

Brain Segmentation

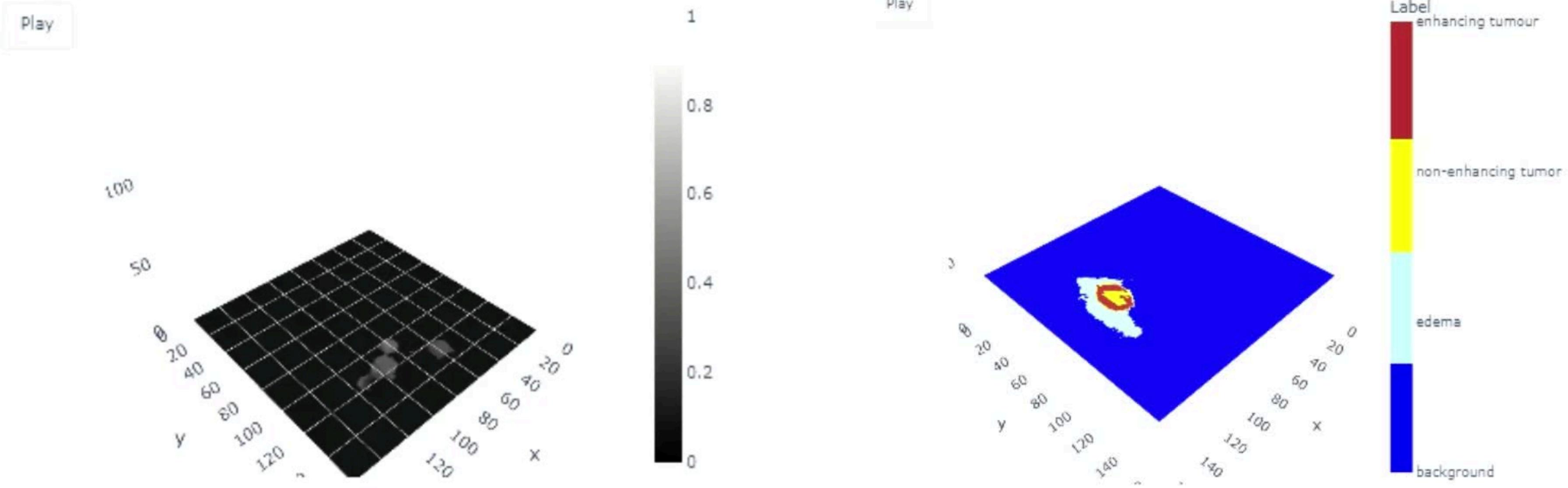
Deep Learning project

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01

3D Medical Image Segmentation

The task of **3D image segmentation** is to **teach** an AI system to automatically assign the **appropriate label** to every **voxel** (the 3D equivalent of a pixel) in a novel 3D volume. Following a **supervised** approach.

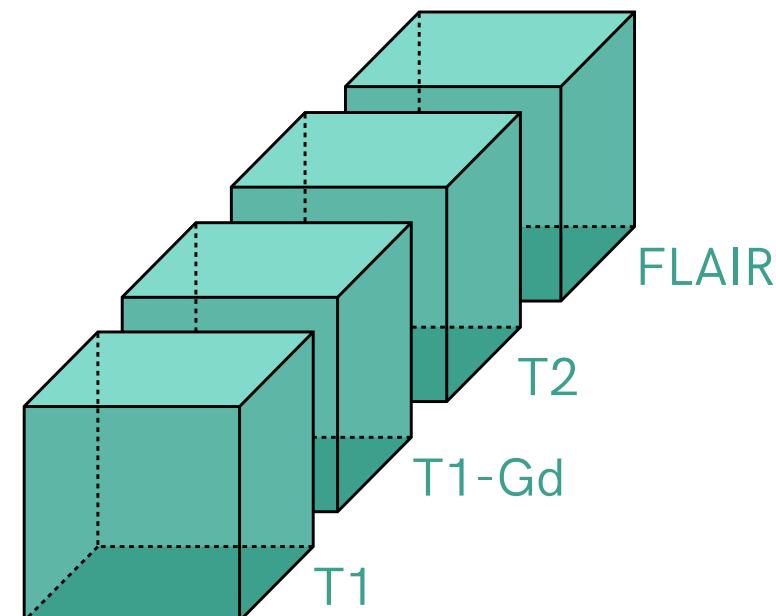


02

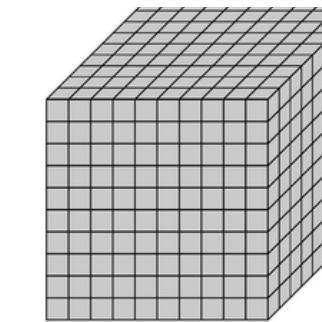
Data Exploration

Characteristics of our data:

- Dimension of a single volume: **240x240x155x4**
- **484** samples
- Each voxel is assigned with a label, **0**: background
 - 1: edema
 - 2: non-enhancing tumor
 - 3: enhancing tumor
- 4 different MRI modalities: native T1-weighted (**T1**), post-Gadolinium contrast T1-weighted (**T1-Gd**), native T2-weighted (**T2**), T2 Fluid-Attenuated Inversion Recovery (**FLAIR**)



Volume 240x240x155x4

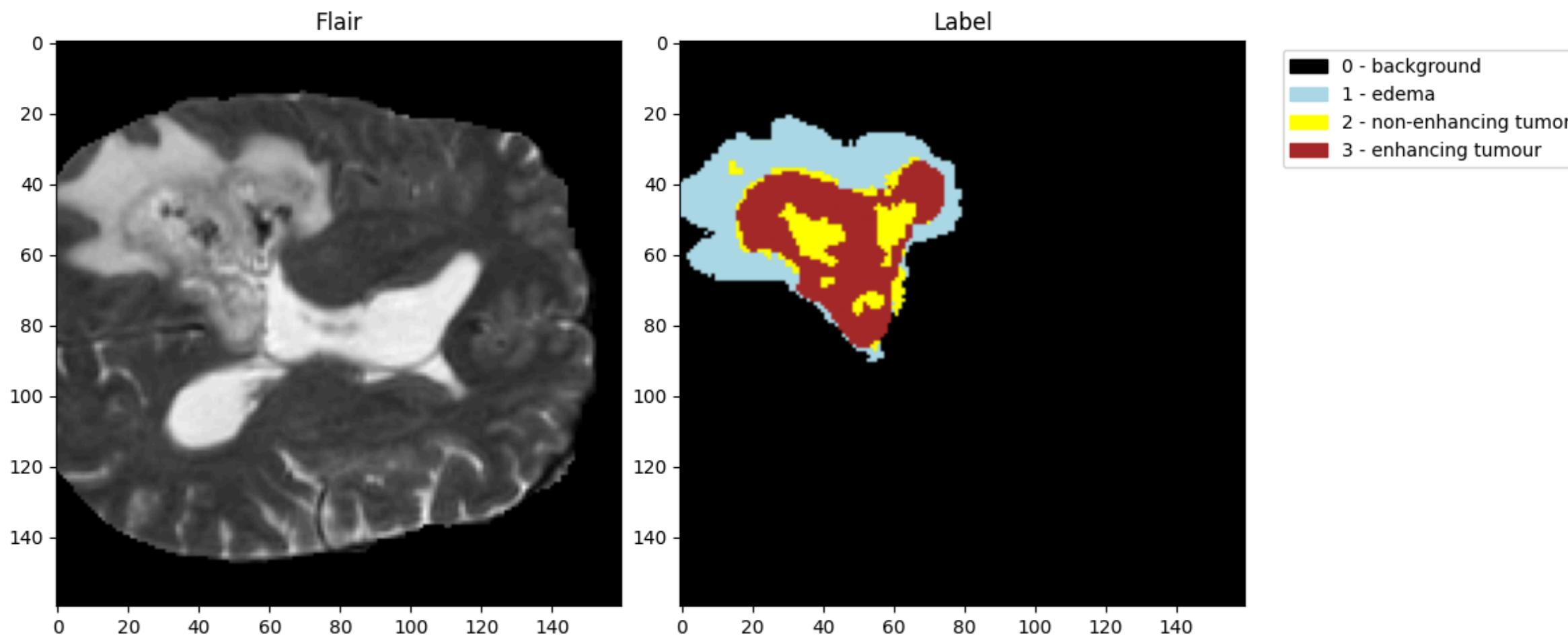


Label 240x240x155

WARNING: Imbalanced Data

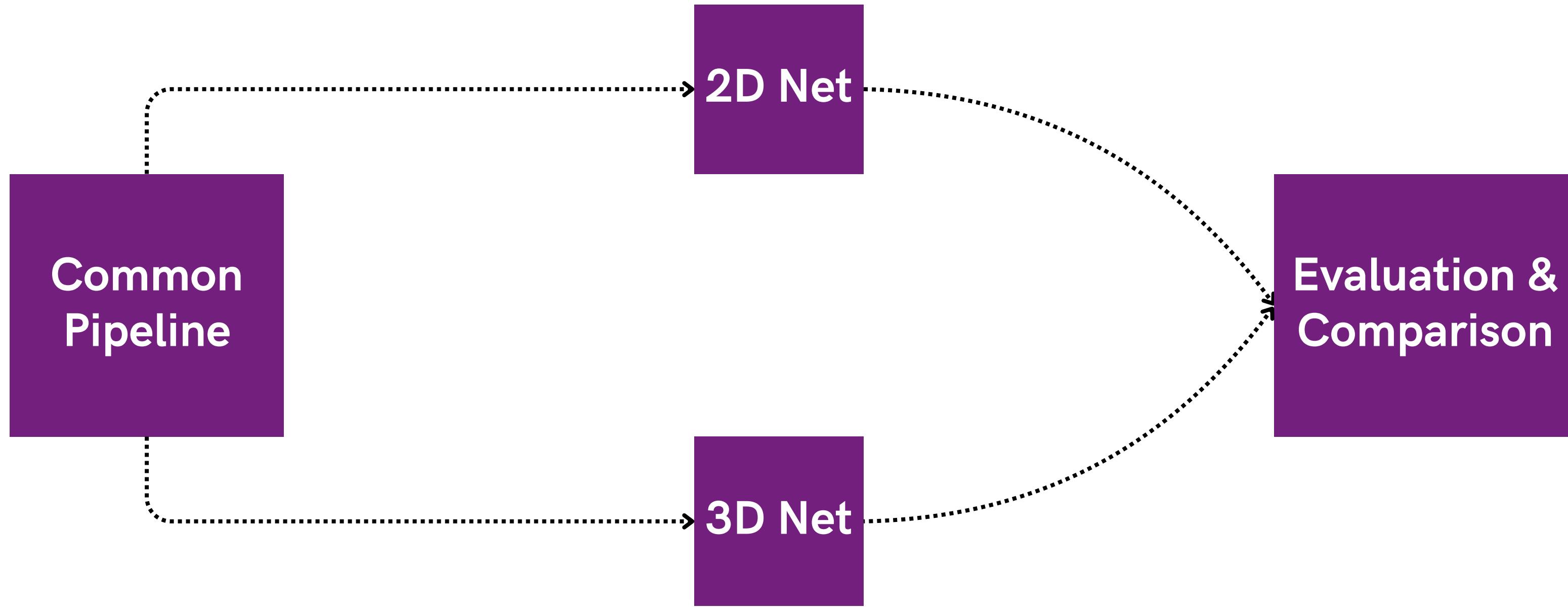
An example

Even when examining slices with the greatest concentration of relevant pixels (labels 1, 2, and 3), it is evident that they are still significantly underrepresented compared to the background.



03

Our Solution(s)

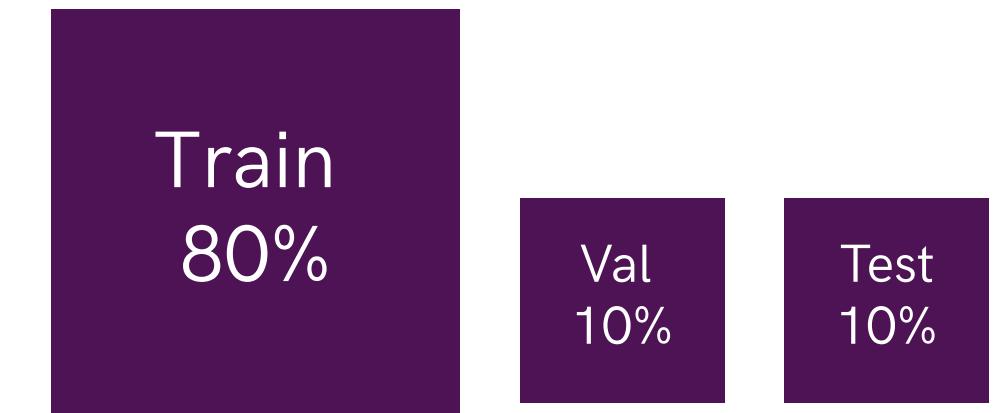


Common Pipeline

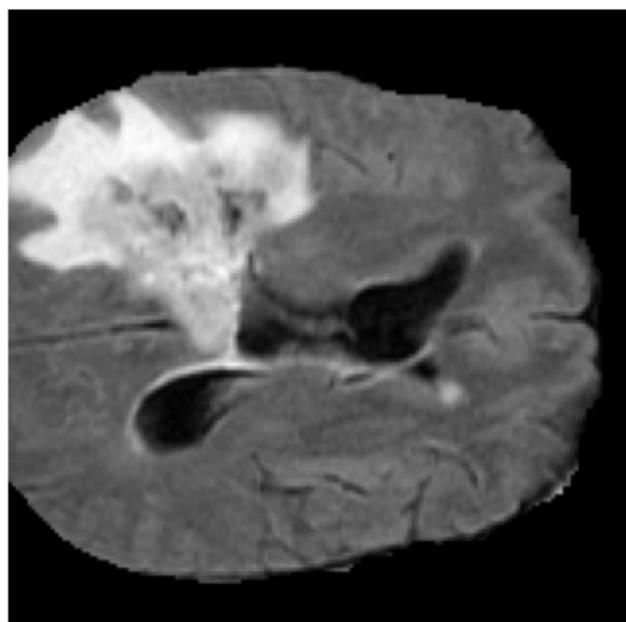
- **Preprocessing**

Cropping
Downsampling
Normalization

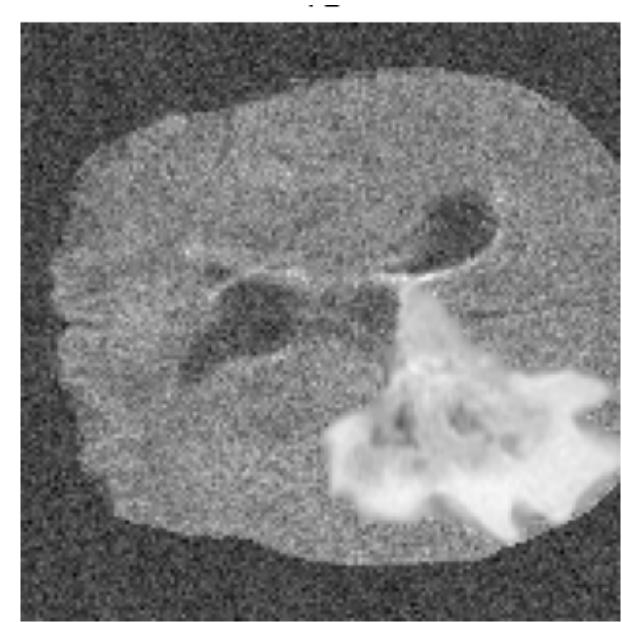
- Train/Validation/Test split with **Stratified Sampling**



- Data Augmentation



→
*Flip
&
Gaussian Noise*



Common Pipeline

- **Loss**

As our loss function, we opted for a combination of **Categorical Crossentropy (CCE) Loss** and **Dice Loss**.

- **CCE Loss**, used for multi-class segmentation problems. It penalizes the model more heavily when it is confidently wrong, encouraging more calibrated predictions.
- **Dice Loss**, used in medical image segmentation. It is computed from the Dice coefficient, which measures the overlap between predicted and ground truth regions. To compute it, we one-hot encoded the model's output.

After testing different configurations, we found that an evenly balanced combination of SCCE and Dice Loss effectively handled class imbalance without requiring custom class-weighted functions, a strategy that has also proven effective in other image segmentation studies.

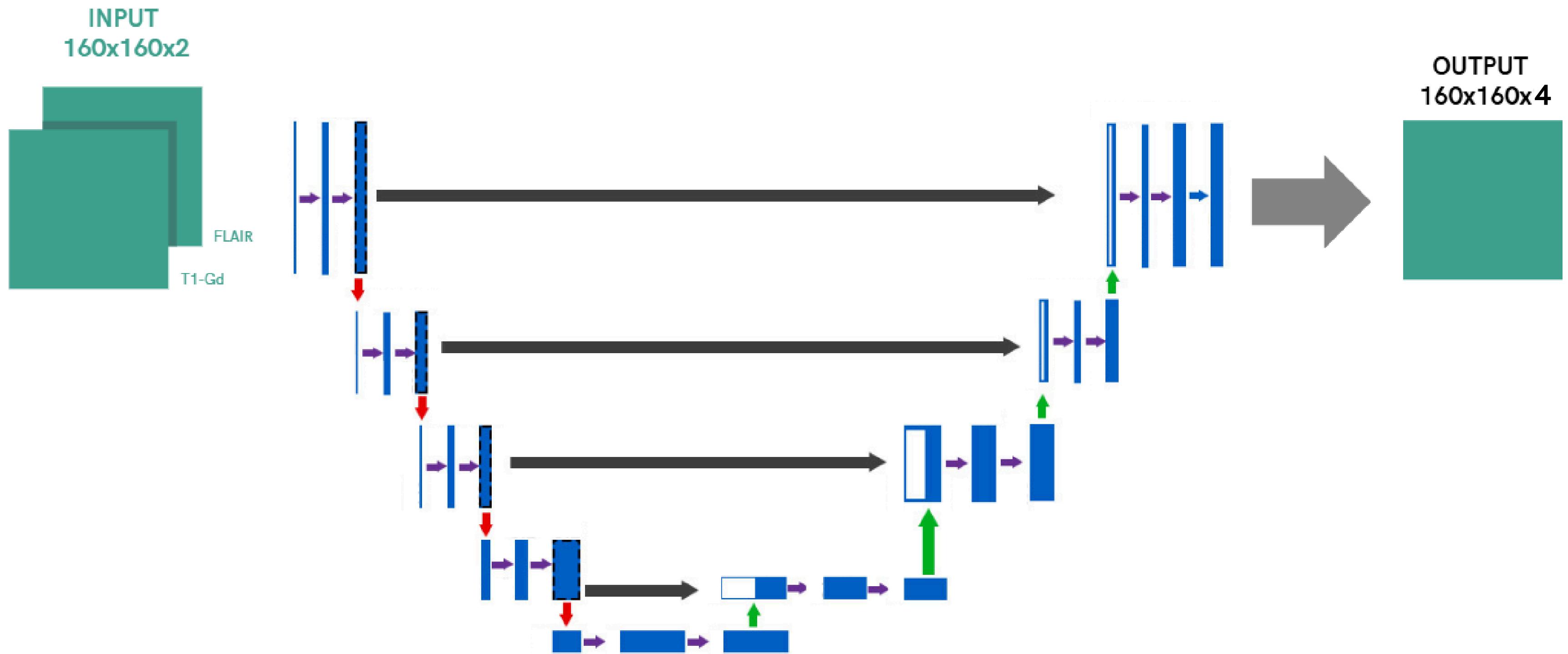
- **Metrics**

As our metric, we chose **Intersection over Union (IoU)**.

- **IoU**, used in image segmentation tasks, computes the ratio between the area of overlap and the area of union between the predicted segmentation and the ground truth, providing a robust measure of how well the model segments each class.

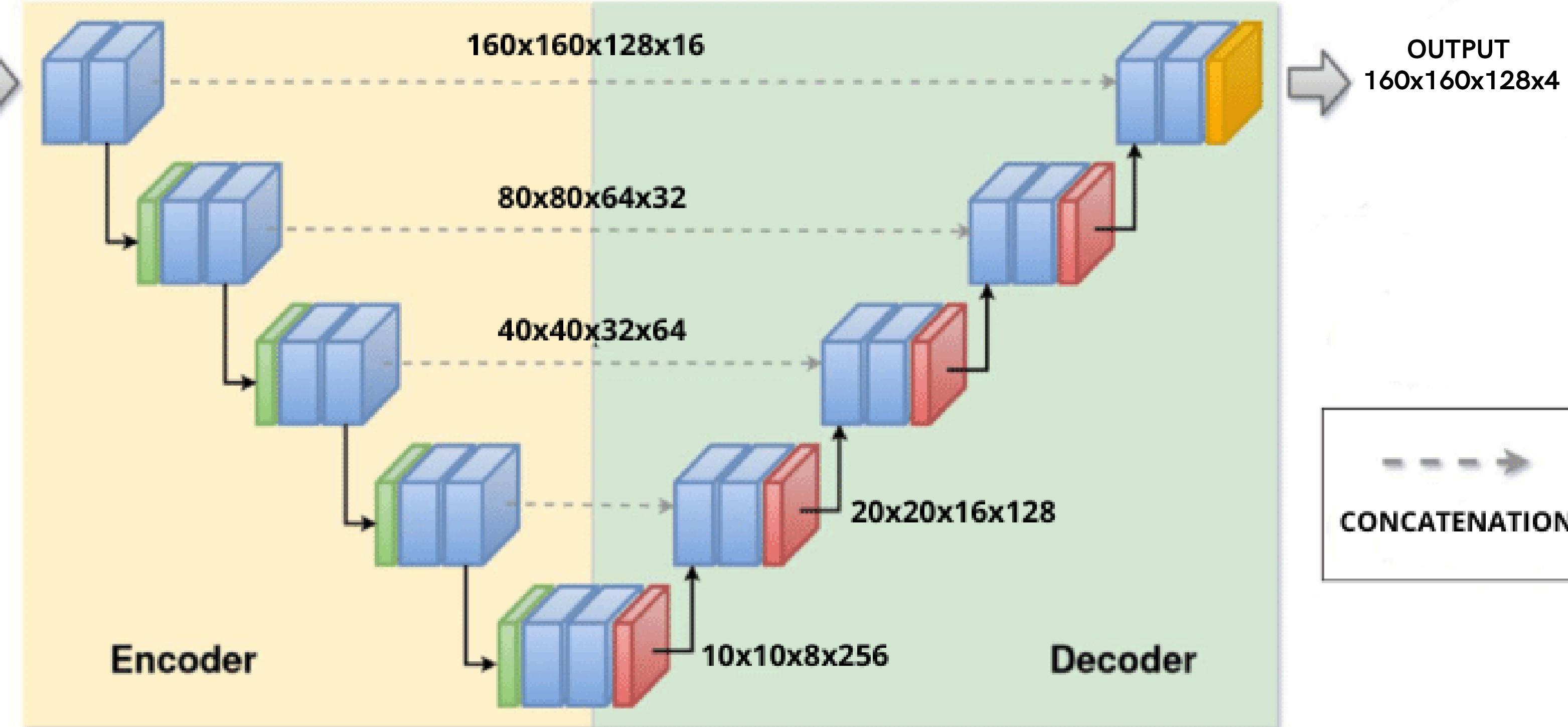
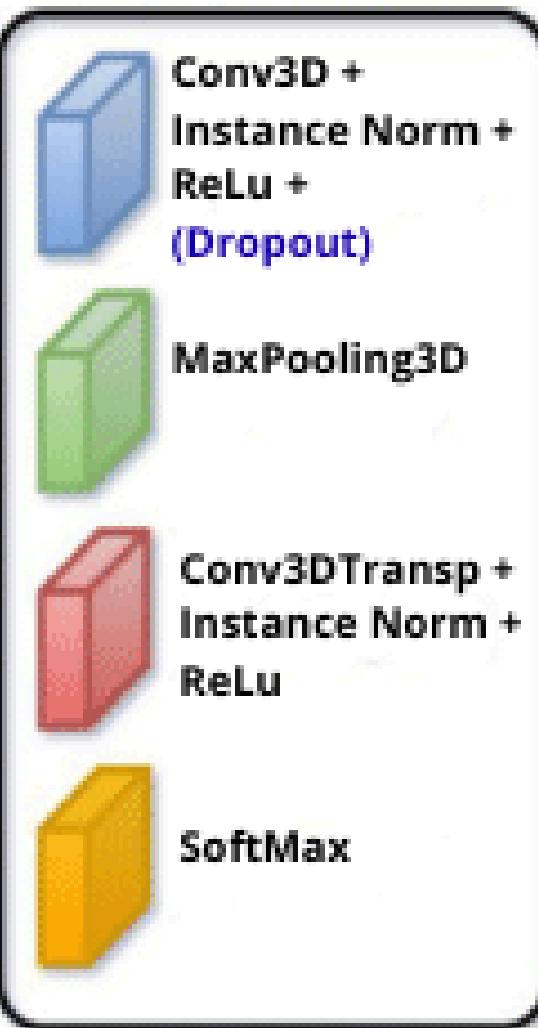
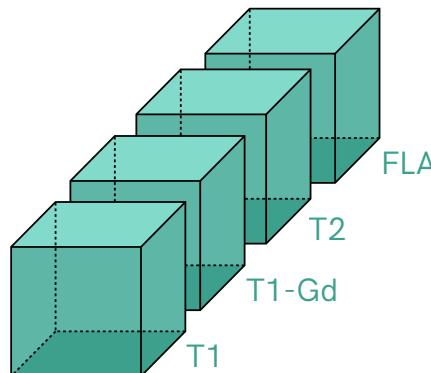
We chose this metric also because it is widely used in the deep learning literature regarding image segmentation tasks, allowing us to compare our model's performance more directly with results from other studies.

2D Net



3D Net

INPUT
160x160x128x4

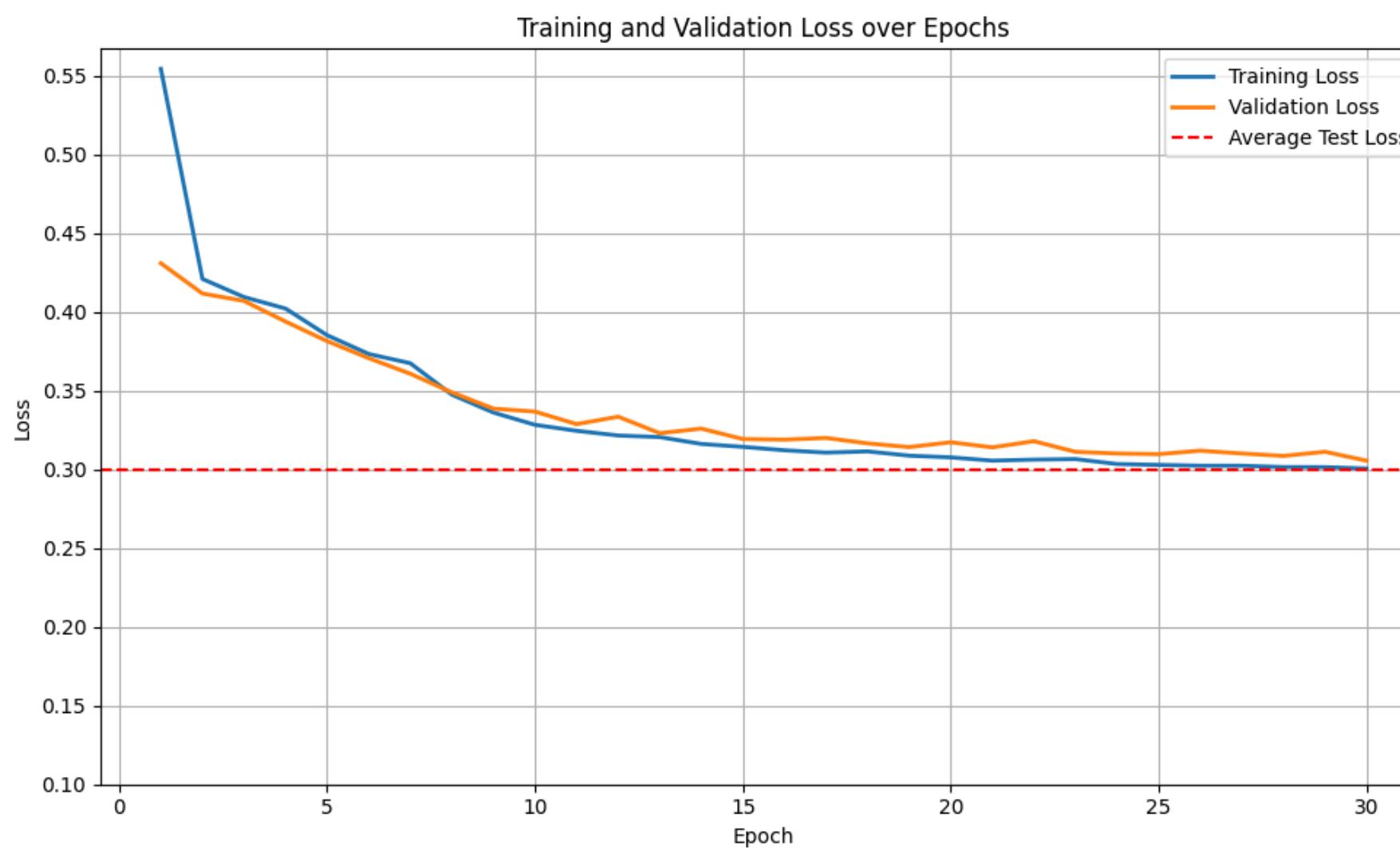


Evaluation & Comparison

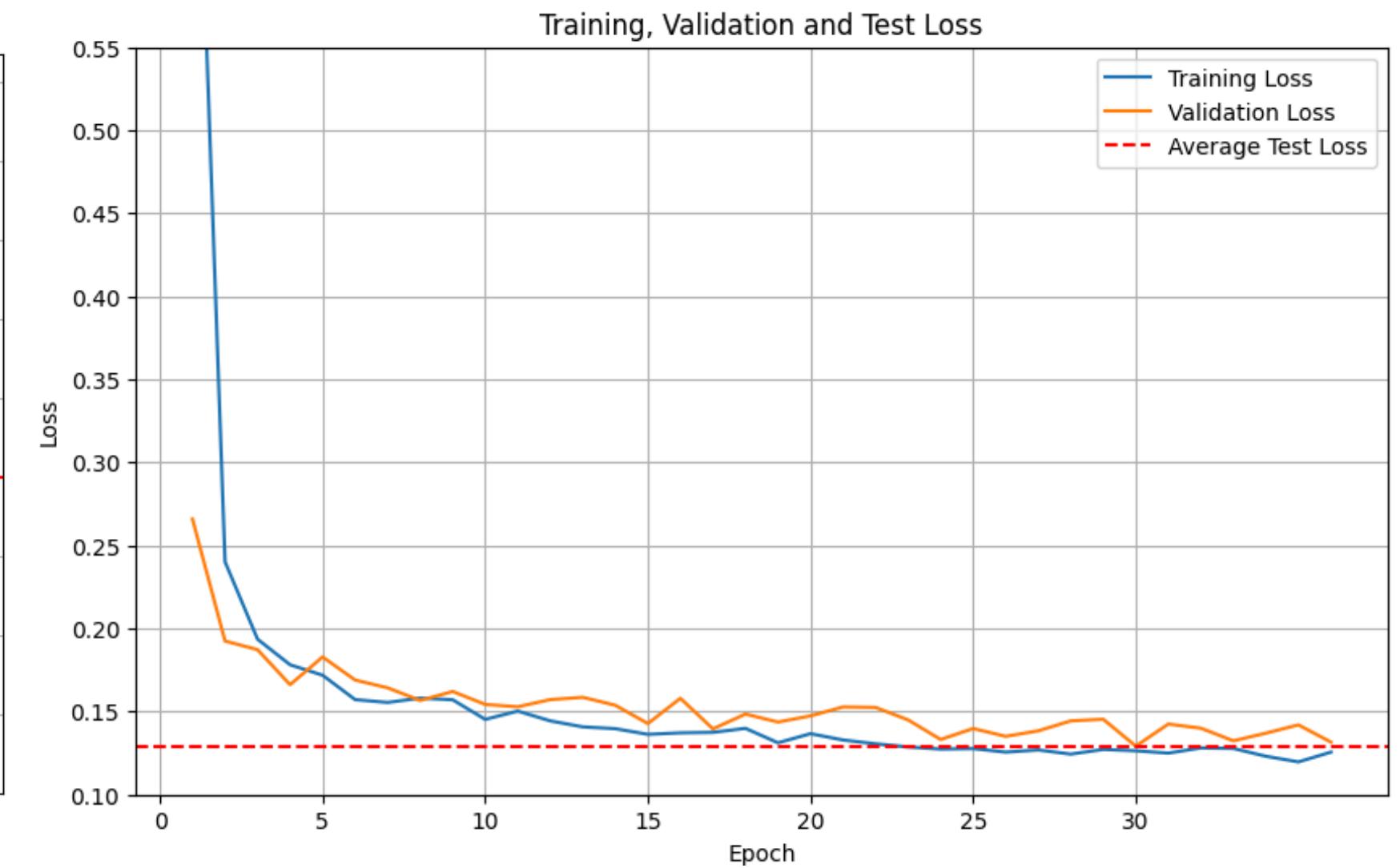
	2D Net	3D Net
Total Params	1,962,532	5,649,652
Batch Size	144	2
Learning Rate	0.001	0.0001
Weight Initializer	None	He Uniform
MRI Channels Kept	2	4

Evaluation & Comparison

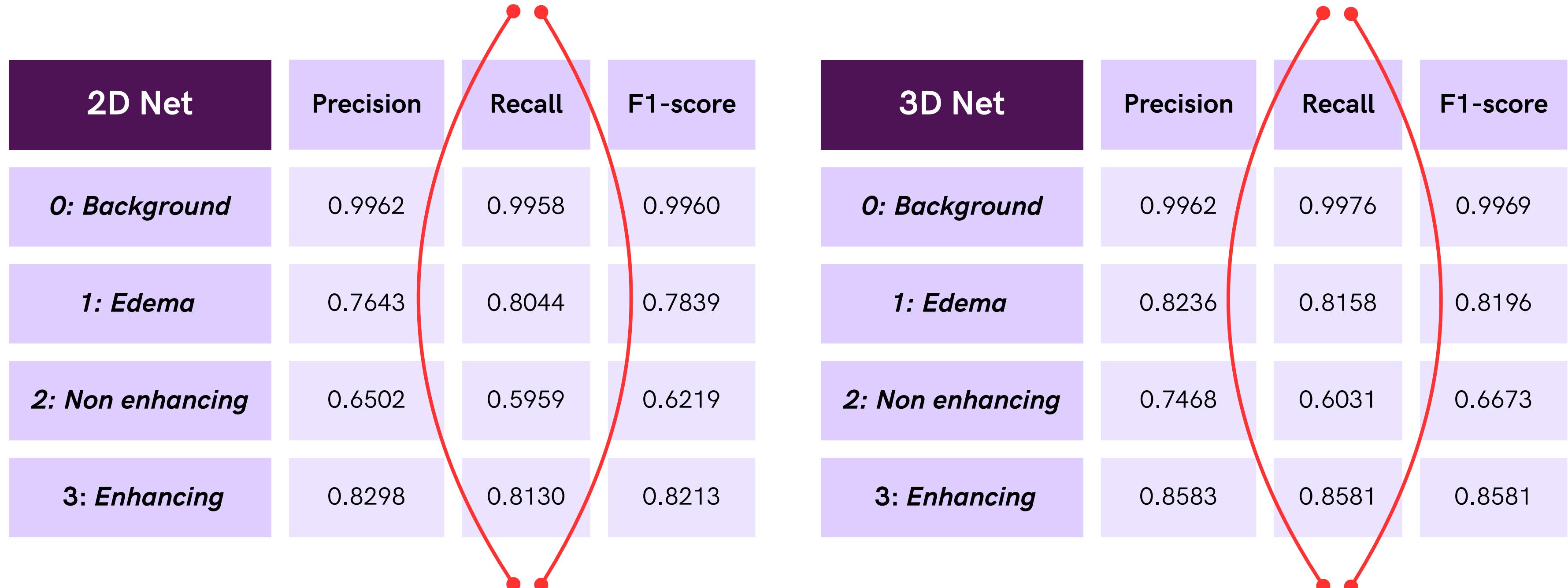
2D Net



3D Net

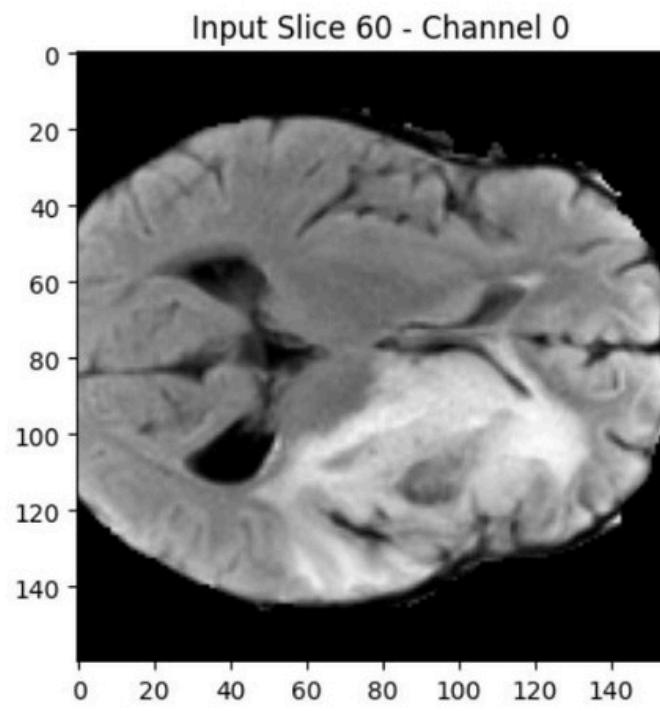


Evaluation & Comparison

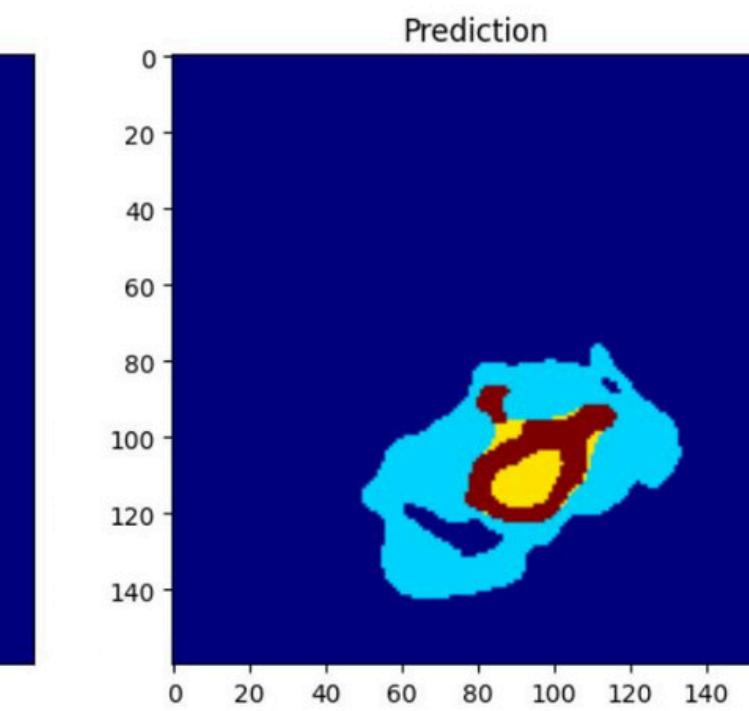
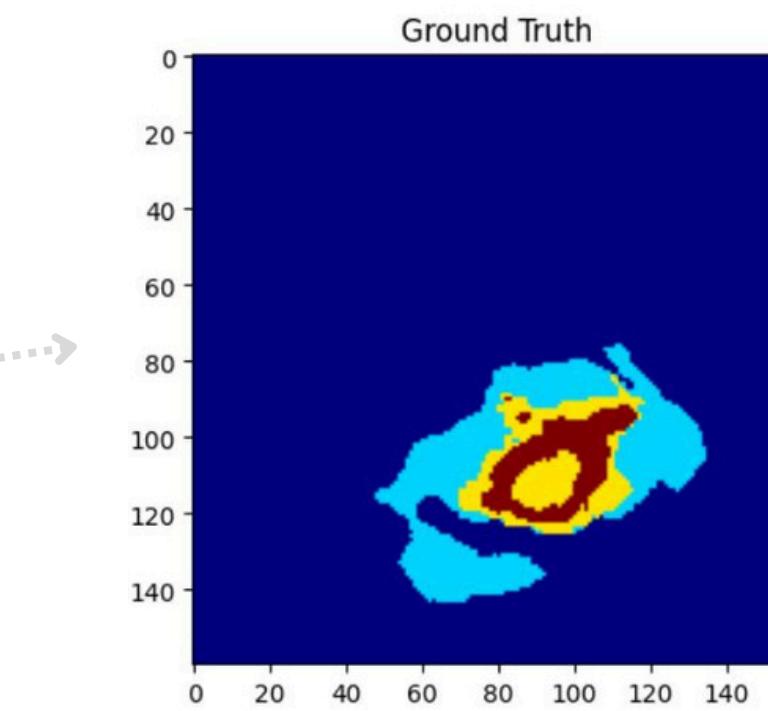


Recall = TP / (TP+FN)

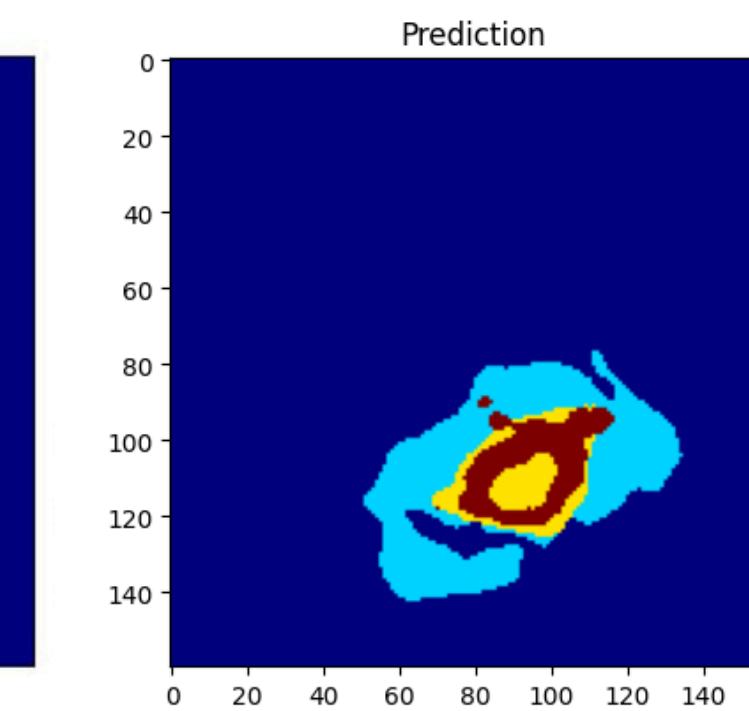
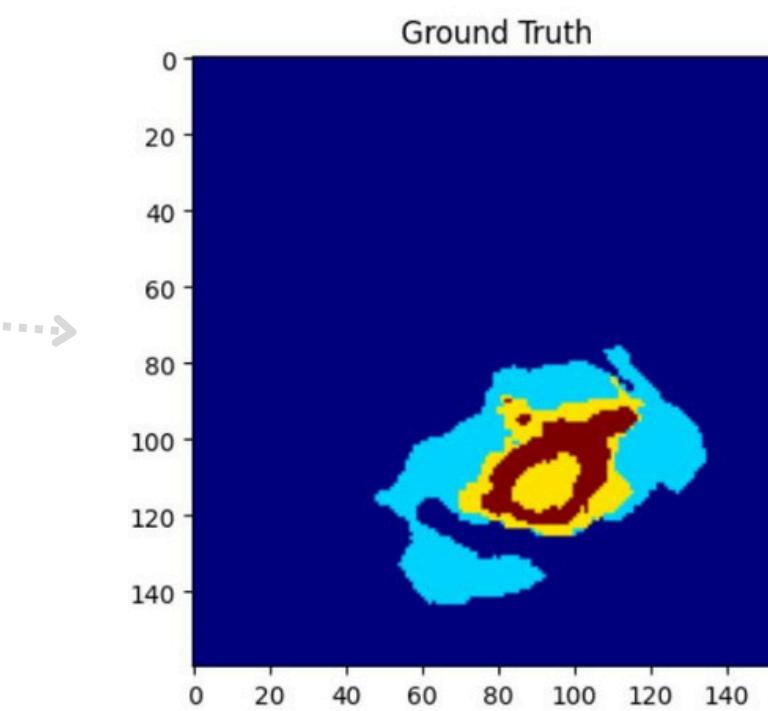
Evaluation & Comparison



2D Net



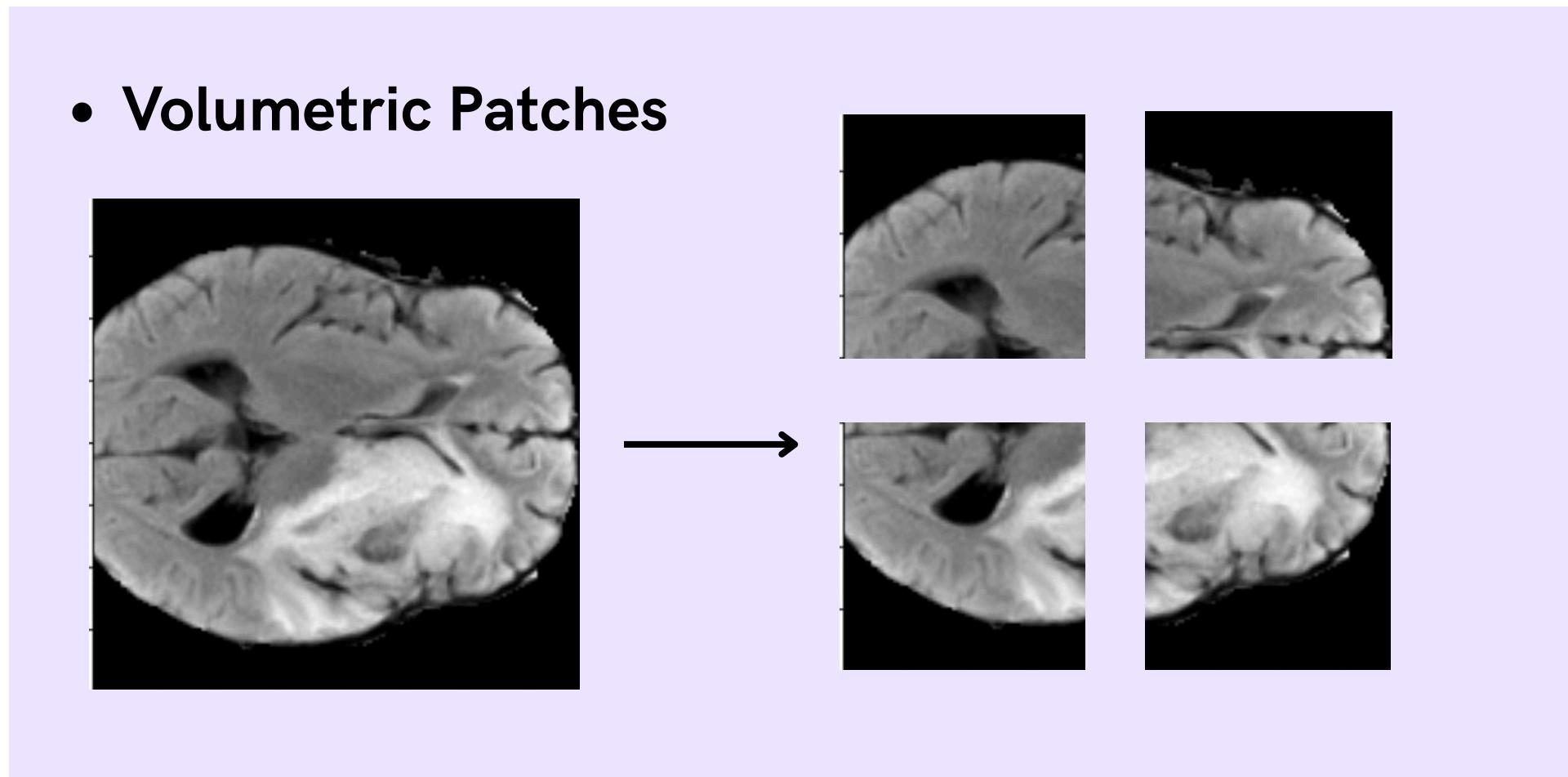
3D Net



04

Further Improvements

- **Volumetric Patches**



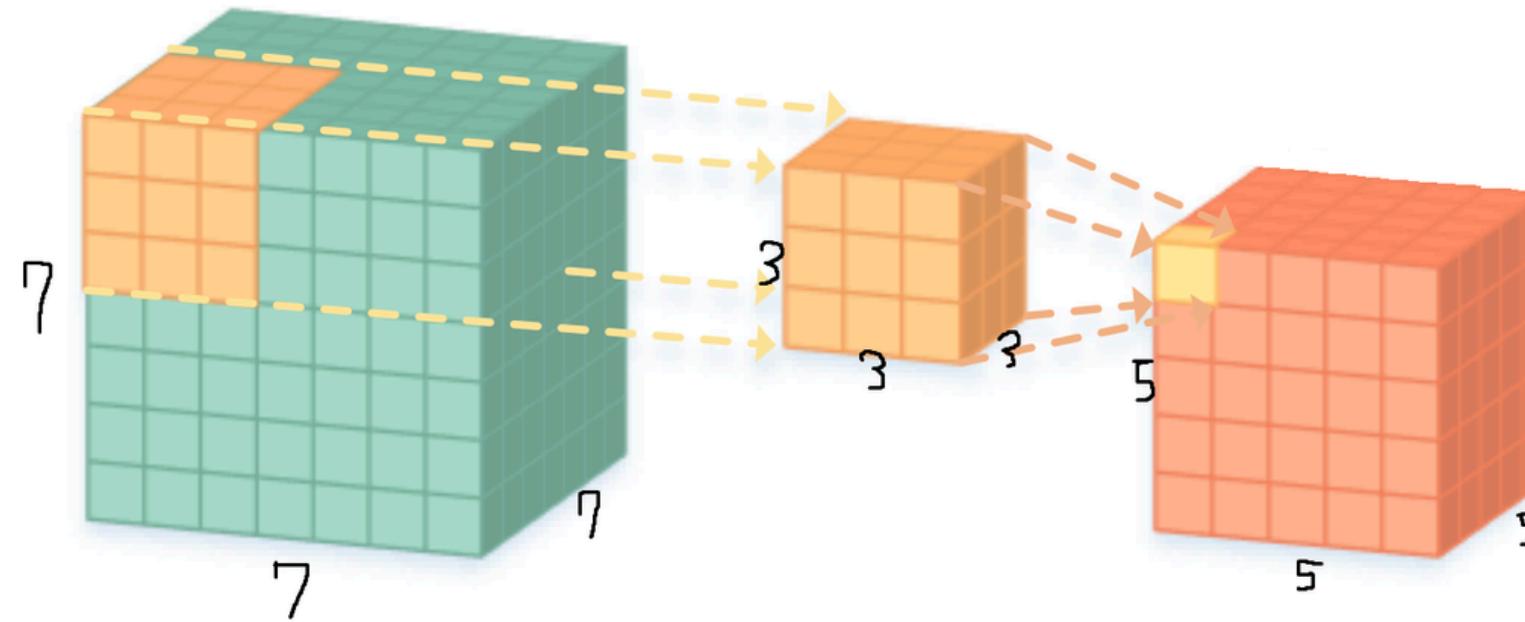
- **Attention U-Net**

- **Test** our model with the discarded “**only background**” samples to simulate a more realistic scenario

Thanks
for your
attention!

CONV-3D

- For each dimension: **output = (input - k + 2p)/s + 1**



$$\begin{aligned} \text{output} &= (\text{input} - k + 2p)/s + 1 \\ &\Leftrightarrow \\ \text{considering } p=0, s=1, \\ 5 &= (7-3+0)/1 + 1 \end{aligned}$$

- To maintain the same dimensionality between input and output:

$$\begin{aligned} \text{solve } \{\text{output} &= (\text{input} - k + 2p)/s + 1 \\ \{\text{input} &= \text{output} \end{aligned}$$

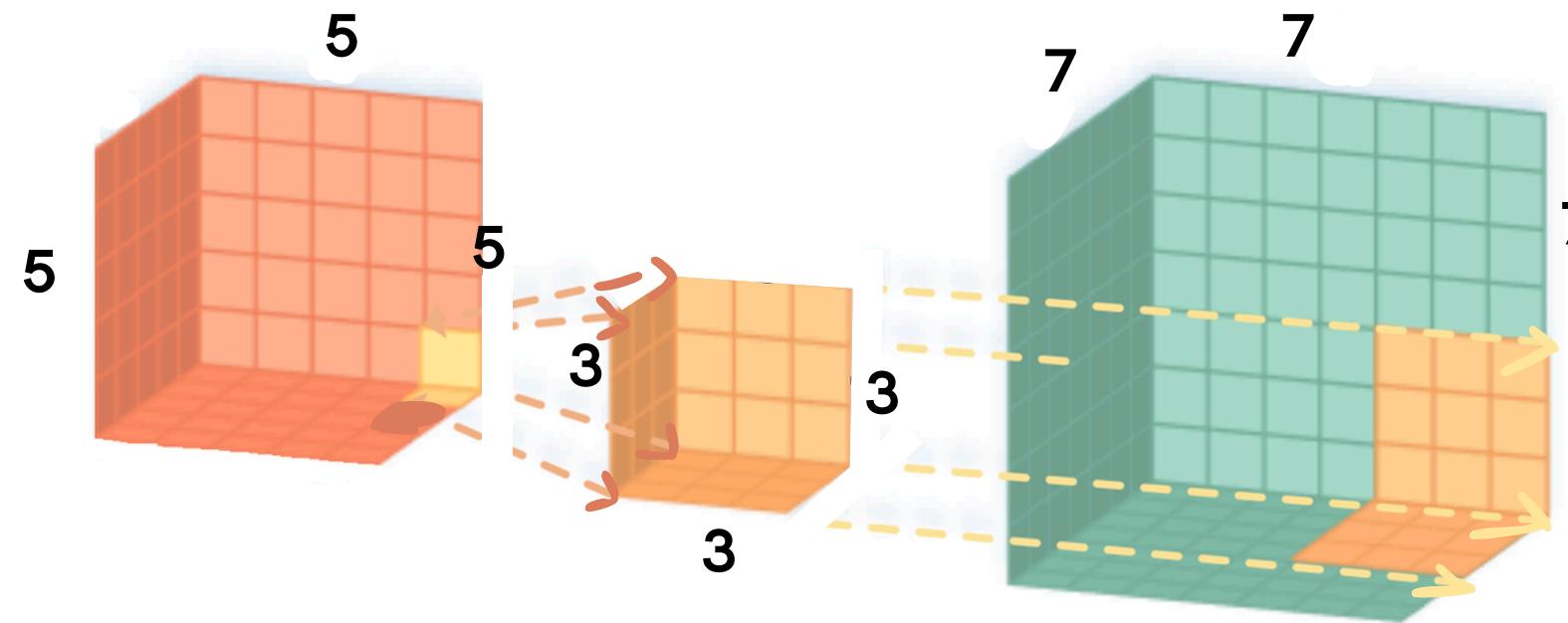
with respect to p

$$0 = -3 + 2p + 1 \Leftrightarrow p = 1$$

the new input would be 9x9x9

CONV-3D-TRANSPOSE

- For each dimension: **output = (input - 1)*s + k - 2p**



$$\begin{aligned} \text{output} &= (\text{input} - 1)*s + k - 2p \\ &<=> \\ \text{considering } p=0, s=1, \\ 7 &= (5-1)*1+3-0 \end{aligned}$$

- Oss
stride = 1 but stride != kernel size
means **overlapping**: values are summed