

# Everything New is Old Again

A Brief History of Time  
(with Javascript Closures)

Wilmington JS - Aug 21, 2018

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**CODE**



**CLOSURES**

Closures are *core* to  
JavaScript ...

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JavaScript ...  
... and Node.js

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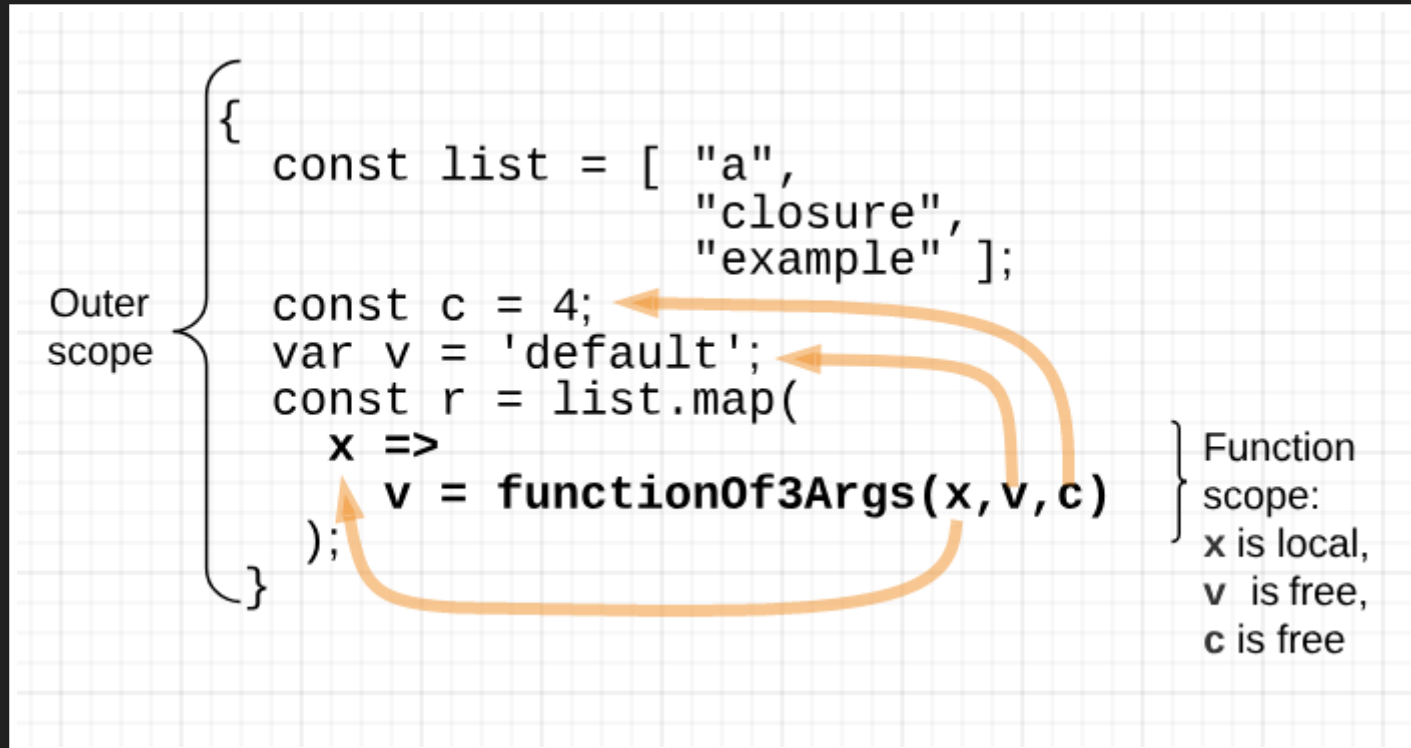
... and functional  
programming

# Closures Explained

A function whose free variables (or open bindings ) have been closed (or bound ) in its containing lexical environment, resulting in a closed expression (one with no free variables):

```
const list = ["a", "closure", "example"];  
var v = 'default';  
const c = 4;  
const r = list.map(x => v = functionOf3Args(x,v,c));
```

# Outer vs. function lexical scope



**Necessity is the Mother  
of Invention**



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Nobody mentions Invention's father...

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Conclusion: Javascript Closures are  
Necessity's Bastard?

# The Neccessity Defense

```
<body onload="document.write('<h1>Everthing New</h1>'
                               + '<p>is Old Again</p>')">
```

The `onload` right hand side is a Javascript function body.

`document` is a free variable within that function body.

`document` is bound outside of the function, but available in the function's *environment*.

# The Neccessity Defense, Part II

`Array.prototype.forEach(callback)` requires a  
callback function :

- `callback(item)`
- `callback(item, index,  
array)`

But what if you want to call a function that requires three arguments?

... or mutate or collect state on each call?

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... or mutate or collect state on each call?

**Closures to the rescue:**

```
function functionOf3Args(x,v,c) {  
  return (x.length > c)  
    ? x  
    : v;  
}  
{  
  const list = ["a", "closure", "example"];  
  const c = 4;  
  var v = 'default';  
  const r = list.map(x => v = functionOf3Args(x,v,c));  
}
```

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```

**x** is bound in the anonymous function



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  const r = list.map(x => v = functionOf3Args(x,v,c));  
}
```

**x** is bound in the anonymous function

**v** and **c** are free in the anonymous function

... But JS is far from the  
first

# History

Everything New... is Old Again



closures in|

closures in **javascript**

closures in **swift**

closures in **python**

closures in **java**

closures in **c**

closures in **kauai**

closures in **golang**

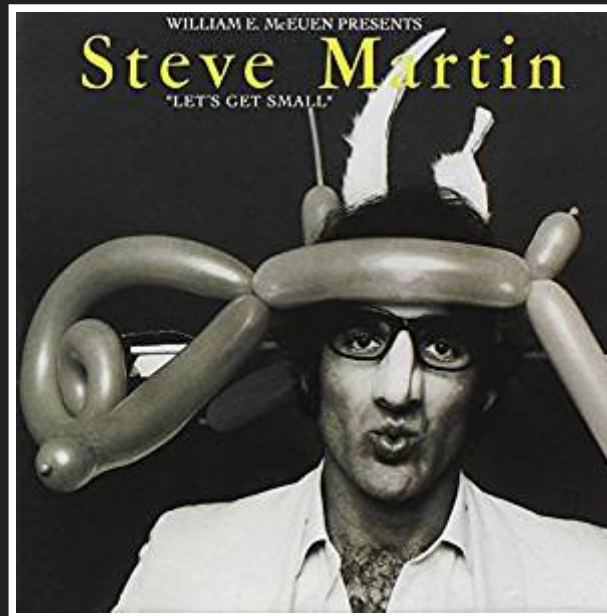
closures in **programming**

closures in **scala**

closures in **javascript example**

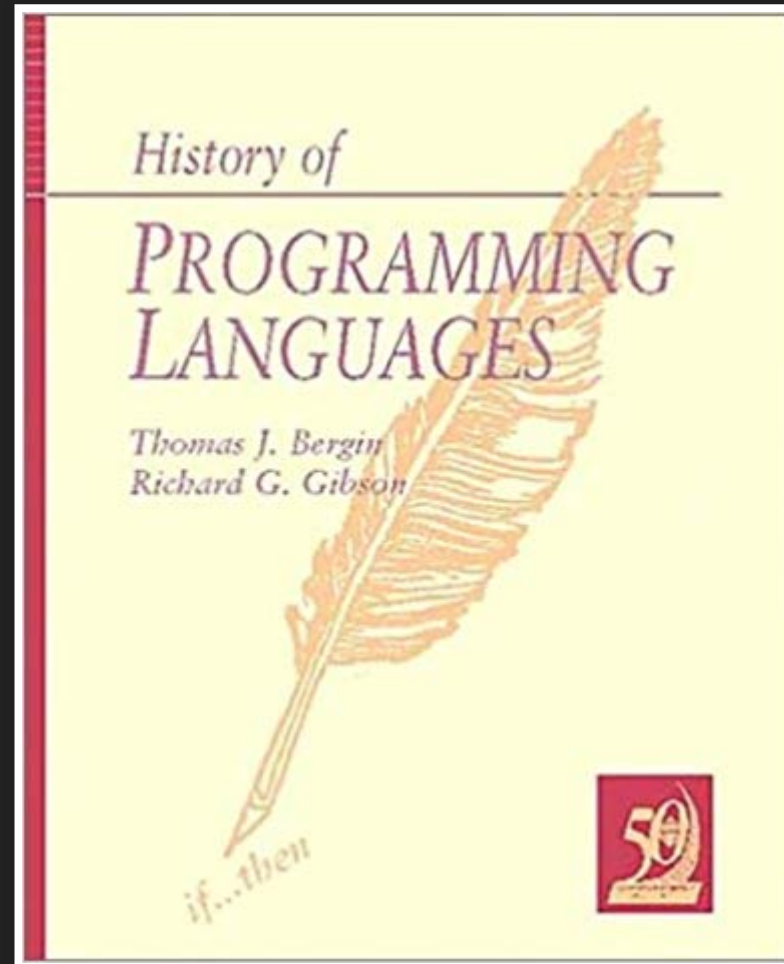
# First, Some Historical Context

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~~First, Some Hysterical Context~~

First, Some Historical Context







"Closure" coined by Peter J. Landin in 1964

# A Very Brief History of Our Time With Closures

*Lisp was created in the late 1950's by John McCarthy and others at M.I.T. One feature of the language was function-valued expressions, signified by lambda. The name lambda was borrowed from a mathematical formalism known as the lambda calculus. [...]*

*Although Lisp was not based on an effort to model that formalism, lambda plays approximately the same role in Lisp as it does in the lambda calculus: lambda is the syntax for a function-valued expression. [...]*

**(lambda (x) x)**

Look familiar?

*Now we fast-forward to the mid 1970's. [...] A number of popular Lisp dialects were in use including InterLisp, MacLisp, UCI-Lisp, Stanford Lisp 1.6, and U. Utah's Standard Lisp. All of them were dynamically scoped.*

*It was in this context that Guy Steele and Gerald Jay Sussman developed Scheme, a very simple Lisp dialect.*

Neil Gafter, *A Definition of Closures*

# Scheme

First languages to adopt closures, 1975

*Revised<sup>3</sup> Report on the Algorithmic Language Scheme*

$$(\mathbf{YF}) = (\mathbf{F} \ (\mathbf{YF}))$$

```
(define (y f) (lambda () (funcall f (y f))))
```

# Scheme

```
(define (functionOf3Args x v c)
  (if (> (string-length x) c)
      x
      v))

(let ( (l '("a" "closure" "example"))
      (v "value")
      (c 4)
    )
  (map (lambda (x) (write-line (functionOf3Args x v c))) l)
)
```

yields:

```
"value"
"closure"
"example"
```

# Lisp

"Lisp was originally created as a practical mathematical notation for computer programs, influenced by the notation of Alonzo Church's lambda calculus." - Wikipedia



# Lisp

Common LISP: Newer variant of LISP, with lexical (not dynamic) scoping, closures (Guy Steele, again)

```
(defun functionOf3Args (x v c)
  (if (> (string-length x) c)
      x
      v))

(let ( (l '("a" "closure" "example"))
      (v "value")
      (c 4)
    )
  (map (lambda (x) (write-line (functionOf3Args x v c))) l)
)
```



# Lambda Calculus

The granddaddy of them all.

Alonzo Church's formalized the mathematics of functions and variable binding with the Lambda Calculus in the 1930's

$$\lambda x . x$$

"the smallest universal programming language of the world."

*A Tutorial Introduction to the Lambda Calculus*, Raúl Rojas

*The  $\lambda$  calculus consists of a single transformation rule (variable substitution) and a single function definition scheme. It was introduced in the 1930s by Alonzo Church as a way of formalizing the concept of effective computability. --*

Rojas

The  $\lambda$  calculus helps us understand and model computation, primarily through pure functions.

```
<expression> := <name> | <function> | <application>  
  <function> :=  $\lambda$  <name>.<expression>  
<application> := <expression><expression>
```

$\lambda \mathbf{x} . \mathbf{x}$

is a *function*

$(\lambda \mathbf{x} . \mathbf{x}) \mathbf{y}$

is an *application* of a function to an *argument*

$(\lambda \mathbf{x} . \mathbf{x}) \mathbf{y} = [\mathbf{y} / \mathbf{x}] \mathbf{x} = \mathbf{y}$

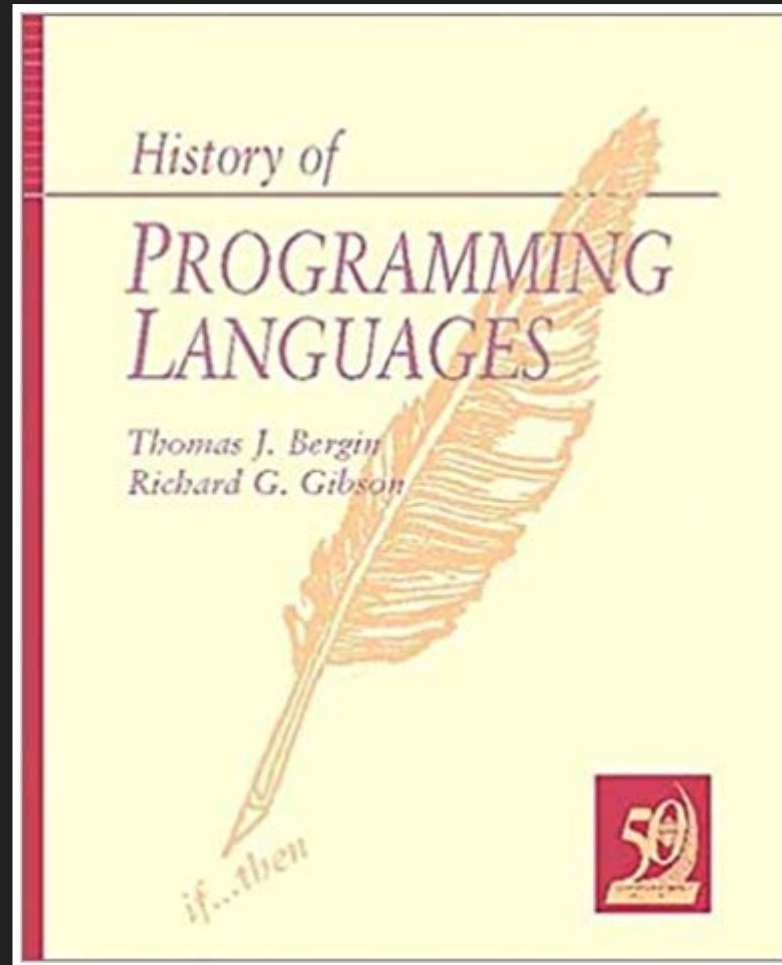
From these roots, a functional model of numbers and even arithmetic and logic functions can be defined in a purely function-based model

- 0 is modeled as a function
- 1 is modeled as the application of a *successor* function to 0,  $S0$
- 2 is modeled as the application of a *successor* function to 1,  $S1 == SS0$
- ... boolean values true and false, logical operations like less than, greater than
- ... and recursion

*A Tutorial Introduction to the Lambda Calculus*, Raúl Rojas

# Historical Context

This was before programming languages were invented. This was before computers were invented.



Those who remember [the best of] the past of programming languages are *fortunate* to repeat it.

Presented with reveal.js