COMP307 Assignment 4

David Burrell:300209541

Part One:

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    Init(At(M:Monkey, A) ^ Level(M, Low) ^ Have(M, ¬Ban : ¬Bananas) )
    Goal(Have(M, Ban))
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2. Action (Move (M, from, to))

PRECON: At (M, from) ^ Level (M, Low)

EFFECT: ¬At (M, from) ^ At (M, to)

Action (Push (M, b: Box, from, to))

PRECON: At (M, from) ^ At (b, from)

EFFECT: \neg At (M, from) $^ \neg$ At(b, from) $^ \wedge$ At(M, to) $^ \wedge$ At(b, to)

Action (ClimbUp (M, b, location))

PRECON: At (M, location) ^ At (b, location) ^ Level (M, Low)

EFFECT: At (M, location) ^ At (b, location) ^ Level (M, High)

Action (ClimbDown (M, b, location))

PRECON: At (M, location) ^ At (b, location) ^ Level (M, High)

EFFECT: At (M, location) ^ At (b, location) ^ Level (M, Low)

Action (Grasp (M, Ban, location))

PRECON: At (M, location) ^ At (Ban, location) ^ Level (M, High) ^ ¬Have (M, Ban)

EFFECT: Have (M, Ban)

Action (Ungrasp (M, Ban,))

PRECON: Have (M, Ban)

EFFECT: ¬Have (M, Ban)

3. LAYER ONE.

NODE 1-1

At(M: Monkey, A) ^ At(b: Box, B) ^ At(Ban: Banana, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

LAYER TWO.

NODE 2-1 (Edge from 1-1)

Action: Move(M, A, B)

!At(M, A) ^ At(M, B) ^ At(b, B) ^ At(Ban, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

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NODE 2-2 (Edge from 1-1)
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Action: Move (M, A, C)

!At(M, A) ^ At(M, C) ^ At(b, B) ^ At(Ban, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

LAYER THREE

NODE 3-1 (Edge from 2-1)

Action: Push (M, b, B, C)

!At(M, B) ^!At(b, B) ^ At(M, C) ^ At(b, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

NODE 3-2 (Edge from 2-1)

Action: Move(M, B, C)

!At(M, B) ^ At(M, C) ^ At(b, B) ^ At(Ban, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

NODE 3-3 (Edge from 2-1)

Action: Move(M, B, A)

!At(M, B) ^ At(M, A) ^ At(b, B) ^ At(Ban, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

NODE 3-4 (Edge from 2-1)

Action: ClimbUp(M, b, B)

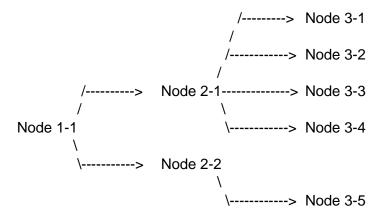
At(M, B) ^ At(b, B) ^ At(Ban, C) ^ Level(M, High) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

NODE 3-5 (Edge from 2-2)

Action: Move(M, C, B)

!At(M, C) ^ At(M, B) ^ At(b, B) ^ At(Ban, C) ^ Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^ ¬Have(M, Ban)

layer 1. layer 2. layer 3.



4. Initial State: At(M: Monkey, A) ^ At(b: Box, B) ^ At(Ban: Banana, C) ^

Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^

¬Have(M, Ban) ^ (M : Monkey) ^ (b : Box) ^ (Ban : Banana)

Action 1: Move(M, A, B)

State 1: At(M, B) ^ At(b, B) ^ At(Ban, C) ^

Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^

¬Have(M, Ban) ^ (M : Monkey) ^ (b : Box) ^ (Ban : Banana)

Action 2: Push(M, b, B, C)

State 2: At(M, C) ^ At(b, C) ^ At(Ban, C) ^

Level(M, Low) ^ Level(b, Low) ^ Level(Ban, High) ^

¬Have(M, Ban) ^ (M : Monkey) ^ (b : Box) ^ (Ban : Banana)

Action 3: ClimbUp(M, b, C)

State 3: At(M, C) ^ At(b, C) ^ At(Ban, C) ^

Level(M, High) ^ Level(b, Low) ^ Level(Ban, High) ^

¬Have(M, Ban) ^ (M: Monkey) ^ (b: Box) ^ (Ban: Banana)

Action 4: Grasp(M, Ban, C)

State 4: At(M, C) ^ At(b, C)^ At(Ban, C) ^

(goal) Level(M, High) ^ Level(b, Low) ^ Level(Ban, High) ^

Have(M, Ban) ^ (M: Monkey) ^ (b: Box) ^ (Ban: Banana)

Part Two:

1. Process(O11, M1, t1) -> Process(O21, M2, t2) -> Process(O31, M1, t3) -> Process(O12, M2, t4) -> Process(O22, M1, t5) -> Process(O32, M2, t6).

Pr(O11, M1, t1) arrives at 0, uses M1 for 50. (M1 in use from 0-50)

Pr(O21, M2, t2) arrives at 10, uses M2 for 30 (M2 in use from 10-40)

Pr(O31, M1, t3) arrives at 20, needs M1

M2 available at 40 Pr(O22, M1, t5) ready

M2 idle 40-50 (10)

M1 available at 50. Pr(O12, M2, t4) ready

Pr(O31, M1, t3) uses M1 for 40 (M1 in use from 50-90)

Pr(O12, M2, t4) uses M2 for 25 (M2 in use from 50-75)

M2 available at 75 [J1 complete]

M2 idle 75-90 (15)

M1 available at 90 Pr(O32, M2, t6) ready

Pr(O22, M1, t5) uses M1 for 35 (M1 in use from 90-125) [J2 complete]

Pr(O32, M2, t6) uses M2 for 20 (M2 in use from 90-110) [J3 complete]

$$t1 = 0$$
, $t2 = 10$, $t3 = 50$, $t4 = 50$, $t5 = 90$, $t6 = 90$

2. **Completion times**: J1 = 75, J2 = 125, J3 = 110. **Makespan** = 125.

3. Step 0:

Partial solution: (empty, no action is scheduled) earliestIdleTime(M1) = 0, earliestIdleTime(M2) = 0 earliestReadyTime(O11) = 0, earliestReadyTime(O12) = ∞ earliestReadyTime(O21) = 10, earliestReadyTime(O22) = ∞ earliestReadyTime(O31) = 20, earliestReadyTime(O32) = ∞

Step 1:

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Partial solution: Pr(O11,M1,0) scheduled earliestIdleTime(M1) = 50, earliestIdleTime(M2) = 0 earliestReadyTime(O11) = 0, earliestReadyTime(O12) = 50 earliestReadyTime(O21) = 10, earliestReadyTime(O22) = \infty earliestReadyTime(O31) = 20, earliestReadyTime(O32) = \infty
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Step 2:

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Partial solution Pr(O11,M1,0) Pr(O21,M2,10) scheduled earliestIdleTime(M1) = 50, earliestIdleTime(M2) = 40 earliestReadyTime(O11) = 0, earliestReadyTime(O12) = 50 earliestReadyTime(O21) = 0, earliestReadyTime(O22) = 40 earliestReadyTime(O31) = 20, earliestReadyTime(O32) = \infty
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Step 3:

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Partial solution: Pr(O11,M1,0) Pr(O21,M2,10) complete, Pr(O22,M1,50), Pr(O12,M2,50) scheduled. earliestIdleTime(M1) = 85, earliestIdleTime(M2) = 75 earliestReadyTime(O11) = 0, earliestReadyTime(O12) = 0 earliestReadyTime(O21) = 0, earliestReadyTime(O22) = 0 earliestReadyTime(O31) = 20, earliestReadyTime(O32) = \infty
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4. Completion times:

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J1 = 75, J2 = 85, J3 = 145.
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Makespan: 145.

5. No it doens't mean that one is strictly better, there could always be a time in which one of the solutions would outperform the other, in more complicated systems.

Part Three:

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2. L(1,2)+L(2,3)+L(3,5)+L(5,1) = 5.24

L(1,6)+L(6,8)+L(8,4)+L(4,1) = 7.39

L(1,7)+L(7,9)+L(9,10)+L(10,1) = 12.78

Total Euclidean Length: 25.41
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