

# Arrays

- An **array** is a named collection of data (usually stored in contiguous memory locations) with individual data elements being accessed via an **index** or **indices** (in the case two or more dimensions).
- 1D arrays are also called **vectors** and 2D arrays are sometimes referred to as **tables** or **matrices** (but a matrix can also be of higher dimension).
- A variable can be thought of as a 1D array with one element (and so the index need not be specified).
- 1D array example:  $x = [2 \ 4 \ 6]$  has 3 elements.  $x(1)$  is 2,  $x(2)$  is 4 and  $x(3)$  is 6.

- 2D array example:  $y = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$  has 2 rows and 3 columns of data elements.  $y(1, 1)$  is 1,  $y(1, 2)$  is 2,  $y(1, 3)$  is 3,  $y(2, 1)$  is 4,  $y(2, 2)$  is 5 and  $y(2, 3)$  is 6.
- MatLab has both statically and dynamically allocated arrays. Static arrays are predefined before used (has computational efficiency benefits) while dynamic arrays are defined when using them.

```
>> x = [1 2 3]
```

```
x =
```

```
1 2 3
```

```
>> y = [1; 2; 3]
```

```
y = 1
```

```
2
```

3

```
>> z=[2 1 0];
```

```
>> a = x+z
```

```
a =
```

```
    3    3    3
```

```
>> b=x+y
```

```
??? Error using ==> plus
```

```
Matrix dimensions must agree.
```

```
% You can multiply (or divide) the elements of two
```

```
% same-sized vectors term by term using array operators
```

```
% .* or ./ . Note that x.*x and x.^2 both square each
```

```
% element of x.
```

```
% This is vectorization: [1 2 3].*[2 1 0]=[2 2 0]
```

```
% Vectorization is not matrix multiplication
```

```
>> a = x.*z
```

```
a =
```

```
    2    2    0
```

```
>> x=[1 2 3 4 5];
```

```
>> x=x.^2
```

```
x =
```

```
    1    4    9   16   25
```

```
>> b=2*a % 2*[2 2 0]
```

```
b =
```

4 4 0

```
% Create a vector x with 5 elements linearly spaced
```

```
% between 0 and 10
```

```
>> x= linspace(0,10,5)
```

```
x =
```

```
0 2.5000 5.0000 7.5000 10.0000
```

```
>> y = sin(x)
```

```
y =
```

```
0 0.5985 -0.9589 0.9380 -0.5440
```

```
>> >> sqrt(x)
```

```
ans =
```

```
0 1.5811 2.2361 2.7386 3.1623
```

```
>> z=sqrt(x).*y
```

```
z =
```

```
0 0.9463 -2.1442 2.5688 -1.7203
```

```
% We can compute  $x^n$ , where  $x$  is a vector and
```

```
%  $n$  is an integer.
```

```
>> x=[1 2 3 4 5];
```

```
>> n=2;
```

```
>> x.^n
```

```
ans =
```

```
1      4      9     16     25
```

```
% We can compute  $r^n$ , where scalar  $r$  is raised to  
% the power of each element of  $n$ .  
% Consider the series  $r^0+r^1+r^2+r^3+\dots+r^n$ .  
% Note that  $r^0$  is 1 and  $r^1$  is  $r$ . To evaluate this  
% sum for scalar  $r=0.5$  we create a vector  
%  $x=[1 \ r \ r^2 \ r^3 \ \dots \ r^n]$  and then sum this vector.  
% In the limit, as  $n \rightarrow \infty$   
% this limit (sum) approaches  $1/(1-r)$ ,  $r < 1$ .  
% For  $r=0.5$  this limit is 2.0  
  
>> n=0:10  
  
n =  
  
    0    1    2    3    4    5    6    7    8    9   10
```

```
>> r=0.5;
```

```
>> x=r.^n;
```

```
>> s1=sum(x);
```

```
>> s1 % not 2
```

```
s1 =
```

```
1.9990
```

```
>> n=0:50;
```

```
>> x=r.^n;
```

```
>> s2=sum(x);
```

```
>> s2 % approximately 2
```

```
s2 =
```

```
2.0000
```



```
>> n=0:100;
```

```
>> x=r.^n;
```

```
>> s3=sum(x);
```

```
>> s3 % much closer
```

```
s3 =
```

```
2
```

```
>> % We can compute  $r^x$  and  $x^r$ , where both
```

```
>> % r and x are vectors.
```

```
>> r=[2 3 4]
```

```
r =
```

```
2      3      4
```

```
>> x=[1 2 3]
```

```
x =
```

```
     1     2     3
```

```
>> r.^x
```

```
ans =
```

```
     2     9    64
```

```
>> x.^r
```

```
ans =
```

```
     1     8    81
```

- Arrays can be used statically or dynamically.

```
>> % set up a 1D array (row vector)
```

```
>> % and set its 6 elements
```

```
>> a(1)=1.0;
```

```
>> a(2)=2.0;
```

```
>> a(3)=3.0;
```

```
>> a(4)=4.0;
```

```
>> a(5)=5.0;
```

```
>> a(6)=6.0;
```

```
>> a % print the elements of 1
```

```
a=
```

```
      1      2      3      4      5      6
```

```
>> size(a) % print the size of a: 1 row with 6 elements
```

```
ans =
```

1        6

```
>> % set up a 1D array by setting the last element
```

```
>> % all the elements before b(6) are set to zero
```

```
>> b(6)=6.0;
```

```
>> b
```

```
b =
```

0        0        0        0        0        6

```
size(b)
```

```
ans =
```

1        6

```
>> % extend b to have 16 elements by setting b(16)
```

```
>> % to 16: now b(6) and b(16) are set and all
```

```
>> % b elements have value 0
>> b(16)=16.0;
>> b
b =
    0    0    0    0    0    6    0    0    0    0    0    0    0    0    0    0    16
>> size(b)
ans =
     1    16
```

## Structures and Cells

- **Structures** are like records with many fields of different types. If S is a structure variable then we might have:

```
S.char_stg = 'gauss';
```

```
S.matrix = [1 0; 0 1];
```

```
S.scalar = 3;
```

```
>> S.char_stg
```

```
ans =
```

```
    gauss
```

```
>> S.matrix
```

```
ans =
```

```
    1    0
```

```
    0    1
```

```
>> S.scalar
```

```
ans =
```

```
3
```

- Of course, you can have arrays of structures/records.
- **Cells** are arrays where each element is of a different type. For example, one element could be a copy of a character vector, another a copy of a matrix and a third a copy of a scalar.

```
>> c = {'gauss', [1 0; 0 1], 3};
```

```
>> c{1}
```

```
ans =
```

```
gauss
```

```
>> c{2}
```

```
ans =
```

```
    1    0
```

```
    0    1
```

```
>> c{3}
```

```
ans =
```

```
    3
```