

Responsible Data Science

Algorithmic Fairness

Prof. Julia Stoyanovich

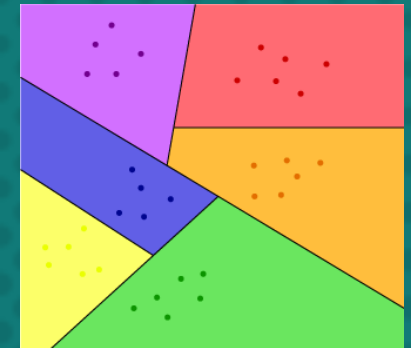
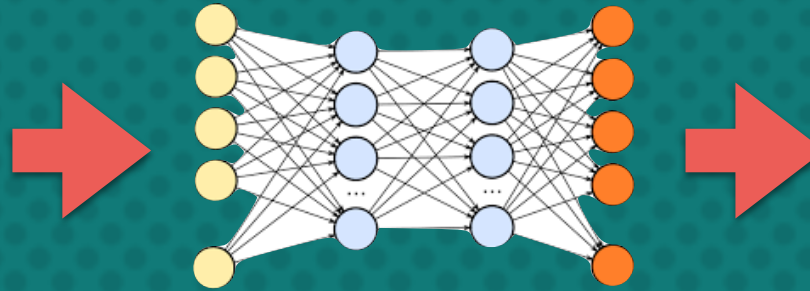
Center for Data Science &
Computer Science and Engineering
New York University



recall:
pre-existing bias

“Bias” in predictive analytics

#	A	B	C	D	E	F	G	H
1	UID	sex	race	MarriageSta	DateOfBirth	age	juv_fel_cour	decile_score
2	1	0	1	1	4/18/47	69	0	1
3	2	0	2	1	1/22/82	34	0	3
4	3	0	2	1	5/14/91	24	0	4
5	4	0	2	1	1/21/93	23	0	8
6	5	0	1	2	1/22/73	43	0	1
7	6	0	1	3	8/22/71	44	0	1
8	7	0	3	1	7/23/74	41	0	6
9	8	0	1	2	2/25/73	43	0	4
10	9	0	3	1	6/10/94	21	0	3
11	10	0	3	1	6/1/88	27	0	4
12	11	1	3	2	8/22/78	37	0	1
13	12	0	2	1	12/2/74	41	0	4
14	13	1	3	1	6/14/68	47	0	1
15	14	0	2	1	3/25/85	31	0	3
16	15	0	4	4	1/25/79	37	0	1
17	16	0	2	1	6/22/90	25	0	10
18	17	0	3	1	12/24/84	31	0	5
19	18	0	3	1	1/8/85	31	0	3
20	19	0	2	3	6/28/51	64	0	6
21	20	0	2	1	11/29/94	21	0	9
22	21	0	3	1	8/6/88	27	0	2
23	22	1	3	1	3/22/95	21	0	4
24	23	0	4	1	1/23/92	24	0	4
25	24	0	3	3	1/10/73	43	0	1
26	25	0	1	1	8/24/83	32	0	3
27	26	0	2	1	2/8/89	27	0	3
28	27	1	3	1	9/3/79	36	0	3
29	28	0	2	1	4/23/80	36	0	3



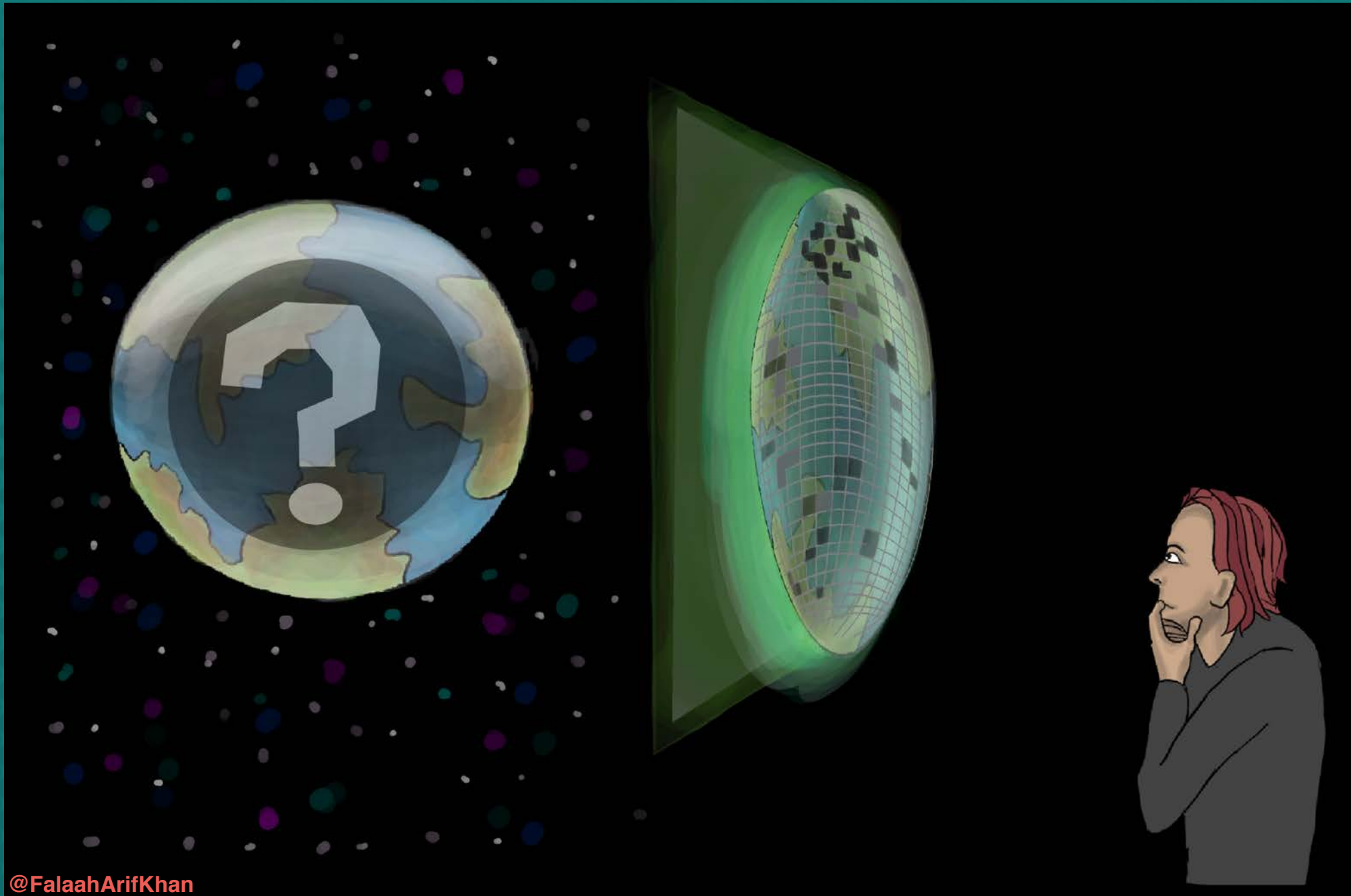
Statistical

model does not
summarize the data
correctly

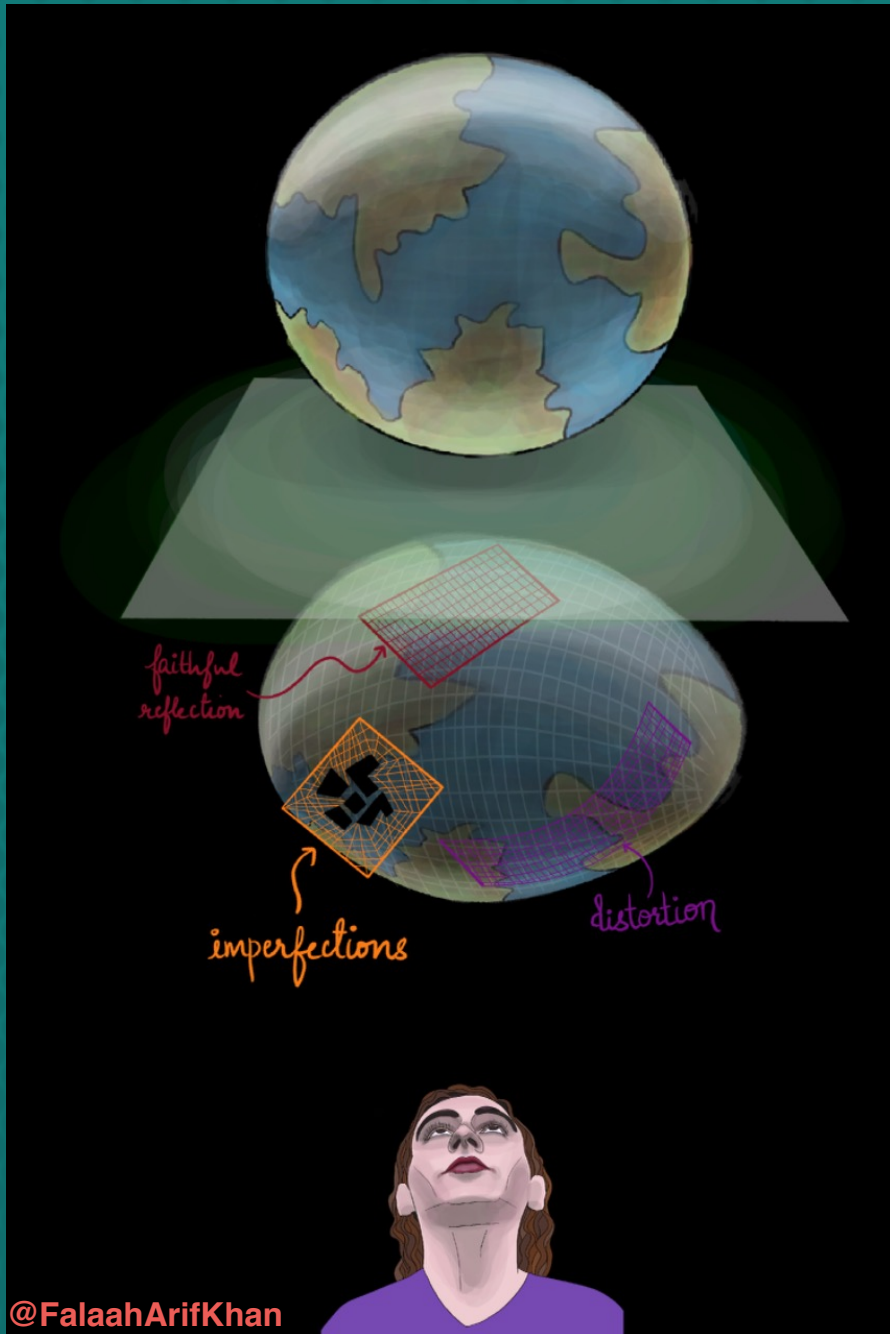
Societal

data does not
represent the world
correctly

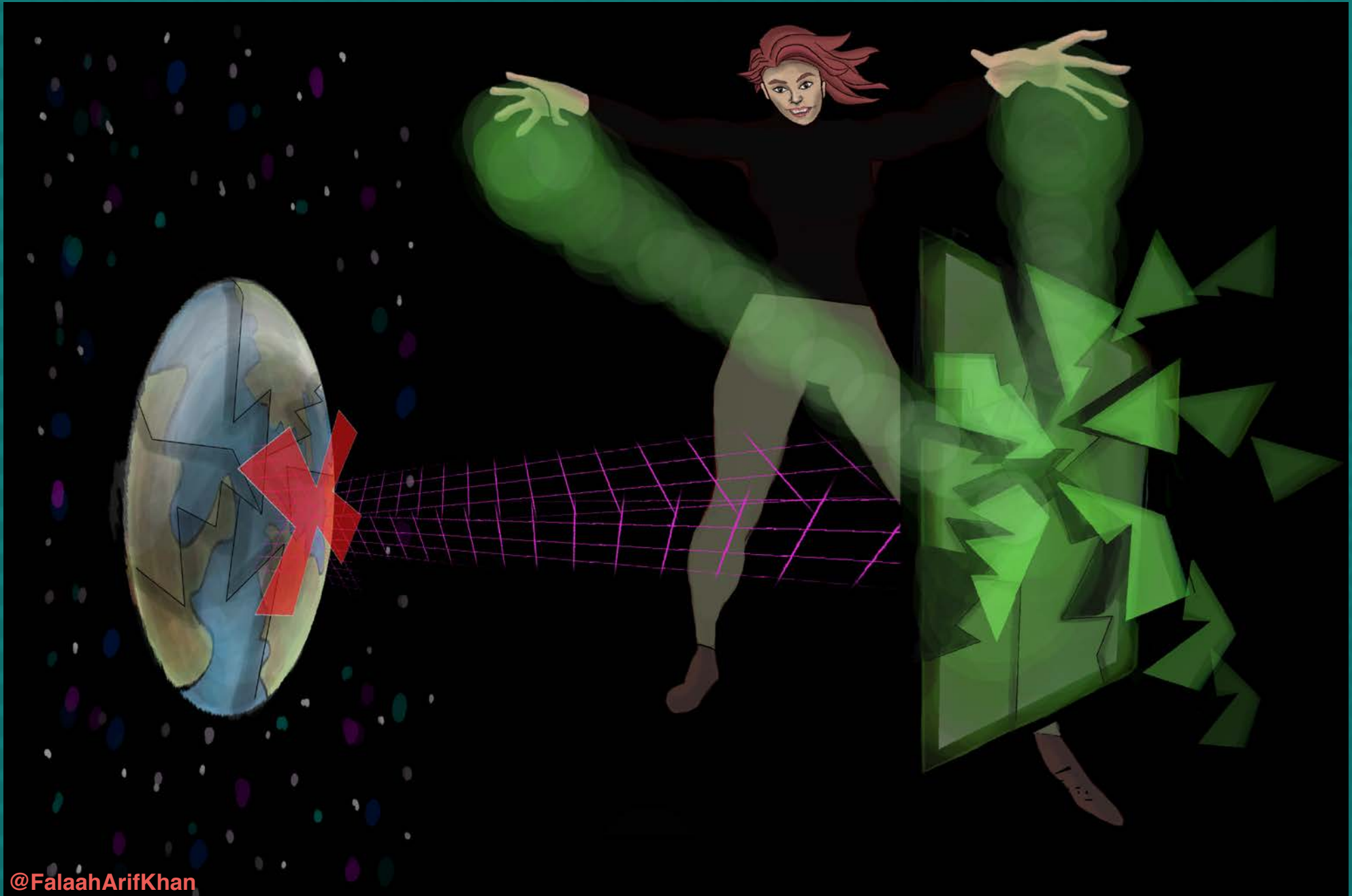
Data, a reflection of the world



Data, a reflection of the world



Changing the reflection won't change the world





*fairness in
classification*

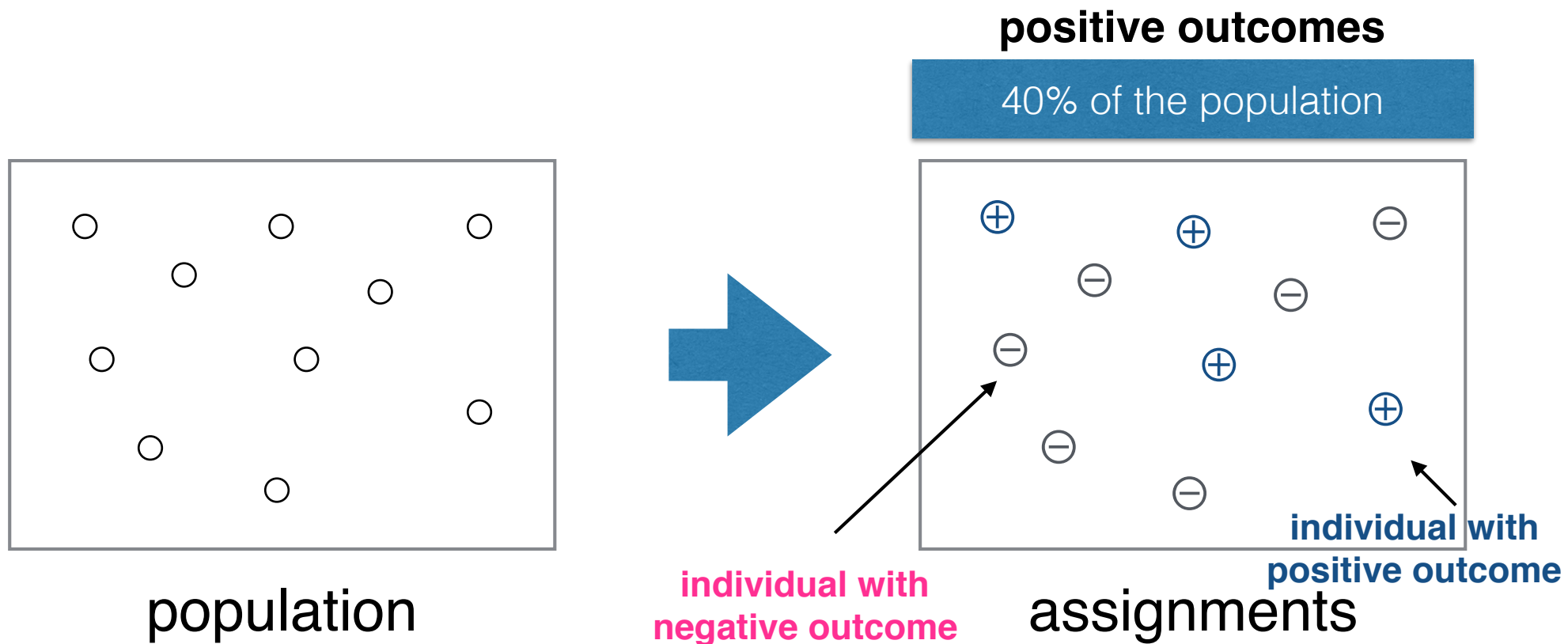
Vendors and outcomes

Consider a **vendor** assigning positive or negative **outcomes** to individuals.

Positive Outcomes	Negative Outcomes
offered employment	not offered employment
accepted to school	not accepted to school
offered a loan	denied a loan
offered a discount	not offered a discount


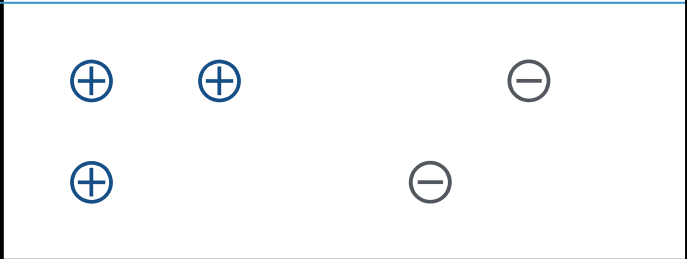
Fairness in classification

Fairness in classification is concerned with how outcomes are assigned to a population



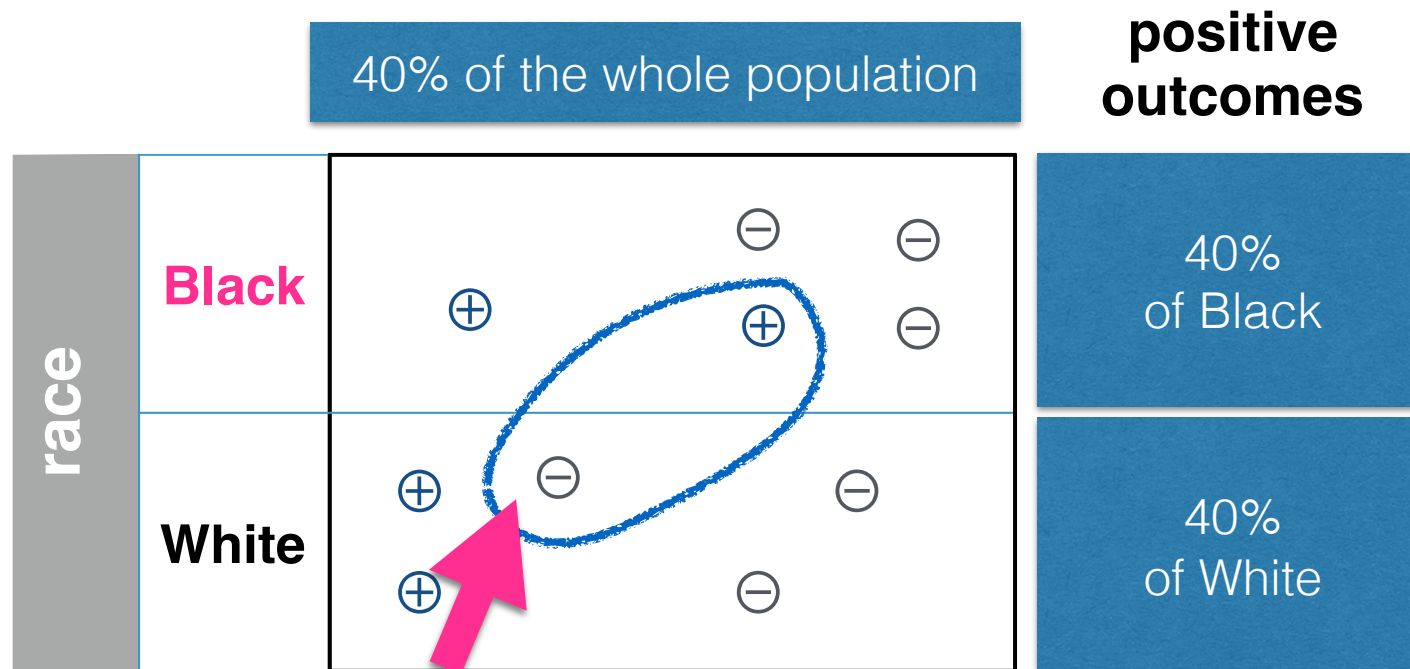
Fairness in classification

Sub-populations may be treated differently

		40% of the whole population	positive outcomes	} disparate impact??
race	Black		20% of Black	
	White		60% of White	

Fairness in classification

Sub-populations may be treated differently

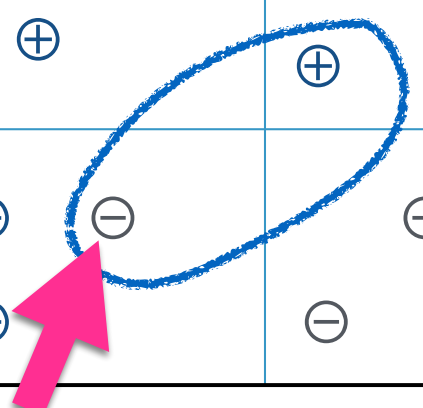


Fairness in classification

		SAT score		
		high	low	
race	Black	⊕	⊖ ⊖ ⊖ ⊖	20% of Black
	White	⊕ ⊕ ⊕	⊖ ⊖	60% of White

Swapping outcomes

		SAT score	
		high	low
race	Black	\oplus	\ominus \ominus \oplus \ominus
	White	\oplus \ominus \oplus	\ominus \ominus



**positive
outcomes**

40%
of Black

40%
of White


Two families of fairness measures

Group fairness (*here* **statistical parity**)

demographics of the individuals receiving any outcome - positive or negative - should be the same as demographics of the underlying population

Individual fairness

any two individuals who are similar with respect to a task should receive similar outcomes

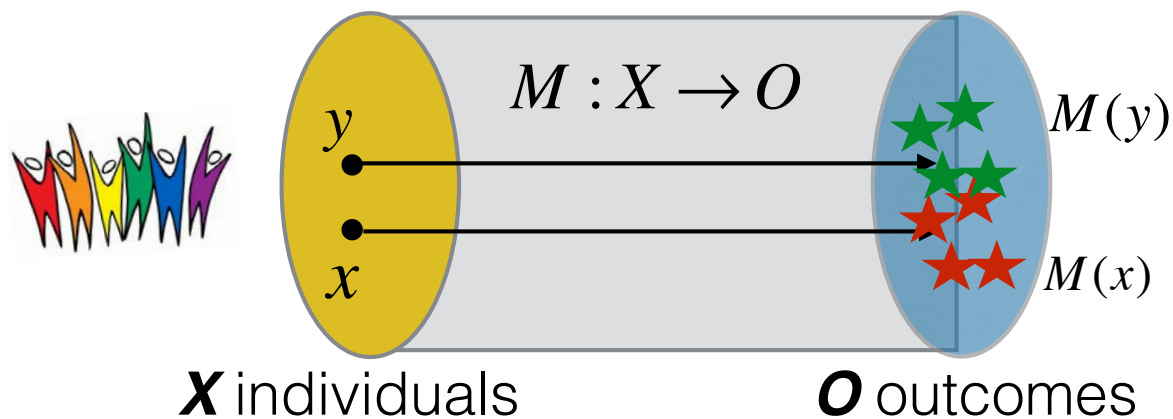


*fairness through
awareness*

Fairness through awareness

[C. Dwork, M. Hardt, T. Pitassi, O. Reingold, R. S. Zemel; *ITCS 2012*]

Fairness: Individuals who are **similar** for the purpose of classification task should be **treated similarly**.



A task-specific similarity metric is given $d(x, y)$

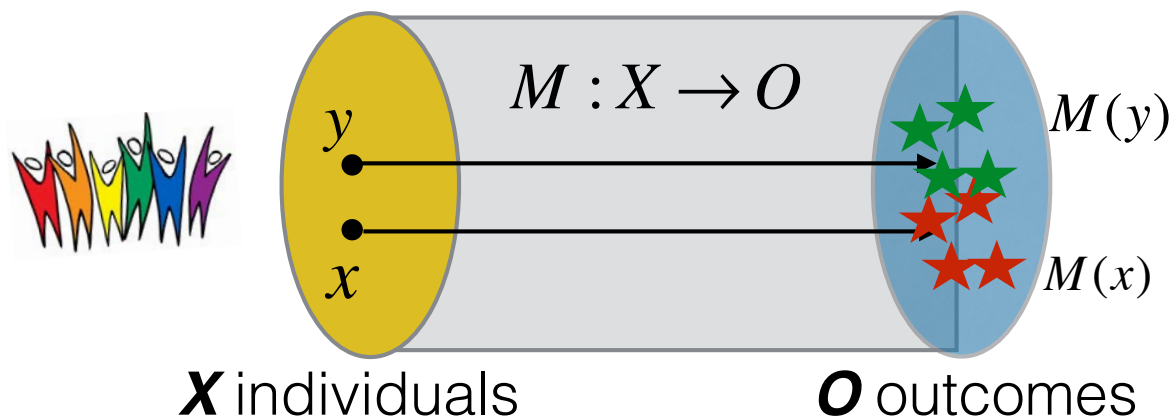


$M : X \rightarrow O$ is a **randomized mapping**: an individual is mapped to a distribution over outcomes

Fairness through a Lipschitz mapping

[C. Dwork, M. Hardt, T. Pitassi, O. Reingold, R. S. Zemel; *ITCS 2012*]

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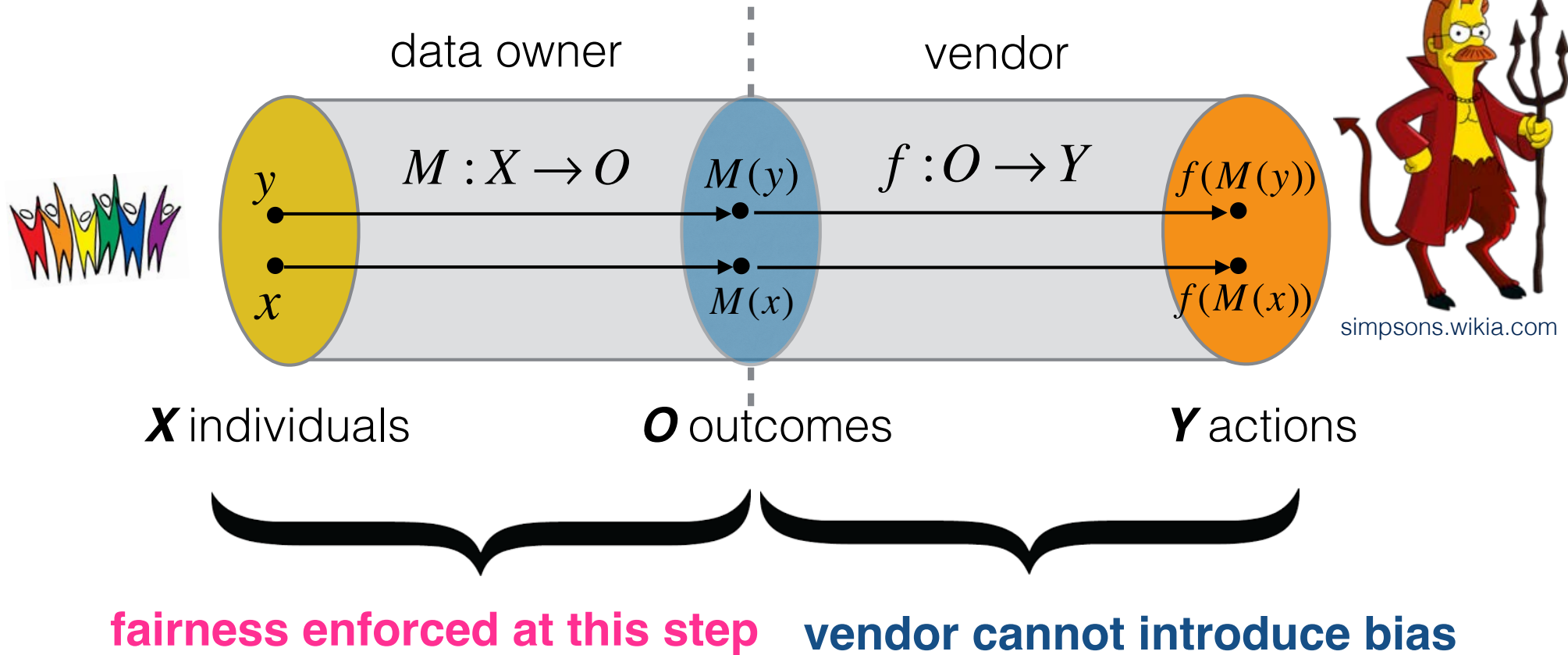
M is a Lipschitz mapping if $\forall x, y \in X \quad \|M(x), M(y)\| \leq d(x, y)$

close individuals map to close distributions

there always exists a Lipschitz mapping - which?

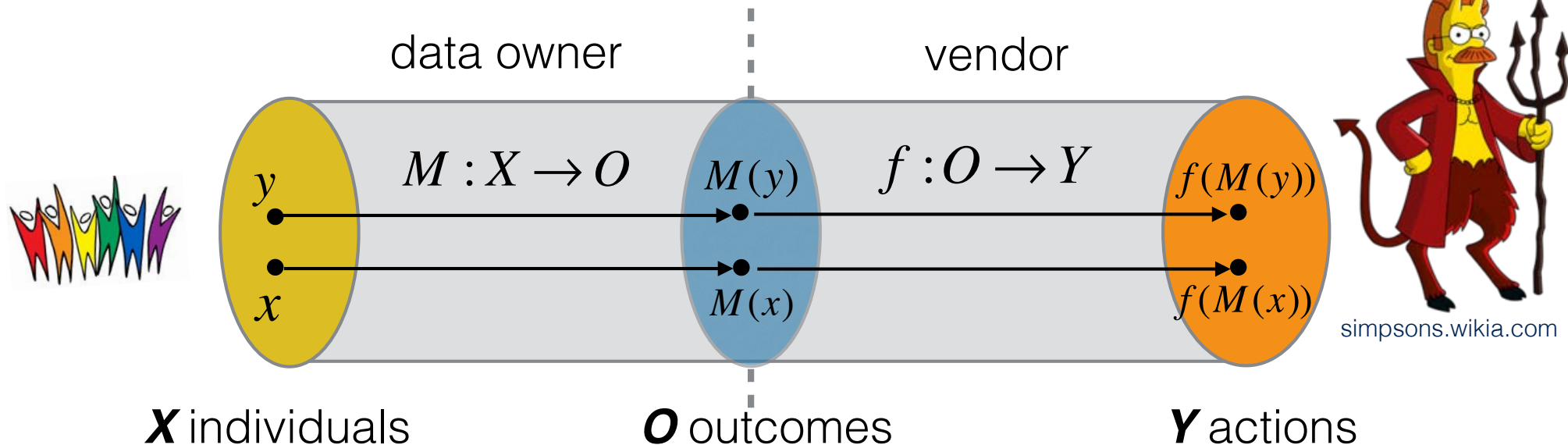
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Fairness through a Lipschitz mapping

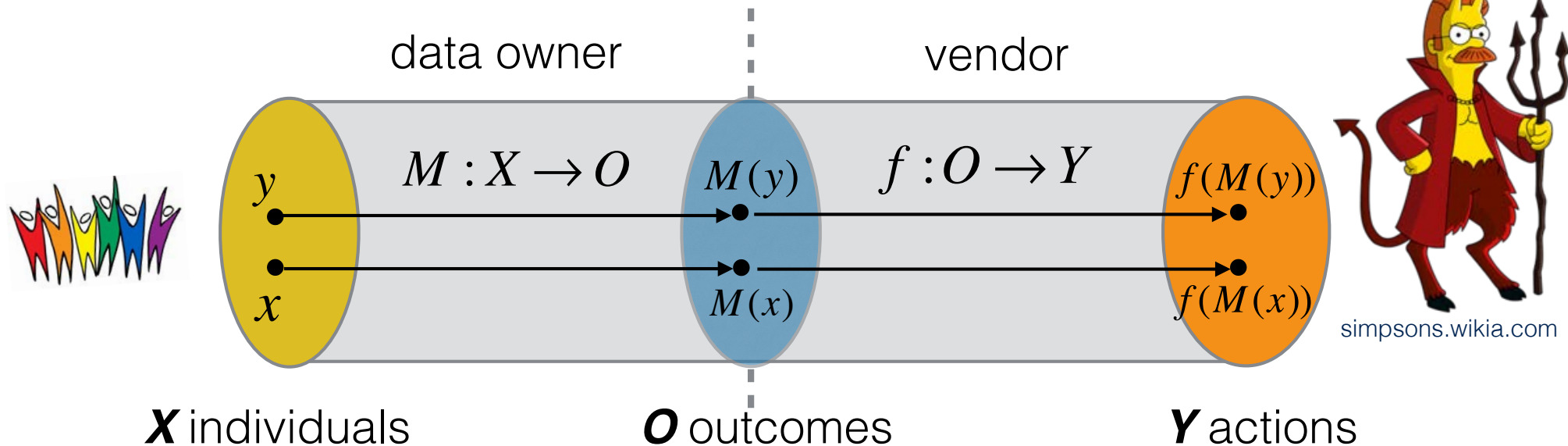
[C. Dwork, M. Hardt, T. Pitassi, O. Reingold, R. S. Zemel; *ITCS 2012*]



Find a mapping from individuals to distributions over outcomes that minimizes expected loss, **subject to the Lipschitz condition**. Optimization problem: minimize an arbitrary loss function.

Fairness through a Lipschitz mapping

[C. Dwork, M. Hardt, T. Pitassi, O. Reingold, R. S. Zemel; *ITCS 2012*]



Computed with a linear program of size $\text{poly}(|X|, |Y|)$

the same mapping can be used by multiple vendors


Some philosophical background

[C. Calsamiglia; *PhD thesis 2005*]

“**Equality of opportunity** defines an important welfare criterion in political philosophy and policy analysis.

Philosophers define equality of opportunity as the requirement that an individual's well being be independent of his or her irrelevant characteristics. **The difference among philosophers is mainly about which characteristics should be considered irrelevant.**”

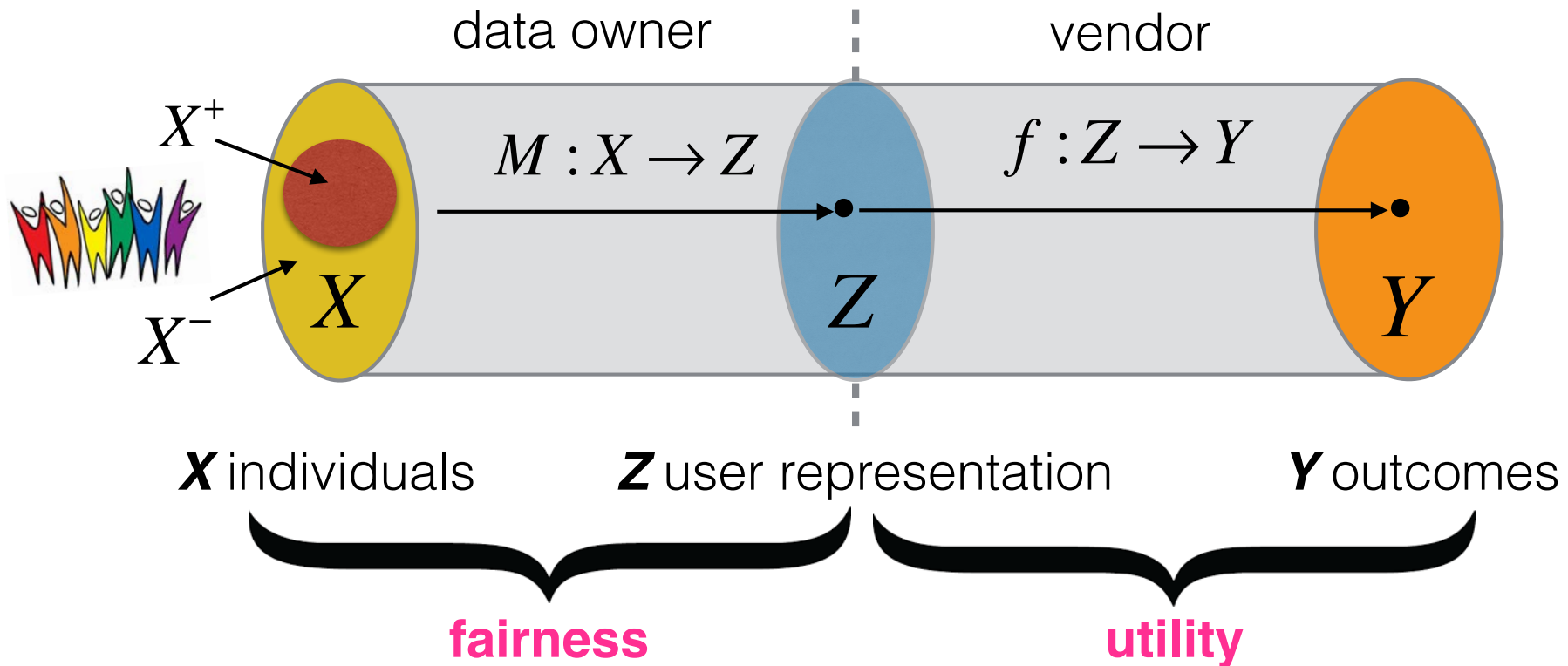
Policymakers, however, are often called upon to address more specific questions: How should admissions policies be designed so as to provide equal opportunities for college? Or how should tax schemes be designed so as to equalize opportunities for income? These are called local distributive justice problems, because each policymaker is in charge of achieving equality of opportunity to a specific issue.”



*learning fair
representations*

Learning fair representations

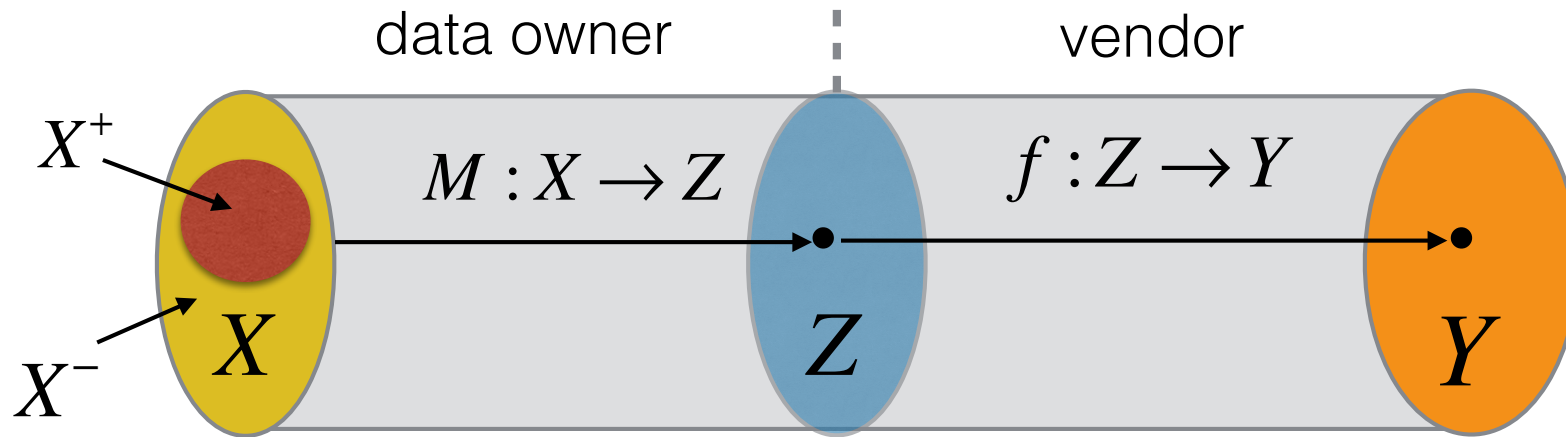
[R. S. Zemel, Y. Wu, K. Swersky, T. Pitassi, C. Dwork; *ICML 2013*]



- **Idea:** remove reliance on a “fair” similarity measure, instead **learn** representations of individuals, distances

Fairness and utility

[R. S. Zemel, Y. Wu, K. Swersky, T. Pitassi, C. Dwork; *ICML 2013*]



Learn a **randomized mapping** $M(X)$ to a set of K prototypes Z

$M(X)$ should lose information about membership in S $P(Z | S = 0) = P(Z | S = 1)$

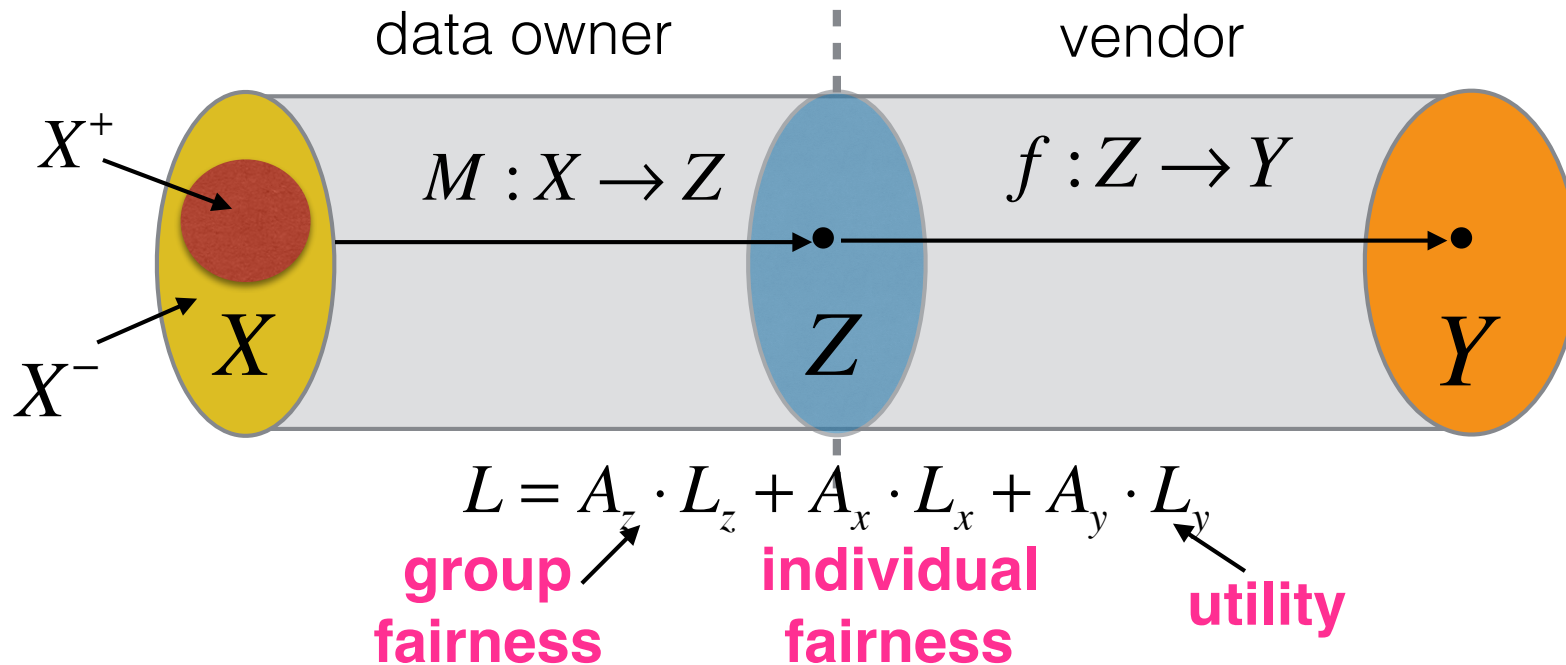
$M(X)$ should preserve other information so that vendor can maximize utility

$$L = A_z \cdot L_z + A_x \cdot L_x + A_y \cdot L_y$$

group fairness \nearrow **individual fairness** \nwarrow **utility**

Fairness and utility

[R. S. Zemel, Y. Wu, K. Swersky, T. Pitassi, C. Dwork; *ICML 2013*]



$$P_k^+ = P(Z = k \mid x \in X^+)$$

$$P_k^- = P(Z = k \mid x \in X^-)$$

$$L_z = \sum_k |P_k^+ - P_k^-| \quad L_x = \sum_n (x_n - \hat{x}_n)^2$$

$$L_y = \sum_n -y_n \log \hat{y}_n - (1 - y_n) \log(1 - \hat{y}_n)$$

does this make sense?



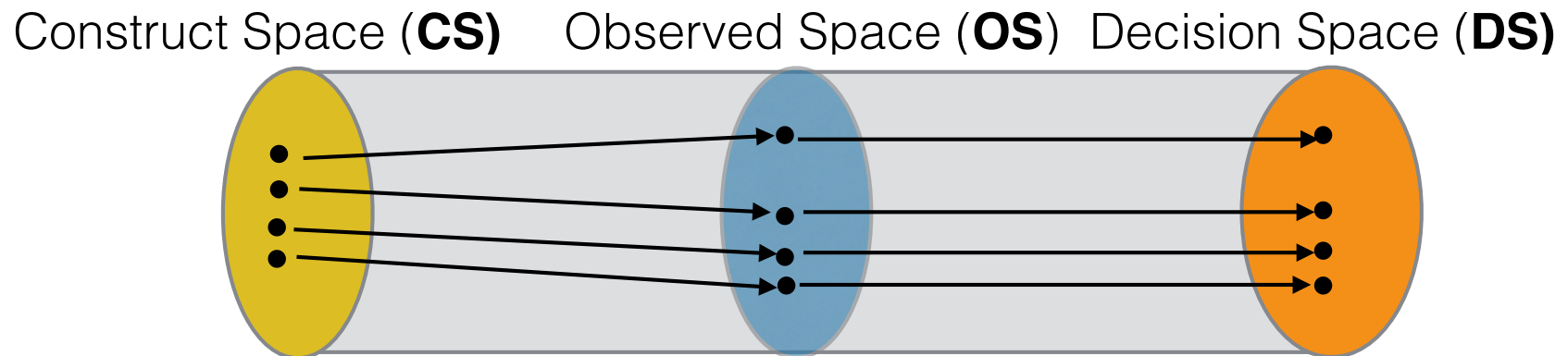
on the
(im)possibility of
fairness

On the (im)possibility of fairness

[S. Friedler, C. Scheidegger and S. Venkatasubramanian, arXiv:1609.07236v1 (2016)]

Goal: tease out the difference between *beliefs* and *mechanisms* that logically follow from those beliefs.

Main insight: To study algorithmic fairness is to study the interactions between different spaces that make up the decision pipeline for a task



On the (im)possibility of fairness

[S. Friedler, C. Scheidegger and S. Venkatasubramanian, arXiv:1609.07236v1 (2016)]

Construct Space	Observed Space	Decision Space
intelligence	SAT score	performance in college
grit	high-school GPA	
propensity to commit crime	family history	recidivism
risk-averseness	age	

define fairness through properties of mappings

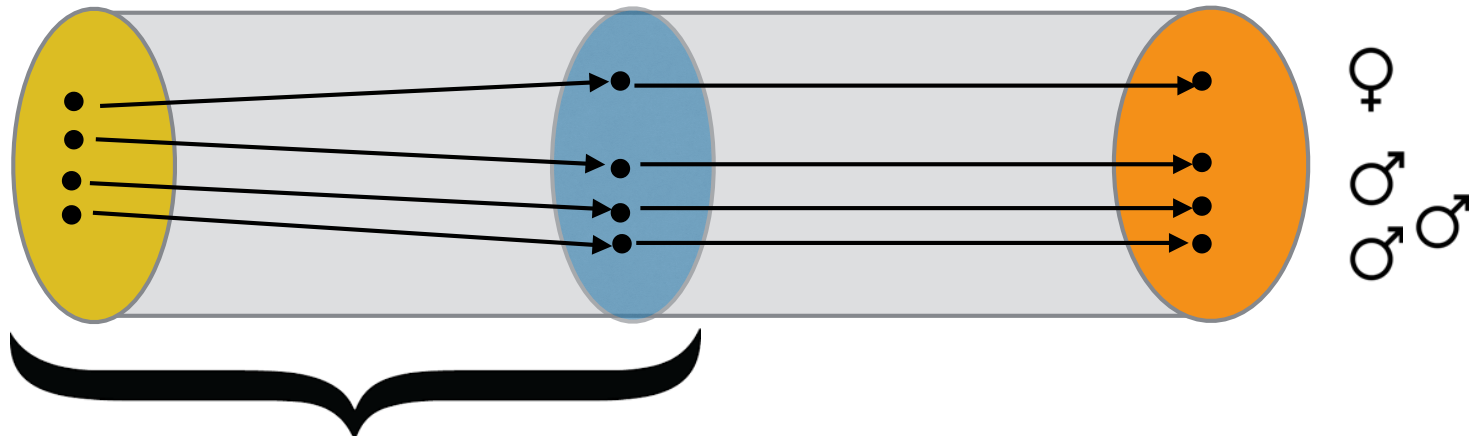
Fairness through mappings

[S. Friedler, C. Scheidegger and S. Venkatasubramanian, arXiv:1609.07236v1 (2016)]

Fairness: a mapping from **CS** to **DS** is (ϵ, ϵ') -fair if two objects that are no further than ϵ in **CS** map to objects that are no further than ϵ' in **DS**.

$$f : CS \rightarrow DS \qquad d_{CS}(x, y) < \epsilon \Rightarrow d_{DS}(f(x), f(y)) < \epsilon'$$

Construct Space (**CS**) Observed Space (**OS**) Decision Space (**DS**)

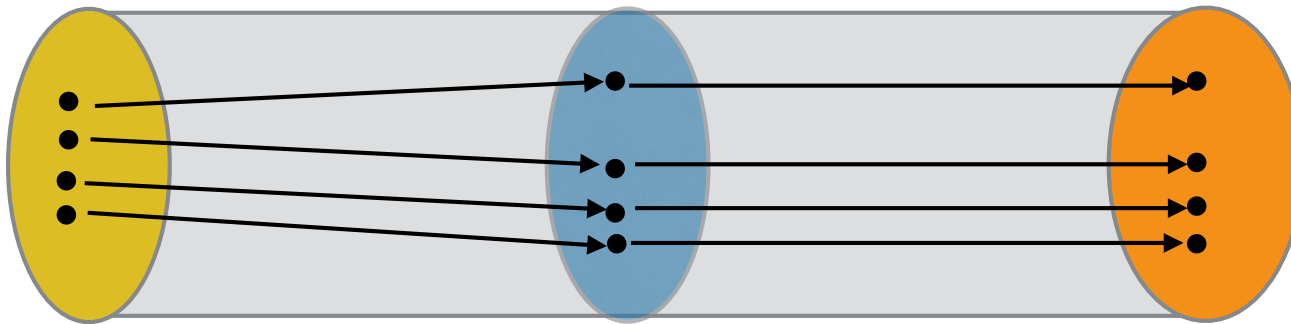


let's focus on this portion

WYSWYG

[S. Friedler, C. Scheidegger and S. Venkatasubramanian, arXiv:1609.07236v1 (2016)]

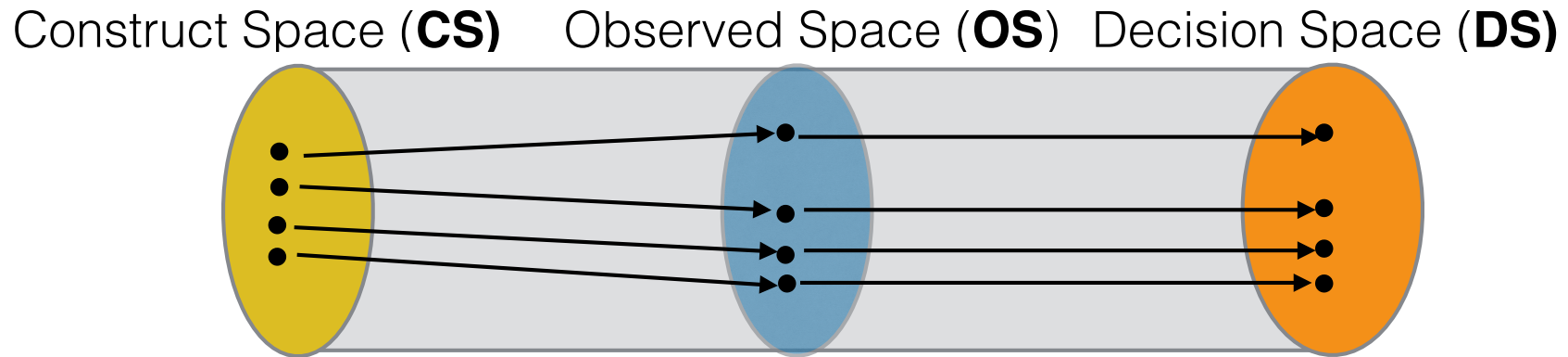
Construct Space (**CS**) Observed Space (**OS**) Decision Space (**DS**)



What you see is what you get (**WYSIWYG**): there exists a mapping from **CS** to **OS** that has low distortion. That is, we believe that OS faithfully represents CS. **This is the individual fairness world view.**

WAE

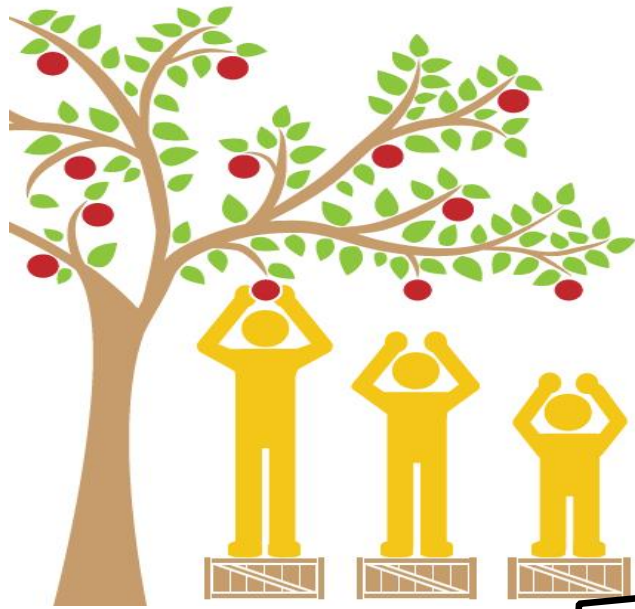
[S. Friedler, C. Scheidegger and S. Venkatasubramanian, arXiv:1609.07236v1 (2016)]



We are all equal (**WAE**): the mapping from **CS** to **OS** introduces **structural bias** - there is a distortion that aligns with the group structure of **CS**. **This is the group fairness world view.**

Structural bias examples: SAT verbal questions function differently in the African-American and in the Caucasian subgroups in the US. Other examples?

Fairness and worldviews



individual
fairness

equality

group
fairness



equity

The evils of discrimination

Disparate treatment

is the illegal practice of treating an entity, such as a job applicant or an employee, differently based on a **protected characteristic** such as race, gender, age, religion, sexual orientation, or national origin.

Disparate impact

is the result of systematic disparate treatment, where disproportionate **adverse impact** is observed on members of a **protected class**.

Ricci v. DeStefano (2009)

Supreme Court Finds Bias Against White Firefighters

By ADAM LIPTAK JUNE 29, 2009



Karen Lee Torre, left, a lawyer who represented the New Haven firefighters in their lawsuit, with her clients Monday at the federal courthouse in New Haven. Christopher Capozziello for The New York Times

Case opinions

Majority	Kennedy, joined by Roberts, Scalia, Thomas, Alito
Concurrence	Scalia
Concurrence	Alito, joined by Scalia, Thomas
Dissent	Ginsburg, joined by Stevens, Souter, Breyer

Laws applied

Title VII of the Civil Rights Act of 1964, 42 U.S.C. § 2000e [et seq.](#)




What's the right answer?

There is no single answer!

Need transparency and public debate

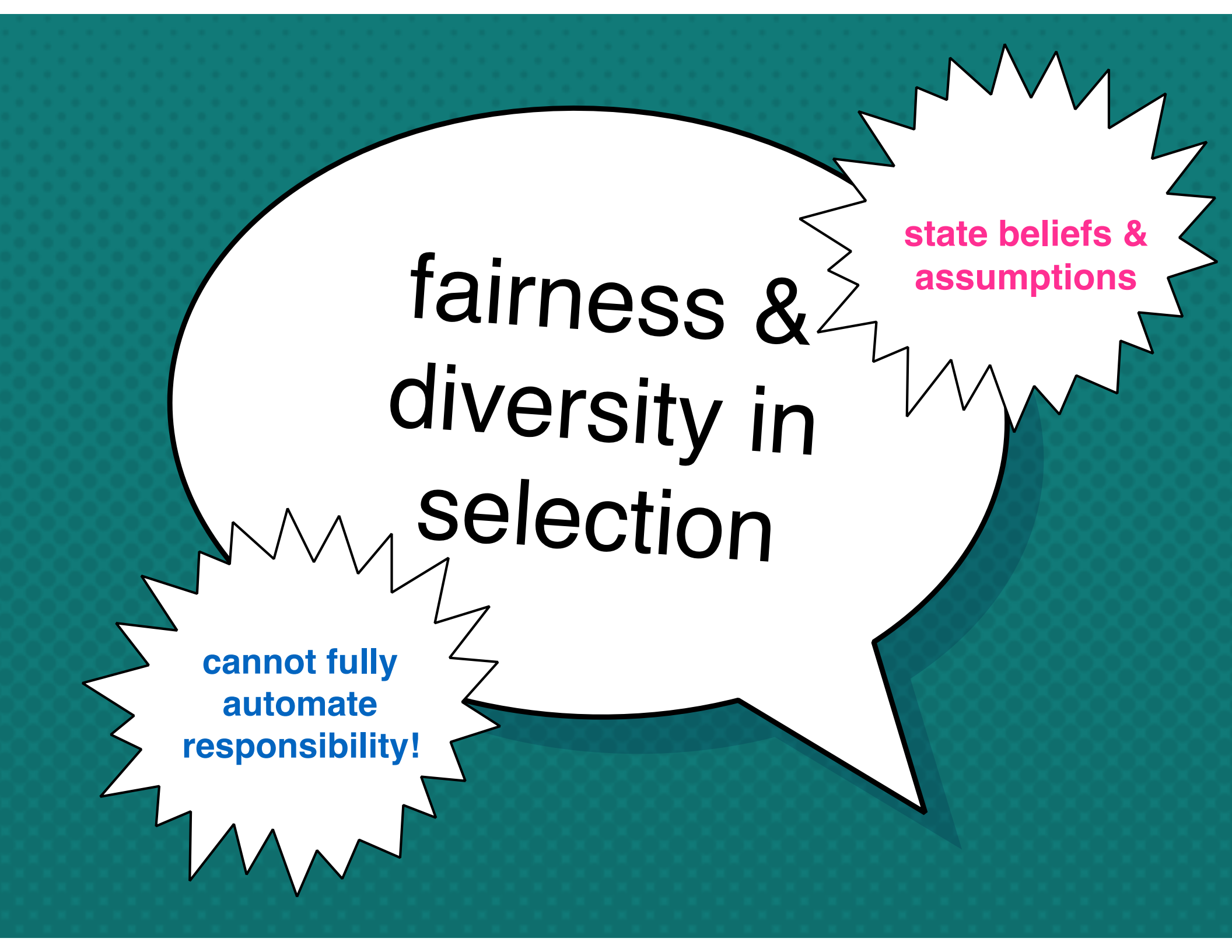
- Consider harms and benefits to different stakeholders
- Being transparent about which fairness criteria we use, how we trade them off
- Recall “Learning Fair Representations”: a typical ML approach

$$L = A_z \cdot L_z + A_x \cdot L_x + A_y \cdot L_y$$

group  **individual**  **utility** 

fairness **fairness** **utility**

apples + oranges + fairness = ?



**fairness &
diversity in
selection**

**state beliefs &
assumptions**

**cannot fully
automate
responsibility!**

Goals and trade-offs

Goals

diversity: pick $k=4$ candidates, including 2 of each gender, and at least one per race

utility: maximize the total score of selected candidates

	Male		Female	
White	A (99)	B (98)	C (96)	D (95)
Black	E (91)	F (91)	G (90)	H (89)
Asian	I (87)	J (87)	K (86)	L (83)

score = 372



Beliefs

scores are more informative within a group than across groups - **effort is relative to circumstance**

it is important to **reward effort**

@FalaahArifKhan

Problem

fairness: picked the best White and male candidates (A, B) but did not pick the best Black (E, F), Asian (I, J), or female (C, D) candidates

From beliefs to interventions

Fairness for female candidates

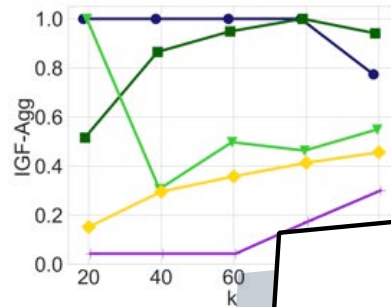
83 / 95 = 0.91

C	D	G	H	K	L
95	95	90	86	83	83

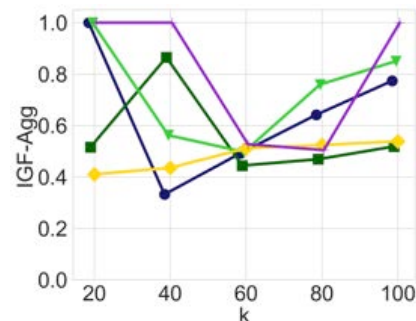
highest-scoring
skipped

lowest-scoring
selected

BEFORE: diversity constraints only



AFTER: diversity and fairness constraints




Beliefs

scores are more informative within a group than across groups -
effort is relative to circumstance

it is important to **reward effort**

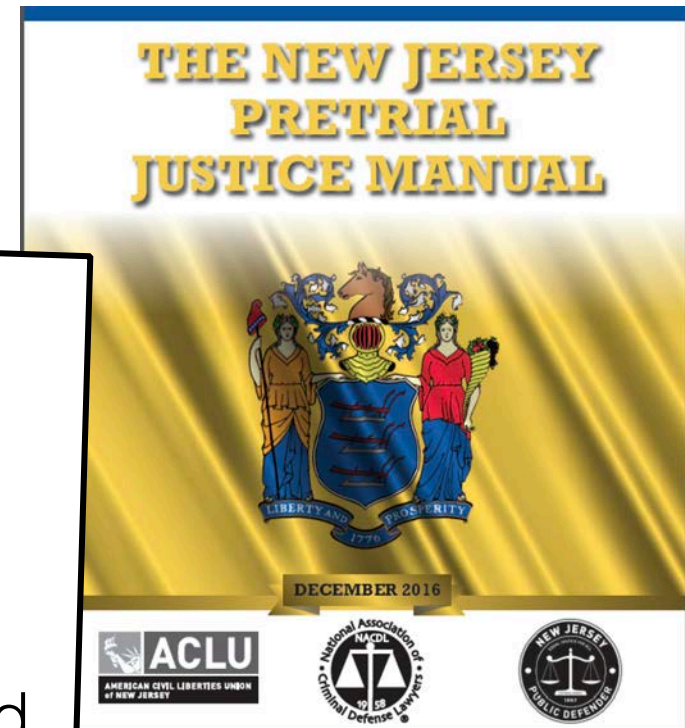




*fairness in risk
assessment*

New Jersey bail reform

Switching from a system based solely on instinct and experience [...] to one in which judges have access to **scientific, objective risk assessment** tools could further the criminal justice system's central goals of increasing public safety, reducing crime, and making the most effective, fair, and efficient use of public resources.



ProPublica's COMPAS study

Machine Bias

There's software used across the country to predict future criminals. And it's biased against blacks.

by Julia Angwin, Jeff Larson, Surya Mattu and Lauren Kirchner, ProPublica
May 23, 2016



Bernard Parker, left, was rated high risk; Dylan Fugett was rated low risk. (Josh Ritchie for ProPublica)

A commercial tool **COMPAS May 2016** automatically predicts some categories of future crime to assist in bail and sentencing decisions. It is used in courts in the US.

The tool correctly predicts recidivism **61% of the time.**

Blacks are almost twice as likely as whites to be labeled a higher risk but not actually re-offend.

The tool makes **the opposite mistake among whites**: They are much more likely than blacks to be labeled lower risk but go on to commit other crimes.

<https://www.propublica.org/article/machine-bias-risk-assessments-in-criminal-sentencing>

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Prediction Fails Differently for Black Defendants

	WHITE	AFRICAN AMERICAN
Labeled Higher Risk, But Didn't Re-Offend	23.5%	44.9%
Labeled Lower Risk, Yet Did Re-Offend	47.7%	28.0%

Overall, Northpointe's assessment tool correctly predicts recidivism 61 percent of the time. But blacks are almost twice as likely as whites to be labeled a higher risk but not actually re-offend. It makes the opposite mistake among whites: They are much more likely than blacks to be labeled lower risk but go on to commit other crimes. (Source: ProPublica analysis of data from Broward County, Fla.)


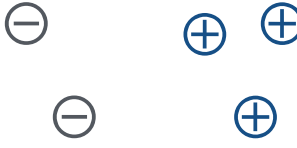

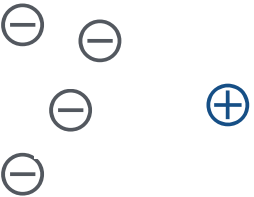
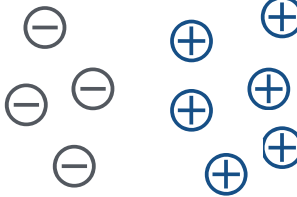

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Fairness in risk assessment

- A risk assessment tool **gives a probability estimate of a future outcome**
- Used in many domains:
 - insurance, criminal sentencing, medical testing, hiring, banking
 - also in less-obvious set-ups, like online advertising
- **Fairness** in risk assessment is concerned with **how different kinds of errors are distributed among sub-populations**

Calibration

positive
outcomes:
do recidivate

	risk score		
	0.2	0.6	0.8
white			
black			

given the output of a risk tool, likelihood of belonging to the positive class is independent of group membership

0.6 means 0.6 for any defendant - likelihood of recidivism

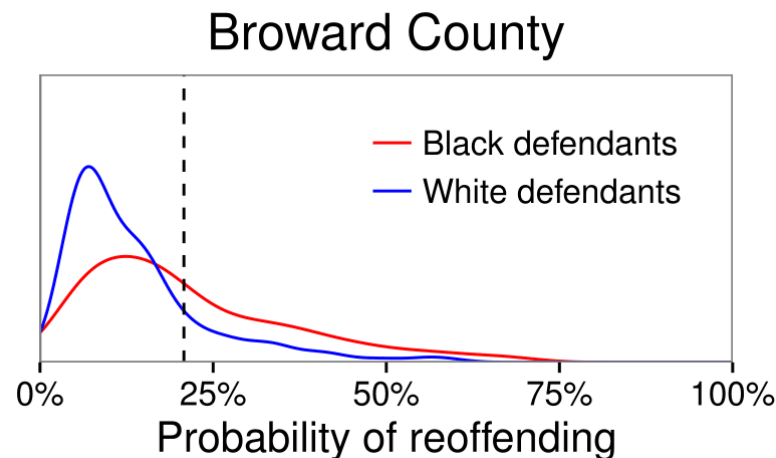
why do we want calibration?

COMPAS as a predictive instrument

Predictive parity (also called **calibration**)

an instrument identifies a set of instances as having probability x of constituting positive instances, then approximately an x fraction of this set are indeed positive instances, over-all and in sub-populations

COMPAS is well-calibrated: in the window around 40%, the fraction of defendants who were re-arrested is ~40%, both over-all and per group.



[plot from Corbett-Davies et al.; *KDD 2017*]

An impossibility result

If a predictive instrument **satisfies predictive parity**, but the **prevalence** of the phenomenon **differs between groups**, then the instrument **cannot achieve** equal false positive rates and equal false negative rates across these groups.

Recidivism rates in the ProPublica dataset are higher for the black group than for the white group

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[A. Chouldechova; arXiv:1610.07524v1 (2017)]

Balance

- **Balance for the positive class:** Positive instances are those who go on to re-offend. The average score of positive instances should be the same across groups.
- **Balance for the negative class:** Negative instances are those who do not go on to re-offend. The average score of negative instances should be the same across groups.
- Generalization of: **Both groups should have equal false positive rates and equal false negative rates.**
- Different from statistical parity!

the chance of making a mistake does not depend on race

[J. Kleinberg, S. Mullainathan, M. Raghavan; *ITCS 2017*]

Desiderata, re-stated

- For each group, a v_b fraction in each bin b is positive
- Average score of positive class same across groups
- Average score of negative class same across groups

can we have all these properties?

[J. Kleinberg, S. Mullainathan, M. Raghavan; *ITCS 2017*]

Achievable only in trivial cases

- **Perfect information:** the tool knows who recidivates (score 1) and who does not (score 0)
- **Equal base rates:** the fraction of positive-class people is the same for both groups

a negative result, need tradeoffs

proof sketched out in (starts 12 min in)

<https://www.youtube.com/watch?v=UUC8tMNxwV8>

[J. Kleinberg, S. Mullainathan, M. Raghavan; *ITCS 2017*]

Fairness for whom?

Decision-maker: of those labeled low-risk, how many will recidivate?

Defendant: how likely will I be incorrectly labeled high-risk?

	labeled low-risk	labeled high-risk
did not recidivate	TN	FP
recidivated	FN	TP

based on a slide by Arvind Narayanan

What's the right answer?

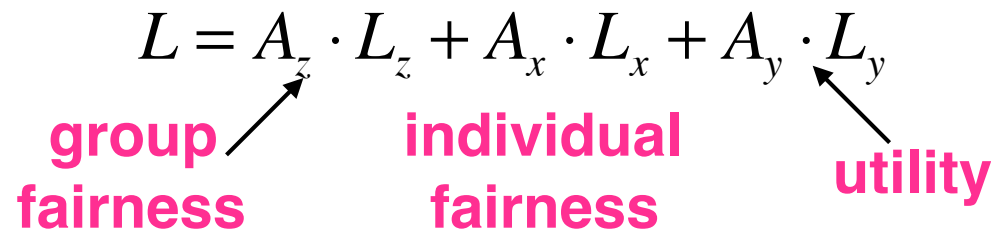
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$$L = A_z \cdot L_z + A_x \cdot L_x + A_y \cdot L_y$$

group **individual** **utility**
fairness **fairness**



apples + oranges + fairness = ?