

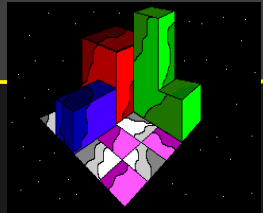
# Language Design meets Verifying Compilers

**David J. Pearce**

*ConsenSys*

@WhileyDave  
whileydave.com

```
class sprlib {  
public:  
    sprlib(char *,int = 0);  
    ~sprlib();  
    void setscreenptr(word);  
    void drawspr(int,int,int);  
    void xchgspr(int,int,int,int);  
    ...  
};
```



(Circa 1995)

# History

Friday, 24th, June

Checking a large routine. by Dr. A. Turing.

How can one check a routine in the sense of making sure that it is right?

In order that the man who checks may not have too difficult a task the programmer should make a number of definite assertions which can be checked individually, and from which the correctness of the whole program easily follows.

—Alan Turing, 1949

*“it was the **Stanford Pascal Verifier** project that produced the first verification system to target a real programming language”*

–Ireland’04

Stanford Verification Group  
Report No. 11

March 1979  
Edition 1

Computer Science Department  
Report No. STAN-CS-79-73 1

# STANFORD PASCAL VERIFIER USER MANUAL

by

STANFORD VERIFICATION GROUP

## The Verifying Compiler: A Grand Challenge for Computing Research

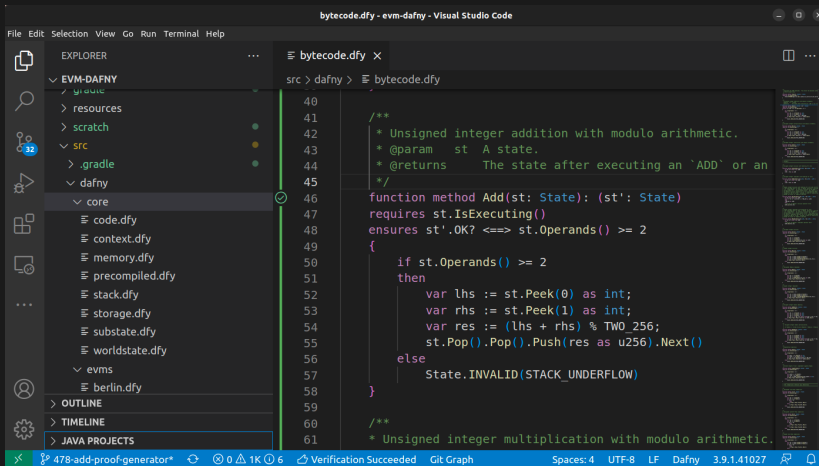
**Abstract.** This contribution proposes a set of criteria that distinguish a grand challenge in science or engineering from the many other kinds of short-term or long-term research problems that engage the interest of scientists and engineers. As an example drawn from Computer Science, it revives an old challenge: **the construction and application of a verifying compiler that guarantees correctness of a program before running it.**

—Hoare'03

```
deposit(...)
{
    while C1 {
        if C2 { return; }
        ...
    }
    // As the loop should always end prematurely with the 'return'
    // statement, this code should be unreachable. We assert 'false'
    // just to be safe.
    assert (false);
}
```

–Cassez, et al., FM'21

*(contract currently holds around 9million ETH)*





## Dafny

```
function abs(x:int) : (r:int)
ensures r >= 0
ensures (x == r) || (-x == r) {
    if x >= 0 then x else -x
}
```

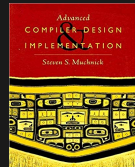
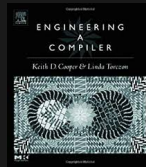
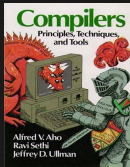
## Whiley

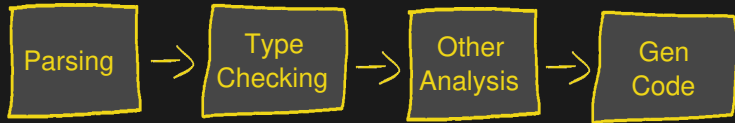
```
function abs(int x) -> (int r)
ensures r >= 0
ensures (r == x) || (r == -x):
    if x >= 0:
        return x
    else:
        return -x
```

# **(Verifying) Compilers**

“In computing, a **compiler** is a computer program that translates computer code written in one programming language (the source language) into another language (the target language).”

—Wikipedia









## Dafny

```
datatype Option = Some(value:int) | None

method unboxer(x:int, p:Option) returns (r:int)
requires x >= 0 ==> p.Some? {
  if x >= 0 {
    return p.value;
  } else {
    return x;
  }
}
```

## Whiley

```
type Some is {int value}
type Option is Some | null

function unboxer(int x, Option p) -> (int r)
requires (x >= 0) ==> (p is Some):
    if x >= 0:
        // Error!
        return p.value
    else:
        return x
```



## Whiley

```
type Some is {int value}
type Option is Some | null

function unboxer(int x, Option p) -> (int r)
requires (x >= 0) ==> (p is Some):
  if x >= 0:
    assert p is Some
    return p.value
  else:
    return x
```

## Dafny

```
method maxer(x:int, y:int) returns (r:int)
requires x != y
ensures (r == x) || (r == y) {
    if x > y {
        return x;
    } else if x < y {
        return y;
    }
}
```

Whiley

```
function maxer(int x, int y) -> (int r)
requires x != y:
  if x > y:
    return 1
  else if x < y:
    return 0
  else:
    fail
```

# Flow Typing

“**Flow typing** offers an alternative where a variable may have different types at different program points. The technique is adopted from flow-sensitive program analysis ...”

—Pearce'13

## Dafny

```
method iof(xs:seq<int>, x:nat) returns (r:Opt<nat>)  
  // If valid index returned, element matches item  
  ensures r.Some? ==> (r.v < |xs| && xs[r.v] == x)
```

## Whiley

```
method iof(int[] xs, int x) -> (int|null r)  
  // If valid index returned, element matches item  
  ensures (r is int) ==> (xs[r] == x)
```

# Functional Purity

“To be functionally pure, a method must satisfy two critical properties: **First**, it must have no side effects. ... The **second** property is functional determinism.”

—Finifter *et al.*, 2008



## Dafny

```
function max(x:int, y:int) : (r:int)
ensures (r == x) || (r == y)
ensures (r >= x) && (r >= y) {
    ...
}
```

## Whiley

```
function max(int x, int y) -> (int r)
ensures (r == x) || (r == y)
ensures (r >= x) && (r >= y):
    ...
```

“Unlike pure functional programming, however, **mutable value semantics** allows part-wise in-place mutation, thereby eliminating the memory traffic usually associated with functional updates of immutable data”

—Racordon *et al.*, 2022

## Dafny

```
function fill(xs:seq<int>, n:nat, x:int) : seq<int>
requires n <= |xs|
{
    if n == 0 then xs
    else [x] + fill(xs[1..],n-1,x)
}
```

## Whiley

```
function fill(int[] xs, uint n, int x) -> (int[] rs)
requires n <= |xs|:
    for i in 0..n:
        xs[i] = x
    return xs
```

# **(Un)interpreted Functions**

“Normally function bodies are transparent and available for constructing proofs of assertions that use those functions. However, sometimes it is helpful to mark a function `{:opaque}` and treat it as an **uninterpreted function**, whose properties are just its specifications.”

—Dafny Reference Manual

“In mathematical logic, an **uninterpreted function** or function symbol is one that has no other property than its name and n-ary form.”

—Wikipedia

**“Uninterpreted functions** are used for abstracting, or generalizing, theorems. Unlike other function symbols, they should not be interpreted as part of a model of a formula.”

—Kroening & Strichman

## Dafny

```
function zero_f(xs:seq<int>, n:nat) : (r:seq<int>)
requires n <= |xs| { ... }

method zero_m(xs:seq<int>,n:nat) returns(r:seq<int>)
requires n <= |xs| { ... }

-----

assert zero_f([1,2,3],2) == [0,0,3];

var r := zero_m([1,2,3],2);
assert r == [0,0,3];
```



```
property zero_p(int[] xs, uint n) -> (int[] rs)
requires n <= |xs|:
```

```
...
```

```
function zero_f(int[] xs, uint n) -> (int[] rs)
requires n <= |xs|:
```

```
...
```

```
method zero_m(int[] xs, uint n) -> (int[] rs)
requires n <= |xs|:
```

```
...
```

---

```
assert zero_p([1,2,3],2) == [0,0,3]
assert zero_f([1,2,3],2) == [0,0,3]
int[] rs = zero_m([1,2,3],2)
assert rs == [0,0,3]
```

# Inference

```
function contains(xs:seq<int>, x:int) : bool {
    exists k:nat | k < |xs| :: xs[k] == x
}

method find(xs:seq<int>, x:int) returns (r:nat)
requires contains(xs,x)
ensures xs[r] == x
{
    for i := 0 to |xs|
    invariant contains(xs[i..],x) {
        if xs[i] == x { return i; }
    }
    assert false;
}
```

```
function contains(xs:seq<int>, x:int) : bool {  
    exists k:nat | k < |xs| :: xs[k] == x  
}  
  
method find(xs:seq<int>, x:int) returns (r:nat)  
requires contains(xs,x)  
ensures   r < |xs| && xs[r] == x  
{  
    for i := 0 to |xs|  
    invariant contains(xs[i..],x) {  
        if xs[i] == x { return i; }  
    }  
    assert false;  
}
```

## Dafny

```
method indexOf(xs: seq<int>, x:int) returns (r:nat)
ensures r <= |xs|
ensures r < |xs| ==> xs[r] == x {
    var i : int := 0;

    while i < |xs|
    invariant i <= |xs| {
        if xs[i] == x { break; }
        i := i + 1;
    }
    return i;
}
```

## Whiley

```
function indexOf(int[] xs, int x) -> (int r)
ensures (r != |xs|) ==> (xs[r] == x):
    int i = 0

    while i < |xs|
    where i <= |xs|:
        if xs[i] == x:
            break
        i = i + 1
    return i
```

## Whiley

```
function indexOf(int[] xs, int x) -> (int r)
ensures (r != |xs|) ==> (xs[r] == x):
    int i = 0

    while i < |xs|
    where i >= 0 && i <= |xs|:
        if xs[i] == x:
            break
        i = i + 1
    return i
```

# Language Features?



Whiley

```
function copy(int[] xs, uint n) -> (int[] ys)
ensures |ys| == n:
    // Create array of given size
    ys = [0; n]
    // Copy over what we can
    for i in 0..min(n, |xs|)
    where n == |ys|:
        ys[i] = xs[i]
    // Done
    return ys
```

Whiley

```
type Box<T> is &T
```

```
method destroy(Box<T> p):
```

```
    //
```

```
    delete p
```

Whiley

```
type Box<T> is &T

method destroy(Box<T> p)
  requires #p == 1:
    //
    delete p
```

Whiley

```
type Box<T> is &T where #p == 1
```

```
method destroy(Box<T> p):  
    //  
    delete p
```



**ShriramKrishnamurthi**

@ShriramKMurthi

...

10/ The next generation of computing problems will not be about writing 80s style 5-line for-loops. It'll be about properties, specification, reasoning, verification, prompt eng, synthesis, etc. How will we get there?

And no, I will not be taking questions.

(-:

<http://whiley.org>

@WhileyDave  
<http://github.com/Whiley>

*“It’s this question that leads to the **Closet Contract Conjecture**: are the contracts of Eiffel libraries a figment of the Eiffel programmer’s obsession with this mechanism? Or are they present anyway, hidden, in non-Eiffel libraries as well?”*

*Arnout & Meyer, 2002*