

REDES BAYESIANAS

—

Phi

DESARROLLADO EN PYTHON

- `itertools`
- `pyAgrum`

Se desarrollaron 2 códigos diferentes.
Uno por parte de análisis y otro por visualización.



REQUISITO

La red bayesiana debe estar en formato tipo JSON y ser un diccionario de nodos con sus probabilidades iniciales

Un diccionario es una estructura en python de llave: valor.



```
{  
  "nodes": {  
    "Rain": {  
      "values": ["none", "light", "heavy"],  
      "parents": [],  
      "cpt": [  
        {  
          "when": {},  
          "then": {  
            "none": 0.7,  
            "light": 0.2,  
            "heavy": 0.1  
          }  
        }  
      ]  
    },  
  },  
}
```



<i>none</i>	<i>light</i>	<i>heavy</i>
0,7	0,2	0,1

<i>none</i>	<i>light</i>	<i>heavy</i>	<i>heavy</i>
0,7	0,2	0,1	0,1

PRIMERA CONDICIÓN

SEGUNDA CONDICIÓN

TERCERA CONDICIÓN

```
"Maintenance": {
  "values": ["yes", "no"],
  "parents": ["Rain"],
  "cpt": [
    { "when": { "Rain": "none" }, "then": { "yes": 0.4, "no": 0.6 } },
    { "when": { "Rain": "light" }, "then": { "yes": 0.2, "no": 0.8 } },
    { "when": { "Rain": "heavy" }, "then": { "yes": 0.1, "no": 0.9 } }
  ]
},
```

Rain

none , light , heavy

Maintenance

yes , no

Train

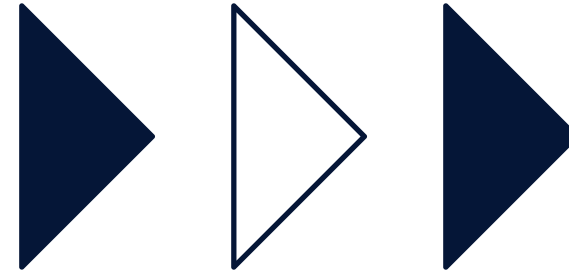
on time , delayed

Appointment

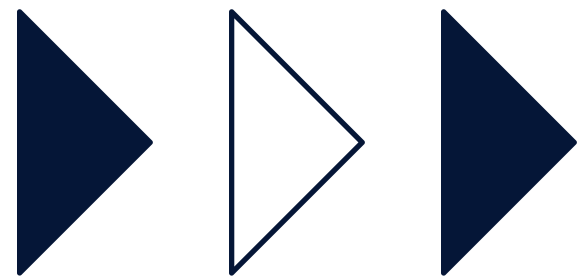
attend , miss

$3 \text{ (Rain)} \times 2 \text{ (Maintenance)} \times 2 \text{ (Train)} \times 2 \text{ (Appointment)} =$
24 combinaciones

```
{  
  "Rain": "light",  
  "Maintenance": "no",  
  "Train": "delayed",  
  "Appointment": "miss"  
}
```

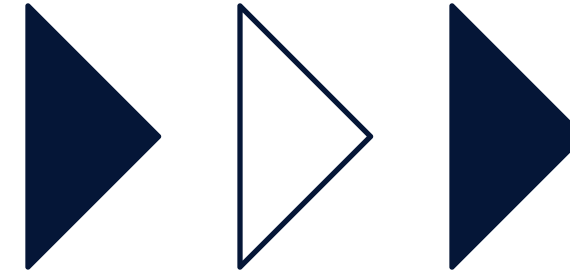


```
"Rain": {  
  "when": {},  
  "then": { "none": 0.7, "light":  
0.2, "heavy": 0.1 }  
}
```

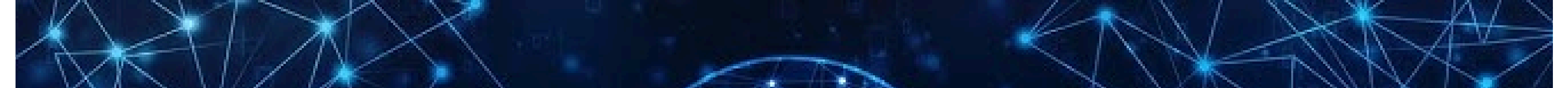


```
"Maintenance": {  
  "when": { "Rain": "light" },  
  "then": { "yes": 0.2, "no": 0.8 }  
}
```

```
"Train": {  
  "when": { "Rain": "light", "Maintenance":  
"no" },  
  "then": { "on time": 0.7, "delayed": 0.3 }  
}
```



```
"Appointment": {  
  "when": { "Train": "delayed" },  
  "then": { "attend": 0.6, "miss": 0.4 }  
}
```

RESULTADO

$$P = P(\text{Rain}) \times P(\text{Maintenance} \mid \text{Rain}) \times P(\text{Train} \mid \text{Rain, Maintenance}) \times P(\text{Appointment} \mid \text{Train})$$

$$P = 0.2 \times 0.8 \times 0.3 \times 0.4 = 0.0192$$


```
{  
  "assignment": {  
    "Rain": "light",  
    "Maintenance": "no",  
    "Train": "delayed",  
    "Appointment": "miss"  
  },  
  "probability": 0.0192  
}
```

