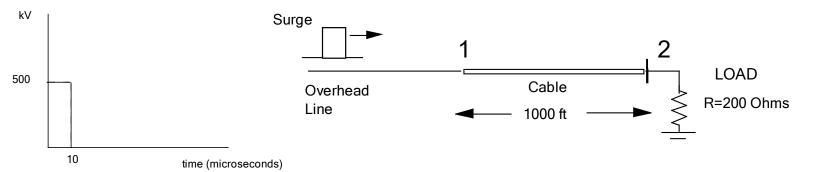
## Worked Example 1

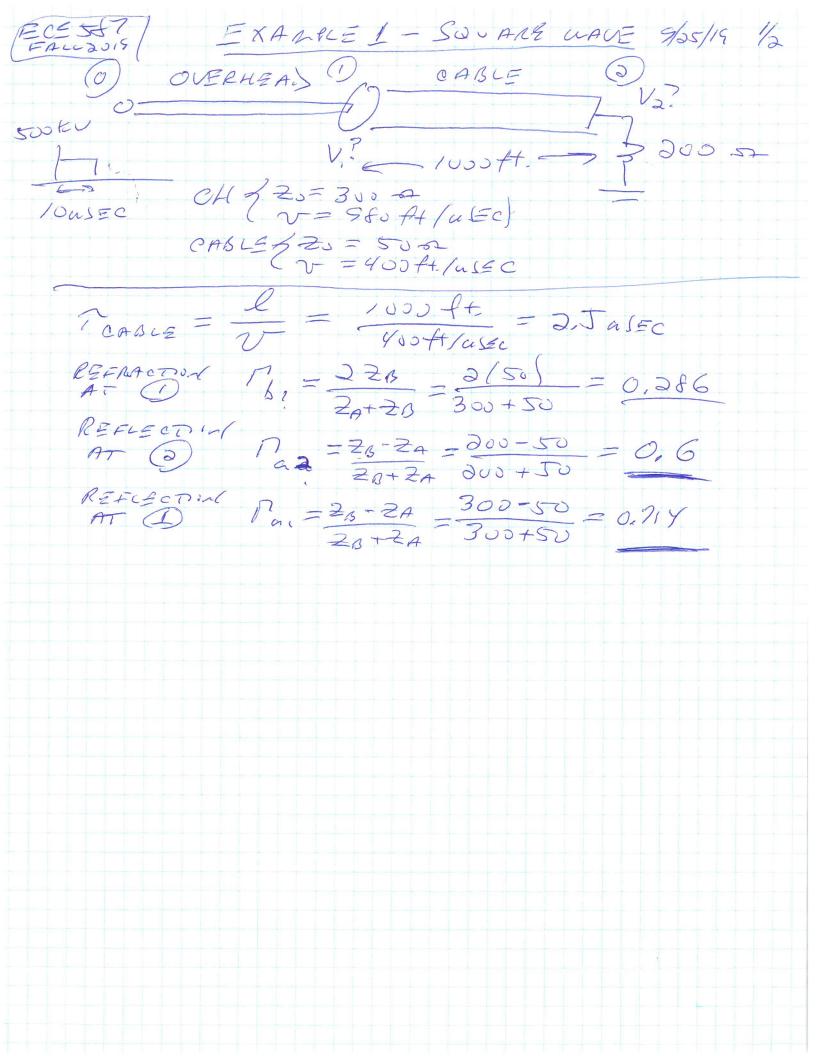
A surge with the characteristics shown travels down an overhead line towards a cable that has a resistive termination. The circuit, illustrated below, has the following characteristics:

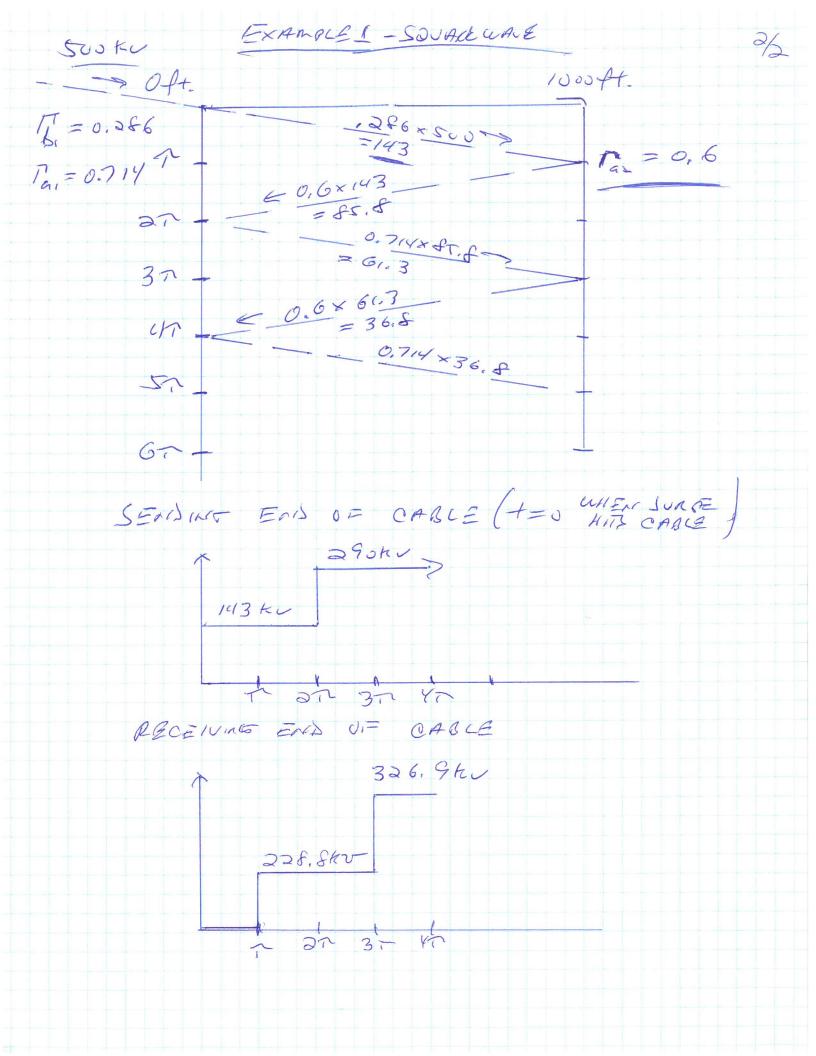
O/H line  $Z_0 = 300 \text{ Ohms}$  velocity = 980 ft/microsec. (0.298704 km/microsec) Cable  $Z_0 = 50 \text{ Ohms}$  velocity = 400 ft/microsec. (0.12192 km/microsec)  $Z_0 = 200 \text{ Ohms}$ 

## Calculate:

- (a) Plot the voltage at the 200 Ohm load resistor, Point 2, as a function of time for a time period of 10 microseconds after the disturbance hits the junction between the overhead and underground cable.
- (b) Plot the voltage at the junction of the overhead and underground cable, point 1, as a function of time for a time period of 10 microseconds after the disturbance hits the junction between the overhead and underground cable.
- (c) Verify the results in (a) and (b) using an EMTP simulation. Include your code and plots of the voltage at Point 1 and Point 2.







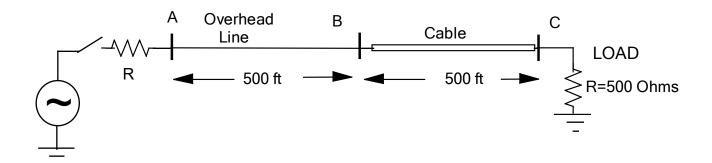
## Worked Example 2

The single-phase 12.47kV (line-to-line) circuit shown below is energized at the peak of the voltage cycle. The remote end is connected to a 500 Ohm load. The pre-insertion resistor has a value of 300 Ohms. The cables have the following characteristics:

O/H line Zo = 300 Ohms velocity = 980 ft/microsec. (0.298704 km/microsec)
Cable Zo = 50 Ohms velocity = 490 ft/microsec. (0.149352 km/microsec)

Assuming that the source can be modeled as a constant DC voltage source:

- (a) Plot the voltage at the 500 Ohm load resistor, Point C, as a function of time for a time period of 3.0 microseconds after the switching operation occurs. Make sure to include numerical values for the amplitude levels and transition times.
- (b) Plot the voltage at the junction of the overhead and underground cable, point B, as a function of time for a time period of 3.0 microseconds after the switching operation occurs.



$$\frac{7}{10NE}$$

$$\frac{7}{10NE}$$

$$\frac{7}{10NE}$$

$$\frac{303-300}{350} = -71$$

$$\frac{303-300}{350} = -71$$

$$\frac{303-300}{350} = -71$$

$$\frac{3(50)}{350} = .39$$

$$\frac{7}{10NE}$$

$$\frac{30-300}{350} = -71$$

$$\frac{30-300}{350} = .39$$

$$\frac{7}{10NE}$$

$$\frac{7}{10$$

$$V_{\pm 1/2} = \frac{300}{300 + 300} 10.187 = 2081 \, \text{r}$$

