```
In [123]: ▶ import numpy as np
             import pandas as pd
             import matplotlib.pyplot as plt
In [124]: | df = pd.read csv('D3.csv')
             df.head() # To get first n rows from the dataset default value of n is 5
             M=len(df)
             Μ
   Out[124]: 100
In [125]:

    X = df.values[:, 0]

             K = df.values[:, 1]
             Z = df.values[:, 2]
             Y = df.values[:, 3]
             m = len(Y)
             X 0 = X
             X 1 = K
             X 2 = Z
             m = len(Y) # Number of training examples
             print('X = ', X[: 5]) # Show only first 5 records
             print('Y = ', Y[: 5])
             print('m = ', m)
             X = [0.
                              0.04040404 0.08080808 0.12121212 0.16161616]
             Y = [4.38754501 \ 2.6796499 \ 2.96848981 \ 3.25406475 \ 3.53637472]
             m = 100
In [126]: ► def gradient_descent(X, Y, theta, alpha, iterations):
                 cost history = np.zeros(iterations)
                 for i in range(iterations):
                     predictions = X.dot(theta)
                     errors = np.subtract(predictions, Y)
                     sum_delta = (alpha / m) * X.transpose().dot(errors);
                     theta = theta - sum delta;
                     cost history[i] = compute cost(X, Y, theta)
                 return theta, cost history
predictions = X.dot(theta)
                 errors = predictions - Y
                 sqrErrors = np.square(errors)
                 J = 1/(2*m)* np.sum(np.square(errors))
                 return J
```

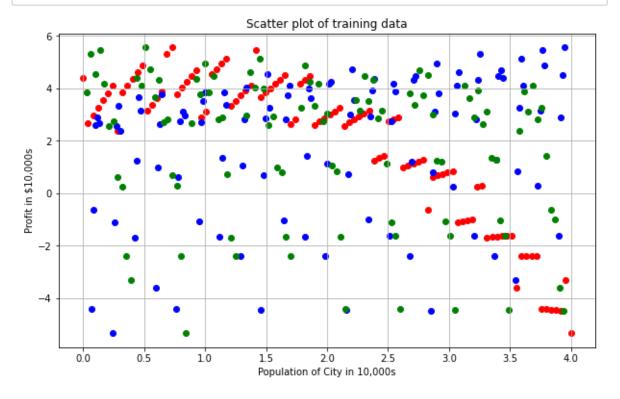
```
In [128]: M

def DisplayData(X, color):
    plt.scatter(X,Y,color = color)
    plt.grid()
    plt.title('Scatter plot of training data')
    plt.rcParams["figure.figsize"] = (10,6)
    plt.xlabel('Population of City in 10,000s')
    plt.ylabel('Profit in $10,000s')
```

```
In [129]:  # Plot x
DisplayData(X, 'red')

# Plot k
DisplayData(K,'blue')

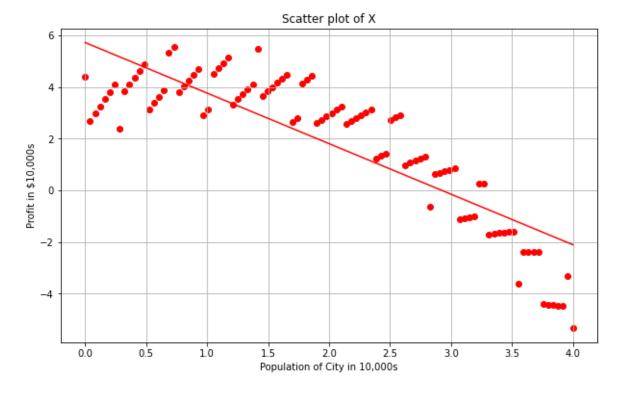
#Plot Z
DisplayData(Z,'green')
```



```
In [130]: N X0 = np.ones((m,1))
X1 = X_0.reshape(m,1)
X_1 = np.hstack((X0,X1))
theta = np.zeros(2)
iterations = 1500;
alpha = 0.01;
cost = compute_cost(X_1,Y,theta)
theta, cost_history = gradient_descent(X_1,Y,theta,alpha,iterations)

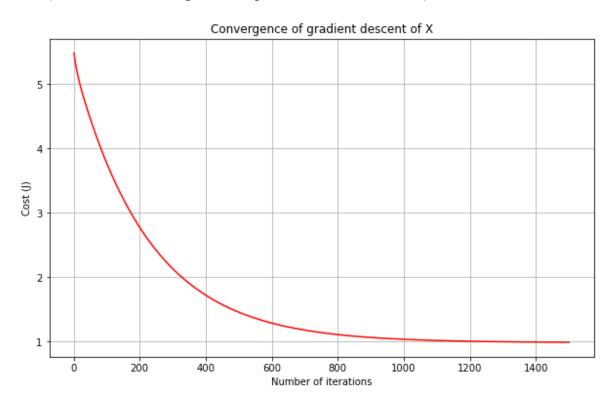
DisplayData(X, 'red')
plt.plot(X,X_1.dot(theta),color = 'red' ,label = 'Linear Regression of K')
plt.title('Scatter plot of X')
```

Out[130]: Text(0.5, 1.0, 'Scatter plot of X')



```
In [131]: ► #Problem 1
```

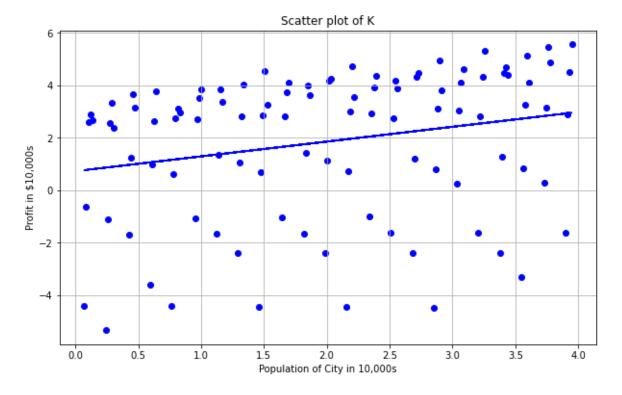
Out[132]: Text(0.5, 1.0, 'Convergence of gradient descent of X')



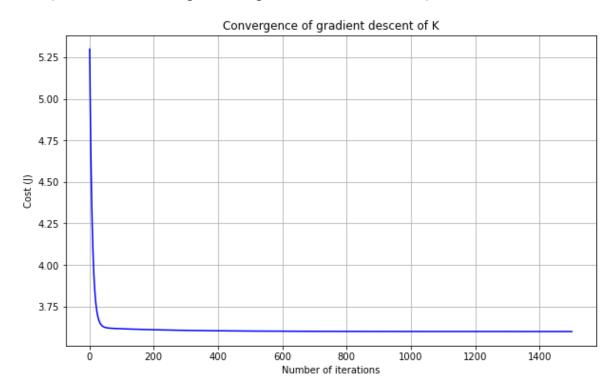
```
In [133]: N X0 = np.ones((m,1))
X1 = K.reshape(m,1)
X_1 = np.hstack((X0,X1))
theta = np.zeros(2)
iterations = 1500;
alpha = 0.01;
cost = compute_cost(X_1,Y,theta)
theta, cost_history = gradient_descent(X_1,Y,theta,alpha,iterations)

DisplayData(K, 'blue')
plt.plot(K,X_1.dot(theta),color = 'blue' ,label = 'Linear Regression of K')
plt.title('Scatter plot of K')
```

Out[133]: Text(0.5, 1.0, 'Scatter plot of K')



Out[134]: Text(0.5, 1.0, 'Convergence of gradient descent of K')

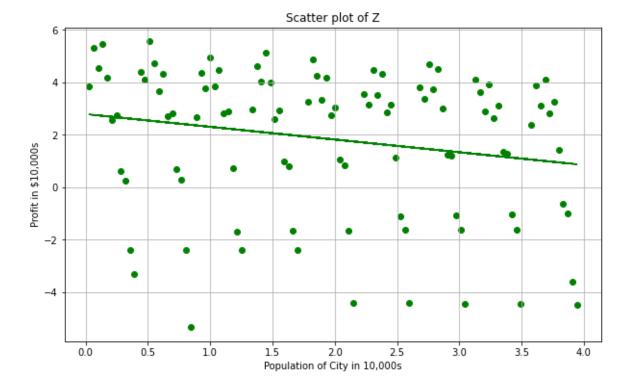


```
In [135]: N X0 = np.ones((m,1))
X2 = Z.reshape(m,1)
X_2 = np.hstack((X0,X2))
theta = np.zeros(2)
iterations = 1500;
alpha = 0.01;

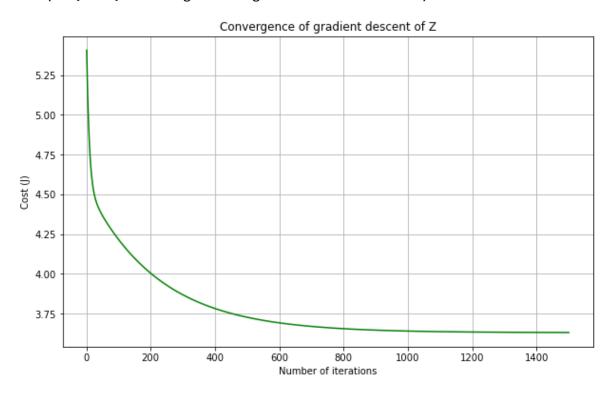
cost = compute_cost(X_2,Y,theta)
theta, cost_history = gradient_descent(X_2,Y,theta,alpha,iterations)

DisplayData(Z, 'GREEN')
plt.plot(Z,X_2.dot(theta),color = 'green' ,label ='Linear Regression of Z')
plt.title('Scatter plot of Z')
```

Out[135]: Text(0.5, 1.0, 'Scatter plot of Z')



Out[136]: Text(0.5, 1.0, 'Convergence of gradient descent of Z')



In [137]: Problem 1 Problem 1 Q3 #Which explanatory variable has the lower loss (cost) for explaining the outp Variable K or X_1 had the steepest slope, which means it has the lowest cost Problem 1 Q4 #Based on your training observations, describe the impact of the different le A higher learning late has a steeper curve which allows for less iterations '''

Out[137]: '\nProblem 1\nProblem 1 Q3\n#Which explanatory variable has the lower loss (cost) for explaining the output (Y)?\nVariable K or X_1 had the steepest s lope, which means it has the lowest cost\n\nProblem 1 Q4\n#Based on your tr aining observations, describe the impact of the different learning rates on the final loss and number of training iteration.\nA higher learning late has a steeper curve which allows for less iterations \n'

In [138]: Problem 2 Problem 2 Q3 #Based on your training observations, describe the impact of the different le If the learning late is to low than the line will stabalize earlier. A learni '''

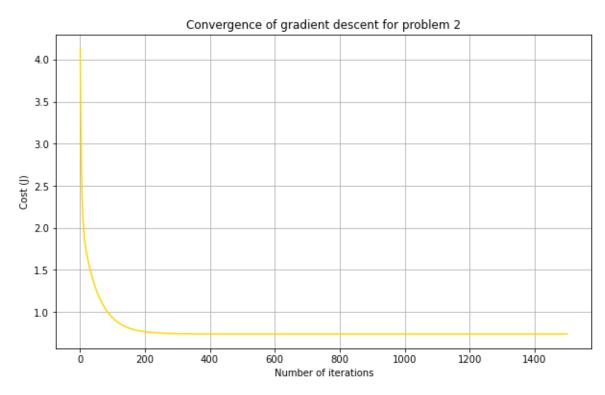
Out[138]: '\nProblem 2\nProblem 2 Q3\n#Based on your training observations, describe the impact of the different learning rates on the final loss and number of training iteration.\nIf the learning late is to low than the line will stab alize earlier. A learning late needs to be higher if possible.\n'

```
In [140]: N theta, cost_history = test()
theta

Out[140]: array([ 5.31416563, -2.00371905,  0.53256359, -0.26560164])

In [141]: N plt.plot(range(1,iterations+1),cost_history,color = 'gold')
    plt.rcParams["figure.figsize"] = (10,6)
    plt.grid()
    plt.xlabel('Number of iterations')
    plt.ylabel('Cost (J)')
    plt.title('Convergence of gradient descent for problem 2')
```

Out[141]: Text(0.5, 1.0, 'Convergence of gradient descent for problem 2')



X1 = 3.577408529345461 X2 = 0.2443209702176521 X3 = 0.10253401973591902

```
In []: 🔰
```