

Feature Structures and Unification Grammars

11-711 Algorithms for NLP

21 November 2017 – Part II

Linguistic features

- (Linguistic “features” vs. ML “features”.)
- Human languages usually include *agreement* constraints; in English, e.g., subject/verb
 - I often swim
 - **He** often swims**s**
 - They often swim
- *Could* have a separate category for each minor type: N1s, N1p, ..., N3s, N3p, ...
 - *Each* with its own set of grammar rules!

A day without features...

- NP1s \rightarrow Det-s N1s
- NP1p \rightarrow Det-p N1p
- ...
- NP3s \rightarrow Det-s N3s
- NP3p \rightarrow Det-p N3p
- ...
- S1s \rightarrow NP1s VP1s
- S1p \rightarrow NP1p VP1p
- S3s \rightarrow NP3s VP3s
- S3p \rightarrow NP3p VP3p

Linguistic features

- *Could* have a separate category for each minor type: N1s, N1p, ... , N3s, N3p, ...
 - *Each* with its own set of grammar rules!
- Much better: represent these regularities using independent ***features***: number, gender, person, ...
- Features are typically introduced by lexicon; checked and propagated by constraint equations attached to grammar rules

Feature Structures (FSs)

Having multiple orthogonal features with values leads naturally to ***Feature Structures***:

[Det

[root: *a*]

[number: sg]]

A feature structure's values can in turn be FSs:

[NP

[agreement: [[number: sg]

[person: 3rd]]]]

Feature Path: <NP agreement person>

Adding constraints to CFG rules

- $S \rightarrow NP VP$
 <NP number> = <VP number>
- $NP \rightarrow Det Nominal$
 <NP head> = <Nominal head>
 <Det head agree> = <Nominal head agree>

FSs from lexicon, constrs. from rules

Lexicon entry:

[Det
[root: *a*]
[**number: sg**]]

Rule with constraints:

NP → Det Nominal

<NP number> = <Det number>

<NP number> = <Nominal
number>

- Combine to get result:

[NP [Det
[root: *a*]
[**number: sg**]]
[Nominal [**number: sg**] ...]
[**number: sg**]]

Similar issue with VP types

Another place where grammar rules could explode:

Jack laughed

$VP \rightarrow \text{Verb}$ *for many specific verbs*

Jack found a key

$VP \rightarrow \text{Verb NP}$ *for many specific verbs*

Jack gave Sue the paper

$VP \rightarrow \text{Verb NP NP}$ *for many specific verbs*

Verb Subcategorization

Verbs have sets of allowed args. Could have many sets of VP rules. Instead, have a SUBCAT feature, marking sets of allowed arguments:

+none -- Jack laughed
+np -- Jack found a key
+np+np -- Jack gave Sue the paper
+vp:inf -- Jack wants to fly
+np+vp:inf -- Jack told the man to go
+vp:ing -- Jack keeps hoping for the best
+np+vp:ing -- Jack caught Sam looking at his desk
+np+vp:base -- Jack watched Sam look at his desk
+np+pp:to -- Jack gave the key to the man

+pp:loc -- Jack is at the store
+np+pp:loc -- Jack put the box in the corner
+pp:mot -- Jack went to the store
+np+pp:mot -- Jack took the hat to the party
+adjp -- Jack is happy
+np+adjp -- Jack kept the dinner hot
+sthat -- Jack believed that the world was flat
+sfor -- Jack hoped for the man to win a prize

50-100 possible **frames** for English; a single verb can have several.
(Notation from James Allen “Natural Language Understanding”)

Frames for “ask”

(in J+M notation)

| Subcat | Example |
|---------------|--|
| <i>Quo</i> | asked [<i>Quo</i> “What was it like?”] |
| <i>NP</i> | asking [<i>NP</i> a question] |
| <i>Swh</i> | asked [<i>Swh</i> what trades you’re interested in] |
| <i>Sto</i> | ask [<i>Sto</i> him to tell you] |
| <i>PP</i> | that means asking [<i>PP</i> at home] |
| <i>Vto</i> | asked [<i>Vto</i> to see a girl called Evelyn] |
| <i>NP Sif</i> | asked [<i>NP</i> him] [<i>Sif</i> whether he could make] |
| <i>NP NP</i> | asked [<i>NP</i> myself] [<i>NP</i> a question] |
| <i>NP Swh</i> | asked [<i>NP</i> him] [<i>Swh</i> why he took time off] |

Adding transitivity constraint

- $S \rightarrow NP VP$
 $\langle NP \text{ number} \rangle = \langle VP \text{ number} \rangle$
- $NP \rightarrow Det \text{ Nominal}$
 $\langle NP \text{ head} \rangle = \langle \text{Nominal head} \rangle$
 $\langle Det \text{ head agree} \rangle = \langle \text{Nominal head agree} \rangle$
- $VP \rightarrow \text{Verb } NP$
 $\langle VP \text{ head} \rangle = \langle \text{Verb head} \rangle$
 $\langle VP \text{ head subcat} \rangle = \text{+np}$ (*which means transitive*)

Applying a verb subcat feature

Lexicon entry:

[Verb
[root: *found*]
[head: find]
[subcat: +np]]

Rule with constraints:

VP → Verb NP
 <VP head> = <Verb head>
 <VP head subcat> = +np

- Combine to get result:

[VP [Verb
 [root: *found*]
 [head: find]
 [subcat: +np]]
[NP ...]
[head: [find [subcat: +np]]]]]

Relation to LFG constraint notation

- $VP \rightarrow \text{Verb} \quad \text{NP}$
 $\langle VP \text{ head} \rangle = \langle \text{Verb head} \rangle$
 $\langle VP \text{ head subcat} \rangle = +np$

from JM book is the same as the LFG expression

- $VP \rightarrow \text{Verb} \quad \text{NP}$
 $(\uparrow \text{ head}) = (\downarrow \text{ head})$
 $(\uparrow \text{ head subcat}) = +np$

Unification

- Merging FSs (and failing if not possible) is called ***Unification***
- Simple FS examples:

[number sg] \sqcup [number sg] = [number sg]

[number sg] \sqcup [number pl] **FAILS**

[number sg] \sqcup [number []] = [number sg]

[number sg] \sqcup [person 3rd] = [number sg,
person 3rd]

Recap: applying constraints

Lexicon entry:

[Det

[root: *a*]

[**number: sg**]]

Rule with constraints:

NP → Det Nominal

<NP number> = <Det number>

**<NP number> = <Nominal
number>**

- Combine to get result:

[NP [Det

[root: *a*]

[**number: sg**]]

[Nominal [**number: sg**] ...]

[**number: sg**]]

Turning constraint eqns. into FS

Lexicon entry:

[Det
[root: *a*]
[*number: sg*]]

- Combine to get result:

[NP [Det
[root: *a*]
[*number: sg*]]
[Nominal [*number: sg*]
...]
[*number: sg*]]

Rule with constraints:

NP → Det Nominal

<NP number> = <Det number>

<NP number> = <Nominal
number>

becomes:

[NP [Det [*number: (1)*]]
[Nominal
[*number: (1)*]
...]
[*number: (1)*]]

Another example

This (oversimplified) rule:

$S \rightarrow NP VP$

<S subject> = NP

<S agreement> = <S subject agreement>

turns into this DAG:

[S [subject (1)

[agreement (2)]]

[agreement (2)]

[NP (1)]

[VP]

Unification example without “EQ”

[agreement [number sg],

subject [agreement [number sg]]]

⊔ [subject [agreement [person 3rd,
number sg]]]

= [agreement [number sg],
subject [agreement [person 3rd,
number sg]]]

- <agreement number> is equal to <subject agreement number>, but **not** EQ

Unification example with “EQ”

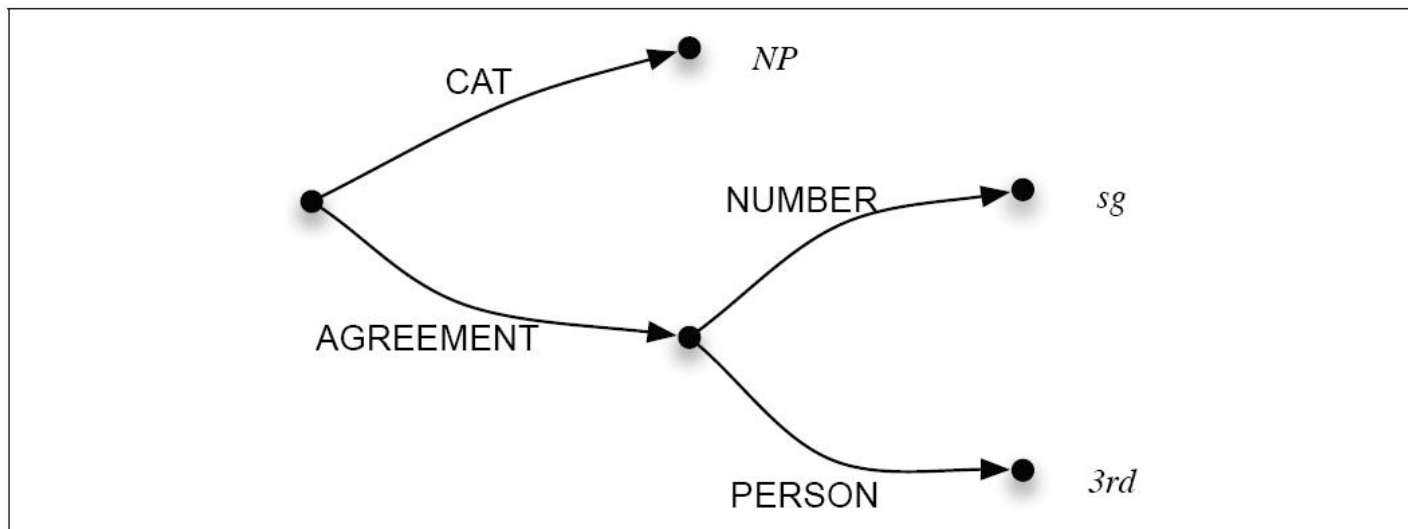
[agreement (1), subject [agreement (1)]]

⊔ [subject [agreement [person 3rd, number sg]
= [agreement (1),
subject [agreement (1) [person 3rd,
number sg]]]

- <agreement number> *is* <subject agreement number> (EQ), so they are equal

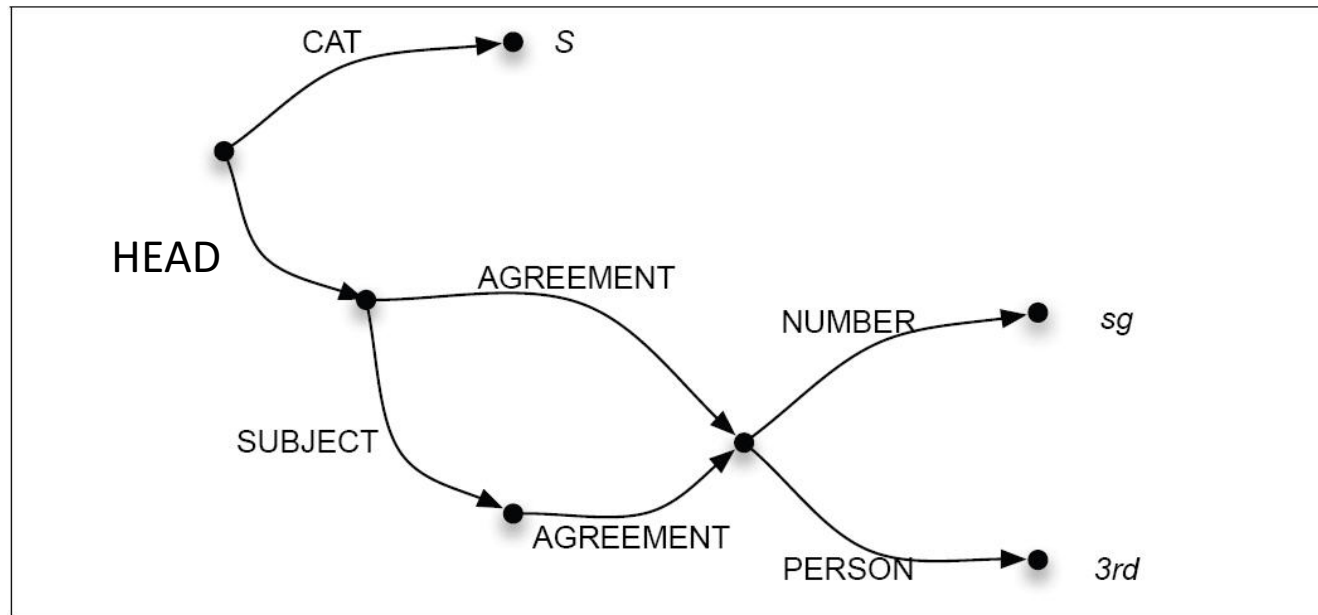
Representing FSs as DAGs

- Taking feature paths seriously
- May be easier to think about than numbered cross-references in text
- [cat NP, agreement [number sg, person 3rd]]



Re-entrant FS as DAGs

- [cat S, head [agreement (1) [number sg, person 3rd], subject [agreement (1)]]]



Seems tricky. Why bother?

- Unification allows the systems that use it to handle many complex phenomena in “simple” elegant ways:
 - There seems to be a dog in the yard.
 - There seem to be dogs in the yard
- Unification makes this work smoothly.
 - Make the Subjects of the clauses EQ:
 <VP subj> = <VP COMP subj>
 [VP [subj: (1)] [COMP [subj: (1)]]]
– (Ask Lori Levin for LFG details.)

Real Unification-Based Parsing

- $X_0 \rightarrow X_1 X_2$
 $\langle X_0 \text{ cat} \rangle = S, \langle X_1 \text{ cat} \rangle = NP, \langle X_2 \text{ cat} \rangle = VP$
 $\langle X_1 \text{ head agree} \rangle = \langle X_2 \text{ head agree} \rangle$
 $\langle X_0 \text{ head} \rangle = \langle X_2 \text{ head} \rangle$
- $X_0 \rightarrow X_1 \text{ and } X_2$
 $\langle X_1 \text{ cat} \rangle = \langle X_2 \text{ cat} \rangle, \langle X_0 \text{ cat} \rangle = \langle X_1 \text{ cat} \rangle$
- $X_0 \rightarrow X_1 X_2$
 $\langle X_1 \text{ orth} \rangle = \textit{how}, \langle X_2 \text{ sem} \rangle = \langle \text{SCALAR} \rangle$

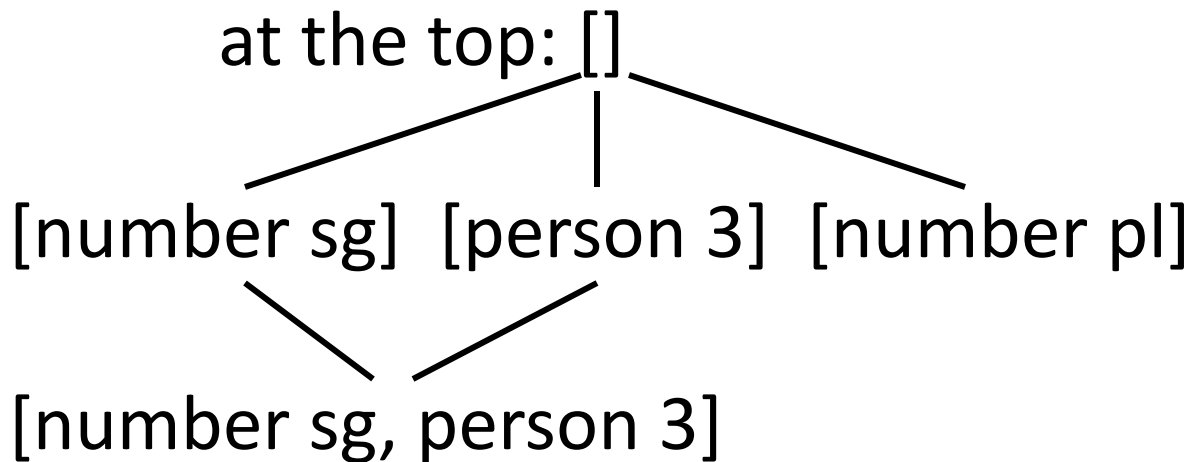
Complexity

- Earley modification: “search the chart for states whose DAGs *unify* with the DAG of the completed state”. Plus a lot of copying.
- Unification parsing is “quite expensive”.
 - NP-Complete in some versions.
 - Early AWB paper on Turing Equivalence(!)
- So maybe *too* powerful?
 - (like GoTo or Call-by-Name?)
 - Add restrictions to make it tractable:
 - Tomita’s Pseudo-unification (Tomabechei too)
 - Gerald Penn work on tractable HPSG: ALE

Formalities: subsumption

- Less specific FS1 **subsumes** more specific FS2
 $FS1 \sqsubseteq FS2$ (Inverse is FS2 **extends** FS1)

- Subsumption relation forms a **semilattice**,



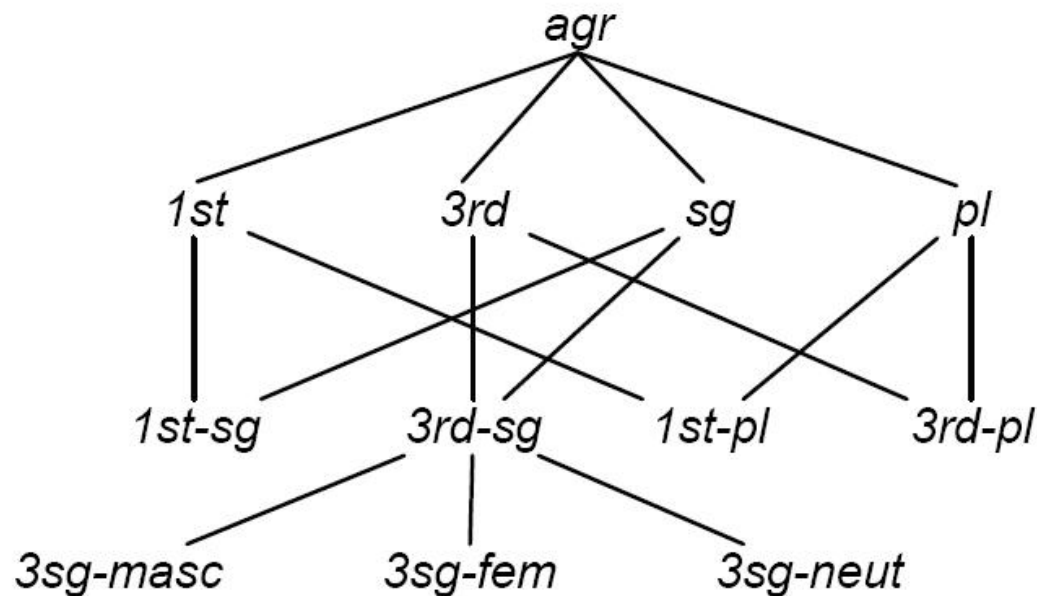
- Unification defined wrt semilattice:

$F \sqcup G = H$ s.t. $F \sqsubseteq H$ and $G \sqsubseteq H$

H is the Most General Unifier (MGU)

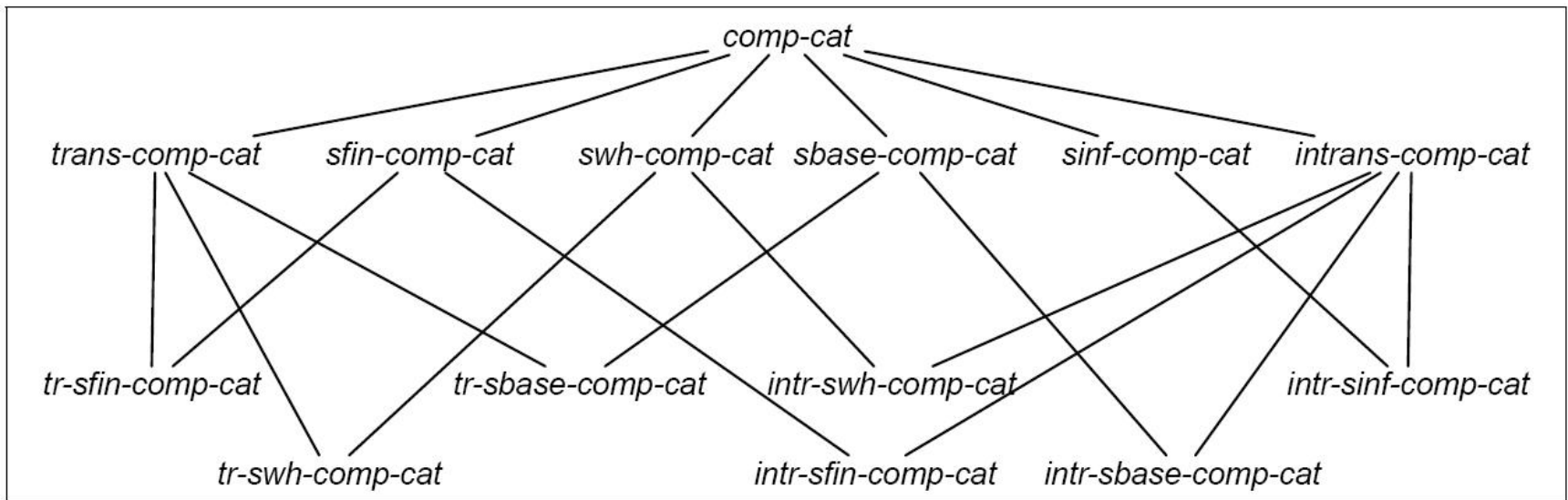
Hierarchical Types

Hierarchical types allow *values* to unify too (or not):



Hierarchical subcat frames

Many verbs share *subcat* frames, some with more arguments specified than others:



Questions?