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Assignment	After Mid Home Task 1

After Mids Home Work 1

Part 1: Semaphore theory

- 1. A counting semaphore is initialized to 7. If 10 wait() and 4 signal() operations are performed, find the final value of the semaphore.**

Answer:

Let the semaphore be represented as keys. The semaphore starts at 7, which means 7 keys are available.

- Each wait () operation takes 1 key, so 10 wait() operations mean -10 keys.
- Each signal () operation returns 1 key, so 4 signal() operations mean +4 keys.

So, Final value=Initial keys-keys taken+keys returned = $7-10+4=1$

Final semaphore value is 1.

- 2. A semaphore starts with value 3. If 5 wait() and 6 signal() operations occur, calculate the resulting semaphore value.**

Answer:

Let the semaphore be represented as keys.

- The semaphore starts with **3 keys**.
- Each **wait () operation takes 1 key**, so **5 wait () operations mean -5 keys**.
- Each **signal () operation returns 1 key**, so **6 signal () operations mean +6 keys**.

Now combine everything: Final value= $3-5+6=4$

The resulting semaphore value is 4.

- 3. A semaphore is initialized to 0. If 8 signal() followed by 3 wait() operations are executed, find the final value.**

Answer:

Let the semaphore be represented as keys.

- The semaphore starts at 0, which means no keys are available.
- Each signal() operation adds 1 key, so 8 signal() operations add +8 keys.
- Each wait() operation takes 1 key, so 3 wait() operations take -3 keys.

Now combine everything: Final value= $0+8-3=5$

The final semaphore value is 5.

- 4. A semaphore is initialized to 2. If 5 wait() operations are executed: a) How many processes enter the critical section? b) How many processes are blocked?**

Answer:

Let the semaphore be represented as keys.

- The semaphore starts with 2 keys, meaning 2 processes can enter the critical section.
- The first 2 wait() operations get the keys and enter.
- The remaining 3 wait() operations find no keys available, so they must wait (blocked).

- A) Number of processes that enter the critical section: 2
B) Number of processes that are blocked: 3

- 5. A semaphore starts at 1. If 3 wait() and 1 signal() operations are performed: a) How many processes remain blocked? b) What is the final semaphore value?**

Answer:

The semaphore starts with 1 key, meaning 1 process can enter the critical section.

- The first wait () operation takes the key , Process 1 enters.
- The next 2 wait () operations find no keys available ,Processes 2 and 3 are blocked.
- Then 1 signal () operation returns a key ,Process 2 gets the key and enters.
- So 3rd process remains blocked.

- A) Processes that remain blocked: 1 (Process 3)
B) Final semaphore value: -1.

- 6. Semaphore S = 3; wait(S); wait(S); signal(S); wait(S); wait(S); a) How many processes enter the critical section? b) What is the final value of S?**

Answer:

Semaphore starts with 3 keys, meaning 3 processes can enter.

1. First wait(S):

Process 1 takes 1 key so,

$$S = 3 - 1 = 2$$

- Process 1 enters

2. Second wait(S):

- Process 2 takes 1 key so,

$$S = 2 - 1 = 1$$

- Process 2 enters
- signal(S):
- A key is returned so ,

$$S = 1 + 1 = 2 \text{ (increased by 1)}$$

3. Third wait(S):

Process 3 takes 1 key so

$$S = 2 - 1 = 1$$

- Process 3 enters
- 4. Fourth wait(S):

Process 4 takes 1 key so

$$S = 1 - 1 = 0$$

- Process 4 enters

- a) Processes that enter the critical section: 4
- b) Final value of S: 0

7. Semaphore S = 1; wait(S); wait(S); signal(S); signal(S); a) How many processes are blocked? b) What is the final value of S?

Answer:

Semaphore starts with 1 key, meaning 1 process can enter.

1. First wait(S):

Process 1 takes 1 key so ,

$$S = 1 - 1 = 0$$

- Process 1 enters

2. Second wait(S):

Process 2 tries to take a key so, no key available

- Process 2 is blocked so, $S = 0 - 1 = -1$
-

3. First signal(S):

- A key is returned
- Blocked process 2 gets the key and enters so, $S = -1 + 1 = 0$

4. Second signal(S):

- The key is returned so,
- $S = 0 + 1 = 1$

a) Processes that were blocked: 1 (Process 2)

b) Final value of S: 1

8. A binary semaphore is initialized to 1. Five wait() operations are executed without any signal(). How many processes enter the critical section and how many are blocked?

Answer:

Binary semaphore = 1 key, meaning only 1 process can enter at a time.

1. First wait ():

Process 1 takes the key so , enters the critical section

Semaphore value = 1-1=0

2. Next 4 wait ():

No key is available

Processes 2, 3, 4, 5 are blocked

9. A counting semaphore is initialized to 4. If 6 processes execute wait() simultaneously, how many proceed and how many are blocked?

Answer:

Semaphore = 4 keys, meaning 4 processes can enter the critical section at the same time.

1. First 4 processes take the keys so , enter the critical section

Semaphore value = 0

2. Remaining 2 processes try to enter so , no keys available

They are blocked

- Processes that proceed: 4
- Processes that are blocked: 2

10. A semaphore S is initialized to 2. wait(S); wait(S); wait(S); signal(S); signal(S); wait(S); a) Track the semaphore value after each operation. b) How many processes were blocked at any time?

Answer:

wait(S) → Process 1

- Process 1 takes 1 key
- Semaphore value = $2 - 1 = 1$
- Process 1 enters the critical section

wait(S) → Process 2

- Process 2 takes 1 key
- Semaphore value = $1 - 1 = 0$
- Process 2 enters the critical section

wait(S) → Process 3

- No keys left ($S = 0$)
- Process 3 blocked
- Semaphore value = $0 - 1 = -1$

signal(S) → A key returned

- Key is returned
- Process 3 wakes up and takes the key
- Semaphore value = $-1 + 1 = 0$

signal(S) → Another key returned

- No one is waiting now
- Semaphore value = $0 + 1 = 1$

wait(S) → Process 4

- Process 4 takes 1 key

- Semaphore value = $1 - 1 = 0$
 - Process 4 enters the critical section
- a) Semaphore values after each step: **$2 \rightarrow 1 \rightarrow 0 \rightarrow -1 \rightarrow 0 \rightarrow 1 \rightarrow 0$**
 b) Processes blocked at any time: 1 (Process 3).

11. A semaphore is initialized to 0. Three processes execute wait() before any signal(). Later, 5 signal() operations are executed. a) How many processes wake up? b) What is the final semaphore value?

Answer:

Semaphore starts at 0 keys, meaning no process can enter yet.

3 wait() operations

- Process 1 does wait() so, no key available and P1 is blocked :
 $S = -1$
- Process 2 does wait() so , no key available and P2 is blocked:
 $S = -2$
- Process 3 does wait() so ,no key available and P3 is blocked:
 $S = -3$

All 3 processes are now blocked.

5 signal() operations

Each signal() adds 1 to the semaphore:

1. Signal 1 : wakes Process 1 so :

$$S = -3 + 1 = -2$$

2. Signal 2 : wakes Process 2 so :

$$S = -2 + 1 = -1$$

3. Signal 3 : wakes Process 3 so :

$$S = -1 + 1 = 0$$

After this, all blocked processes are awake, and $S = 0$, so next two are available now

4. Signal 4 → $S = 1$

5. Signal 5 → $S = 1 + 1 = 2$

a) Processes that wake up: 3 (all initially blocked processes)

b) Final semaphore value: 2 (2 keys available for future processes)

(Part 2: Semaphore Coding)

Consider the Producer–Consumer problem using semaphores as implemented in Lab-10 (Lab-plan attached). Rewrite the program in your own coding style, compile and execute it successfully, and explain the working of the code in your own words.

Submission Requirements:

- Your rewritten source code
- A brief description of how the code works
- Screenshots of the program output showing successful execution

Code:

```
#include <stdio.h>
#include <stdlib.h>
#include <pthread.h>
#include <semaphore.h>
#include <unistd.h>

#define BUFFER_SIZE 5

int buffer[BUFFER_SIZE];
int in = 0;
int out = 0;

sem_t empty;
sem_t full;
pthread_mutex_t mutex;

// Producer
void *producer(void *arg)
{
    int id = *(int *)arg;

    for (int i = 0; i < 3; i++)
    {
        int item = id * 100 + i;

        sem_wait(&empty);
        pthread_mutex_lock(&mutex);
```

```

buffer[in] = item;
printf("Producer %d produced item %d at position %d\n", id, item, in);
in = (in + 1) % BUFFER_SIZE;

pthread_mutex_unlock(&mutex);
sem_post(&full);

sleep(1);
}
return NULL;
}

// Consumer
void *consumer(void *arg)
{
    int id = *(int *)arg;

    for (int i = 0; i < 3; i++)
    {
        sem_wait(&full);
        pthread_mutex_lock(&mutex);

        int item = buffer[out];
        printf("Consumer %d consumed item %d from position %d\n", id, item, out);
        out = (out + 1) % BUFFER_SIZE;

        pthread_mutex_unlock(&mutex);
        sem_post(&empty);

        sleep(2);
    }
    return NULL;
}

int main()
{
    pthread_t prod[2], cons[2];
    int ids[2] = {1, 2};

    sem_init(&empty, 0, BUFFER_SIZE);
    sem_init(&full, 0, 0);
    pthread_mutex_init(&mutex, NULL);
}

```

```

for (int i = 0; i < 2; i++)
{
    pthread_create(&prod[i], NULL, producer, &ids[i]);
    pthread_create(&cons[i], NULL, consumer, &ids[i]);
}

for (int i = 0; i < 2; i++)
{
    pthread_join(prod[i], NULL);
    pthread_join(cons[i], NULL);
}

sem_destroy(&empty);
sem_destroy(&full);
pthread_mutex_destroy(&mutex);

return 0;
}

```

Output Screenshot:

PROBLEMS OUTPUT TERMINAL PORTS

- dawood@DESKTOP-V4SDVD9:~/Home work After Mids\$ gcc Task1.c -o task1.out
- dawood@DESKTOP-V4SDVD9:~/Home work After Mids\$./task1.out

```

Producer 1 produced item 100 at position 0
Consumer 1 consumed item 100 from position 0
Producer 2 produced item 200 at position 1
Consumer 2 consumed item 200 from position 1
Producer 1 produced item 101 at position 2
Producer 2 produced item 201 at position 3
Consumer 1 consumed item 101 from position 2
Consumer 2 consumed item 201 from position 3
Producer 1 produced item 102 at position 4
Producer 2 produced item 202 at position 0
Consumer 1 consumed item 102 from position 4
Consumer 2 consumed item 202 from position 0

```

dawood@DESKTOP-V4SDVD9:~/Home work After Mids\$ █

Remarks:

In this code, A buffer of size 5 is created to store items. Two indexes are used:

- in → position where producer puts an item
- out → position where consumer takes an item

Then, two semaphores are used:

- empty: keeps track of empty spaces in the buffer
- full: keeps track of filled spaces in the buffer

Now, A mutex is used to ensure that only one thread accesses the buffer at a time.

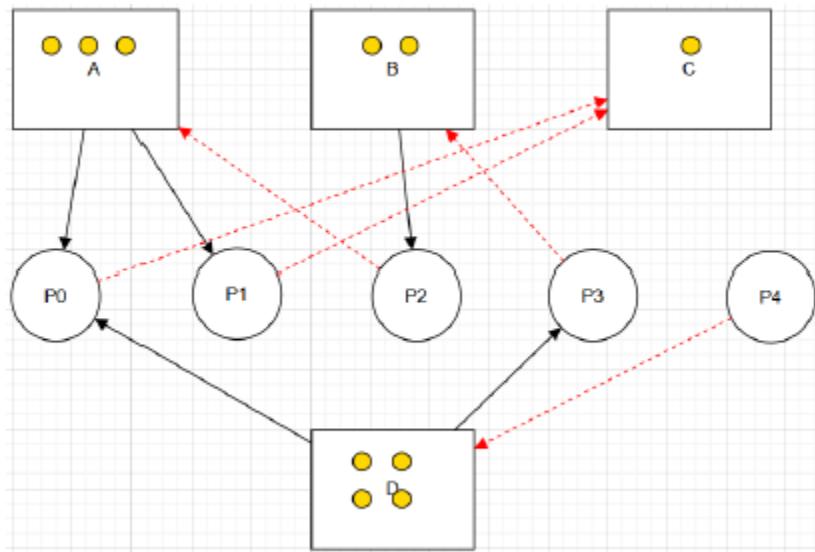
Also, I created Two producer threads and two consumer thread

Here Each producer produces 3 items and puts them into the buffer and Each consumer consumes 3 items from the buffer.

- Producers wait if the buffer is full.
- Consumers wait if the buffer is empty.

Part 3: RAG (Recourse Allocation Graph)

Convert the following graph into matrix table:



Answer:

a) Allocation Matrix

Process	A	B	C	D
P0	1	0	0	1
P1	1	0	0	0
P2	0	1	0	0
P3	0	0	0	1
P4	0	0	0	0

b) Request Matrix

Process	A	B	C	D
P0	0	0	1	0
P1	0	1	1	0
P2	1	0	1	0
P3	0	1	0	0
P4	0	0	0	1

c) Available Resource Vector.

$$A: 3 \text{ (total)} - 2 \text{ allocated} = 1 \text{ available}$$

$$B: 2 \text{ (total)} - 1 \text{ allocated} = 1 \text{ available}$$

$$C: 1 \text{ (total)} - 0 \text{ allocated} = 1 \text{ available}$$

$$D: 4 \text{ (total)} - 2 \text{ allocated} = 2 \text{ available}$$

Process:	A	B	C	D
Total Allocated:	2	1	0	2

Resource	A	B	C	D
Available	1	1	1	2

Part 4: Banker's Algorithm

System Description:

- The system comprises five processes (P0–P3) and four resources (A,B,C,D).
- Total Existing Resources:

Total				
	A	B	C	D
	6	4	4	2

- Snapshot at the initial time stage:

	Allocation				Max				Need			
	A	B	C	D	A	B	C	D	A	B	C	D
P0	2	0	1	1	3	2	1	1				
P1	1	1	0	0	1	2	0	2				
P2	1	0	1	0	3	2	1	0				
P3	0	1	0	1	2	1	0	1				

Questions:

1. **Compute the Available Vector:**

Calculate the available resources for each type of resource.

Answers:

Total Resources

$$A = 0, B = 4, C = 4, D = 2.$$

Available Matrix is total Allocated

A	$2 + 1 + 1 + 0 = 4$
B	$0 + 1 + 0 + 1 = 2$
C	$1 + 0 + 1 + 0 = 2$
D	$1 + 0 + 0 + 1 = 2.$

Total - Total Allocated

$$A: 6 - 4 = 2 \text{ left}$$

$$B: 4 - 2 = 2 \text{ left}$$

$$C: 4 - 2 = 2 \text{ left}$$

$$D: 2 - 2 = 0 \text{ left}$$

Available Vector: $[2, 2, 2, 0]$

2. Compute the Need Matrix

Determine the need matrix by subtracting the allocation matrix from the maximum matrix

Answer:

The need matrix is calculated
by using formula:
[Need = Max - Allocation.]

Process Max A B C D

Process	Max				Allocation				Need			
	A	B	C	D	A	B	C	D	A	B	C	D
P0	3	2	1	1	2	0	1	1	1	2	0	0
P1	1	2	0	2	1	1	0	0	0	1	0	2
P2	3	2	1	0	1	0	1	0	2	2	0	0
P3	2	1	0	1	0	1	0	1	-2	0	0	0

3. Safety Check:

- Determine if the current allocation state is safe. If so, provide a safe sequence of the processes.
- Show how the Available (working array) changes as each process terminates.

Answer:

To determine if the state is safe, we find a sequence where each process's need available. Once a process finishes, it releases its Allocation back to the Available pool.

Step	Process	Need [A, R, L, D]	Available Work	Can it run	New Available.
1	P0	[1, 2, 0, 0]	[2, 2, 2, 0]	Yes	$[2+2, 2, 0] + [2, 0, 1, 1] = [4, 2, 3, 1] \rightarrow \textcircled{1}$
2	P2	[2, 2, 0, 0]	[4, 2, 3, 1]	Yes	$[4, 2, 3, 1] + [1, 0, 1, 0] = [5, 2, 4, 1] \rightarrow \textcircled{2}$
3	P3	[2, 0, 0, 0]	[5, 2, 4, 1]	Yes	$[5, 2, 4, 1] + [0, 1, 0, 1] = [5, 3, 4, 2] \rightarrow \textcircled{3}$
4	P1	[0, 1, 0, 2]	[5, 3, 4, 2]	Yes	$[5, 3, 4, 2] + [1, 1, 0, 0] = [6, 4, 4, 2] \rightarrow \textcircled{4}$

Yes. Safe Sequence: {P0, P2, P3, P1}