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LÍMITE CLASE	FRONTIERAS CLASE	MARCA CLASE	FRECUENCIA	FRECUENCIA ACUMULADA	FRECUENCIA RELATIVA	FRECUENCIA ACUMULADA RELATIVA
12 - 19	11.5 - 19.5	$(12+19.5)/2 = 15.5$	4	4	0.057	0.057
20 - 27	19.5 - 27.5	23.5	14	18	0.206	0.257
28 - 35	27.5 - 35.5 (1)	31.5	12	30	0.171(12)	0.429
36 - 43	35.5 - 43.5	$(36+43.5)/2 = 39.5$	10 (10)	40	0.143	0.571
44 - 51	43.5 - 51.5	47.5	9	49	0.129	0.700
52 - 59	51.5 - 59.5	55.5	8	57	0.114	0.814
60 - 67	59.5 - 67.5	$(60+67.5)/2 = 63.5$	10	67	0.143	0.947
68 - 75	67.5 - 75.5	71.5	3	70	0.093	1
			TOTAL 70		TOTAL 1	

20)

$$\bar{x} = \frac{1}{n} \sum_{i=1}^n x_i \Rightarrow \bar{x} = \frac{1}{8} (60 + 60 + 66 + 72 + 69 + 71 + 76 + 89)$$

$$\bar{x} = 70.38$$

21)

60, 60, 69, 69, 71, 72, 76, 86      138, 140, 158, 161, 168, 176, 180, 189

COMO ES PAR

$$n/2 = 4$$

=>

$$\bar{x} = (161 + 168) / 2 = 164.5$$

22)

$$V_{\text{MAXIMO}} - V_{\text{MINIMO}}$$

$$R = 189 - 138$$

23)

$$S_{n-1}^2 = \frac{1}{n} [(60-70.38)^2 + (60-70.38)^2 + (69-70.38)^2 + (69-70.38)^2 + (71-70.38)^2 + (72-70.38)^2 + (76-70.38)^2 + (86-70.38)^2]$$

$$S_{n-1}^2 = 71.725$$



24  $\bar{x} = 163,125$

$$s_{n-1}^2 = \frac{1}{7} [(138 - 163,125)^2 + (140 - 163,125)^2 + (158 - 163,125)^2 + (161 - 163,125)^2 + (168 - 163,125)^2 + (176 - 163,125)^2 + (180 - 163,125)^2 + (184 - 163,125)^2]$$

$$s_{n-1}^2 = 300,982$$

=>

$$s_{n-1} = \sqrt{300,982} = 17,349$$

25

$$m_3 = \frac{1}{8} [(138 - 163,125)^3 + (140 - 163,125)^3 + (158 - 163,125)^3 + (161 - 163,125)^3 + (168 - 163,125)^3 + (176 - 163,125)^3 + (180 - 163,125)^3 + (184 - 163,125)^3]$$

$$m_3 = -1527,387$$

=>

$$d_3 = \frac{-1527,387}{(17,349)^3} = -0,292 \Rightarrow \text{Sesgo negativo}$$

26)

$$m_4 = \frac{1}{8} [(60 - 70,38)^4 + (60 - 70,38)^4 + (69 - 70,38)^4 + (69 - 70,38)^4 + (71 - 70,38)^4 + (72 - 70,38)^4 + (76 - 70,38)^4 + (86 - 70,38)^4]$$

$$m_4 = 10469,745$$

$$s_{n-1} = \sqrt{77,125} = 8,434$$

$$d_4 = \frac{10469,745}{(8,434)^4} = 2,069 \Rightarrow \text{PLATICURTICA}$$

27)

PESO

ALTURA

$$CV = \frac{8.434}{70.38}$$

$$CV = \frac{17.349}{163.125}$$

$$CV = 0.117$$

$$CV = 0.106$$

LOS DATOS DEL PESO  
SON HOMOGENEOS.

LOS DATOS DE LA  
ALTURA SON HOMOGENEOS.

28) Donde  $A = (70.38)(163.125)$

$$COV(X, Y) = \frac{1}{8} [(60.161 - A) + (60.176 - A) + (86.180 - A) + (72.768 - A) + (69.784 - A) \\ + (71.140 - A) + (76.158 - A) + (69.138 - A)]$$

$$COV(X, Y) = 14.513 \Rightarrow \text{EXISTE UNA DEPENDENCIA DIRECTA.}$$

29)

$$r(X, Y) = \frac{14.513}{(8.434)(17.349)} = 0.099$$

EXISTE UNA DEPENDENCIA  
DEBIL.