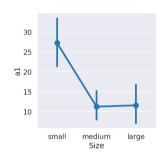
df.groupby("Size")["a1"].agg(["min","max","mean","count","std"])

	min	max	mean	count	std
Size			$\bar{x}$	n	$\sigma$
small	0.0	89.8	27.255714	70	24.895426
medium	0.0	86.6	11.267857	84	17.163124
large	0.0	56.8	11.611364	44	16.556123

### Example — Dataset: Algae Blooms, Feature: Size, Target: a1







#### df.groupby("Size")["a1"].agg(["min","max","mean","count","std"])

	min	max	mean	count	st
Size			$\bar{x}$	n	
small	0.0	89.8	27.255714	70	24.89542
medium	0.0	86.6	11.267857	84	17.16312
large	0.0	56.8	11.611364	44	16.55612

- Countplot shows no issues with feature Size.
- Catplot (point) shows that levels of a1 are higher for Size="small" observations.
- ⇒ Confidence interval for Size="small" observations do not overlap with CI for other levels, so significant relationship between categorical feature and numerical target.

#### Numerical Variables

Things here are more complicated as a numerical variable could follow many different distributions. Here we look at data following the standard normal distribution. To start we generate 10,000 values and put in to new DataFrame, df2.

```
rv = stats.norm()
data = rv.rvs(size=10_000)
df2 = pd.DataFrame(data, columns=["x"])
df2.head(5)
```

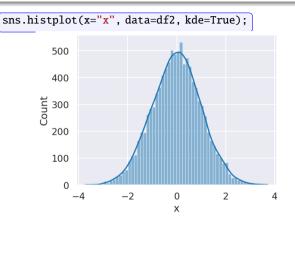
```
0 -1.915795
1 0.641175
2 0.040114
3 0.725531
4 0.252675
```

#### **Numerical Variables**

Things here are more complicated as a numerical variable could follow many different distributions. Here we look at data following the standard normal distribution. To start we generate 10,000 values and put in to new DataFrame, df2.

```
rv = stats.norm()
data = rv.rvs(size=10_000)
df2 = pd.DataFrame(data, columns=["x"])
df2.head(5)
```



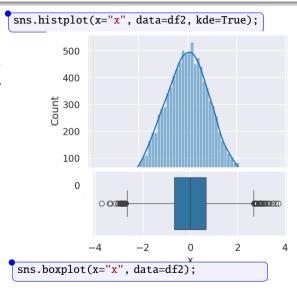


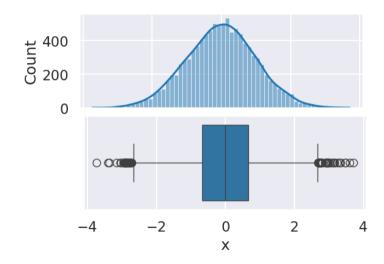
#### **Numerical Variables**

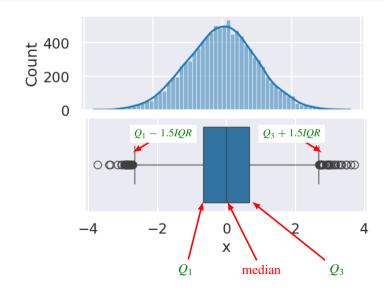
Things here are more complicated as a numerical variable could follow many different distributions. Here we look at data following the standard normal distribution. To start we generate 10,000 values and put in to new DataFrame, df2.

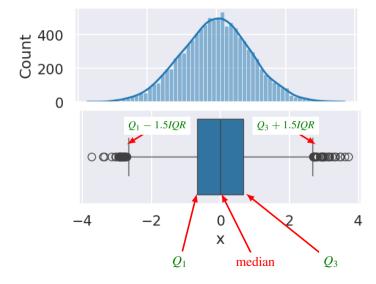
```
rv = stats.norm()
data = rv.rvs(size=10_000)
df2 = pd.DataFrame(data, columns=["x"])
df2.head(5)
```



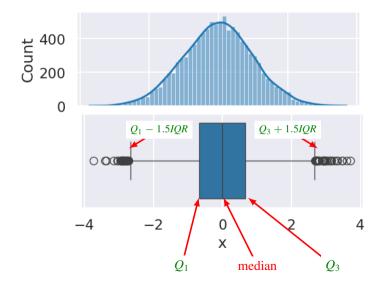








- Histogram is useful in depicting location, spread and shape.
- Curve, is estimate of shape given infinite data and infinite number of bins.
- Boxplots also depicts location, spread and shape, but uses median for estimate of centre. and quartiles for spread.

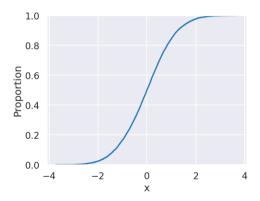


- Histogram is useful in depicting location, spread and shape.
- Curve, is estimate of shape given infinite data and infinite number of bins.
- Boxplots also depicts location, spread and shape, but uses median for estimate of centre. and quartiles for spread.
- Half the data is within the box. data points outside the whiskers (lines) are possible outliers, denoted by circles.

Numerical Features

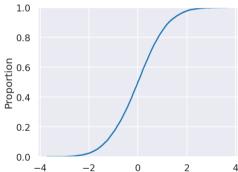
### Cumulative Plot and QQ-Plot

sns.ecdfplot(data=df2, x="x");



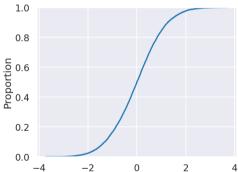
## Cumulative Plot and QQ-Plot

sns.ecdfplot(data=df2, x="x");

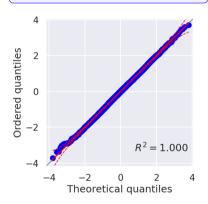


Represents the proportion of observations less than or equal to given value.

sns.ecdfplot(data=df2, x="x");

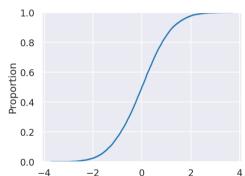


 Represents the proportion of observations less than or equal to given value. import pingouin as pg
pg.qqplot(df2.x);

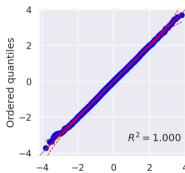


## Cumulative Plot and QQ-Plot

sns.ecdfplot(data=df2, x="x");

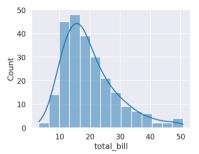


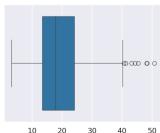
 Represents the proportion of observations less than or equal to given value. import pingouin as pg
pg.qqplot(df2.x);



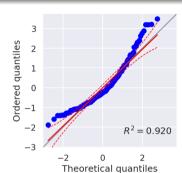
• Plot of observed quantiles against theoretical (assumed normal) quantiles. If both sets of quantiles came from the same distribution, the points lie on a line (approx.).

#### Example — Dataset: Tips, Feature: total\_bill





total hill

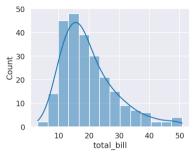


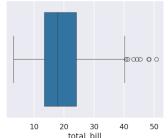
#### df.total\_bill.describe()

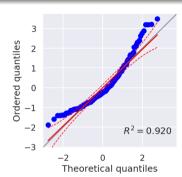
244.000000 count 19.785943 mean std 8.902412 min 3.070000 25% 13.347500 50% 17.795000 75% 24.127500 50.810000 max

Name: total\_bill, dtype: float

#### Example — Dataset: Tips, Feature: total\_bill





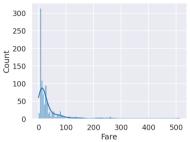


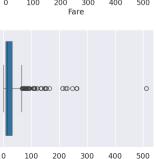
df.total\_bill.describe()

244.000000 count 19.785943 mean std 8.902412 min 3.070000 13.347500 25% 50% 17.795000 75% 24.127500 50.810000 max Name: total\_bill, dtype: float

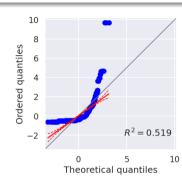
- Data is bell curve shaped, but right skewed (data is more spread out to the right).
- Outliners to the right.
- QQ-Plot indicate that data is not normal, but we could transform it to be more closer to normal.

### Example — Dataset: Titanic, Feature: Fare





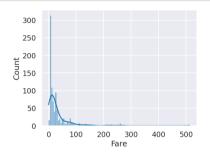
Fare

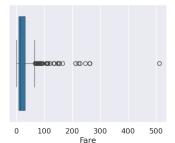


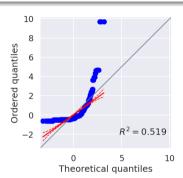
#### df.Fare.describe()

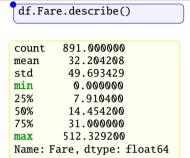
891.000000 count 32.204208 mean std 49,693429 min 0.000000 25% 7.910400 50% 14.454200 75% 31.000000 512.329200 max Name: Fare, dtype: float64

#### Example — Dataset: Titanic, Feature: Fare





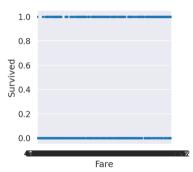




 This variable is more skewed and dominated by its outliers which need to be resolved.

## Warning — Plot Output Depends on Data Assumptions

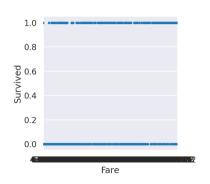
```
df = pd.read_csv("data/train.csv")
sns.catplot(data=df, x="Fare", y="Survived");
```

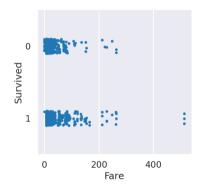


### Warning — Plot Output Depends on Data Assumptions

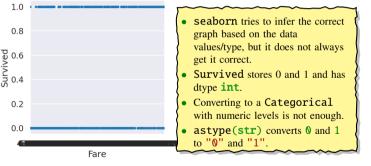
df = pd.read\_csv("data/train.csv")
sns.catplot(data=df, x="Fare", y="Survived");

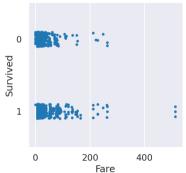
df = pd.read\_csv("data/train.csv")
df.Survived = df.Survived.astype(str)
sns.catplot(data=df, x="Fare", y="Survived");





# Warning — Plot Output Depends on Data Assumptions





• After reading in the data, exploratory data analysis begins

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?
- Pass 2 examines the data more closely, in a repeatable fashion

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?
- Pass 2 examines the data more closely, in a repeatable fashion
  - How are (subsets of) the features and target(s) distributed?

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?
- Pass 2 examines the data more closely, in a repeatable fashion
  - How are (subsets of) the features and target(s) distributed?
- Pandas and seaborn offer easy-to-use ways of visualising columns, noting

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?
- Pass 2 examines the data more closely, in a repeatable fashion
  - How are (subsets of) the features and target(s) distributed?
- Pandas and seaborn offer easy-to-use ways of visualising columns, noting
  - their datatype

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?
- Pass 2 examines the data more closely, in a repeatable fashion
  - How are (subsets of) the features and target(s) distributed?
- Pandas and seaborn offer easy-to-use ways of visualising columns, noting
  - their datatype
  - their cardinality

- After reading in the data, exploratory data analysis begins
- Pass 1 is all about assessing the structure and cleanliness of the data
  - Are the column names descriptive and short, or do we need to rename them?
  - What datatype is each column are there any surprises there?
  - Mow are missing values handled, and can we standardise this?
- Pass 2 examines the data more closely, in a repeatable fashion
  - How are (subsets of) the features and target(s) distributed?
- Pandas and seaborn offer easy-to-use ways of visualising columns, noting
  - their datatype
  - their cardinality
  - the visualisation objective: observe distributions or relationships within a column