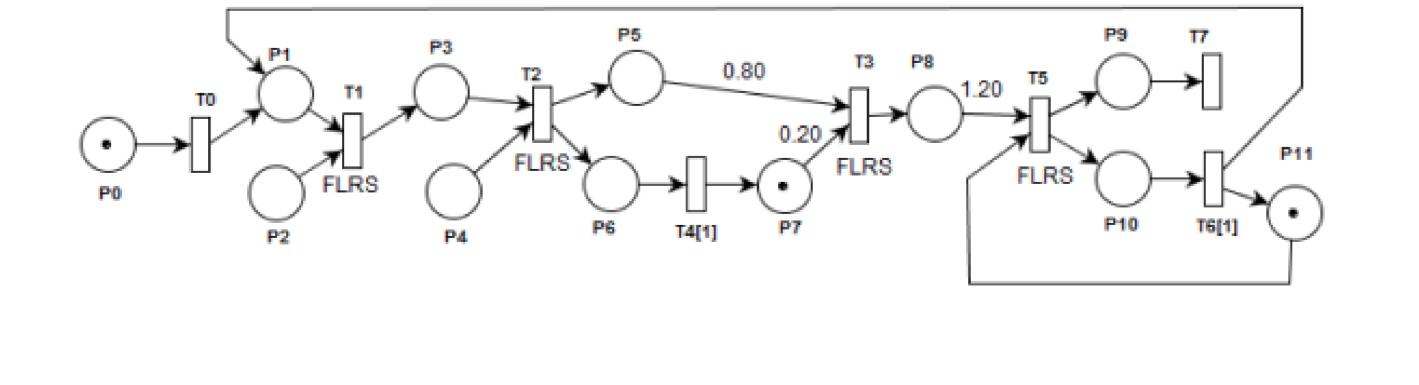


- Figure 3.2 Timed Petri Net that models the PI controller
- The Interpretation of the Petri Net is as follows: P2: Takes from the installation the value of output (state), y(k);
- T1: Takes the system status from the P2 input port and stores it in the place P3; P4: is the input port that takes the reference value from the operator, r(k);
- T2: Calculates the error e(k) = r(k) y(k) and stores it in P5 and P6;
- T4: Stores the previous error  $e_{ant}(k) = e(k-1)$  after a delay of 1 t.u. (time unit) at place P7; T3: calculate the relation  $w_{7_3}$ -e(k-1) +  $w_{5_3}$ -e(k) where  $w_{7_3}$  = 0.20 and  $w_{5_3}$  = 0.80. Deviation of the command Δu(k) is stored in place P8;



T5: Calculates the current value of the command  $u(k) = u(k-1) + \Delta u(k)$  by summing the two values stored in P9 and P10; T6: Updates with delay of 1 t.u. the command value u(k) = u(k-1) and signals the restart of a new

- calculation of the order; T7: Output transition (port) that transmits the command value to the plant.
- The coefficients associated with the corresponding arcs from P5 to T3, from P7 to T3 and from P8

P11: contains the previous value of the command u(k-1), initially set to zero;

The following application implements the controller of a first order system. The system is simulated in the FirstOrderedSystemThreaded class. To execute the system, the constants A, B, C, D are specified in the StateSpace representation and the period.

to T5, specify the constants of the PI controller. Changing their value may lead to better performance.