

# Assessing the Probability of the Soccer Match Outcome

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## ABSTRACT

The article is about a project to assess the probability of the soccer match outcome. It includes the problems to be solve, previous work has been done on this subject, the work we have done, and the result we have found. The dataset and tools used are also included in this article. This project is based on the Dixon Coles model. We apply this model to our work and build up a novel model to predict the result of a soccer game.[1].

## KEYWORDS

Datasets, Statistical model, Data mining, Poisson distribution, Soccer matches, Betting strategy

## 1 INTRODUCTION

Since the soccer betting industry went online in the 1990s, it has experienced tremendous development in all areas. The number of bookmakers is continually increasing, with several hundred already in the industry. Needless to say, the customers seek to win money from bookmakers while bookmakers want to create a steady return in long run. From the customer's point of view, a computer program for finding good bets could be a very valuable tool to make informed decisions. It is also very interesting statistical problem to formalize the methods to evaluate the odds offered by bookmakers and decide if the bet should be made. From the bookmaker's point of view, a tool which could determine more accurate probability distribution for setting odds on sports event would also be a useful instrument. Bookmakers are on constant alert for the latest news in the sport world, and this could help them stay a step ahead when offering betting odds.

## 2 PROBLEM STATEMENT

The goal of this project is to investigate the correlation between a soccer teams history and the probability distribution for each possible match outcome in a given soccer match. The examination of the soccer result and odds data is to lead to the establishment of a model assessing the probability of each possible match outcome in a soccer match. The model will only use historical data match result data, and has no other prior information on the match.

The questions we try to answer include:

- ① Are there significant betting opportunities for soccer betting?
- ② Is it possible to build a successful model for predictions of the results for soccer matches?

## 3 DATASETS

This project aims to to build up a model based on the last 10 years' record of teams that plays for premier league, and predict the outcome of a given game.

We have verified the authenticity of this dataset and determined that this dataset is basically reliable and relatively complete.

The data set includes various information about a soccer match such as scores, attempt shots, home and away goals and the odds from different bookmakers, which, we considered, is sufficient to use for different kinds of analysis. Although our dataset does not contain information such as weather, temperature and players of each game. However, we think the effect of weather and temperature will be presented in the other attribute such as total running distance. We can draw similar inference for player absences. For instance, the lack of

the best striker will affect the ratio of attempt shots and shots on target. The lack of midfielder will decrease the probability of his team to have a shot, which will decrease the number of attempt shots. The structure of the attributes we will be working with are :

- Date - Interval (String)
- Home Team - Nominal (String)
- Away Team - Nominal (String)
- Final Result - Nominal (Char)
- Away Goals, Home Goals, and other goal statistics - Nominal (Int)
- Other game statistics - Nominal (Double)
- All Betting Odds - Nominal (Double)

This project will use the record of the English Premier League in the last 10 years. There is a few reasons for our choice. First, compared with other league like Spanish La Liga and French Ligue 1, the ability of teams in the Premier League is much closer. This means building a successful model based on the Premier League is more challenging than the other leagues and it will make our result more convincing. Second, over the last 10 years, at least 8 teams have played only in the Premier League, having not been relegated in any of those years. This means we will have more data to train our model. Our dataset is available here:

<https://datahub.io/sports-data/english-premier-league>.

## 4 RELATED WORK

In recent years, the challenge of modelling soccer outcome has gained attention. This task may be achieved by adopting two different modelling strategies: the 'direct' models, for the number of goals scored by two competing teams. the 'indirect' models for estimating the probability of the categorical outcome of a win, draw or a loss.

The basic assumption of the direct models is that the numbers of goals scored by the two teams follow two Poisson distributions. Their dependence structure and the specification of their parameters are the most relevant issues. Maher (1982) used two conditionally independent Poisson distributions, one for the goals scored by the home team, and another for the away team. Dixon and Coles (1997) expanded upon Maher's

work and extended his model, introducing a parametric dependence between the scores.[2][3]

The second common assumption is the inclusion in the models of some teams' effects to describe the attack and the defence strengths of the competing teams. Generally, they are used for modelling the scoring rate of a given team, and in much of the aforementioned literature they do not vary overtime. Of course, this is a major limitation. Dixon and Coles (1997) tried to overcome this problem by downweighting the likelihood exponentially overtime in order to reduce the impact of matches far from the current time.[1]

We are interested in both the estimation of the models parameters, and in the prediction of a new set of matches. Intuitively, the latter task is much more difficult than the former, since football is intrinsically noisy and hardly predictable. However, we believe that combining the betting odds with an historical set of data on match results may give predictions that are more accurate than those obtained from a single source of information.

### 4.1 Dixon-Coles Model

Our target is to build up a model to predict the outcome of a given soccer game accurately. And several features will be required in our model.

1. We need to find a way evaluate the ability of different teams based on their recent performance, and get more attribute involved into this evaluation.

2. We need to add time weighting parameter into the process of ability evaluation. The most recent performance of a team will have the greatest impact on this process.

3. Both teams' ability will be considered to give a prediction result

The work of Dixon and Coles gave a model based on the recent result of a team to predict the result of a particular game. In their work, they divided the ability of a specific team into two parts: attack ability and defend ability and considered the attack ability and defend ability are independent Poisson variables. For a given team A and a given team B, we can set  $X_{A,B}$  and  $Y_{A,B}$  to be the number of goals scored by the home and

away sides respectively. Combined with "home effect", the fact that home team always enjoy some advantage over away team, the goal can be given as:

$$X_{A,B} \sim \text{Poisson}(\alpha_A \beta_B \gamma) \quad (1)$$

$$Y_{A,B} \sim \text{Poisson}(\alpha_B \beta_A) \quad (2)$$

$\alpha_A$  and  $\beta_A$  measure the attack and defend parameter of team A, and  $\alpha_B$  and  $\beta_B$  measure the attack and defend parameter of team B. The  $\gamma$  is the home effect rate. And the probability of different result is given by:

$$Pr(X_{A,B} = x, Y_{A,B} = y) = \tau(x, y, \gamma) \frac{\lambda^x \exp(-\lambda)}{x!} \frac{\mu^y \exp(-\mu)}{y!} \quad (3)$$

where  $\tau$  is a step function about whether consider the 'home effect'

$$\tau(x, y, \gamma) = \begin{cases} 1 - \lambda\mu\rho & \text{if } x = y = 0 \\ 1 + \lambda\rho & \text{if } x = 0, y = 1 \\ 1 + \mu\rho & \text{if } x = 1, y = 0 \\ 1 - \rho & \text{if } x = y = 1 \\ 1 & \text{otherwise} \end{cases}$$

here, in Dixon Coles model,  $\rho$  is in range:

$$\max(-1/\lambda, 1/\mu) \leq \rho \leq \min(-1/\lambda\mu, 1) \quad (4)$$

$\rho$  is a dependence parameter, and when  $\rho = 0$ , that means there exists an independence between the team's goals as a home team and an away team, and:

$$\lambda = \alpha_A \beta_B \gamma \quad (5)$$

$$\mu = \alpha_B \beta_A \quad (6)$$

The functions we list above are based on two assumptions:

①: Home goals and away goals are independent Poisson variables.

②: The frequency of goals scored satisfy Poisson Distribution.

And whether these assumptions are valid will be discussed in section 8

## 5 MAIN TECHNIQUES APPLIED

### 5.1 Data Cleaning

Only the information about the numbers of the goal scored, when and where the score happens is relevant, other information such as the referee's name, the number of yellow or red cards will be discarded.

We will also eliminated the match result which a large number of players has been shifted compared to previous games and those games happened during extreme bad weathers.

### 5.2 Data Preprocessing

The ratio of frequencies of home wins, draws and away wins will be used to determine the home advantage. The dependency between home and away score will be checked.

A Dixon Coles model and a negative binomial will be developed based on the available data set. Numerical and graphical checks for our model will be provided.

### 5.3 Data Integration

A large amount of data results from different seasons and from different leagues will be integrated together to build the model. The model will be both descriptive and predictive. The results and predictive accuracy of the model on different leagues will be checked.

## 6 EVALUATION METHODS

This project aims at predicting the outcome of a given soccer game and try to find a betting strategy. Once the model for determining the probabilities of each soccer match outcome is developed, the result of our predicting model will be compared with the bookmaker's assessment with regards to setting odds. The performance of the proposed model and betting strategies performed on actual odds will be examined.

## 7 TOOLS

We will use Python in this project and the tools we will use can be listed as follows:

①pandas

- ②numpy
- ③scrapy (A web scraper to scrap online data)
- ④sklearn
- ⑤matplotlib

## 8 KEY RESULTS

Just as we clarified in section 4.1, the work of Dixon and Coles is based on two assumptions: the first is the goals of away team and home team are independent, and the second is the frequency of different score satisfy Poisson Distribution.

In this section, we will first verify the two assumptions made by Dixon and Coles. We will then determine which attributes will be contained in our model. We will create a basic Poisson model and then improve on it using time weighting and interaction terms. We then evaluate our completed models results.

### 8.1 Poisson Distribution

Given the data of the last 20 seasons in premier league, for goals from 0 to 7, we calculate the relative frequency, and present it as percentage in figure1 .

Dixon and Coles' assumption that the marginal distribution of random match scores is Poisson can be proved to be valid through this figure. At least it is plausible for our dataset. The relative frequency shown in figure 1 nearly perfect fit the Poisson Distribution. The 3d model of Empirical estimates of each score probability can be shown in figure 2

### 8.2 Independency of Away and Home Goals

To prove the validity of the assumption that home goals and away goal are independent. For a given home scores( $i=0,1,2,...7$ ) and away scores( $j=0,1,2,...7$ ), we need to calculate:

$$\frac{\tilde{f}(i, j)}{\tilde{f}_H(i) \tilde{f}_A(j)} \quad (7)$$

where  $\tilde{f}(i, j)$  is the joint probability functions for given  $i$  and  $j$ , and  $\tilde{f}_H(i), \tilde{f}_A(j)$  is the marginal empirical

Table: Empirical estimates of each score probability

		AWAY GOAL							
		0	1	2	3	4	5	6	7
H O M E  G O A L	0	8.31	7.32	4.34	2.11	0.96	0.24	0.09	0
	1	10.68	11.52	6.18	2.73	0.86	0.21	0.1	0.02
	2	8.34	8.81	5.02	1.77	0.39	0.12	0.05	0
	3	4.21	4.48	2.15	1.03	0.27	0.04	0.02	0
	4	1.93	1.67	0.91	0.46	0.13	0.03	0	0
	5	0.82	0.59	0.18	0.12	0.03	0.01	0	0
	6	0.18	0.22	0.1	0.03	0.01	0	0	0
	7	0.06	0.11	0.04	0.01	0.01	0	0	0

Figure 1: Empirical estimates of each score probability

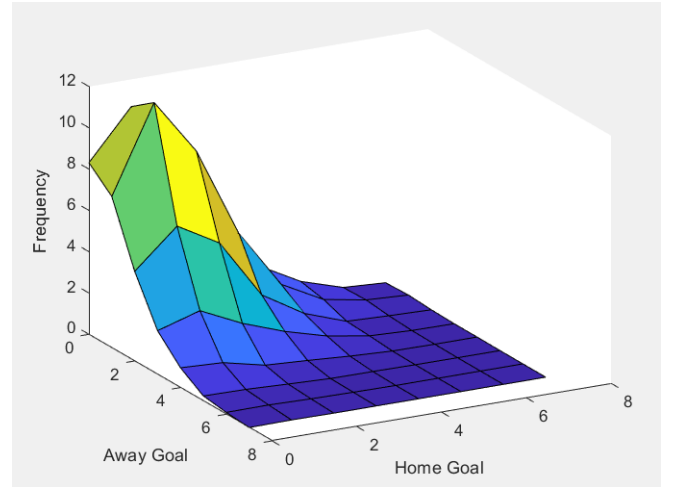


Figure 2: 3D distribution of score probability

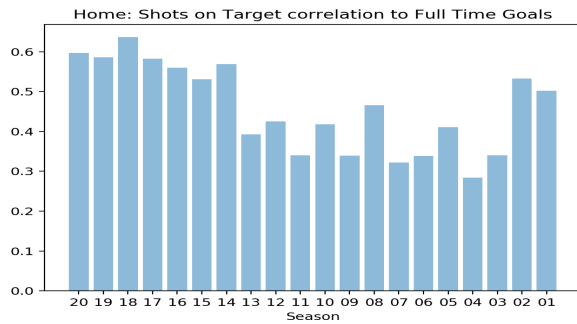
probability functions for home goals and away goals. The result of the ratio is calculated in figure 3.

Through this figure, we can find most ratios are close to one. This means the home goal and away goal are independency of each other.

Table: Estimates of the ratios of the observed joint probability function and the empirical probability function

		AWAY GOAL							
		0	1	2	3	4	5	6	7
H O M E	0	1.03	0.9	0.98	1.09	1.54	1.6	1.48	0
	1	0.96	1.03	1.01	1.03	1	1.02	1.19	3.1
	2	0.99	1.04	1.08	0.88	0.6	0.73	0.78	0
	3	1	1.06	0.93	1.02	0.83	0.49	0.63	0
G O A L	4	1.09	0.94	0.94	1.09	0.98	0.87	0	0
	5	1.36	0.97	0.55	0.8	0.62	0.86	0	0
	6	0.98	1.18	0.94	0.65	0.67	0	0	0
	7	0.76	1.38	0.92	0.53	1.63	0	0	0

**Figure 3: Ratios of the observed joint probability function and the empirical probability function**

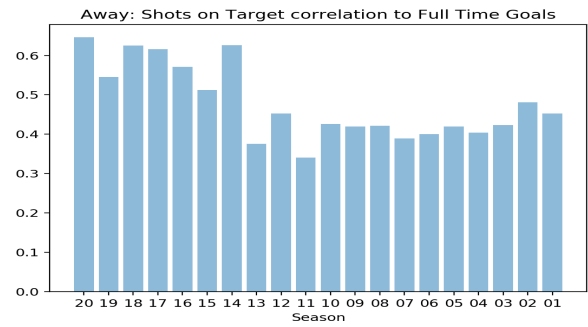


**Figure 4: Home: Correlation coefficient between full time total goals and full time total shots on target**

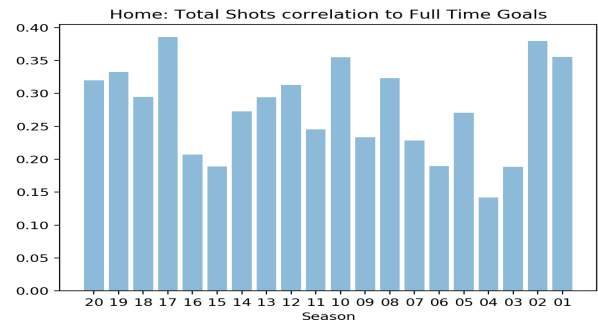
### 8.3 Attributes

The primary attributes we are using are:

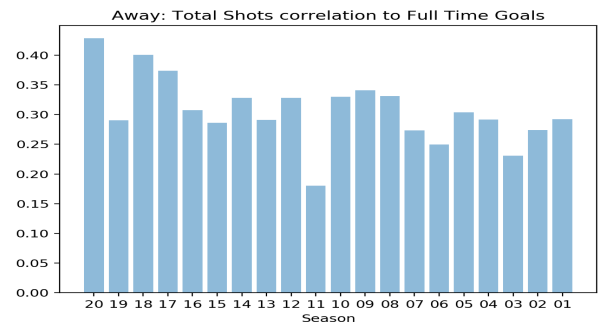
- Date - Interval (String)
- Home Team, Away Team - Nominal (String)
- Final Result - Nominal (Char)
- Goals, Shots On Target, Total Shots, Fouls, Yellow Cards, Red Cards (for both Home and Away) - Nominal (Int)



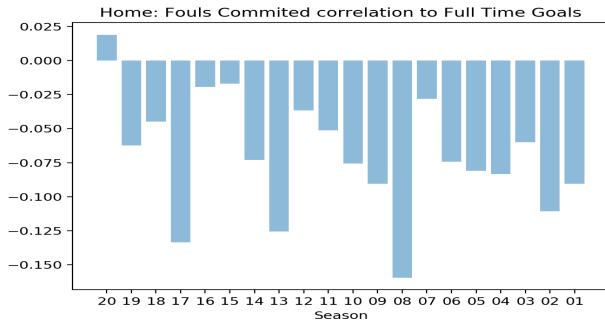
**Figure 5: Away: Correlation coefficient between full time total goals and full time total shots on target**



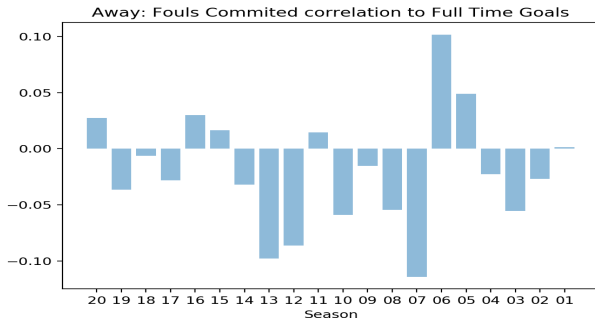
**Figure 6: Home: Correlation coefficient between full time total goals and full time total shots**



**Figure 7: Away: Correlation coefficient between full time total goals and full time total shots**



**Figure 8: Home: Correlation coefficient between full time total goals and fouls committed**



**Figure 9: Away: Correlation coefficient between full time total goals and fouls committed**

- All Betting Odds - Nominal (Double)

For total shots, we calculate the Correlation coefficient between full time total goals and full time total shots over the last 20 seasons separately for home and away teams. We compute a histogram of it in figure 6 and figure 7. Shots obviously has a positive correlation with goals and we can clearly see this reflected in the histograms. These histograms also show that it is correlated at very similar levels for both home and away teams.

We again calculate the Correlation coefficient, this time between full time total goals and full time total shots on target over the last 20 seasons. We compute a histogram of it in figure 4 and figure 5. In some ways it

is very similar to previous histogram in that it has a positive relation to goals and at similar levels for both home and away. However, compared to same histograms for total shots we can see shots on target is correlated at a higher value than total shots, for both home and away. The average correlation coefficient over each season being around 0.5 for total shots on target and around 0.3 for total shots.

We computed the same correlation coefficients and histograms again with full time total goals and total fouls committed. These can be seen in figure 8 and figure 9. We also found expected result here where fouls committed has no obvious relation to full time goals, and if it did it would be a very small correlation. However, we can see a distinct difference between the histograms for home and away. Away seems to be complete random, while home seems to have a much more consistent negative correlation to fouls committed. This could be a factor of home teams being less likely to commit fouls in general.

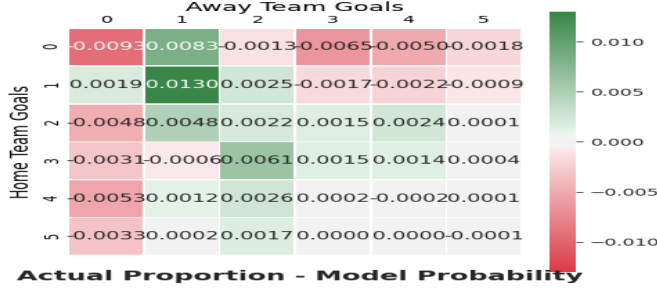
The average correlation coefficient over each season being around 0.5 for total shots on target, around 0.3 for total shots, and around -0.02 for fouls committed, After our discussion, we decided the correlation was not strong enough for fouls to be included as an attribute in our final assessment process

## 8.4 Basic Poisson Model Improvement

During the previous segment, we checked the dependency between the number of goals scored and the number of goals conceded. It reaches to a conclusion that Basic Poisson model can make a good approximation of the goal distribution. In the their paper, Mark Dixon and Sturat Coles proposed two specific improvements to the Basic Poisson Model.

- ① Introduce an interaction term to correct underestimated frequency of low scoring matches.
- ② Apply the time decay component so that recent matches weighs stronger the matches played before

The paper says that low score results (0-0, 1-0, 0-1 and 1-1) are misreported by the BP model. The matrix below shows the average difference between actual and



**Figure 10: Departure from Basic Poisson**

model predicted scorelines for the 2005/2006 season to the 2019/2020 season. Green cells imply the Basic Poisson model underestimated those scorelines, while red cells suggest overestimation. The color strength suggest the level of disagreement.

There seems to be an departure from the Basic Poisson model with low scoring draws and it is less apparent with 0-1 and 1-0. The correction can be done through following:

$$\tau(x, y, \gamma) = \begin{cases} 1 - \lambda\mu\rho & \text{if } x = y = 0 \\ 1 + \lambda\rho & \text{if } x = 0, y = 1 \\ 1 + \mu\rho & \text{if } x = 1, y = 0 \\ 1 - \rho & \text{if } x = y = 1 \\ 1 & \text{otherwise} \end{cases}$$

$$\max(-1/\lambda, 1/\mu) \leq \rho \leq \min(-1/\lambda\mu, 1) \quad (8)$$

The main difference over the Basic Poisson Model is the  $\tau$  function. It is highly dependent on  $\rho$ , which controls the strength of the correction.

## 8.5 Model Inference

In order to calculate the coefficients that exists in that model, we need to construct the likelihood function and find the coefficients that maximise it. We are using this technique called Maximum Likelihood Estimation.

$$L(\alpha_i, \beta_i, \rho, i = 1, 2, 3, 4..) = \prod_{k=1}^N \{ \tau_{\lambda_k}(x_k, y_k) \exp(-\lambda_k) \lambda_k^{x_k} \exp(-\mu_k) \mu_k^{y_k} \} \quad (9)$$

in this equation,  $i(k)$  and  $j(k)$  represents the indices of the home and away teams in a given match  $k$ . For numerical precision, it will be maximised using a log-likelihood function. This is because the logarithm is a strictly increasing function. Both to evaluate a team's strength by attack and defend parameters. For  $n$  teams and their attack parameter  $\alpha_1 \alpha_2 \alpha_3 \dots \alpha_n$ , defend parameter  $\beta_1 \beta_2 \beta_3 \dots \beta_n$ . To standardize attack and defend parameter, we impose a constraint on them.

$$\sum_{i=1}^n \alpha_i = 1 \quad (10)$$

For a given home team  $i$ ,  $\alpha_i$  and  $\beta_i$  will be its attack and defend parameter. Consider recent  $k$  games, and index of matches can be set as  $k=1,2,3,\dots,N$ . The scores of a corresponding match  $k$  can be shown as  $(x_k, y_k)$ . The  $\gamma$  is the home effect rate.  $\rho$  is a dependence parameter.

$$\lambda_k = \alpha_{i(k)} \beta_{j(k)} \gamma \quad (11)$$

$$\mu_k = \alpha_{j(k)} \beta_{i(k)} \gamma \quad (12)$$

$\alpha_{i(k)}$  and  $\beta_{i(k)}$  is the attack parameter of home team in  $k$ th match.  $\alpha_{j(k)}$  and  $\beta_{j(k)}$  is the defend parameter of away team in  $k$ th match.

For 20 teams in Premier League, and 380 games in 19-20 seasons, we can generate the 20 attack parameters and 20 defend parameters as shown in table 1. We can find that the mean of attack parameter is equal to 1.

## 8.6 Time weighting parameter

There are several problems with the equation 9. First, consider the fact that there is always a fluctuation in teams' performance and their performance is always dynamic. The attack and defend parameter generated from equation 9 remain static. To find a more accurate way to describe the strength of different team, Dixon and Cole added time weighting parameter. Based on the equation 9, we make two assumptions in this project:

① The attack and defend strength of any team will keep relatively constant in three days.

② All the historical performance of a team will be counted for their strength assessment. We also assume

**Table 1: Attack parameter  $\alpha$  and Defend parameter  $\beta$  in 19-20 season**

Team	$\log(\alpha)$	$\log(\beta)$
Arsenal	1.134194461	-0.9388646131
Aston Villa	0.8428578212	-0.6189790245
Bournemouth	0.8120741353	-0.6519458441
Brighton	0.7809206483	-0.8319848409
Burnley	0.8736217223	-0.9169827088
Chelsea	1.3406671569	-0.8095874718
Crystal Palace	0.5402903267	-0.9276208686
Everton	0.904040090	-0.7978082567
Leicester	1.3057729257	-1.0774228343
Liverpool	1.53881068376	-1.2883023793
Man City	1.7197223805	-1.2127458303
Man United	1.2833265314	-1.2167372006
Newcastle	0.7560667438	-0.7732833065
Norwich	0.38629771197	-0.5236456429
Sheffield United	0.7571901683	-1.1712131162
Southampton	1.046302694	-0.7286538126
Tottenham	1.216391527	-0.9507146131
Watford	0.7122211110	-0.6644120721
West Ham	1.0118122088	-0.692856079
Wolves	1.0374189490	-1.1199782123
Mean	1.0000	-0.8957

that the historical performance possessed less weight in the process of assessment.

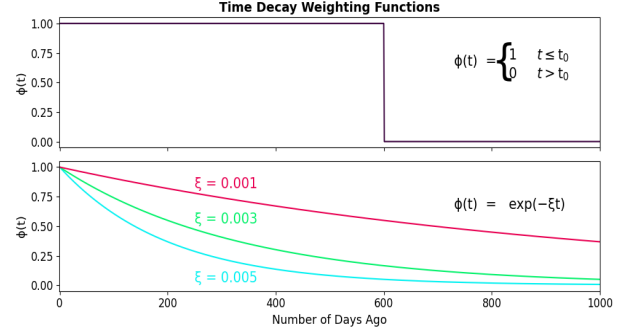
For a set time  $t$ , the equation considering time weighting parameter can be written as

$$L(\alpha_i, \beta_i, \rho, i = 1, 2, 3, 4..) = \prod_{k \in A_t} \{ \tau_{\lambda_k}(x_k, y_k) \exp(-\lambda_k) \lambda_k^{x_k} \exp(-\lambda_k) \mu_k^{y_k \{\phi(t-t_k)\}} \} \quad (13)$$

In this function,  $t - t_k$  is the time that match  $k$  was played,  $A_t = \{k : t_k < t\}$ . We need to clarify that  $\alpha_i, \alpha_j, \beta_i, \beta_j, \tau$  and  $\rho$  are all function of  $t$ .

Several time weighting functions can be considered, and the most simplest option can be shown as follows:

$$\phi(t) = \begin{cases} 1 & \text{if } t \leq t_0 \\ 0 & \text{if } t > t_0 \end{cases}$$



**Figure 11: Time Weight Funtion**

In this case, any previous results (result before  $t_0$ ) will be considered to have the same weight in the assessment process. If we apply our assumption ② to it, we can write the time weighting function as:

$$\phi(t) = -\exp(-\xi t) \quad (14)$$

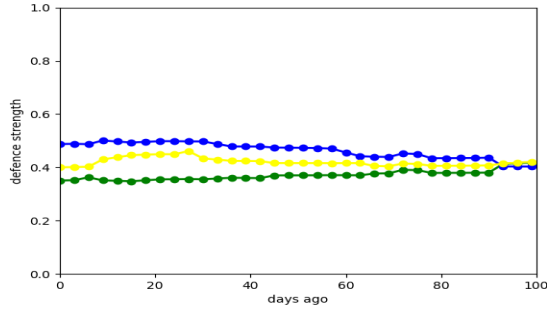
$\xi$  here is the downweighted exponential factor. When  $\xi = 0$  is the static case we mentioned above and when  $\xi > 0$ , this equation describes the process where the previous result's weight drop exponentially. The value of  $\xi$  can be chosen by make our prediction of outcome more accurate. By using different time weight parameter  $\xi$  options from  $[0, 0.1]$  to make predictions and then comparing those predictions with actual match results, we found most optimal  $\xi$  is calculated as 0.0065. The time weight function with different  $\xi$  can be shown as 11

## 8.7 Parameter Fluctuation

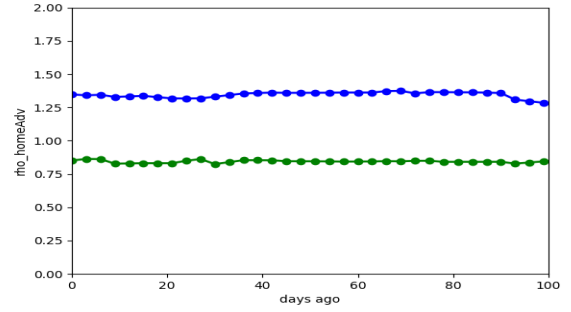
We can generate our attack and defence parameter by maximizing the function 13 at a given time  $t$ . The attack and defence parameter represent the strength of attack and defence of a specific team at a given time  $t$ . Moreover, if we calculate these parameters across the historical results of a team, the attack and defence strength of a specific team across the history can be observed.

The fluctuation of the attack and defence ability of three specific teams over 100 days can be shown in figure 12, figure 13, and figure 14. From these figures

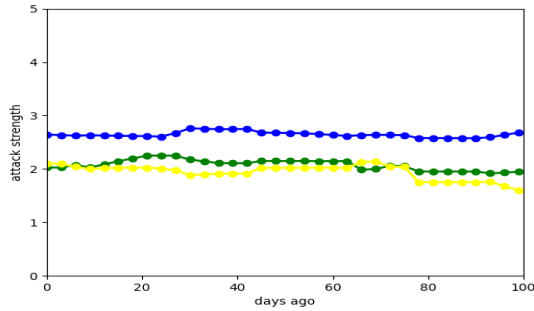




**Figure 12: Fluctuation of defence parameter over 100 days. Newcastle(Green), Brighton(Yellow) Bournemouth(Blue).**



**Figure 14: Fluctuation of dependence factor  $\rho$ (Blue) and home advantage factor  $\gamma$ (Red) over 100 days**



**Figure 13: Fluctuation of attack parameter over 100 days. Newcastle(Green), Brighton(Yellow) Bournemouth(Blue).**

we can tell a team's attack and defence ability remain pretty much constant over the half season.

For both figure 12 and figure 13, the green line represents Newcastle, the yellow line represents Brighton and the blue line represents Bournemouth. In figure 14, the green line shows change of home advantage factor  $\gamma$  over time while the blue line represents the dependence factor  $\rho$ .

## 9 APPLICATION

Given the model, we can simulate future matches using previous match results as training set. The model can give the probability of each possible score so the probability of home team win, away team win and draw must be derived from that.

Using the model, the prediction on final day matches are given as seen in table 3:

The model gives reasonable prediction as the teams performed better before have a higher possibility to win the match. This is because the whole model is based on previous matches result. As to how accurate the prediction is, it should be compared with bookmaker's odd data to determine whether or not it is competitive versus bookmaker's prediction.

During the processing of building this model, we've gained much insight about football: the original validation of in-dependency between the goal scored and the goal conceded gives us the basic Poisson model. By introducing the correction parameter  $\rho$  and the time weight function, a lot of improvements were made on the basic Poisson model. Finally, the model which can make predictions and quantify the probability of different results is complete.

From the observation of attack and defence parameter of different teams, we find the strength of a team's attack and defence relatively stay relatively constant

**Table 2: The prediction of given matches**

Home Team	Away Team	Probability of Home W	Probability of Home L	Probability of D	Home Team's Result
Arsenal	Watford	0.68435	0.10981	0.20591	W
Burnley	Brighton	0.51685	0.18444	0.29869	L
Chelsea	Wolves	0.39728	0.3345	0.26822	W
Crystal Palace	Tottenham	0.18543	0.53088	0.28367	D
Everton	Bournemouth	0.56457	0.18075	0.25467	L
Leicester	Man United	0.34908	0.37817	0.27274	L
Man City	Norwich	0.95967	0.00547	0.02986	W
Newcastle	Liverpool	0.14106	0.64365	0.21222	L
Southampton	Sheffield United	0.39826	0.28137	0.32036	W
West Ham	Aston Villa	0.58609	0.18475	0.22913	D

**Table 3: Bet 365's Odds for given matches**

Home Team	Away Team	Probability of Home W	Probability of Home L	Probability of D	Home Team's Result
Arsenal	Watford	0.50	0.250	0.250	W
Burnley	Brighton	0.402	0.317	0.28	L
Chelsea	Wolves	0.512	0.238	0.25	W
Crystal Palace	Tottenham	0.159	0.614	0.227	D
Everton	Bournemouth	0.444	0.333	0.27	L
Leicester	Man United	0.308	0.455	0.286	L
Man City	Norwich	0.926	0.038	0.091	W
Newcastle	Liverpool	0.133	0.735	0.19	L
Southampton	Sheffield United	0.465	0.303	0.286	W
West Ham	Aston Villa	0.333	0.4	0.278	D

during a season. This tells us that the soccer game results are not total random, ultimately the team with better skills will have the best chance to win the game.

In our given matches, our model predicts the correct result with higher probability than Bet 365 for 3 out of the 10 matches. These results are not amazing but for every single one we were not very far from the bookmaker's odds and with more data incorporated we could definitely improve our results.

## REFERENCES

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