

```
(*Self-adjoint Wheeler-deWitt equation for the first ordering:*)
(*-y''[Q] - (3/(16Q^2) + (8πρQ)/3)y[Q] == -k y[Q] *)
(*For negative Q, ρ=0, for k=0 this becomes:*)
```

```
In[*]:= DSolve[-y''[Q] - (3/(16Q^2)) y[Q] == 0, y[Q], Q]
```

```
Out[*]= {{y[Q] -> Q^(1/4) c1 + Q^(3/4) c2}}
```

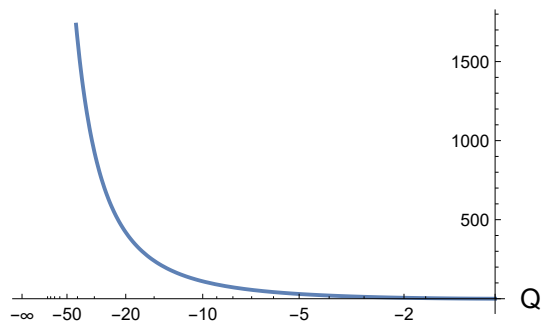
```
In[*]:= (*Which then has to be multiplied by Q^(1/4) to become the WdW solution:*)
wdwsolutionzerokneg1[Q_, α_, β_] :=
Q^(1/2) α + Q β
```

```
In[*]:= (*This goes to -Infinity regardless of α/β choices*)
(*Now let's look at positive Q:*)
```

```
Plot[Abs[wdwsolutionzerokneg1[Q, 1, 1]]^2, {Q, -Infinity, 0},
AxesLabel -> {Style["Q", Black, 14], Style["Probability Density", Black, 14]},
PlotLabel -> Style["First Ordering Modulus Squared of ψ(Q<0) for k=0", Black, 16],
AxesStyle -> Directive[Black, Thickness[0.0009]]]
```

```
Out[*]=
```

First Ordering Modulus Squared of $\psi(Q<0)$ for $k=0$
Probability Density



```
(*Self-adjoint Wheeler-deWitt equation for ordering 1:*)
(*-y''[Q] - (3/(16Q^2) + (8πρQ)/3)y[Q] == -k y[Q] *)
(*For k=0 this becomes:*)
```

```
In[*]:= DSolve[-y''[Q] - (3/(16Q^2) + (8π × A)/(3Q)) y[Q] == 0, y[Q], Q]
```

```
Out[*]=
```

$$\left\{ \left\{ y[Q] \rightarrow e^{4i\sqrt{A}\sqrt{\frac{2\pi}{3}}\sqrt{Q}} Q^{1/4} c_1 + \frac{i e^{-4i\sqrt{A}\sqrt{\frac{2\pi}{3}}\sqrt{Q}} \sqrt{\frac{3}{2\pi}} Q^{1/4} c_2}{4\sqrt{A}} \right\} \right\}$$

```
In[*]:= (*Which then has to be multiplied by Q1/4 to become the WdW solution:*)
```

```
wdwsolutionzerokpos1[Q_, α_, β_] :=
```

$$e^{4i\sqrt{A}\sqrt{\frac{2\pi}{3}}\sqrt{Q}} Q^{1/2} \alpha + \frac{i e^{-4i\sqrt{A}\sqrt{\frac{2\pi}{3}}\sqrt{Q}} \sqrt{\frac{3}{2\pi}} Q^{1/2} \beta}{4\sqrt{A}}$$

```
(*Since both terms have a complex exponent,  
the limit to infinity will not go to 0, the function remains cyclic.*)
```

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(*As a conclusion, this wavefunction cannot be normalised.*)
```

```
In[*]:= Limit[wdwsolutionzerokpos1[Q, 1, 1] /. A → 1, Q → Infinity]
```

```
Out[*]=
```

Indeterminate

```
In[*]:= Plot[Abs[wdwsolutionzerokpos1[Q, 1, 1]]^2 /. A → 1, {Q, 0, Infinity},  
  AxesLabel → {Style["Q", Black, 14], Style["Probability Density", Black, 14]},  
  PlotLabel → Style["First Ordering Modulus Squared of ψ(Q>0) for k=0", Black, 16],  
  AxesStyle → Directive[Black, Thickness[0.0009]]]
```

```
Out[*]=
```

First Ordering Modulus Squared of $\psi(Q>0)$ for $k=0$
Probability Density

