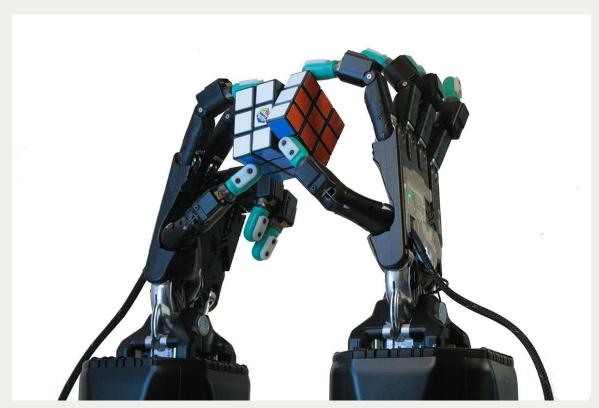
Learning dexterous inhand manipulation

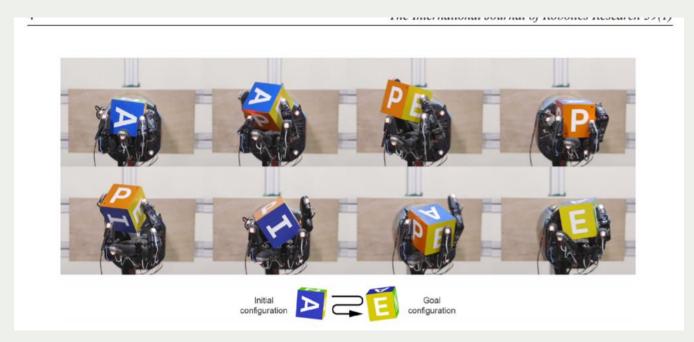
Open Al et al. 2019

Summary



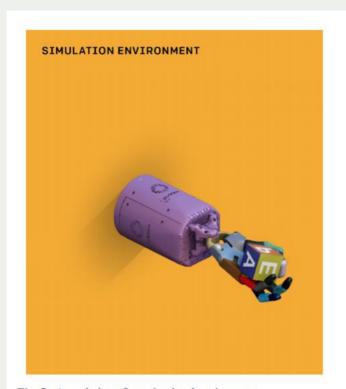
The Shadow Dexterous Hand

Summary

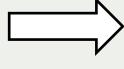


https://openai.com/blog/learning-dexterity/

Summary









Simulation

Real World

Background-GAE

$$\hat{V}_{t}^{(k)} = \sum_{i=t}^{t+k-1} \gamma^{i-t} r_{i} + \gamma^{k} V(s_{t+k}) \approx V^{\pi}(s_{t}, a_{t})$$

$$\hat{V}_{t}^{\text{GAE}} = (1 - \lambda) \sum_{k>0} \lambda^{k-1} \hat{V}_{t}^{(k)} \approx V^{\pi}(s_{t}, a_{t})$$

where $0 < \lambda < 1$ is a hyperparameter. The *advantage* can then be estimated as follows:

$$\hat{A}_t^{\text{GAE}} = \hat{V}_t^{\text{GAE}} - V(s_t) \approx A^{\pi}(s_t, a_t)$$

It is possible to compute the values of this estimator for all states encountered in an episode in linear time (Schulman et al., 2015).

Background-PPO

Algorithm 1 PPO-Clip

- 1: 입력 : 초기 파라미터 θ_0 , 초기 value function 파라미터 ϕ_0
- 2: for k = 0, 1, 2, ... do
- 정책 π_k = π(θ_k)으로 trajectory D_k = {τ_i}를 모읍니다.
- 4: rewards-to-go \hat{R} 를 계산합니다.
- 5: 현재 value function V_{ϕ_k} 으로 advantage $\widehat{A_t}$ 를 계산합니다. PPO-Clip을 최대화하여 정책을 업데이트합니다. $\max_{maximize_{\theta}L^{CLIP}(\theta)} = \hat{E}_t[\min(r_t(\theta)\hat{A}_t), clip(r_t(\theta), 1-\epsilon, 1+\epsilon)\hat{A}_t]$

6:
$$\theta_{k+1} = \arg \max_{\theta} \frac{1}{|\mathcal{D}_k|T} \sum_{\tau \in \mathcal{D}_k} \sum_{t=0}^{T} \min \left(\frac{\pi_{\theta}(a_t|s_t)}{\pi_{\theta_k}(a_t|s_t)} A^{\pi_{\theta_k}}(s_t, a_t), g(\epsilon, A^{\pi_{\theta_k}}(s_t, a_t)) \right)$$

보통 Adam같은 stochastic gradient ascent를 사용합니다. mean-squared error를 통해 regression해서 value function을 학습합니다.

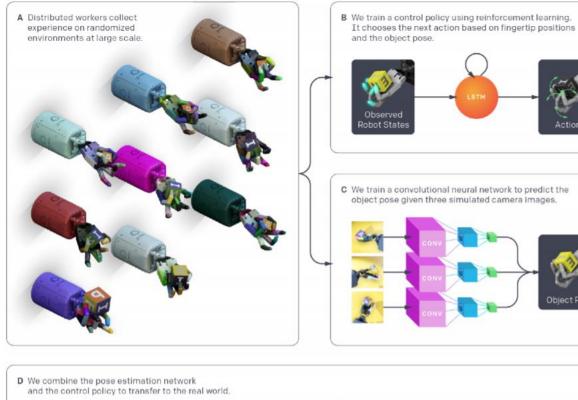
7:
$$\phi_{k+1} = \arg \min_{\phi} \frac{1}{|\mathcal{D}_k|T} \sum_{\tau \in \mathcal{D}_k} \sum_{t=0}^{T} \left(V_{\phi}(s_t) - \hat{R}_t \right)^2$$

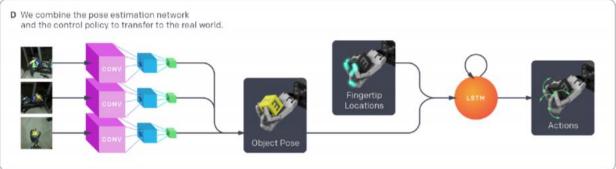
보통은 gradient descent 알고리즘을 사용합니다.

8: end for

https://www.youtube.com/watch?v=CKaN5PgkSBc&t=90s

Task&System





Task&System

3.2.3. Actions. Actions are 20-dimensional and correspond to the desired angles of the hand joints. We discretize each action coordinate into 11 bins of equal size. Owing to the inaccuracy of joint angle sensors on the physical hand, actions are specified relative to the current hand state. In particular, the torque applied to the given joint in simulation is equal to $P \cdot (s_t + a - s_{t'})$, where s_t is the joint angle at the time when the action was specified, a is the corresponding action coordinate, $s_{t'}$ is the current joint angle, and P is the proportionality coefficient. For the coupled joints, the desired and actual positions represent the sum of the two joint angles.

All actions are rescaled to the range [-1, 1]. To avoid abrupt changes to the action signal, which could harm a physical robot, we smooth the actions using an exponential moving average using a coefficient of 0.3 per 80 ms. before applying them (both in simulation and during deployments on the physical robot).

VIRONMENT

3.2.4. Rewards. The reward given at timestep t is $r_t = d_t - d_{t+1}$, where d_t and d_{t+1} are the rotation angles between the desired and current object orientations before and after the transition, respectively. We give an additional

reward of 5 whenever a goal is achieved with the tolerance of 0.4 rad (i.e., $d_{t+1} < 0.4$) and a reward of -20 (penalty) whenever the object is dropped.

Fig. 5. A rendering of our simulated environment.

Result

Updating..