

### Problem 32

NO, this is because that decreasing link cost won't cause a loop (caused by the next-hop relation of between two nodes of that link). Connecting two nodes with a link is equivalent to decreasing the link weight from infinite to the finite weight.

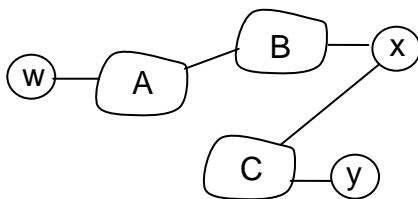
### Problem 35

Since full AS path information is available from an AS to a destination in BGP, loop detection is simple – if a BGP peer receives a route that contains its own AS number in the AS path, then using that route would result in a loop.

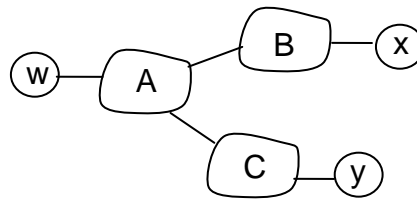
### Problem 37

- a) eBGP
- b) iBGP
- c) eBGP
- d) iBGP

### Problem 40



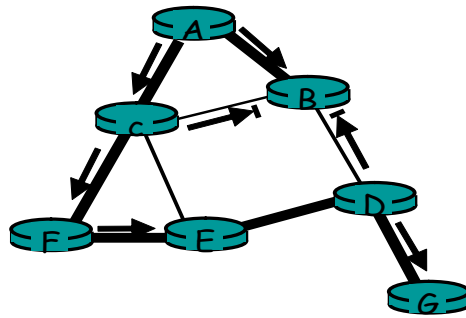
X's view of the topology



W's view of the topology

In the above solution, X does not know about the AC link since X does not receive an advertised route to w or to y that contain the AC link (i.e., X receives no advertisement containing both AS A and AS C on the path to a destination).

### Problem 46



The thicker shaded lines represent  
The shortest path tree from A to all  
destination. Other solutions are  
possible, but in these solutions, B  
can not route to either C or D from A.

### Problem 7 (chapter 5)

- a) Without loss of generality, suppose  $i$ th bit is flipped, where  $0 \leq i \leq d+r-1$  and assume that the least significant bit is 0th bit.

A single bit error means that the received data is  $K = D \cdot 2^r \text{ XOR } R + 2^i$ . It is clear that if we divide  $K$  by  $G$ , then the remainder is not zero. In general, if  $G$  contains at least two 1's, then a single bit error can always be detected.

The key insight here is that  $G$  can be divided by 11 (binary number), but any number of odd-number of 1's cannot be divided by 11. Thus, a sequence (not necessarily contiguous) of odd-number bit errors cannot be divided by 11, thus it cannot be divided by  $G$ .