

# Applying Step Selection Functions to Temporally Irregular GPS Data - A Simulation Study

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## **Abstract**

Animal movement data collected using GPS collars is often noisy and incomplete, thus confronting movement ecologists with data that is not always uniformly distributed in time. Step selection analysis has become a popular tool to use such data and infer a species movement and habitat preferences. However, in order to ensure comparability among steps, the method requires that consecutive GPS relocations are collected at regular temporal intervals. To adhere to this requirement, researchers typically discard large portions of their data and only consider GPS bursts that were collected at similar intervals. Here, we assess the appropriateness of this practice and use simulated data to examine if including temporally irregular data could, in fact, improve estimates from step-selection analyses. We also explore several alternative methods to account for temporal irregularity. Our results suggest that utilizing a full dataset, even if it contains temporal irregularities, improves the accuracy of step selection estimates, especially when an appropriate method is chosen to account for temporal irregularities.

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# 1 Introduction

Researchers usually collect GPS on fixed temporal intervals (could do a quick and dirty analysis on MoveBank) ranging from a few minutes, to multiple hours or even days between subsequent relocations. Despite this, GPS devices frequently fail to adhere to the anticipated schedule, for instance due to cloud cover, thus resulting in GPS data with irregular temporal intervals. In some cases, the GPS schedule may intentionally be subject to change to maximize battery lifetime. For example, ? increased the fixrate of their GPS collars once per week from 4 to 8 fixes per day, aiming to collect more fine scaled data for a limited time. In either case, the data at hand will be patchy in terms of the temporal lag between consecutive recordings. We chose to coin this type of data *irregular*, because it is not collected on the anticipated fixrate schedule and therefore not directly comparable to the vast majority of the collected data.

Step selection analysis (SSA) is a powerful framework that enables researchers to investigate the habitat and movement kernel of their focal species. While the habitat kernel describes relative habitat preferences of the study species, the movement kernel describes its movement patterns. SSA works by comparing spatial covariates at locations where the studied animal has been observed, to a set of locations where the animal was presumably absent. For this, the collected GPS data is converted into steps, where a step represents the straight line movement between two consecutive GPS fixes (?). One can then compare covariates experienced along observed steps to covariates along potential alternative steps and thus infer preferred or avoided features. By restricting the availability domain to a set of steps, SSA is specifically intended to account for spatio-temporal autocorrelation inherent to data collected using GPS collars and is therefore one of the preferred methods for analysing such data. However, to ensure that steps are comparable, researchers usually only consider steps with similar step-durations in their models. We will coin a step with regular step-duration and for which a relative turning angle can be computed as a “valid” step. Note that in order for a step to be valid it is necessary to have at least three fixes collected at regular intervals. With only two fixes, the relative turning angle could not be computed.

At this stage, it is worth clearly defining some of the terms that will be used repeatedly throughout this manuscript.

- Regular GPS data: GPS data where all GPS fixes have been successfully obtained on the aspired GPS schedule, e.g. every 2 hours, every day, etc.
- Irregular GPS data: GPS data where some GPS fixes failed to be obtained on the

aspired GPS schedule, e.g. due to cloud cover or communication issues.

- Step: Straight line connecting two consecutive GPS locations
- Step-length: Euclidean distance covered by a step
- Step-duration: Temporal duration of the step, i.e. the temporal difference between the start- and endpoint of the step.
- (Relative) turning angle: Orientation of a step, relative to the preceeding step. Positive values indicate left-turns, negative values indicate right turns.
- Valid step: A step for which a step-length, step-duration, as well as turning angle can be computed. These steps can be used for step-selection analysis. Note that the first step of a trajectory will always be invalid, as no turning angle can be computed for it.
- Missingness: Fraction of the data that should have been collected, but for some reason was not. For example, if ten fixes should have been collected but two are missing, there is a missingness of 0.2 (i.e. 20%).
- Forgiveness: How forgivin a modeler is to accept a step that exceeds the aspired step-duration. A modeler with forgiveness of one, for instance, only considers steps with a step-duration of one (i.e. steps resulting from fixes that are regularly spaced in time). In contrast, a modeler with forgiveness of two would also accept steps with a step-duration of two, thus pardoning a single missing fix.
- Burst: Sequence of consecutive GPS fixes where the step-duration does not exceed the forgiveness of the modeler.

Depending on the amount of available data and the number of missing GPS fixes, only considering regular bursts might entail little sacrifice. In some situations, however, removing irregular data will imply a substantial loss of information. For instance, consider the trajectory depicted in Figure 1a. Assuming that the fixes 1-5 were collected on a regular interval, this sequence will result in 6 steps, 5 of which would be valid (for the first step we can't compute a relative turning angle). If, however, the 4th fix is missing, and the modeler is not willing to accept steps with a duration above one, then we are down to a single valid step. That is, one missing fix reduced the number of valid steps by three. If, on the other hand, the modeler deems a step-duration of two as acceptable, we achieve three valid steps. From this example it is clear that already a relatively small missingness implies a substantial loss in the number of valid steps that can be used for step selection analysis (see also Figure 2).

Additionally, recent developments in the SSA realm have brought forward several improvements to SSA that might allow to relax the assumption of regular step-durations. This includes the *integrated* SSA approach presented by (?), in which inference on habitat *and* movement preferences are possible thanks to the inclusion of movement descriptors in the respective model. More recently, the method has been further refined by (?), who coined the term *time-varying integrated* SSA. This method was developed for high frequency data which has been rarified using a change-point detection algorithm, thus also resulting in irregular step-durations. In case of missing steps, in contrast, steps durations are not entirely random but usually clustered.

Here, we questioned the practice of removing any irregular data in SSA and investigated whether such data could be used to inform step selection models. For this, we conducted a simulation study where we simulated movement trajectories with known preferences across a virtual landscape. We then artificially rarified the “observed” data by removing GPS fixes and we analysed this data using SSA. This allowed us to investigate if and how the inclusion of irregular data affected model estimates. We also varied the degree of irregularity in the data and we tested for the effects of adjusting the parametric step-length and turning distributions to different step-durations. Besides the simulation study, we also analysed a dataset collected on dispersing African wild dogs and examined the implications considering or discarding irregular data.

Specifically, we employed six competing approaches to handle temporal irregularity in the data.

We hypothesized that the precision of model estimates would decrease as we increased the missigngness in the data. We also expected that the inclusion of irregular data would not improve the precision of estimates and rather lead to biased values. However, we anticipated that such biases, at least in estimated movement kernel parameters, could be reduced by appropriately adjusting the availability domain.

## 2 Methods

### 2.1 Spatial Covariates

We simulated a virtual landscape comprising three spatial covariate layers, each with a resolution of 300 x 300 pixels (Figure 3) spanning across x- and y-coordinates from 0 to 300. The first layer (**forest**) represented areas covered by forest and was simulated using a random cluster nearest-neighbour neutral landscape model (?), with the cluster-proportion

set to 0.5 and the patch occupancy of forest fixed to 20%. The second layer (*elev*) resembled an elevation layer and was simulated using a Gaussian random fields neutral landscape model (?), with an autocorrelation range of 10, magnitude of variation of the landscape of 1, and a magnitude of variation in scale of 0. We simulated both of these layers using the r-package *NLMR* (?). The third layer (*dist*) indicated the distance (in pixels) to the center of the virtual landscape ( $x = 150, y = 150$ ), and can be understood as a point of attraction, such as, for instance, the center of an animal’s home-range. We computed spatial distances using the r-package *raster* (?). We normalized the values from all layers to a range between zero and one.

## 2.2 Movement Simulation

To simulate movement across the virtual landscape, we employed an “inverted” step-selection function that proceeded as follows. First, we generated a random starting location by sampling random x- and y-coordinates. To prevent starting points in the vicinity of map borders, we restricted sampled locations to x- and y-coordinates between 50 and 250 (white dotted rectangle in Figure 3). Second, we generated a set of 10 random steps originating from the randomly selected starting point. We then generated random steps by sampling turning angles from a von Mises distribution with concentration parameter  $\kappa = 0.5$  and location parameter  $\mu = 0$ , and step lengths from a gamma distribution with shape parameter  $k = 3$  and scale parameter  $\theta = 1$ . Third, we extracted covariate values along each random step from the underlying covariate layers and computed the mean of each covariate along every step. Fourth, we predicted for each step the probability of being chosen by applying ??. The vector of relative selection strengths (i.e. the  $\beta$ s used to make predictions was set to  $\beta_{forest} = -1$ ,  $\beta_{elev} = 0.5$ , and  $\beta_{dist} = -20$ . Fifth, we sampled one of the random steps based on predicted probabilities and computed the new position of the simulated individual. We then repeated these steps until a total of 100 steps were. We replicated the simulation 10’000 times, thus resulting in 10’000 independent movement trajectories (Figure 4). Although measurement error would have been straight forward to implement, this was not the main focus of our analysis and so we assumed GPS locations to be 100 percent accurate with regards to an animal’s true x- and y-locations. The simulated trajectories are depicted in Figure 4.

## 2.3 Treatments

To assess the consequences of missing GPS data in when employing step-selection functions, we analysed the simulated GPS data under different conditions and using different methods

??). Specifically, we varied the degree of missingness (from 0% to 50%), the forgiveness with regard to step-durations (from 1 to 5), and the way in which random steps were generated. We replicated each treatment combination 100 times, estimated step-selection parameters and computed averages and standard deviations for each treatment.

## 2.4 Data Rarefication

We rarefied the simulated GPS data by randomly removing a fixed fraction of GPS fixes. To assess the impact of different degrees of “missingness”, we varied the fraction of removed data from 0 (complete dataset) to 0.5 (50% missing) with increments of 0.1. The random removal of GPS fixes introduced temporal irregularity of the GPS fixes and so the resulting step-durations differed depending on the time elapsed between remaining fixes. In the complete dataset, a step-duration of one was assumed, whereas the step-duration increased by one for every missing fix.

## 2.5 Identifying Bursts and Computing Step Metrics

We used the rarefied data to compute movement bursts. A movement burst consisted of a sequence consecutive GPS fixes with step-durations that did not exceed the forgiveness. For instance, if the forgiveness was one, already a single missing GPS fix introduced a new burst. In contrast, if the forgiveness was two, step-durations up to two were allowed without enforcing a new burst. For each step in a burst we then computed the step length ( $sl$ ), its natural logarithm ( $\log(sl)$ ), and the cosine of the relative turning angle ( $\cos(ta)$ ).

## 2.6 Step Selection Function

To conduct step selection analysis, we paired each observed step with 10 random steps. In general, we generated random steps by sampling turning angles from a von Mises distribution and step lengths from a gamma distribution, both fitted to the observed data. However, depending on the chosen approach, the generation of random steps differed slightly. Specifically, we employed six different approaches:

- *Uncorrected*: In the *uncorrected* approach, we sampled step-lengths and turning-angles from parametric distributions fitted to observed steps with step-durations of one. This approach ignores the fact that observed steps exhibit different step-durations.
- *Naïve*: In the *naïve* approach, we sampled step-lengths and turning-angles from parametric distributions fitted to observed steps with step-durations of one. However, we



linearly scaled sampled step lengths to the step-duration of the observed step. For instance, for any step with a step-duration of two, we doubled sampled step lengths. This approach implicitly assumes that step lengths linearly scale with step-durations.

- *Dynamic*: In the *dynamic* approach, we sampled step lengths and turning angles from distributions that were fit to different step-durations. That is, for observed steps with step duration of two, we sampled step lengths and turning angles from distributions fit to observed steps of duration of two. To parametrize all the necessary distributions, we randomly removed 50% fixes from the simulated data and generated steps between the remaining fixes. This resulted in steps with varying step-durations. Based on the resulting step lengths and turning angles we fitted separate distributions for all step-durations. We replicated the subsampling procedure 1000 times and averaged the estimates for distribution parameters across replicates.
- *Multistep*: In the *multistep* approach, we sampled step-lengths and turning-angles from parametric distributions fitted to observed steps with step-durations of one. However, if an observed step had a step-durations larger than one, we augmented each random step with yet another random step. We repeated this augmentation until the number of consecutive steps matched the desired step-duration. For instance, for an observed step with step-duration of two, we sampled random steps twice and concatenated them into “random paths”. The resulting paths were then simplified to a straight line connecting the first and last coordinate of each path.
- *Model*: In the *model* approach we sampled step lengths and turning angles from parametric distributions fitted to observed steps with step-durations of one. However, we accounted for potential differences in distribution parameters by including predictor variables in the model to update the distribution parameters depending on the step-duration (cfr Section 2.7).
- *Imputed*: In the *imputed* approach, we imputed missing fixes using predictions from a simple movement model. Specifically, we fitted Johnson’s single-state movement model (?) to each observed trajectory and used the parameterized model to predict locations for the missing fixes. This resulted in a complete dataset without any missing fixes. We then sampled step-lengths and turning angles from distributions fitted to observed steps with step-duration of one.

Together, an observed and its 10 associated random steps formed a stratum that received a unique ID. Along all steps we then extracted covariate values from the underlying covariate

layers and computed the mean of each covariate along every step.

## 2.7 Regression Model

We estimated relative selection strengths (i.e. the  $\beta$ s in ??) using conditional logistic regression, implemented using the r-package `survival` (?). That is, our response variable was a binary variable indicating if a step was an observed (i.e. a case step, scored 1) or random step (i.e. a control step, scored 0). Following ? and ?, we employed *integrated* SSA and besides habitat covariates (`forest`, `elev`, `dist`), also included descriptors of the step length and turning angle (`sl`, `log(sl)`, `cos(ta)`) as predictors in our regression model. Including those predictors allowed us to learn more about the movement characteristics of the focal species and to update our tentative parameters for the step-length and turning angle distributions (for further details see ?). The model call was as follows:

$$case \sim forest + elev + dist + sl + log(sl) + cos(ta)$$

For the *model* approach, however, the model call was slightly adjusted and also included interactions between the factor covariate step-duration and the movement descriptors. It thus looked as follows:

$$case \sim forest + elev + dist + sl + log(sl) + cos(ta) + sl : duration \\ + log(sl) : duration + cos(ta) : duration$$

We recorded beta estimates across all replicates, computed their means and standard deviations for the different treatment combinations.

## 3 Results

### 3.1 Habitat Kernel

Model estimates for the habitat kernel are illustrated in Figure 6.

### **3.2 Movement Kernel**

## **4 Discussion**

Results from our simulation study demonstrate that the inclusion of GPS fixes can be used to gain information on relative habitat preferences of the focal species. While the inclusion of steps from irregular sampling schemes resulted in substantial biases for estimates related to step metrics, we showed that these biases can effectively be mitigated by generating step lengths and turning angles from distributions that are separately fit to steps from different step durations. Regardless of biases in beta coefficients for step metrics, we found that habitat selection estimates were unbiased, even when including irregular steps. Even more, the inclusion of irregular steps drastically reduced model uncertainty, thus suggesting that such data can be used to gain information that would otherwise be lost.

## **5 Authors' Contributions**

D.D.H., D.M.B., A.O. and G.C. conceived the study and designed methodology; D.M.B., G.C., and J.W.M. collected the data; D.D.H. and D.M.B. analysed the data; G.C. and A.O. assisted with modeling; D.D.H., D.M.B., and G.C. wrote the first draft of the manuscript and all authors contributed to the drafts at several stages and gave final approval for publication.

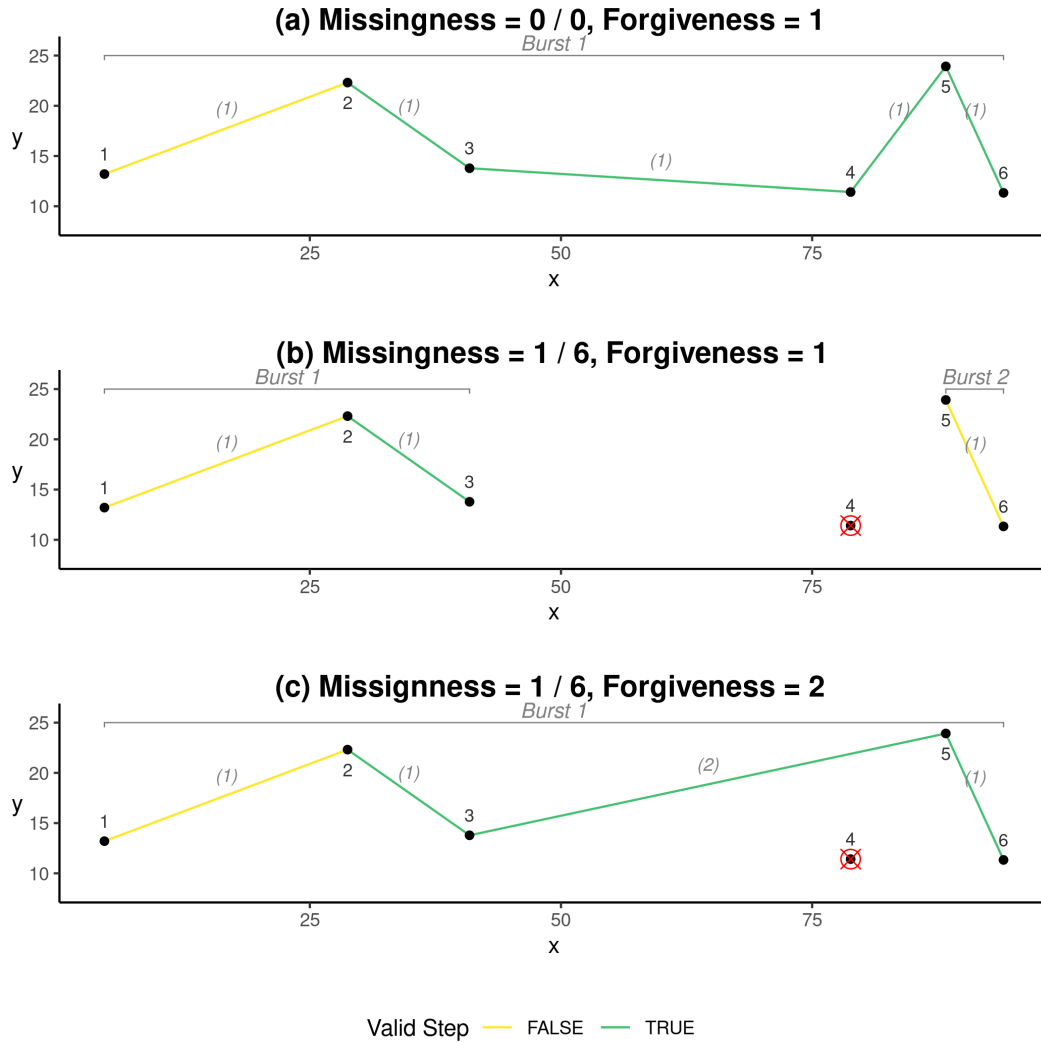
## **6 Data Availability**

GPS movement data of dispersing wild dogs is available on dryad (?). Access to R-scripts that exemplify the application of the proposed approach using simulated data are provided through Github (<https://github.com/DavidDHofmann/DispersalSimulation>). In addition, all codes required to reproduce the African wild dog case study will be made available through an online repository at the time of publication.

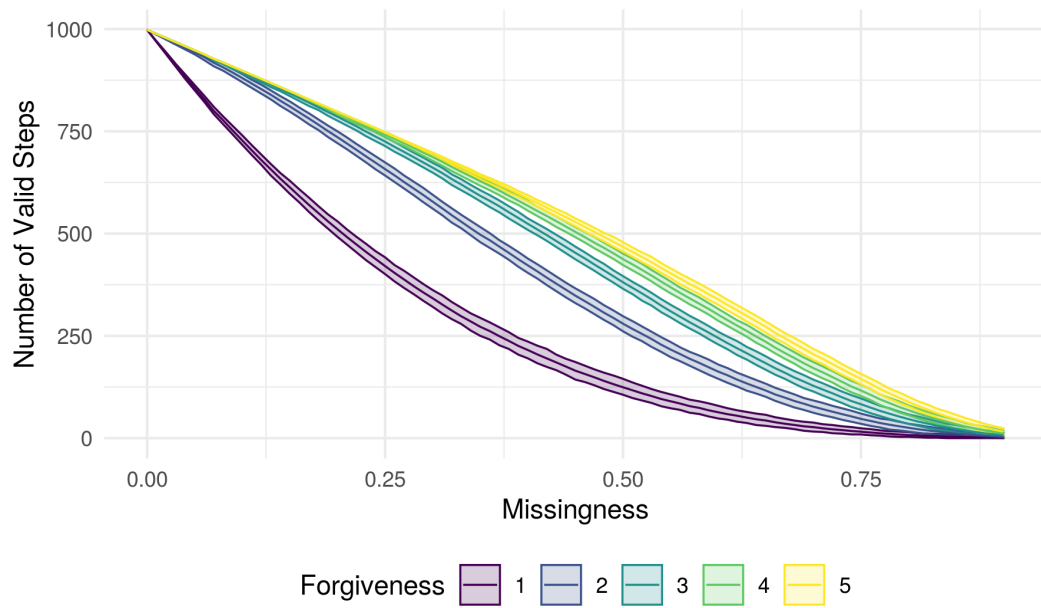
## **7 Acknowledgements**

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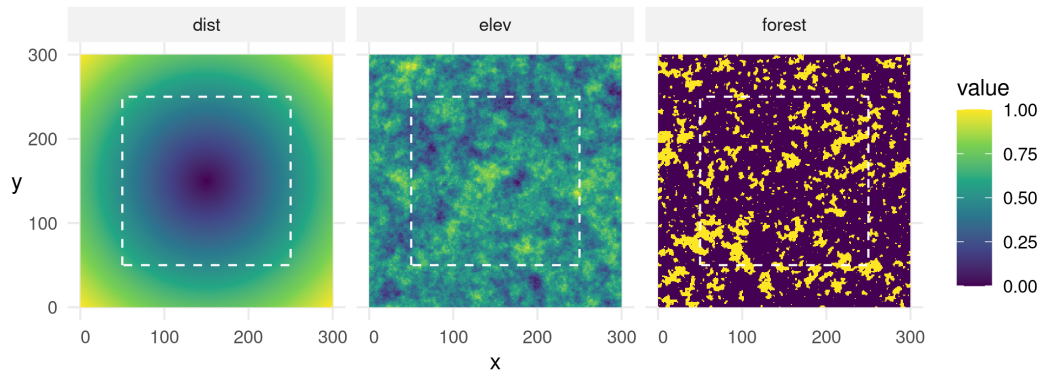
Basler Stiftung für Biologische Forschung, Claraz Foundation, Idea Wild, Jacot Foundation, National Geographic Society, Parrotia Stiftung, Stiftung Temperatio, Wilderness Wildlife Trust Foundation, Forschungskredit der Universität Zürich, and a Swiss National Science Foundation Grant (31003A\_182286) to A. Ozgul.



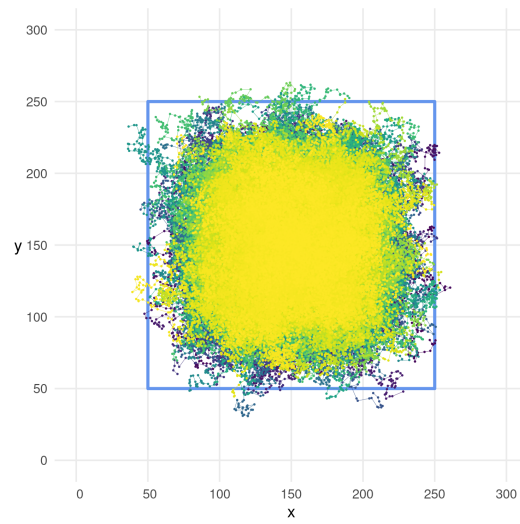
**Figure 1:** Figure demonstrating how a missing fix affects the number of valid steps that can be used for step selection analysis. In subfigure (a), a complete trajectory without any missing fixes is given. This trajectory results in a total of four valid steps that can be analysed (the first step is lacking a relative turning angle and thus invalid). Each of the steps in (a) has a step-duration of one, which is indicated in. In subfigure (b), the fourth fix was removed. If the modeler does excludes steps with step-durations above one (i.e. has a forgiveness of one), this results in only a single valid step for analysis. Finally, subfigure (c) depicts the same situation, yet with a modeler that has a forgiveness of two, and is thus willing to accept steps with a step-duration of two. Here, we end up with three valid steps.



**Figure 2:** Illustration of how missingness in GPS data reduces the number of steps that can be used in step selection analysis. At a missingness of 0, all 1'000 theoretical GPS points could be used to compute steps, thus resulting in 998 steps. However, if the missingness increases, data gaps will prevent the computation of some steps. However, the higher the forgiveness of a modeler, the more missing fixes a modeler will accept to still be able to compute a step.

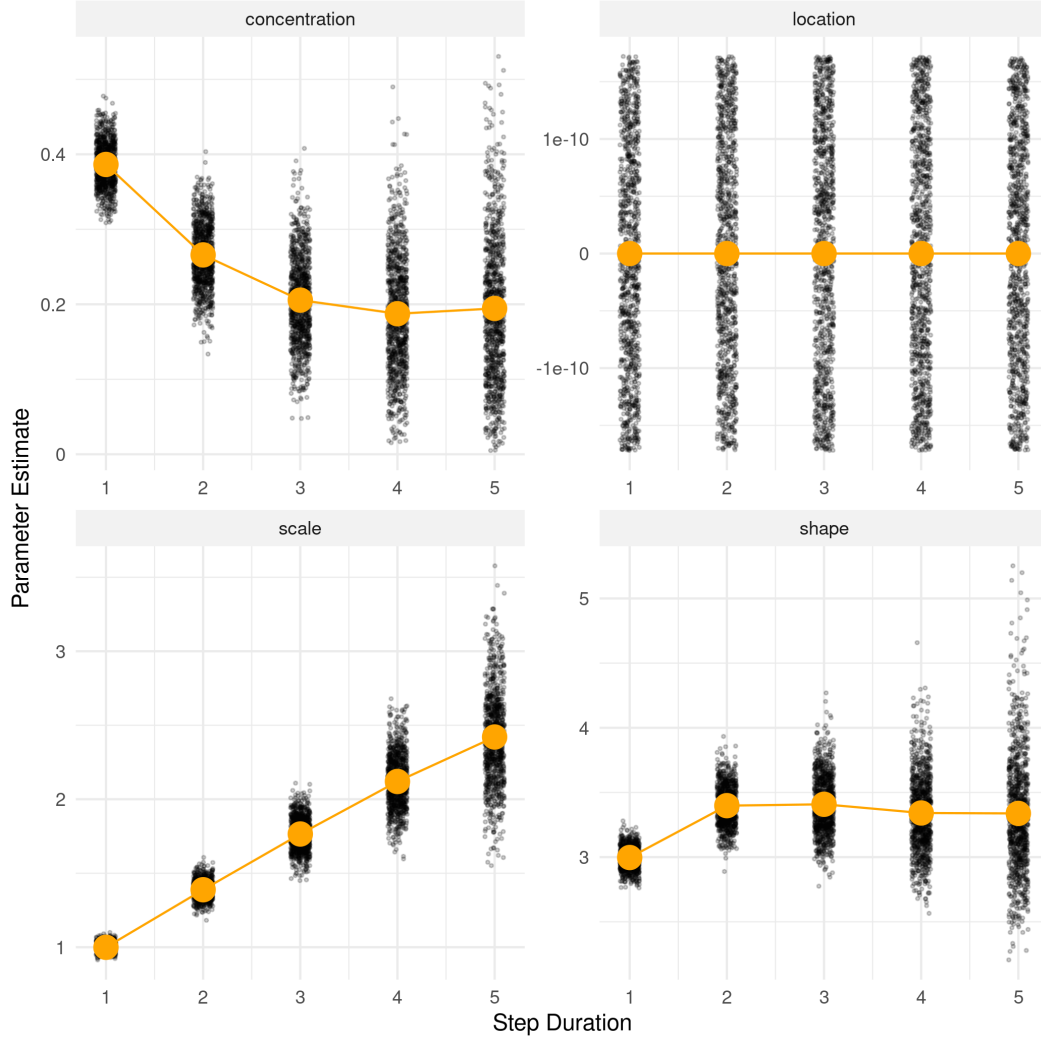


**Figure 3:** Virtual landscape across which we simulated movement trajectories. All layers have a resolution of 300 x 300 pixels and were generated randomly. Simulated individuals were initiated within the white dashed rectangle, which ensured that they would not be released directly at a map border.

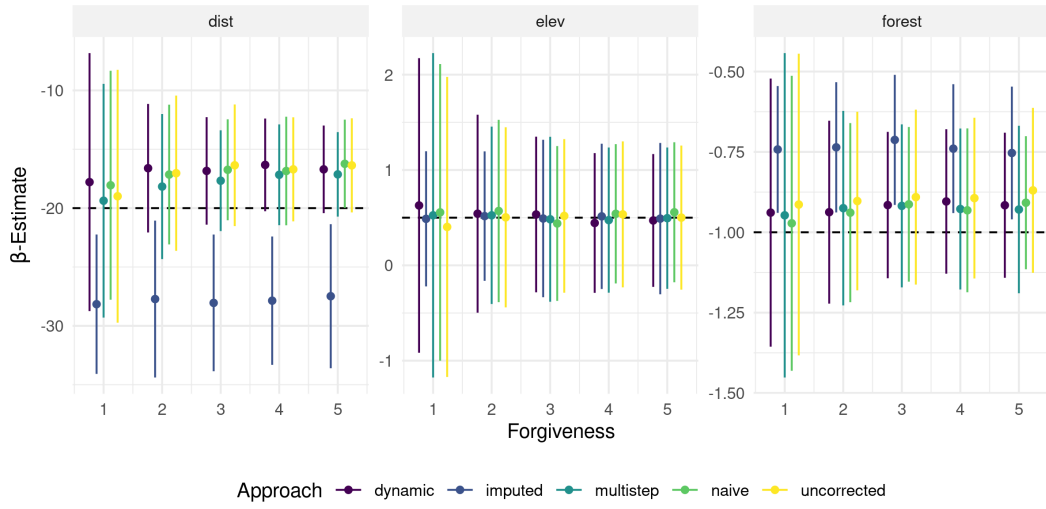


**Figure 4:** 10'000 Simulated movement trajectories, each comprising of 100 steps. Simulated individuals were initiated within the blue rectangle to mitigate edge effects.

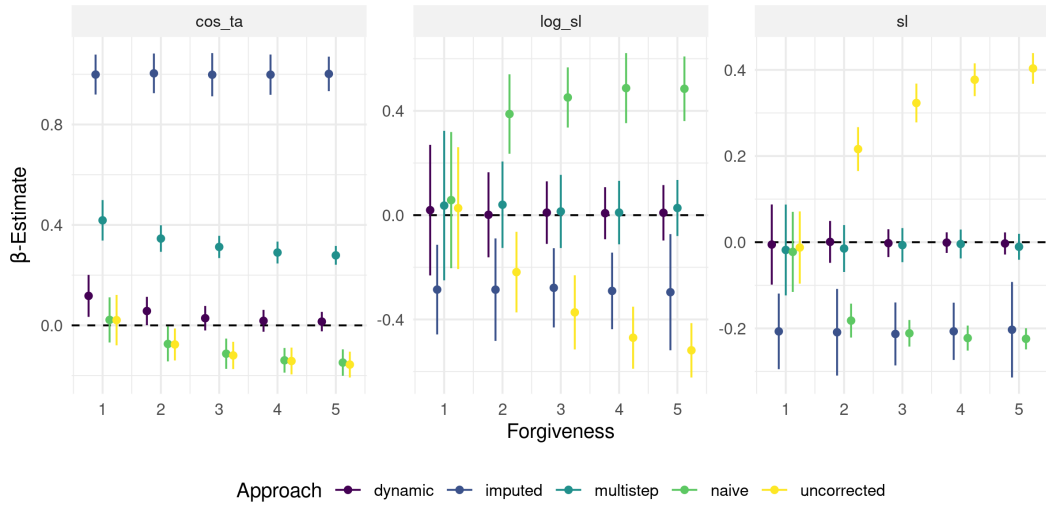




**Figure 5:** Parameter estimates for the von Mises distribution (top row) and gamma distribution (bottom row) fitted to steps with different durations. The von Mises distribution requires two parameters, namely a concentration parameter and a location parameter. Here, the concentration parameter diminishes as the step-duration increases, indicating that steps with higher step duration tend to be less directional. The location parameter, on the other hand, remains unchanged at 0, indicating that movement tends to be forward directed and is not biased towards left or right turns. The gamma distribution requires a shape and a scale parameter. Here, the shape parameter linearly increases with increasing step-duration, yet the shape parameter levels off at a step-duration of two.



**Figure 6:** Parameter estimates with regards to the habitat covariates `dist`, `elev`, and `forest`. Dots indicate the mean estimates across 100 replicates, whereas the vertical line delineate  $\pm 2SD$  from the mean. The black dotted lines indicate the “true” values that were used to simulate movement. Colors separate different approaches to account for varying step-durations in the data. For clarity, we only show results for the treatments with data missingness of 0.5.



**Figure 7:** Parameter estimates with regards to the movement covariates  $sl$ ,  $\log(sl)$ , and  $\cos(ta)$ . Dots indicate the mean estimates across 100 replicates, whereas the vertical line delineate  $\pm 2SD$  from the mean. The black dotted lines indicate the “true” values that were used to simulate movement. Colors separate different approaches to account for varying step-durations in the data. For clarity, we only show results for the treatments with data missingness of 0.5.