

For each of the following situations (1 and 2):

(A) Define variables in a tabular format, as follows.

name      symbol      scale

scale = nominal, ordinal, or cardinal  
cardinal = interval or ratio scale.

nv = number of variables

nt = number of terms

A. score =  $3nv$

B. score =  $nt$

C. score =  $2nv + 2$

D. score = 1

(B) Using the symbols, write a general linear model relating the response variable to explanatory variable(s) and interaction terms (if appropriate).

(C) Complete the first two columns of the ANOVA table      source   df

(D) State the name of the analysis, from the following list.

t-test, one-way ANOVA, two-way ANOVA, three-way ANOVA

paired comparisons, randomized blocks,

hierarchical (nested) ANOVA

regression, multiple regression,

ANCOVA (at least 1 nominal and at least 1 cardinal scale explanatory variable)

none of the above.

1. Height is frequently named as a good predictor variable of weight among people of the same age and gender. Roberts (*American Journal of Clinical Nutrition* 54:499) measured the heights (cm) and weights (kg) of 14 males between the ages of 19 and 26 years of age. Does weight depend on height ?  
A=6 B=3 C=6 D=1

A. name   symbol   scale

C. source   df

B. \_\_\_\_\_ = \_\_\_\_\_ +  $\epsilon$       [3]

D. \_\_\_\_\_      [1]

2. Skinner and Allison (*J. Agric. Res.* 23:433-445) studied the effect of date of planting and amount of fertilizer (borax) on cotton growth, measured in pounds. Amount of borax was 0, 5, or 10 pounds. Three methods of borax application were (borax in drill & seed planted immediately, borax in drill & seed planted one week later, or borax broadcast). The experiment was carried out on 3 dates. When the analysis is carried out, all of the interaction terms were found to be non significant, with p-values of 0.173 or more. Write the model with no interaction terms.

A=12 B=5 C=10 D=1

A.	<u>name</u>	<u>symbol</u>	<u>scale</u>

C.	<u>source</u>	<u>df</u>

B. \_\_\_\_\_ = \_\_\_\_\_ +  $\epsilon$  [3]

D. \_\_\_\_\_ [1]

3a. Define a symbol for scutum width (units of  $\mu\text{m}$ ) of ticks on rabbit #1 (Sokal and Rohlf, 1995, p 210), then define a symbol for the observed (sample) mean and the true (population) mean.....[3]

3b. For the data on scutum width (8 values below) write the observed mean.  $\frac{\text{Symbol}}{\text{(Symbol)}} = \frac{\text{Value}}{\text{(Value)}} [1]$

3c. Write a probability statement for the 95% confidence limits around the true mean .....[2]

3d. What value of the t-distribution should you use for the 95% limits ? .....[1]

```
MTB > invcdf c1; SUBC> t 7.
0.0100 -2.9980
0.0250 -2.3646
0.0500 -1.8946
0.1000 -1.4149
0.9000 1.4149
0.9500 1.8946
0.9750 2.3646
0.9900 2.9980
```

3e. Compute the 95% confidence limits .....[2]

```
MTB > print c2
ScWidth 380 376 360 368 372 366 374 382

MTB > describe c2
      N      MEAN    MEDIAN   TRMEAN   STDEV   SEMEAN
ScWidth 8    372.25    373.00    372.25    7.36    2.60
```

4a. Construct an ANOVA table for which the total Sum of Squares is 100, 15% of this variability is due to regression, and the sample size is 10. Be sure to compute MS and F-ratio .....[12]

4b. Explain how you would compute a p-value for the F-ratio in the table you have constructed, if the residuals were heterogeneous and non normal .....[2]

4c. Circle the effect (increase/decrease) of doubling the sample size, in the ANOVA table you constructed (or any ANOVA table for regression).....[3]

increase   decrease	in MS error
increase   decrease	in F-ratio
increase   decrease	in p-value