

# Biological Vision and Applications

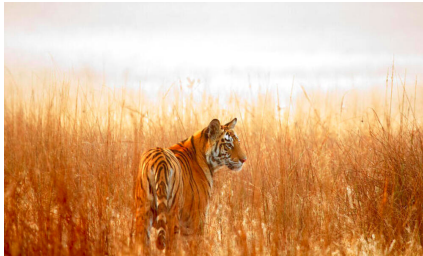
## Module 02-03: Motion perception

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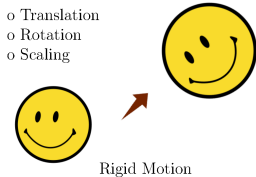
# Why motion detection is important

- Distinguish objects of interest (foreground) from the background
- Determine change of location (where) of the objects of interest with time



# Rigid, Elastic and Fluid Motion

- **Rigid motion** is where the moving object does not change shape
- **Elastic motion** is where the moving object changes shape with some continuity
- **Fluid motion** is where the continuity is not there



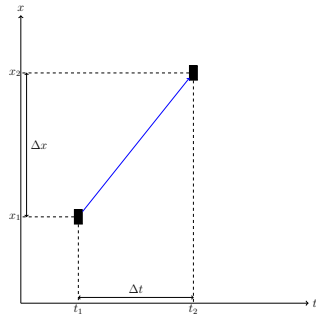
- We shall mostly talk about rigid motion

# Continuous and Discrete Motion

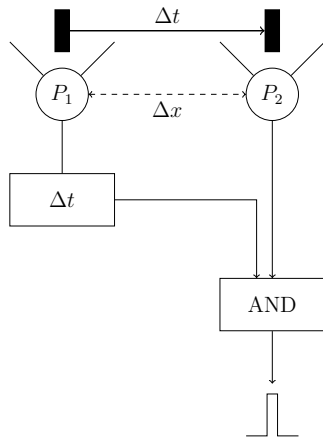
- Human observers can distinguish two types of motion: **Continuous** and **Discrete**
  - ▶ For **perception** of continuous motion, an object need not move continuously over the retinal field
  - ▶ **Examples:** Alternately blinking festive lights, movie / TV
- There are two stages of motion detection
  - ▶ **Short range** (60 - 100ms, 10 - 15' of visual arc): Based on local intensity changes
    - ▶ Local contrasts: early vision
    - ▶ Continuous motion
  - ▶ **Long range** ( 400ms): Based on token matching
    - ▶ Object recognition: late vision
    - ▶ Discrete motion
- We shall talk about short range motion detection first

# Motion is a correspondence problem

- An image in motion:  $I(x, y, t)$
- The motion:  $\vec{v}(x, y, t)$  – How to estimate from values of  $I(x, y, t)$  over  $t$  ?
  - ▶ Sometimes it is sufficient to detect motion
- Detecting motion
  - ▶ Same object appears at  $(x_1, t_1)$  and at  $(x_2, t_2)$
  - ▶ If for some  $(t_1, t_2)$ ,  $(x_1 \neq x_2)$
- Measuring motion
  - ▶ Velocity  $v = \frac{\Delta x}{\Delta t}$



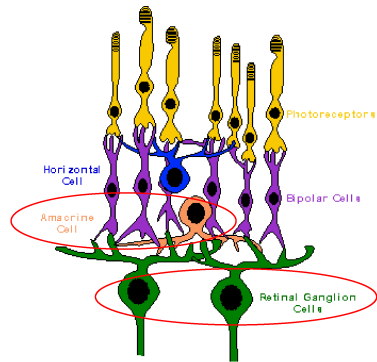
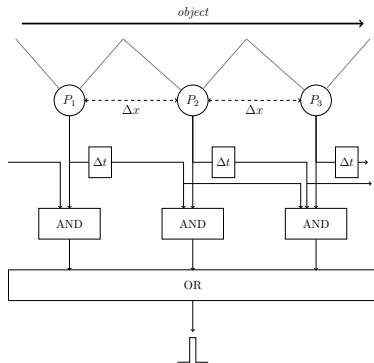
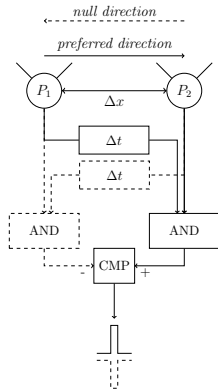
# Reichardt model for motion detection



- Reichardt model
  - ▶ Eyes of house-flies
- Obvious limitations
  - ▶ Motion can be detected in one direction only
  - ▶ Motion can be detected only when  $v \approx \frac{\Delta x}{\Delta t}$
  - ▶ Noise may induce false positives / negatives

# Reichardt model for motion detection

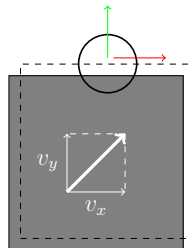
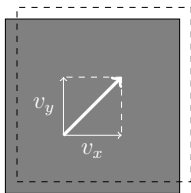
## Addressing the limitations



# Intensity based scheme

## Estimating local motion

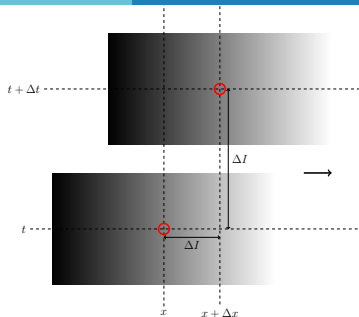
- See the contour changing and infer motion
  - ▶ Works when there is a significant intensity (or color) variation



**Aperture problem:** Motion can be perceived in the direction of intensity change only



# Gradient model of motion estimation



$$I(x, t) = I(x + \Delta x, t + \Delta t)$$

$$\Delta I = I(x + \Delta x, t) - I(x, t) = \frac{\partial I}{\partial x} \Delta x$$

$$\Delta I = I(x + \Delta x, t) - I(x + \Delta x, t + \Delta t)$$

$$\approx I(x, t) - I(x, t + \Delta t) = -\frac{\partial I}{\partial t} \Delta t$$

$$v_x = \frac{\Delta x}{\Delta t} = -\frac{\partial I / \partial t}{\partial I / \partial x}$$

$$v(z, t) \nabla I = -\frac{I_t(z, t)}{\nabla I(z, t)}$$

where

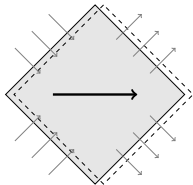
$v(z, t) \nabla I$  = the local velocity at  $z$ , in the direction of the spatial intensity gradient

$I_t(z, t)$  = the temporal gradient for local illumination change

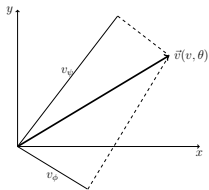
$\nabla I(z, t)$  = the spatial gradient for local illumination change

# Rigid motion in image plane

Constant velocity assumption (translation only)



- The overall 2D motion can be estimated from the perceived motion at various points on the contour.
- Use many points for error-resilience



Given  $v_\phi, v_\psi, v = ?, \theta = ?$

$$v_\phi = v \cdot \cos(\theta - \phi)$$

$$v_\psi = v \cdot \cos(\theta - \psi)$$

Solve for  $v$  and  $\theta$

$$v \cdot \cos(\theta - \phi_1) = v_1$$

$$v \cdot \cos(\theta - \phi_2) = v_2$$

$$v \cdot \cos(\theta - \phi_3) = v_3$$

...

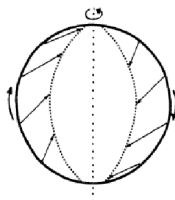
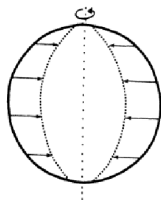
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$$v \cdot \cos(\theta - \phi_n) = v_n$$

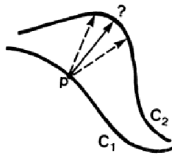
- SVD through example

# Ambiguity in motion estimation

## More general cases



Motion in 3D

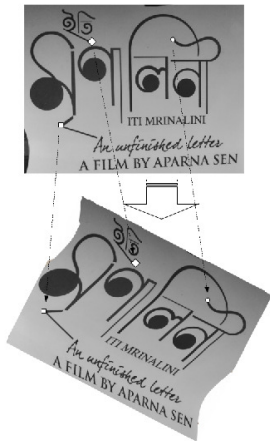


Elastic motion

- Sources of information loss
  - ▶ Projection of 3D object to 2D image
  - ▶ Projection of movement to intensity variation
- $\vec{V} = v_{\perp} \cdot \vec{u}_{\perp} + v_{\top} \cdot \vec{u}_{\top}$  ( $v_{\top}$  cannot be estimated)
- Assumption on additional constraints are needed to estimate  $v_{\top}$

# Token based method

Motivated by higher level perception (token recognition)



- Tokens (distinctive points) are identified in the scene
  - ▶ Feature points (SIFT, SURF, etc.) can be used
- Tokens are tracked over time
  - ▶ Motion at tokens are estimated
  - ▶ Motion at other points interpolated

# Token based method

(Continued)

- Depends of successful tracking of tokens
- Not an easy problem
  - ▶ Appearance of tokens may change
  - ▶ Two tokens are similar
- Tokens may be confused with each other during motion
- Additional domain-specific constraints need to be imposed
  - ▶ Relative geometry of tokens are maintained
  - ▶ Tokens have moved minimum distance
- Sometimes leads to illusion
  - ▶ A fan or a bicycle wheel appears to rotate in the opposite direction

Quiz 02-03

End of Module 02-03