



# System Dependability Lab

## Exercises on Safety Assessment of Static Systems

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### 1. Introduction

I have studied and compared three Computing Platform Designs that should support three applications ( $A_1$ ,  $A_2$  and  $A_3$ ). Each application  $A_i$  is implemented by two tasks  $A_{iL}$  and  $A_{iR}$ . The application  $A_i$  fails if both tasks  $A_{iL}$  and  $A_{iR}$  fail. A task fails if all the computers that can host it fail. We are interested in the following Failure Conditions:

$FC_{A_i}$  loss of application  $A_i$ , with  $i \in \{1,2,3\}$ .

$FC_{One\_Appli}$  loss of at least one application.

All the  $FC$  are classified *CATASTROPHIC* for an operation time of  $T = 10^3 h$ .

**Question 1.** What are the qualitative and quantitative safety requirements associated to the  $FC$ s?

Response: The reason of all the  $FC$  are classified *CATASTROPHIC*, the qualitative and quantitative safety requirements associated to the  $FC$ s are:

Criticality	Qualitative requirement	Quantitative requirement
<i>CATASTROPHIC</i>	$order \geq 2$	$\bar{\lambda} \leq 10^{-9} / flight\ hour$

### 2. Computing Platform Design – solution 1

Figure 1 presents the first solution for the computer platform design. In this solution the **application fails if its computer fails**. We assume that the loss of a computer is modelled by an exponential distribution of failure rate  $\lambda = 10^{-5} \cdot h^{-1}$ .

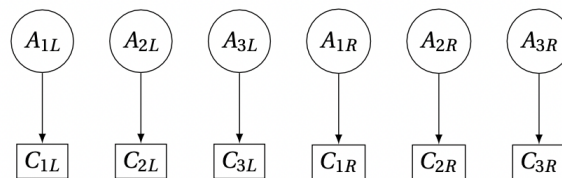
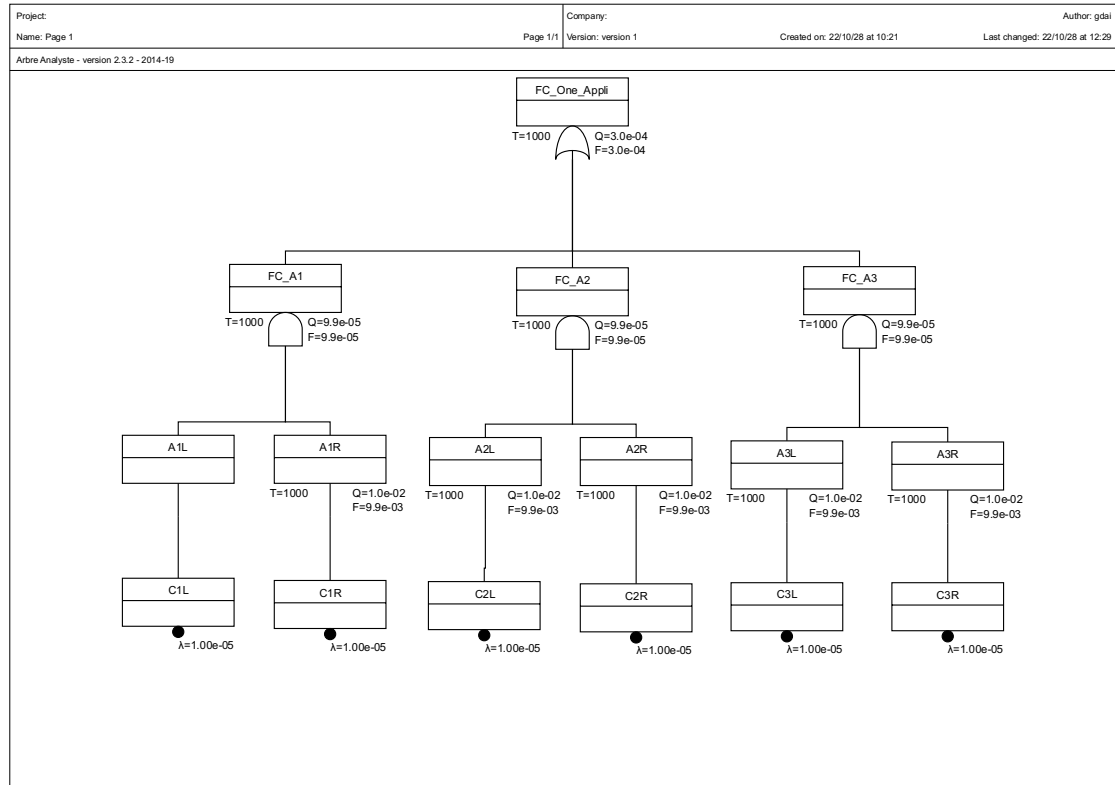


Figure 1: Solution 1 - one computer per task

#### Question 2

1. Create a new file and build the fault-tree for the failure conditions  $FC_{A_i}$  and  $FC_{One\_Appli}$ .



2. Compute the *Minimal Cut Sets* for  $FC_{A_i}$  and  $FC_{One\_Appli}$ .

(1) The *Minimal Cut Sets* for  $FC_{One\_Appli}$ :

No.	Quantity	Probability	Percent	Events	
1	2	9.90058e-05	0.333333	C3L	C3R
2	2	9.90058e-05	0.333333	C2L	C2R
3	2	9.90058e-05	0.333333	C1L	C1R

(2) The *Minimal Cut Sets* for  $FC_{A_1}$ :

No.	Quantity	Probability	Percent	Events	
1	2	9.90058e-05	1	C1L	C1R

(3) The *Minimal Cut Sets* for  $FC_{A_2}$ :

No.	Quantity	Probability	Percent	Events	
1	2	9.90058e-05	1	C2L	C2R

(4) The *Minimal Cut Sets* for  $FC_{A_3}$ :

No.	Quantity	Probability	Percent	Events	
1	2	9.90058e-05	1	C3L	C3R

3. Compute the *mean failure rate* of  $FC_{A_i}$  and  $FC_{One\_Appli}$ .

(1) The *mean failure rate* of  $FC_{One\_Appli}$  is:

$$\bar{\lambda}_{One\_Appli} = \frac{P(FC_{A_1}) + P(FC_{A_2}) + P(FC_{A_3})}{T} = 3 \times \frac{9.90 \times 10^{-5}}{10^3} \approx 3 \times 10^{-7}$$

(2) The *mean failure rate* of  $FC_{A_i}$  is:

$$\bar{\Lambda}_{FC_{A_1}} = \frac{P(FC_{A_1})}{T} \approx \frac{9.90 \times 10^{-5}}{10^3} = 9.90 \times 10^{-8} \approx 10^{-7}$$

$$\bar{\Lambda}_{FC_{A_2}} = \frac{P(FC_{A_2})}{T} \approx \frac{9.90 \times 10^{-5}}{10^3} = 9.90 \times 10^{-8} \approx 10^{-7}$$

$$\bar{\Lambda}_{FC_{A_3}} = \frac{P(FC_{A_3})}{T} \approx \frac{9.90 \times 10^{-5}}{10^3} = 9.90 \times 10^{-8} \approx 10^{-7}$$

4. Are the Qualitative and Quantitative requirements enforced for failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ ? Justify the answer.

Response:

The Qualitative and Quantitative requirements are not enforced for failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ . Because the **order of each FC equals 2 (= 2)** and **mean failure rate  $\bar{\Lambda}$  is more than  $10^{-9}$  ( $\geq 10^{-9}$ )**.

### 3. Computing Platform Design – solution 2

Figure 2 describes the solution 2 for the computing platform design. In this solution the application fails if its computer fails **except** for task  $A_{1L}$  (resp.  $A_{3R}$ ) that fails **if both the computers**  $C_{1L}$  and  $C_{1Lb}$  (resp.  $C_{3R}$  and  $C_{3Rb}$ ) fail.

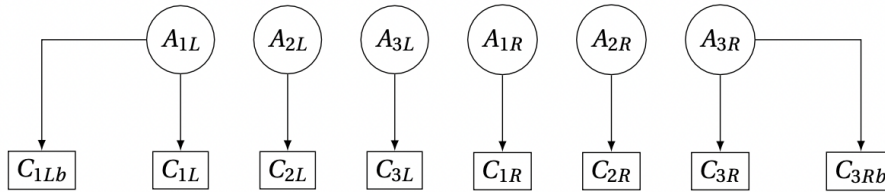
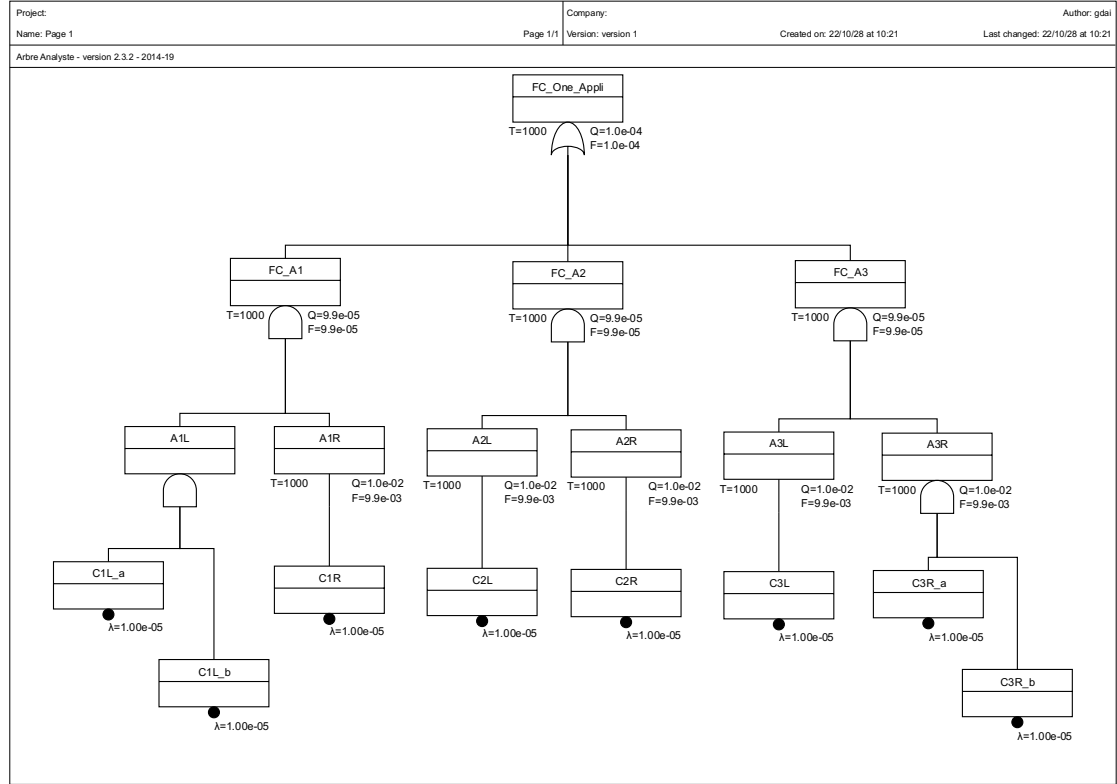


Figure 2: Solution 2 - backup computers for tasks  $A_{1L}$  and  $A_{3R}$

#### Question 3

1. Create a new file and build the fault-tree for the failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ .



2. Compute the *Minimal Cut Sets* for  $FC_{A_i}$  and  $FC\_One\_Appli$ .

(1) The *Minimal Cut Sets* for  $FC\_One\_Appli$ :

No.	Quantity	Probability	Percent	Events		
1	2	9.90058e-05	0.980488	C2L	C2R	
2	3	9.85124e-07	0.00975602	C3L	C3R_a	C3R_b
3	3	9.85124e-07	0.00975602	C1L_a	C1L_b	C1R

(2) The *Minimal Cut Sets* for  $FC_{A_1}$ :

No.	Quantity	Probability	Percent	Events		
1	3	9.85124e-07	1	C1L_a	C1L_b	C1R

(3) The *Minimal Cut Sets* for  $FC_{A_2}$ :

No.	Quantity	Probability	Percent	Events		
1	2	9.90058e-05	1	C2L	C2R	

(4) The *Minimal Cut Sets* for  $FC_{A_3}$ :

No.	Quantity	Probability	Percent	Events		
1	3	9.85124e-07	1	C3L	C3R_a	C3R_b

3. Compute the *mean failure rate* of  $FC_{A_i}$  and  $FC\_One\_Appli$ .

(1) The *mean failure rate* of  $FC\_One\_Appli$  is:

$$\bar{\lambda}_{One\_Appli} = \frac{P(FC_{A_1}) + P(FC_{A_2}) + P(FC_{A_3})}{T} \approx \frac{P(FC_{A_2})}{T} \approx 10^{-7}$$

(2) The **mean failure rate** of  $FC_{A_i}$  is:

$$\bar{\Lambda}_{FC_{A_1}} = \frac{P(FC_{A_1})}{T} \approx \frac{9.85 \times 10^{-7}}{10^3} = 9.85 \times 10^{-10} \approx 10^{-9}$$

$$\bar{\Lambda}_{FC_{A_2}} = \frac{P(FC_{A_2})}{T} \approx \frac{9.90 \times 10^{-5}}{10^3} = 9.90 \times 10^{-8} \approx 10^{-7}$$

$$\bar{\Lambda}_{FC_{A_3}} = \frac{P(FC_{A_3})}{T} \approx \frac{9.85 \times 10^{-7}}{10^3} = 9.85 \times 10^{-10} \approx 10^{-9}$$

4. Are the Qualitative and Quantitative requirements enforced for failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ ? Justify the answer.

Response:

- The Qualitative and Quantitative requirements are not enforced for failure conditions  $FC_{A_2}$  and  $FC\_One\_Appli$ . Because the **order of  $FC_{A_2}$  and  $FC\_One\_Appli$  are both equal 2**, moreover, **their mean failure rate  $\bar{\Lambda}$  is more than  $10^{-9}$** .
- The Qualitative and Quantitative requirements are enforced for failure conditions  $FC_{A_1}$  and  $FC_{A_3}$ . Because **the order of each  $FC$  equals 3 ( $\geq 2$ ) and mean failure rate  $\bar{\Lambda}$  is less than  $10^{-9}$  ( $\leq 10^{-9}$ )**.

## 4. Computing Platform Design – solution 3

The solution 3 of the computing platform design is described by the figure 3. In this solution the application fails if its computer fails and if the spare computer  $S_{pL}$  (resp.  $S_{pR}$ ) cannot be used as a backup. The spare  $S_{pL}$  (resp.  $S_{pR}$ ) can be used by:

- $A_{1L}$  (resp.  $A_{1R}$ ) if  $C_{1L}$  (resp.  $C_{1R}$ ) fails,
- $A_{2L}$  (resp.  $A_{2R}$ ) if  $C_{2L}$  (resp.  $C_{2R}$ ) fails and not used by  $A_{1L}$  (resp.  $A_{1R}$ ),
- $A_{3L}$  (resp.  $A_{3R}$ ) if  $C_{3L}$  (resp.  $C_{3R}$ ) fails and not used by  $A_{1L}$ , or  $A_{2L}$  (resp.  $A_{1R}$ , or  $A_{2R}$ ).

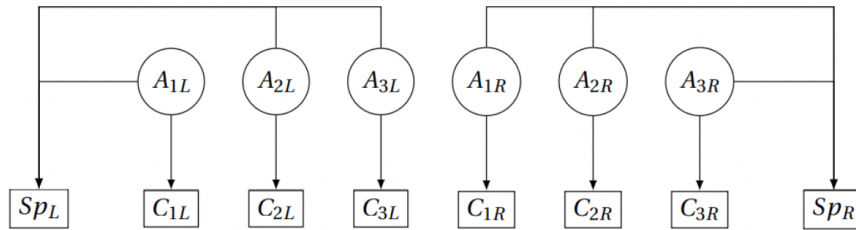
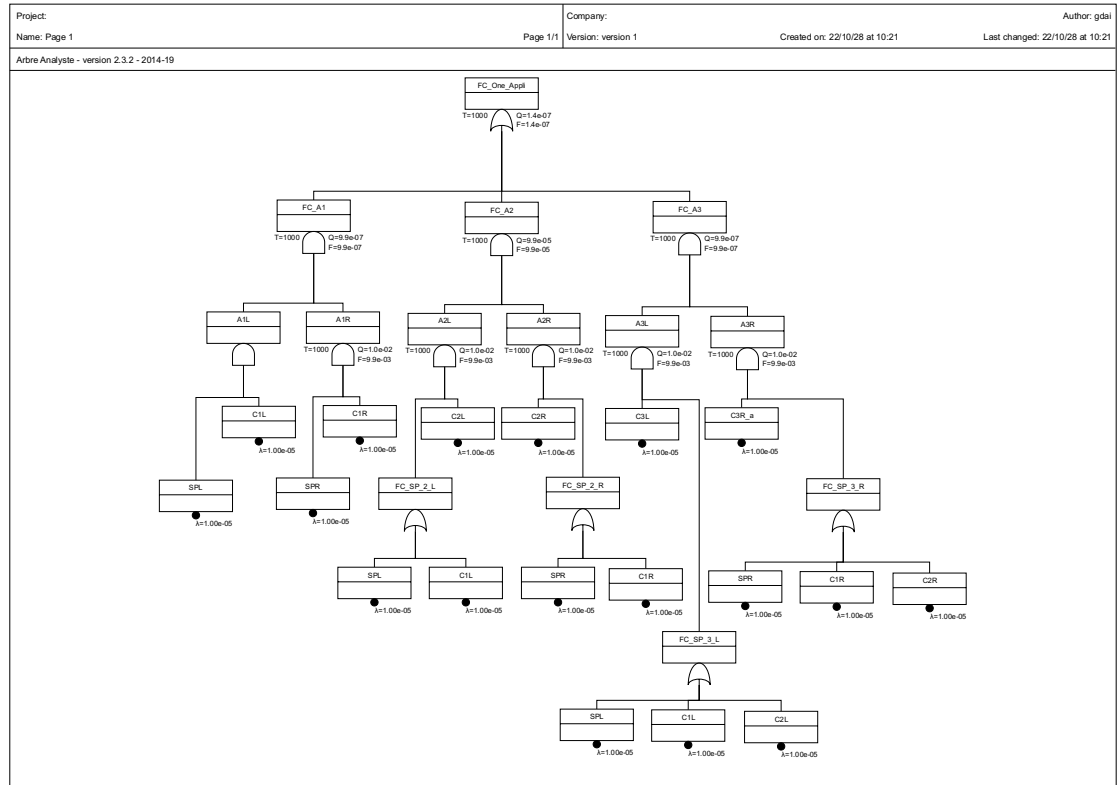


Figure 13: Solution 3 - one computer per task and one spare per side

### Question 4.

1. Create a new file and build the fault-tree for the failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ .



2. Compute the *Minimal Cut Sets* for  $FC_{A_i}$  and  $FC\_One\_Appli$ .

(1) The *Minimal Cut Sets* for  $FC\_One\_Appli$ :

No.	Quantity	Probability	Percent	Events			
1	4	9.80215e-09	0.0714286	C2L	C2R	SPL	SPR
2	4	9.80215e-09	0.0714286	C1R	C2L	C2R	SPL
3	4	9.80215e-09	0.0714286	C1L	C2L	C2R	SPR
4	4	9.80215e-09	0.0714286	C1L	C1R	C2L	C2R
5	4	9.80215e-09	0.0714286	C2L	C2R	C3L	C3R_a
6	4	9.80215e-09	0.0714286	C2R	C3L	C3R_a	SPL
7	4	9.80215e-09	0.0714286	C1L	C2R	C3L	C3R_a
8	4	9.80215e-09	0.0714286	C1L	C1R	SPL	SPR
9	4	9.80215e-09	0.0714286	C1L	C3L	C3R_a	SPR
10	4	9.80215e-09	0.0714286	C1L	C1R	C3L	C3R_a
11	4	9.80215e-09	0.0714286	C3L	C3R_a	SPL	SPR
12	4	9.80215e-09	0.0714286	C1R	C3L	C3R_a	SPL
13	4	9.80215e-09	0.0714286	C2L	C3L	C3R_a	SPR
14	4	9.80215e-09	0.0714286	C1R	C2L	C3L	C3R_a

(2) The *Minimal Cut Sets* for  $FC_{A_1}$ :

No.	Quantity	Probability	Percent	Events			
1	4	9.80215e-09	1	C1L	C1R	SPL	SPR

(3) The *Minimal Cut Sets* for  $FC_{A_2}$ :

No.	Quantity	Probability	Percent	Events			
1	4	9.80215e-09	0.25	C2L	C2R	SPL	SPR
2	4	9.80215e-09	0.25	C1L	C2L	C2R	SPR
3	4	9.80215e-09	0.25	C1R	C2L	C2R	SPL
4	4	9.80215e-09	0.25	C1L	C1R	C2L	C2R

(4) The *Minimal Cut Sets* for  $FC_{A_3}$ :

No.	Quantity	Probability	Percent	Events			
1	4	9.80215e-09	0.1111111	C2L	C2R	C3L	C3R_a
2	4	9.80215e-09	0.1111111	C2R	C3L	C3R_a	SPL
3	4	9.80215e-09	0.1111111	C1L	C2R	C3L	C3R_a
4	4	9.80215e-09	0.1111111	C1L	C3L	C3R_a	SPR
5	4	9.80215e-09	0.1111111	C1L	C1R	C3L	C3R_a
6	4	9.80215e-09	0.1111111	C3L	C3R_a	SPL	SPR
7	4	9.80215e-09	0.1111111	C1R	C3L	C3R_a	SPL
8	4	9.80215e-09	0.1111111	C2L	C3L	C3R_a	SPR
9	4	9.80215e-09	0.1111111	C1R	C2L	C3L	C3R_a

3. Compute the *mean failure rate* of  $FC_{A_i}$  and  $FC\_One\_Appli$ .

(1) The *mean failure rate* of  $FC\_One\_Appli$  is:

$$\bar{\Lambda}_{One\_Appli} = \frac{P(FC_{A_1}) + P(FC_{A_2}) + P(FC_{A_3})}{T} \approx 14 \times \frac{9.80 \times 10^{-9}}{T} \approx 1.4 \times 10^{-10}$$

(2) The *mean failure rate* of  $FC_{A_i}$  is:

$$\begin{aligned}\bar{\Lambda}_{FC_{A_1}} &= \frac{P(FC_{A_1})}{T} \approx \frac{9.80 \times 10^{-9}}{10^3} = 9.80 \times 10^{-12} \\ \bar{\Lambda}_{FC_{A_2}} &= \frac{P(FC_{A_2})}{T} \approx 4 \times \frac{9.80 \times 10^{-9}}{10^3} = 3.92 \times 10^{-11} \\ \bar{\Lambda}_{FC_{A_3}} &= \frac{P(FC_{A_3})}{T} \approx 9 \times \frac{9.80 \times 10^{-9}}{10^3} = 8.82 \times 10^{-11}\end{aligned}$$

4. Are the Qualitative and Quantitative requirements enforced for failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ ? Justify the answer.

Response:

The Qualitative and Quantitative requirements are enforced for failure conditions  $FC_{A_i}$  and  $FC\_One\_Appli$ . Because the order of each  $FC$  equals 4 ( $\geq 2$ ) and mean failure rate  $\bar{\Lambda}$  is less than  $10^{-9}$  ( $\leq 10^{-9}$ ).

## 5. Computing Platform Design – DAL Allocation

The group of Basic Computers is independent from Spare Computers:

$$BasicComputers = \{C_{1L}, C_{2L}, C_{3L}, C_{1Lb}, C_{1R}, C_{2R}, C_{3R}, C_{3Rb}\}$$

$$SpareComputers = \{S_{pL}, S_{pR}\}$$

Within a group Basic or Spare, all computers are dependent.

**Question 5** Knowing the independent group, for each solution complete the DAL allocation table 1 to allocate a DAL to the computers of the platform.

Severity ( <i>FC</i> )	DAL( <i>FC</i> )	Acceptable Frequency (Order of Magnitude)
CAT	A	$10^{-9}$
HAZ	B	$10^{-7}$
MAL	C	$10^{-5}$
MIN	D	$10^{-3}$
NSE	E	-

Table – Link between severity and DAL

(1) The DAL allocation table of Solution 1:

FC	Initial DAL	MCS	Components					
			$C_{1L}$	$C_{2L}$	$C_{3L}$	$C_{1R}$	$C_{2R}$	$C_{3R}$
$FC_{A_1}$	A	$\{C_{1L}, C_{1R}\}$	$\geq A$	-	-	$\geq A$	-	-
$FC_{A_2}$	A	$\{C_{2L}, C_{2R}\}$	-	$\geq A$	-	-	$\geq A$	-
$FC_{A_3}$	A	$\{C_{3L}, C_{3R}\}$	-	-	$\geq A$	-	-	$\geq A$
$FC_{One\_Appli}$	A	$\{C_{1L}, C_{1R}\}$	$\geq A$	-	-	$\geq A$	-	-
		$\{C_{2L}, C_{2R}\}$	-	$\geq A$	-	-	$\geq A$	-
		$\{C_{3L}, C_{3R}\}$	-	-	$\geq A$	-	-	$\geq A$
Final			$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$

(2) The DAL allocation table of Solution 2:

FC	Initial DAL	MCS	Components							
			$C_{1L}$	$C_{2L}$	$C_{3L}$	$C_{1L\_b}$	$C_{1R}$	$C_{2R}$	$C_{3R}$	$C_{3R\_b}$
$FC_{A_1}$	A	$\{C_{1L}, C_{1R}, C_{1L\_b}\}$	$\geq A$	-	-	$\geq A$	$\geq A$	-	-	-
$FC_{A_2}$	A	$\{C_{2L}, C_{2R}\}$	-	$\geq A$	-	-	-	$\geq A$	-	-
$FC_{A_3}$	A	$\{C_{3L}, C_{3R}, C_{3R\_b}\}$	-	-	$\geq A$	-	-	-	$\geq A$	$\geq A$
$FC\_One\_Appli$	A	$\{C_{1L}, C_{1R}, C_{1L\_b}\}$	$\geq A$	-	-	$\geq A$	$\geq A$	-	-	-
		$\{C_{2L}, C_{2R}\}$		$\geq A$	-	-	-	$\geq A$	-	-
		$\{C_{3L}, C_{3R}, C_{3R\_b}\}$	-	-	$\geq A$	-	-	-	$\geq A$	$\geq A$
Final			$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$



(3) The DAL allocation table of Solution 3:

FC	Initial DAL	MCS	Components							
			$C_{1L}$	$C_{2L}$	$C_{3L}$	$C_{1R}$	$C_{2R}$	$C_{3R\_a}$	$S_{pL}$	$S_{pR}$
$FC_{A_1}$	A	$\{C_{1L}, C_{1R}, S_{pL}, S_{pR}\}$	$\geq A$	-	-	$\geq A$	-	-	$\geq C$	$\geq C$
$FC_{A_2}$	A	$\{C_{2L}, C_{2R}, S_{pL}, S_{pR}\}$	-	$\geq A$	-	-	$\geq A$	-	$\geq C$	$\geq C$
		$\{C_{1L}, C_{2L}, C_{2R}, S_{pR}\}$	$\geq A$	$\geq A$	-	-	$\geq A$	-	-	$\geq C$
		$\{C_{1R}, C_{2L}, C_{2R}, S_{pL}\}$	-	$\geq A$	-	$\geq A$	$\geq A$	-	$\geq C$	-
		$\{C_{1L}, C_{1R}, C_{2L}, C_{2R}\}$	$\geq A$	$\geq A$	-	$\geq A$	$\geq A$	-	-	-
$FC_{A_3}$	A	$\{C_{2L}, C_{2R}, C_{3L}, C_{3R\_a}\}$	-	$\geq A$	$\geq A$	-	$\geq A$	$\geq A$	-	-
		$\{C_{2R}, C_{3L}, C_{3R\_a}, S_{pL}\}$	-	-	$\geq A$	-	$\geq A$	$\geq A$	$\geq C$	-
		$\{C_{1L}, C_{2R}, C_{3L}, C_{3R\_a}\}$	$\geq A$	-	$\geq A$	-	$\geq A$	$\geq A$	-	-
		$\{C_{1L}, C_{3L}, C_{3R\_a}, S_{pR}\}$	$\geq A$	-	$\geq A$	-	-	$\geq A$	-	$\geq C$
		$\{C_{1L}, C_{1R}, C_{3L}, C_{3R\_a}\}$	$\geq A$	-	$\geq A$	$\geq A$	-	$\geq A$	-	-
		$\{C_{3L}, C_{3R\_a}, S_{pL}, S_{pR}\}$	-	-	$\geq A$	-	-	$\geq A$	$\geq C$	$\geq C$
		$\{C_{1R}, C_{3L}, C_{3R\_a}, S_{pL}\}$	-	-	$\geq A$	$\geq A$	-	$\geq A$	$\geq C$	-
		$\{C_{2L}, C_{3L}, C_{3R\_a}, S_{pR}\}$	-	$\geq A$	$\geq A$	-	-	$\geq A$	-	$\geq C$
$FC_{One\_Appli}$	A	$\{C_{1R}, C_{2L}, C_{3L}, C_{3R\_a}\}$	-	$\geq A$	$\geq A$	$\geq A$	-	$\geq A$	-	-
		$\{C_{2L}, C_{2R}, S_{pL}, S_{pR}\}$	-	$\geq A$	-	-	$\geq A$	-	$\geq C$	$\geq C$
		$\{C_{1L}, C_{2L}, C_{2R}, S_{pR}\}$	$\geq A$	$\geq A$	-	-	$\geq A$	-	-	$\geq C$
		$\{C_{1R}, C_{2L}, C_{2R}, S_{pL}\}$	-	$\geq A$	-	$\geq A$	$\geq A$	-	$\geq C$	-
		$\{C_{1L}, C_{1R}, C_{2L}, C_{2R}\}$	$\geq A$	$\geq A$	-	$\geq A$	$\geq A$	-	-	-
		$\{C_{2L}, C_{2R}, C_{3L}, C_{3R\_a}\}$	-	$\geq A$	$\geq A$	-	$\geq A$	$\geq A$	-	-
		$\{C_{2R}, C_{3L}, C_{3R\_a}, S_{pL}\}$	-	-	$\geq A$	-	$\geq A$	$\geq A$	$\geq C$	-
		$\{C_{1L}, C_{2R}, C_{3L}, C_{3R\_a}\}$	$\geq A$	-	$\geq A$	-	$\geq A$	$\geq A$	-	-
		$\{C_{1L}, C_{1R}, S_{pL}, S_{pR}\}$	$\geq A$	-	-	$\geq A$	-	-	$\geq C$	$\geq C$
		$\{C_{1L}, C_{3L}, C_{3R\_a}, S_{pR}\}$	$\geq A$	-	$\geq A$	-	-	$\geq A$	-	$\geq C$
		$\{C_{1L}, C_{1R}, C_{3L}, C_{3R\_a}\}$	$\geq A$	-	$\geq A$	$\geq A$	-	$\geq A$	-	-
		$\{C_{3L}, C_{3R\_a}, S_{pL}, S_{pR}\}$	-	-	$\geq A$	-	-	$\geq A$	$\geq C$	$\geq C$
		$\{C_{1R}, C_{3L}, C_{3R\_a}, S_{pL}\}$	-	-	$\geq A$	$\geq A$	-	$\geq A$	$\geq C$	-
		$\{C_{2L}, C_{3L}, C_{3R\_a}, S_{pR}\}$	-	$\geq A$	$\geq A$	-	-	$\geq A$	-	$\geq C$
$\{C_{1R}, C_{2L}, C_{3L}, C_{3R\_a}\}$	-	$\geq A$	$\geq A$	$\geq A$	-	$\geq A$	-	-		
Final			$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq A$	$\geq C$	$\geq C$

## 6. Computing Platform Design – Failed components

It is not possible to repair failed components in any airport so it should be possible to fly the aircraft safely with some components failed.

**Question 6** Duplicate the table 2 in your report and complete:

- The first one considering the qualitative requirement (i.e. satisfy  $FC\_One\_appli$  i order bound);

Response: if (number of components  $> 2$ ) then (“OK”) else (“KO”)

Solution	components									
	$C_{1L}$	$C_{2L}$	$C_{3L}$	$C_{1L,b}$	$C_{1R}$	$C_{2R}$	$C_{3R} / C_{3R,a}$	$C_{3R,b}$	$S_{pL}$	$S_{pR}$
1	KO	KO	KO	-	KO	KO	KO	-	-	-
2	OK	KO	OK	OK	OK	KO	KO	OK	-	-
3	OK	OK	OK	-	OK	OK	OK	-	OK	OK

- The second one considering the qualitative requirement (i.e. satisfy  $FC\_One\_appli$  i mean failure rate bound).

Response: if (mean failure rate  $\bar{\Lambda} \leq 10^{-9}$ ) then (“OK”) else (“KO”)

Solution n		components									
		$C_{1L}$	$C_{2L}$	$C_{3L}$	$C_{1L,b}$	$C_{1R}$	$C_{2R}$	$C_{3R} / C_{3R,a}$	$C_{3R,b}$	$S_{pL}$	$S_{pR}$
1	$\bar{\Lambda}$	$10^{-5}$	$10^{-5}$	$10^{-5}$	-	$10^{-5}$	$10^{-5}$	$10^{-5}$	-	-	-
		KO	KO	KO	-	KO	KO	KO	-	-	-
2	$\bar{\Lambda}$	$10^{-7}$	$10^{-5}$	$10^{-7}$	$10^{-7}$	$10^{-7}$	$10^{-5}$	$10^{-7}$	$10^{-7}$	-	-
		KO	KO	KO	KO	KO	KO	KO	KO	-	-
3	$\bar{\Lambda}$	$> 10^{-9}$	$> 10^{-9}$	$> 10^{-9}$	-	$> 10^{-9}$	$> 10^{-9}$	$> 10^{-9}$	-	$> 10^{-9}$	$> 10^{-9}$
	sd	KO	KO	KO	-	KO	KO	KO	-	KO	KO

## 7. Computing Platform Design – Comparison

We suppose that the cost of a solution mainly depends on the number of computers and their associated DAL (i.e. costs are:  $DAL_A = 20, DAL_B = 15, DAL_C = 5; DAL_D = 4; DAL_E = 0$ ).

**Question 7** Copy and complete the table 3 to compare the three solutions with respect to their cost, safety and its capability to fly with a faulty computer. What is your preferred solution? Can you imagine a better solution?

Response:

The table of solution comparison is shown as below:

Solution	Fulfilled safety requirement		Acceptable with failed component	Cost
	Qualitative	Quantitative		
1	OK	KO	KO	120
2	OK	KO	KO	160
3	OK	OK	KO	130

From a qualitative and quantitative point of view, it is beneficial to increase the spare node. But it also has a strong correlation with cost.