

lecture 3:-

Prove that $(S^\dagger)^* = (S^*)^\dagger$.

$S^*_2 = \{ \lambda \in \text{All concatenations of words in } S \}$.

$(S^*)^* = \{ \lambda \text{ \& All concatenations of words in } S^* \}.$

$$= \{ \lambda \in \mathbb{C} \mid \lambda \in \mathbb{C} \text{ is a root of } \chi \}$$
$$z = 5^k$$
$$S = \{1, 2, 3\}, \quad S^* = \{1, 1, 2, 3, 11, 12, 13, \dots\}.$$
$$(S^X)^* = \{1, \epsilon, \dots\} \subseteq S^*$$

$S^+ = \{ \text{All concatenations of } S \text{ excluding } \Lambda \}$.

$(S^+)^* \subset I \quad \& \quad A \parallel \text{Constrains of } S^+ \}$.

$$z = \zeta^*$$
$$(S^+)^* \neq (S^*)^+$$
$$(ii) \quad (S^+)^+$$

S_{+2} of All concatenation of S excluding A .

$(S^+)_+ \subset A$ a cone of S^+ excluding N .

X -

Q :- Can

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prove.

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baba, ---, }.

1+0 210 +0' 2 100.

{a^n b^n}

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