#### **Original program**

#### Data depence graph

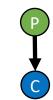
## Schedule constraint graph

#### **Assuming Rectangular Schedule**

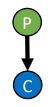
$$M[j] = P(j)$$

for i in [0, 2]

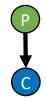
$$C(i) = M[2*i] + M[2*i + 1]$$



$$M[2*i + 1]$$
 and  $M[2*i] -> C(i)$ 



$$S_C(i) >= S_P(2*i + 1)$$



$$q_C i + d_C \ge q_P(2 i + 1) + d_P$$

### **Solution**

# **New Loop Nest**

$$q_C = 2$$

$$q_P = 1$$

$$d_C = 1$$
$$d_p = 0$$

for k in [0, 5]

$$M[k] = P(k)$$

if 
$$(k \ge 1 \&\& (k-1) \% 2 == 0)$$
:

$$C((k-1)/2) =$$

$$M[(k-1)] + M[(k-1) + 1]$$

## Loop nest with stack memories

for k in [0, 5]

M.push(P(k))

if 
$$(k \ge 1 \&\& (k - 1) \% 2 == 0)$$
:

$$C((k-1)/2) =$$

M.peek(-1) + M.peek(0)

## **Final Hardware Design**

