

1 -> $L2 * R(L2) = \{(ab)^x * b^y * b^k * (ba)^i \mid x,y,k,i \geq 0\}$

2 -> ab because if in L2 y would be equal to 0 and x would be equal to 1, it would be: $(ab)^1 * b^0$,

and in L5 if y is equal to zero and x is equal to 1 ($1 \neq 0$) it would be also: $(ab)^1 * c^0$.

3 -> $L2^2 = \{(ab)^x * b^y * (ab)^k * b^t \mid x,y,k,t \geq 0\}$ -> ab * b which is abb

4 -> $R(L2) * L5 = \{b^k * (ba)^i * (ab)^x * c^y \mid k,i \geq 0, x \neq y\}$

5 -> does $L4 = R(L4)$? yes, because for example:

$L4 = \{abb,abba,abbab,bb\}$

$R(L4) = \{bba,abba,babba,bb\}$

both are acceptable for the language so the

answer is yes

6 -> $\{bb * aa^0 * bb * aa^0\}$

contains the sequence bb twice and doesn't contain the sequence aa.

a word that is acceptable for example is: {bbbb,bbabba,bbabbab}.

6.2 -> yes, because if it inputs at least one time the sequence bb then its in the language, on both.

7 -> $L1^2 = \{a^n * b * c^{((n \% 2) + 1)} * a^k * b * c^{((k \% 2) + 1)} \mid n,k \geq 0\}$

