Day 1

- Go over Sylabus

- Go over Calander
  - Course entry Quiz — 100%
    - first
  - Initial KC — locks every thing else out
  - C.A. Pre assesmant — in TC — 9-5 M-F
    - starts wednesday
    - due Aug 26

- Aleks is GB, ignore BB except attendance

Aside

Group
a class on rotatic
& vibe,
permutation
if a squared, then
braiding strands

ring $\mathbb{Z}/24\mathbb{Z}$

integral domain $\mathbb{Z}$ $F[x]$

Field $\mathbb{Q}, \mathbb{R}, \mathbb{C}$
$\mathbb{R}(x)$

Field Axioms

0) addition = a
1) $(a+b)+c = a+(b+c)$ associative
2) for all $a \in F$, there $\exists -a$ st. $a + -a = 0$ $\exists$ of add. inv axises
3) $a+b = b+c$ commutivity
4) $a \cdot b = b \cdot c$ "
5) $(ab)c = a(bc)$ associativity of mult.
   Note $a \cdot b = ab = a \times b$
*6) $a(b+c) = ab + ac$ ~ distributive property
7) $a \cdot 1 = 1 \cdot a = a$
9) if $ab = 0$ then either $a = 0$ or $b = 0$
10) for all $a \in F$, there is a^{-1} st. $a a^{-1} = 1 = a^{-1} a$.

Aside

From an integral domain D we may create a field by looking at $\frac{a}{b}$, $a, b \in D$, with $\frac{a}{b} \cdot \frac{c}{d} = \frac{ac}{bd}$ and $\frac{a}{b} + \frac{c}{d} = \frac{ad+bc}{bd}$ then canceling common factors.

Aside

Ex) $\mathbb{Z} \to \mathbb{Q}$, $\mathbb{R}[x] \to \mathbb{R}(x)$

$\frac{6}{9}$ $\frac{2x+4}{(x+2)} = 2$

$= \frac{2}{3}$

Order of Operations

In USA

1. Parantness / absolute value
2. exponents
3. multiplication
4. division
5. addition
6. Subtraction

Aside
also use usemtix, polish uses prefix
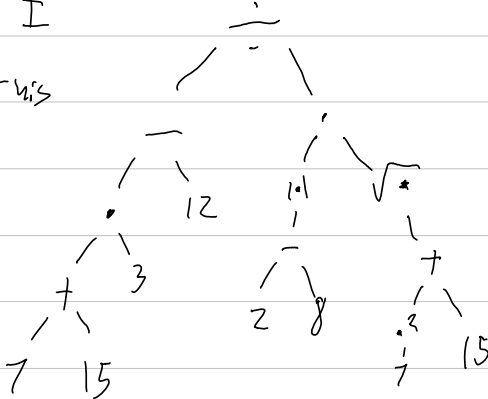
ex
$x + 3 \ 2 \ 4$
$= (3+2) \times 4$

ex ord ops)
uses ops we will
cover later

$$\frac{(7+15) \cdot 3 - 12}{12 - 8 \ | \cdot \sqrt{7^2 + 15}}$$

How I
See this

Last

First

- if Time switch to Exponents
  - make chart funny
    filled as go along

Review
worksheet

Al 1 Basics

wk 1 Wednesday

Ann - TC opens Thursday

Content: — Mod 1.2, thn 1.3
Exponents + Factoring

— do 1.2, thn have together/ish work through BB sheet
if time, move to 1.3

Review / preview:

— Alg exprn w/o neg exponent   -70%^rem

  └ $-3m^{-5} = \dfrac{-3}{m^5}$

— 1.1 eqn   -70%

  └ $|4w+6| = 2$

   $\begin{array}{l|l} 4w+6 = 2 & 4w+6 = -2 \\ 4w = -4 & 4w = -8 \\ w = -1 & w = -2 \end{array}$

— Translating sentences into eqn's   -57%

  └ Three more than the quotient of a number
    and 4 is equal to 7.

— exponents multiplication   - 43%
  └ $2y^5u^7 \cdot 8u^5 \cdot 2y$

Wk 1 Friday

<u>Flow:</u> Generally wiki on Friday, startin in
module 3 though.

<u>Sodns:</u> – Quiz 1 due Sunday – requires $\begin{cases} \text{Htw} \geq 90\% \\ \text{Coursecentry} \\ \text{quiz + I.k.C.} \end{cases}$

 – C.A. preassepmnt due 26th – in TC,

<u>Ann:</u> on BB, Check out note repository, its
where I'll post notes,

(P) Review:

① 1.1 equ type 2   – 74% vem

$$|2w+4| = 10$$

② Sent → equ   – 61%

Six more than the product of a
number and 8 becomes 9.

③ Simplify   alg. exprn   – 58, 45, 45 %

$$\frac{45 \, x^{-7} x^{5}}{(y^{-3} x^{4})^{-2} \cdot 5^{2}}$$

④ Intro to   1-1 eqn   – 45%

$$- |v| = -8$$

<u>Content:</u> Finish 1.2, do 1.3

Wk 2 Monday

Due: C.A. Preassesment - in TC, today 9-6

Later: Oct 7th last day to register to vote

Content 2.1 Linear

45% mem

(P)review: (1) Solve $-3|4x+2| = -6x+3$

$|4x+2| = 2x-1$ Note $2x-1 \geq 0$ for instance sence

$4x+2 = -2x+1$ $4x+2 = 2x-1$

$6x = -1$ $2x = -3$

$x = -\frac{1}{6}$ $x = -\frac{3}{2}$

Check: $-\frac{2}{6} - 1 \neq 0$ $-3-1 \neq 0$

No Sol'n   - graphically

(2) Line through $(-2, -3)$ slope $-\frac{5}{2}$

$y - (-3) = -\frac{5}{2}(x - (-2))$

(3) $\parallel$ and $\perp$ to $y = -\frac{2}{7}x + 1$ through $(-8, 3)$

$m_0 = -\frac{2}{7}$ prop: $m_0 m_\perp = -1 \to m_\perp = \frac{-1}{m_0}$

$m_\parallel = -\frac{2}{7}$ $m_\perp = \frac{7}{2}$

$\parallel)$ $y - 3 = -\frac{2}{7}(x + 8)$

$\perp)$ $y - 3 = \frac{7}{2}(x + 8)$

4) Line through $(-1, 2)$ and $(-4, 7)$

$m = \frac{\Delta y}{\Delta x} = \frac{2-7}{-1+4} = \frac{7-2}{-4+1} = \frac{-5}{3}$

$y - 2 = -\frac{5}{3}(x + 1)$

Goto: $\widehat{1.36}$, $L2.d1a$ $L2.d1b$ $L2.d2$

BB

$\uparrow$ with

Set $= $ to 0   BB

and ch plain

answers

<u>Ann</u>   T1 Sept 3nd + 4th

<u>(P)reveiw:</u> ① $-|2x+7|-5=-5$ 4 4 % rem

② // and ⊥ to lie   90% rem

$9x+2y=-9$ // and ⊥ lines through $(-1,-4)$

m_0: examine $Ax+By=C$

$By=-Ax+C$

$y=\frac{-A}{B}x+\frac{C}{B}$

So $m_0=-\frac{A}{B}$

Here, $m_0=-\frac{9}{2}$

//-line $(m_{//}=m_0)$: $y+4=-\frac{9}{2}(x+1)$

⊥-line $(m_\perp=-\frac{1}{m_0})$: $m_\perp=-1/(-\frac{9}{2})=\frac{2}{9}$

$y+4=\frac{2}{9}(x+1)$

③ pt slope   86% rem

line through $(-4,-8)$ w/ slope $\frac{5}{4}$

                    ↙ nes
                        as is,
$\boxed{y+8=\frac{5}{4}(x+4)}$
                    ↘ negate

④ one $L_1: 3x+2y=6$ 83%

and $L_2: 2x-3y=7$

//, ⊥ or askew?,

Recall $m=\frac{A}{B}$ for $Ax+By=C$ when

$m_{L_1}=\frac{-3}{2}$

$m_{L_2}=-2/-3=\frac{2}{3}$

Note $m_{L_1}\neq m_{L_2}$ — not //

$m_{L_1}\cdot m_{L_2}=-\frac{3}{2}\cdot\frac{2}{3}=-1$

hence ⊥

⑤ Find x,y intercepts for

$y^2-x-4=0$

<u>Def</u>: -x-intercepts are points on curve intersecting

$y=0$. IE 2$^{nd}_{(y)}$ coord is 0.

-y-int is when 1$^{st}_{(x)}$ coord is 0.

<u>for ex!</u>: x-int: set $y=0$

$0^2-x-4=0$

$x=-4$

So is point $(-4,0)$ — Deviation from

                        Aleks, thru, just -4.

y-int: set $x=0$

$y^2-0-4=0$

$y^2=4$ ^{2} kills sign, to undo

$y=\pm2$ need with

y-ints: $(0,-2),(0,2)$

Aleks: $-2, 2$

⑥ eqn of line through 2pts   80% rem

Line through $(-2/5, 8/3)$ and $(1/3, 6/5)$

$m=\frac{\Delta y}{\Delta x}=\frac{8/3-6/5}{-2/5-1/3}=\frac{3\cdot5\cdot(8/3-6/5)}{3\cdot5\cdot(-2/5-1/3)}=\frac{8\cdot5-6\cdot3}{-2\cdot3-5}$

$=\frac{40-18}{-6-5}=\frac{22}{-11}=-2$

Line: $y-\frac{6}{5}=-2(x-1/3)$

<u>Content:</u> <u>2-2 Intercepts</u>

L2.d16

1. goto 2.16 -lines, work #4
                        #5
                L2.d2

2. goto 2.2 -intercepts   rate to hold up ans.
   ├ Groves of 4, half does x, others y,   eqn of plane
   └ at end do $x+2y+3z=4$
   find x, y, z-intercepts.

       <u>Recall</u>: intercepts are when it hits the axes,
          ie when all other vars are zero.

       x-int= $x+0+0=4$
             $(4,0,0)$
       y-int: $0+2y+0=4$
             $(0,2,0)$
       z-int: $0+0+3z=4$
             $(0,0,4/3)$

If finish, Aleks time