i-Algebra: Towards Interactive Interpretability of Deep Neural Networks Zhang et al. AAAI 2021.

WKD, Hubert Baniecki, 07.2021

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The Thirty-Fifth AAAI Conference on Artificial Intelligence (AAAI-21)

i-Algebra: Towards Interactive Interpretability of Deep Neural Networks

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ICML 2021 Workshop on

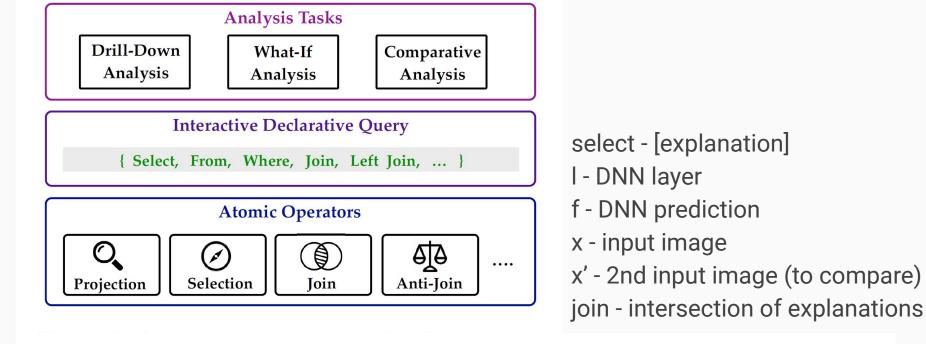
Theoretic Foundation, Criticism, and Application Trend of Explainable AI

Interactive DNN Analysis

- 1. Single static explanations are impractical
- 2. "The answer to one question may trigger follow-up questions"
- 3. Interactive human-model language
- 4. Evaluate its usefulness on user-studies (solve tasks with interpretability)

- How does the feature importance change if some other features are present/absent?
- How does the feature importance evolve over different stages of the DNN model?
- What are the common features of two inputs that lead to their similar predictions?
- What are the discriminative features of two inputs that result in their different predictions?

i-Algebra framework



select 1 from f(x) left join (select 1 from f(x'))

$SHP \rightarrow Shapley Values$

Lundberg & Lee. A Unified Approach to Interpreting Model Predictions. NeurlPS, 2017.

Ancona et al. Explaining Deep Neural Networks with a Polynomial Time Algorithm for Shapley Value Approximation. ICML. 2019.

$$2^N \rightarrow N^2$$

Algorithm 1 Deep Shapley algorithm (dense layers only)

- 1: **Input:** input x, coalitions sizes $k_1, ..., k_K$, first layer weights w, LPN without first linear layer \hat{f}_c
- 2: Initialize result vector \mathbf{R}^c at zero
- 3: **for** i = 1, ..., N **do**
- for $k = k_1, ..., k_K$ do
- $\bar{\mathbf{x}} = \mathbf{x}$
- $\mathbf{\bar{x}}[i] = 0$
- // Compute statistics of features excluding i
- $\mu = \frac{1}{N-1}(\mathbf{W}\bar{\mathbf{x}})$
- 9: $\sigma^2 = \frac{1}{N-1} (\mathbf{W}^2 \bar{\mathbf{x}}^2) \mu^2$

In other previous works, the baseline value is sampled from the training set or a prior "rrent coalition size distribution [11, 2, 8]. Unfortunately, this approach is extremely slow.

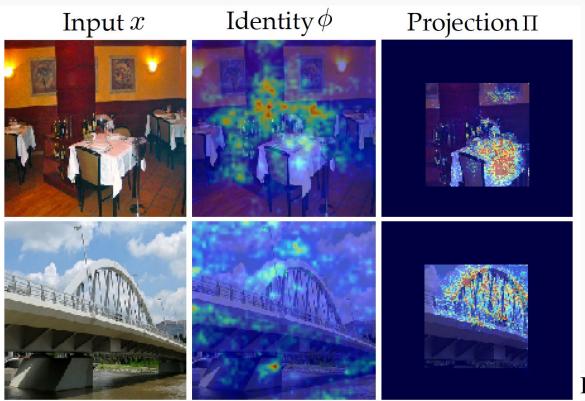
Instead, most literature on attribution methods for DNNs suggests the use a fixed baseline value. In this case, zero is the canonical choice [12, 15, 9]. Notice that Gradient × Input and LRP can also be interpreted as using a zero baseline implicitly. One possible justification ,2) relies on the observation that in network that implements a chain of operations of the relies on the observation that in network that implements a chain of operations of the form $x_i^{(1)} = \sigma(\sum_i (w_{ij}x_i) + b_j)$, the all-zero input is somehow neutral to the output (ie. contribution of i to coalitions $\forall c \in C : R_c(\mathbf{0}) \approx 0$). In fact, if all additive biases b_i in the network are zero and we only allow nonlinearities that cross the origin (e.g. ReLU or Tanh), the output for a zero input $\bar{\mu}^{(l)} - \mu^{(l)}$) is exactly zero for all classes. Empirically, the output is often near zero even when biases have different values, which makes the choice of zero for the baseline reasonable, although arbitrary.

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tions up to the output layer

napley values \mathbf{R}^c

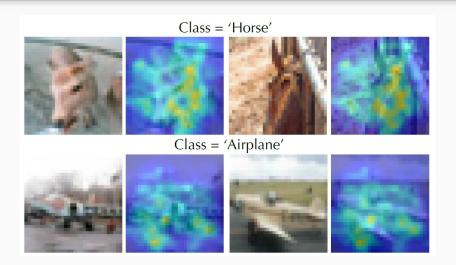
Identity & Projection



$$[\phi(x)]_i = rac{1}{d} \sum_{k=0}^{d-1} \mathbb{E}_{I_k} [f(x_{I_k \cup \{i\}}) - f(x_{I_k})]$$

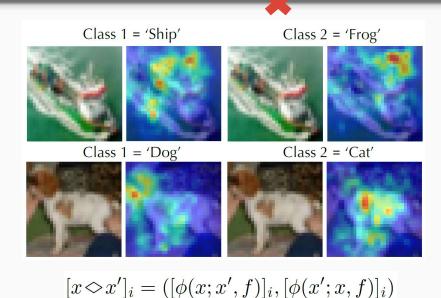
$$[\Pi_w(x)]_i = \begin{cases} \frac{1}{|w|} \sum_{k=0}^{|w|-1} \mathbb{E}_{I_k} [f(x_{I_k \cup \{i\}}) - f(x_{I_k})] & i \in w \\ 0 & i \notin w \end{cases}$$

ImageNet and ResNet50



 $[x \bowtie x']_i = \epsilon \cdot [\phi(x; \bar{x}, f)]_i + (1 - \epsilon) \cdot [\phi(x'; \bar{x}, f)]_i$

CIFAR10 and VGG19



Note that the anti-join operator is extensible to the case of the same input x but different models f and f'. Specifically, to compute x's features that discriminate f(x) from f'(x),

```
select 1 from f(x) where w
select * from f(x)
                                             - the composition of selection and projection \Pi_w \sigma_l(x).
– the identity operator \phi(x).
                                             select 1 from f(x) join (select 1 from f(x'))
                                             - the composition of join and selection \sigma_l(x) \bowtie \sigma_l(x').
select * from f(x) where w
- the projection operator \Pi_w(x).
select 1 from f(x)
– the selection operator \sigma_l(x).
select * from f(x) join (select * from f(x'))
- the join operator x \bowtie x'.
select * from f(x) left join (select * from f(x'))
- the anti-join operator x \Leftrightarrow x'.
```

Interactive Analysis

Drill-Down Analysis – Here the user applies a <u>sequence</u> of projection and/or selection to investigate how the DNN model f classifies a given input x at different granularities of x and at different stages of f. This analysis helps answer important questions such as: (i) how does the importance of x's features evolve through different stages of f? (ii) which parts of x are likely to be the cause of its misclassification? (iii) which stages of f do not function as expected?

What-If Analysis

Comparative Analysis – In a comparative analysis, the user applies a combination of join and/or anti-join operators on the target input x and a set of reference inputs \mathcal{X} to compare how the DNN f processes x and $x' \in \mathcal{X}$. This analysis helps answer important questions, including: (i) from f's view, why are x and $x' \in \mathcal{X}$ similar or different? (ii) does f indeed find the discriminative features of x and $x' \in \mathcal{X}$? (iii) if x is misclassified into the class of x', which parts of x are likely to be the cause?

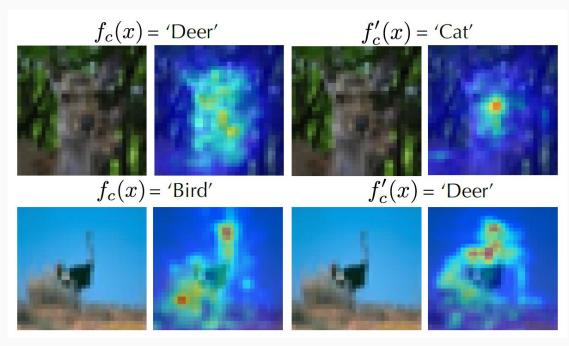
Empirical Evaluation

- RQ1: Versatility Does i-Algebra effectively support a range of analysis tasks?
- RQ2: Effectiveness Does it significantly improve the analysis efficacy in such tasks?
- RQ3: Usability Does it provide intuitive, user-friendly interfaces for analysts?

We conduct user studies on the Amazon MTurk platform, in which each task involves 1,250 assignments conducted by 50 qualified workers. We apply the following quality control: (i) the users are instructed about the task goals and declarative queries, and (ii) the tasks are set as small batches to reduce bias and exhaustion.

Case A: Resolving Model Inconsistency

Two models with divergent predictions

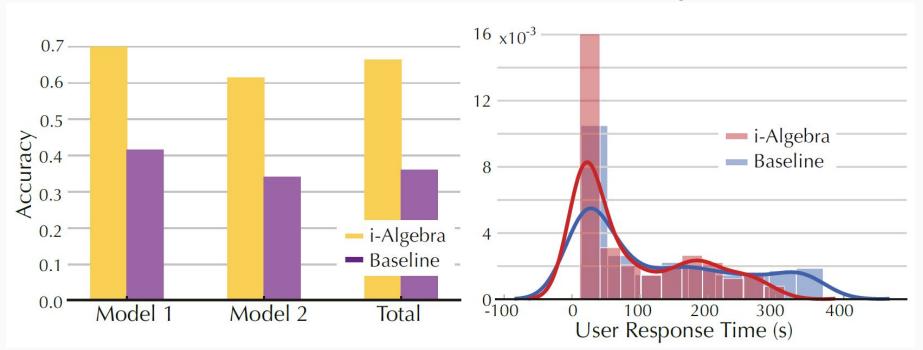


 $\textbf{select} \ * \ \textbf{from} \ f(x) \ \textbf{left join} \ (\textbf{select} \ * \ \textbf{from} \ f'(x))$

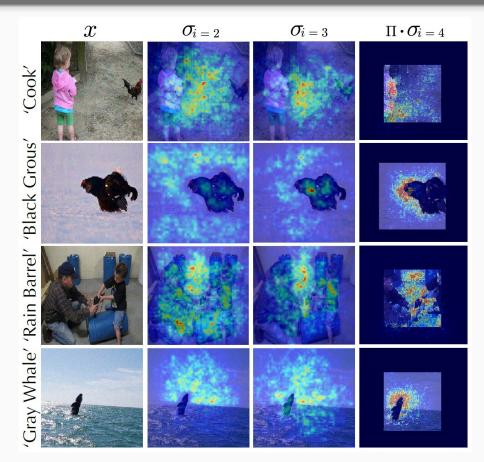
Case A: Resolving Model Inconsistency



baseline - explanation i-Algebra - Anti-Join



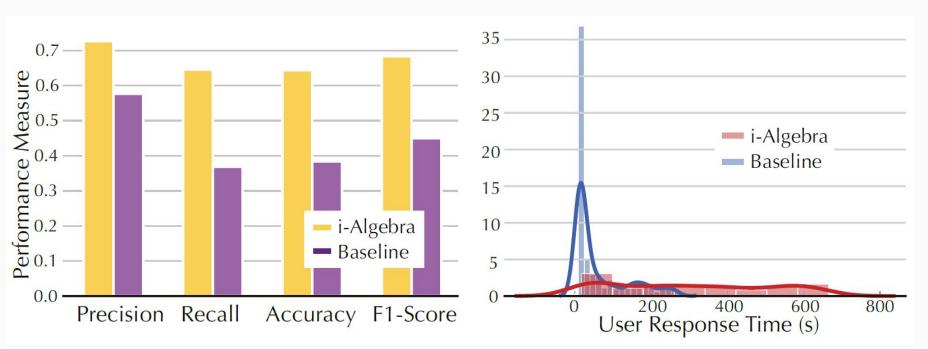
Case B: Detecting Adversarial Inputs



select 1 from f(x) where W

Case B: Detecting Adversarial Inputs





Case C: Cleansing Poisoning Data



Figure 11: Sample trigger inputs misclassified as "deer".

Prediction	Ground-truth	
	+	-
+	48	654
_	399	3574

Table 1: Statistics of samples in Case C.

select 1 from f(x)

Case C: Cleansing Poisoning Data

Precision	Recall	Accuracy	F1-Score
0.609	0.6343	0.586	0.622

baseline - ?????? i-Algebra - Selection

Table 2: Users' performance under i-Algebra in Case C.

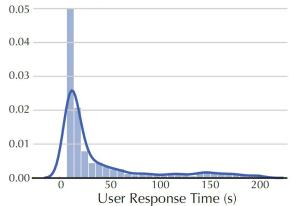


Figure 12: URT distribution in Case C.

Conclusion

This work promotes a paradigm shift from *static* interpretation to *interactive* interpretation of DNNs, which significantly improves the usability of existing interpretation models in practice. We design and prototype i-Algebra, a first-of-its-kind interactive framework for DNN interpretation. The extensive studies in three representative analysis tasks all demonstrate the promising usability of i-Algebra.