## Report, assignment 1 David Otgonsuren Rico

Node structure:

A node consists of a integers **cost\_f**, **cost\_g** a vectors of integers **operators\_used** and an ordered vector of integeres **facts.** 

**cost\_f** - represents the value of g+h, where g is the cost to get to this node and h represents the heuristic value of the h\_max function

**cost\_g** – cost to get to the node from initial node

**operators\_used** – a list of operators that have been ussed to get from initial state to this state **facts** - an ordered list of ids of facts from the STRIPS representation, why it must be ordered will be explained later

After initializing the initial and goal states the A\* alg is launched

A\* algorithm

Input: strips representation, initial node, goal node

Output: res node

My open list is a priority queue of nodes, compared by their **cost\_f** where at the top of the queue is a node with the highest **cost\_f** 

My closed list and list of distances that some node has reached, I have them in one strucure and it is a map where a key is **facts** and the value is the best **cost\_g** so far. This is why **facts** have to be ordered. Otherwise the same state could be mapped to different values. Two vectors are equal only if they have the same size and every element in i-th position is equal. The two structures can be merged because if we visit a node we potentially put it in closed list and update the **cost\_g**.

Push initial node to open list

While open list not empty

get curr\_nd from top of open list

if curr\_nd is not in closed list or the **cost\_g** of curr\_nd is better then previous update closed list with with the **cost\_g** 

check if we reached goal, meaning if every fact in goal is in the curr\_nd if yes then return curr\_nd

for every operator try to apply to curr\_nd, needs to have all the preconditions by applying the operator to curr\_nd we get a successor

//after adding add\_eff and deleting del\_eff I sort the vector of facts for closed

list

cost\_g of successor is set as curr\_nd cost\_g + operator cost
put operator into operators\_used of successor

if h\_max of succ != infinity(max value of integer)
 succ cost\_f = succ cost\_g + succ h\_max

h max heuristic

Input: strips representation, current node, goal node

**Output:** h max value for node

implemented from notes on classical planning

the infinity value is maximum value of the integer deltas is a vector of integers of size number of facts, initialized to infinity

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Us is a vector of integers of size number of operators
C is an unordered set
for every fact in current node
       deltas[fact] = 0
for every operator in operators
       Us[operator] = operator.pre_size
       if operator.pre_size == 0
               for add_eff of operator
                      deltas[add_eff] = min(deltas[add_eff], operator cost)
while all facts og goal node not in C
       k = arg min across deltas that are not in C
       if deltas[k] == infinity return infinity //important but not in notes of classical planning
       insert k in C
       for every operator
               for every precondition in operator
                      if k precondition and Us[operator] > 0
                              Us[operator] = Us[operator] - 1
                              if Us[operator] == 0
                                     for every add_eff in operator
                                             deltas[add_eff] = min(deltas[add_eff],opcost+deltas[k])
```

after A\* finishes and returns the res node we recereate the path and output the result optimal cost is the **cost\_g** of the resulting node h max for init node is the **cost\_f** of init node because **cost\_g** for init is 0 then we iterate through operators\_used of res node and add them to the output

This concludes the report.

h\_max = max deltas[facts in goal]