Week 3 wed 1 Aun Today (estday to take test 1! Hope: TI graded by Monday (Preview: 1) N) eyr of line through (-1,7) and (4,2) $y-2=o(x+1) \rightarrow y=2$ 6) ean of live pmallel to (c) through C-4,8) 4=8 C) eyn of lim perpendicular to (a) through (2,7) 2) advaced: which deforms as function of x? (a) $(y-5)^2 - 25 = x$ (b) |x| - y = 3 $5ct x = 0, thm (y-5)^2 = 25$ |x| = 3 + y y = 5 + 5, 0 = 10 y = 5 + 5, 0 = 30(b) |x| = |y| |y| = 3 |x| = 3 + y |x| = 3 + yd) 13 = X valyon whatry. Note: 121=121 Note $(-\sqrt{3})^2 = 1$ and $(\sqrt{3})^2 = 1$ and 121=1-11 40 (1,1) and (1,-1) on (vom. fails 9, (1,-Vz) and Vent. live +15+, (1/V3) on Come 3) $f(x) = \frac{\chi + 7}{3\chi^2 + 2}$ find $f(\sqrt{y} + 2)$ $f(\sqrt{y}+2) = \frac{\sqrt{y}+2+7}{3(\sqrt{y}+2)^2+2} = \frac{\sqrt{y}+9}{3(\sqrt{y}+1)+2}$ - \frac{\sqrt9 +9}{3 \qqrt12 \qqrt9 +12 \tau 2} = \frac{\sqrt9 +9}{3 \qqrt12 \sqrt9 +14} Later More Simplifying con be done. Stort W/ (Untent: M3.11 M3. L2 Defn: - A relation Ris a set of ordereded Pairs: {(x,y) | x + X, y 6 4 3 - A function is northtin such that for each xEX, the is one and only une y Such that (x/4) ER. non-ex) {(1,2), (1,4), (5,4)} 1-72 Bad hon-ex) let R be pints on Note (1, some pos)

And (1, somenog) ave in Ry So hot a func-Notation: / name domain (i) A > B a 1-7 f (a) ex) fil > Q 3 Common white barrd 到少处 also ex) let g: R7/R whorg (v)= v2+2 - Common in writing def: The image (or vange) of #:4 >B is &f(a): a & A3, ie the values f May acheive in B. Goto M3.d1

W3F1 Ann: - 1 1 Avg 86 ish -P. Credit added U. huvrs 9-30-11:30 Ltalk to me to see when wong - witi today, Charge Captops Lon BB (P)review: 1) I line to 3xt7y=8 through (1,2) 2) Is equin-keytunction of x3 a) $\sqrt[5]{x} + y = 7y$ b) $3x + 7y^2 = 4x - x$ 3) $f(x) = 3x^2 + 2$; if g(x+1) = f(x), what is ocy)? Note $g(y) = g(\widehat{y-1})+1) = f(y-1)$ $f(y-1)=3(y-1)^{2}+2$ $=3(y^2-zyH)+2$ = 342-64 +S = g(y) 4) Henry preview, module 4 Pumain of $f(x) = \sqrt{\frac{6}{x-7}}$ Dom (5-) = [0, 60) Dom (x) = (-6,0)U(0,∞) $V_{om}(\frac{6}{x-7}): x-7\neq 0 \quad (-6,7)\cup (7,6)$ $\times \neq 7$ 6 2 O(x-7); x-770 thue for x ?> 6 <0-(x-7) ~ x-7<0 Vi ultly neg Fulge to XL7 40, Domain (f) = (7, 60) Graphs: Content: -M3-d2. fu notation -Wiki Last 30 + min