

DEEP LEARNING

A Modern Approach to
Artificial Intelligence

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|00 INTRODUCTION



Perceptron

Rosenblatt
1958

Perceptrons

Minsky & Seymour
1958

Boltzmann Machine

Hinton
1985

CNN

LeCun
1989

Contrastive Divergence

Hinton
2002

GAN

Goodfellow
2014

1959

Hubel & Wiesel

Cat Visual Cortex

1979

Fukushima

Neocognitron

1986

Smolenski

Harmonium

Hinton

RBM

Rumelhart, Hinton &
Williams

MLP

Jordan

RNN

1997

Hochreiter & Schmidhuber

LSTM

Schuster & Paliwal

BRNN

2012

Hinton

Dropout

2017

Sabour, Frosst &
Hinton

Capsule Network



|00 INTRODUCTION



AlexNet

Krizhevsky, Sutskever & Hinton
2012

ResNet

He, Zhang, Ren & Sun
2015

ResNetXt

Xie, Girshick et al.
2019

2014

Simonyan & Zisserman

VGG

Google

Inception Network

2016

Huang et al.

DenseNet

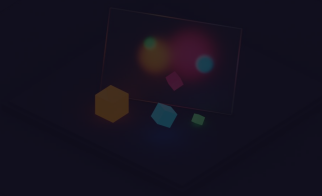


01|

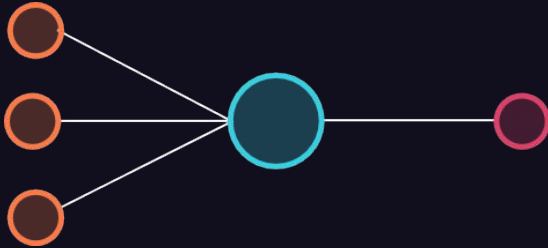
PERCEPTRON

The Beginning and the End

|01 PERCEPTRON

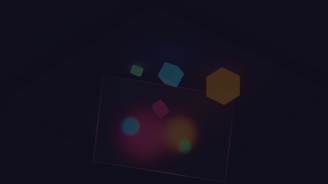


PERCEPTRON

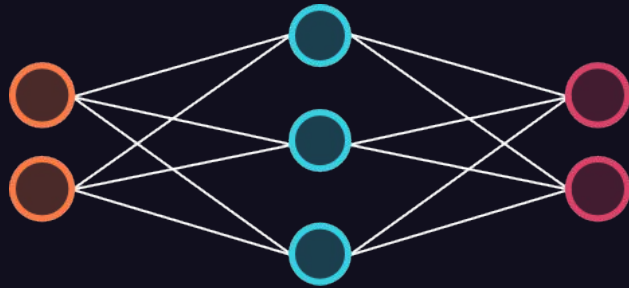
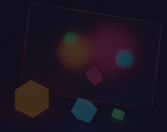


$$\hat{y} = f(wx + b)$$

$$f(x) = \begin{cases} 1 & \text{if } x \geq 0 \\ 0 & \text{else} \end{cases}$$



|01 PERCEPTRON

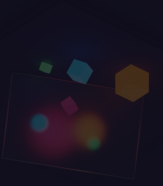


MULTILAYER PERCEPTRON

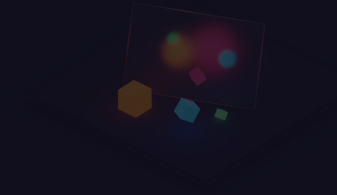
$$\hat{y} = f(w_2 h + b_2)$$

$$h = f(w_1 x + b_1)$$

$$f(x) = \begin{cases} 1 & \text{if } x \geq 0 \\ 0 & \text{else} \end{cases}$$

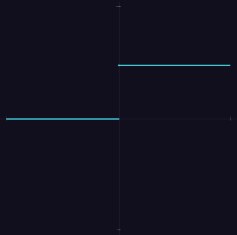


|01 PERCEPTRON



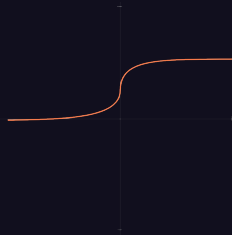
ACTIVATION FUNCTIONS

Step



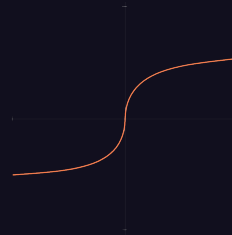
$$f(x) = \begin{cases} 1 & \text{if } x \geq 0 \\ 0 & \text{else} \end{cases}$$

Sigmoid



$$\sigma(x) = \frac{1}{1+e^{-x}}$$

Tanh

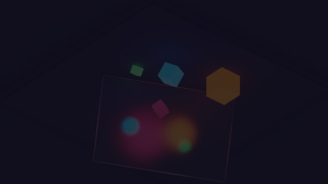


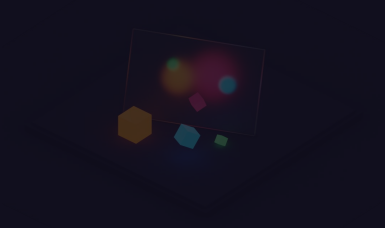
$$\tanh(x) = \frac{e^x - e^{-x}}{e^x + e^{-x}}$$

ReLU



$$\text{relu}(x) = \max(0, x) = x^+$$

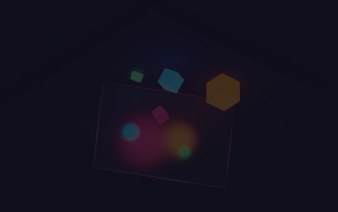




ACTIVATION FUNCTIONS

Softmax

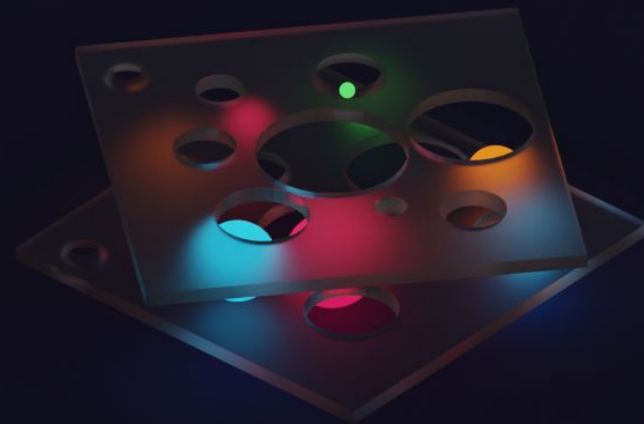
$$p_i = \frac{e^{x_i}}{\sum_j e^{x_j}}$$



|02

CONVOLUTION

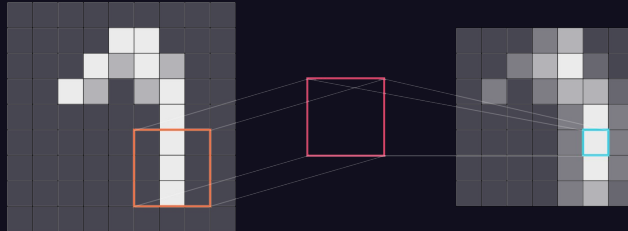
Signal Processing 101



|02 CONVOLUTION



CONVOLUTION CROSS CORRELATION



$$(f * g)(x) = \int_{-\infty}^{+\infty} f(x)g(x - t)dt$$

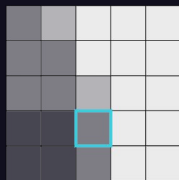
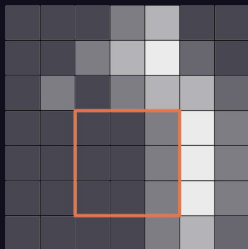
Weight Sharing



|02 CONVOLUTION



POOLING

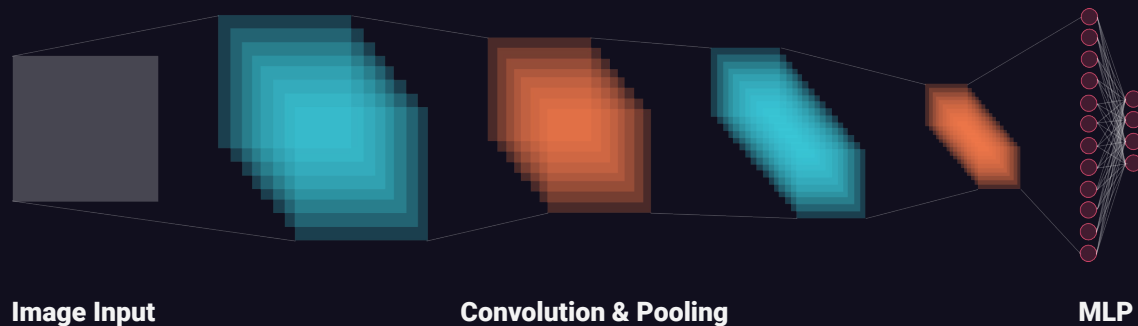


Dimensionality Reduction



|02 CONVOLUTION

CONVOLUTIONAL NEURAL NETWORK



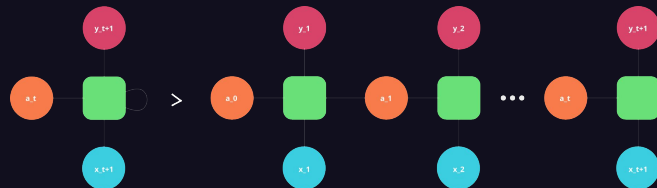


03|

RECURRENT

Backprop Through Time

|03 RECURRENT



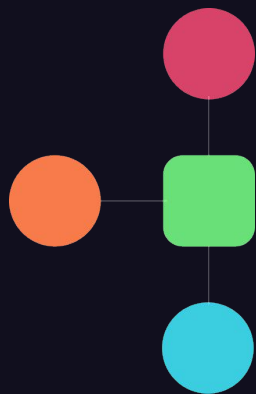
RECURRENT CELLS

Weight Sharing & Backprop Through Time

$$a_t = g_1(W_{aa}a_{t-1} + W_{ax}x_t + b_a)$$

$$y_t = g_2(W_{ya}a_t + b_y)$$

|03 RECURRENT

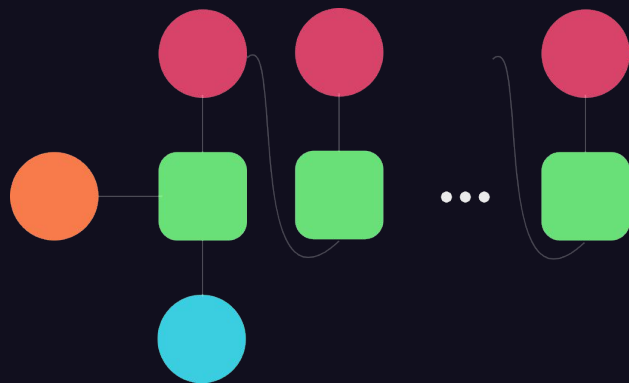


ARCHITECTURES

One to One

Traditional Neural Network

|03 RECURRENT

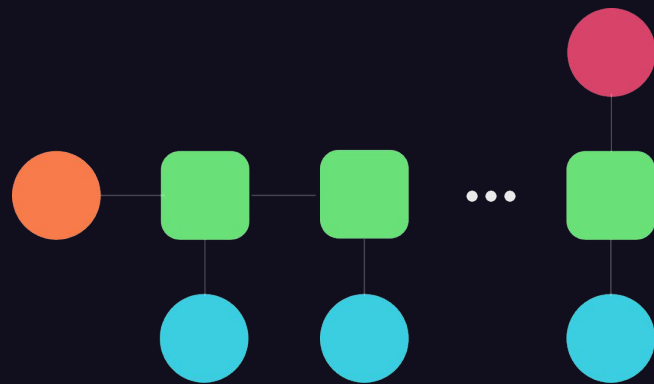


ARCHITECTURES

One to Many

Music Generation

|03 RECURRENT

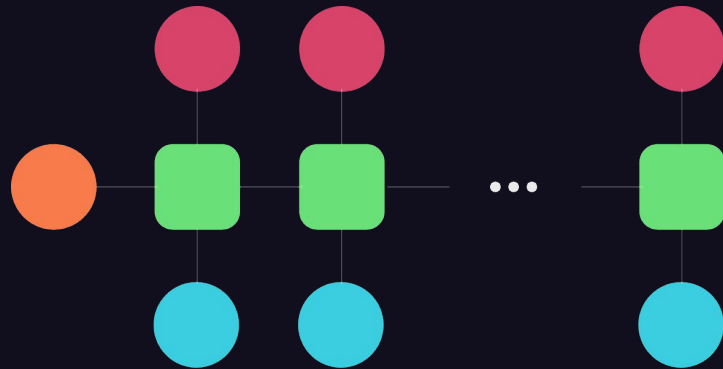


ARCHITECTURES

Many to One

Sentiment Classification

|03 RECURRENT



ARCHITECTURES

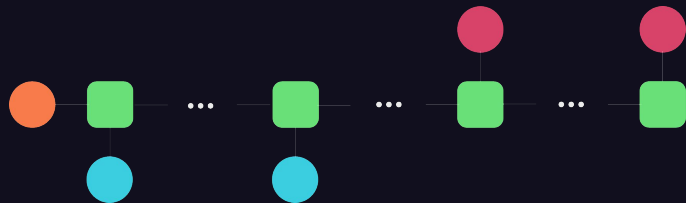
Many to Many

Name Entity Recognition

|03 RECURRENT



ARCHITECTURES



Many to Many

Machine Translation

|03 RECURRENT



ADVANTAGES

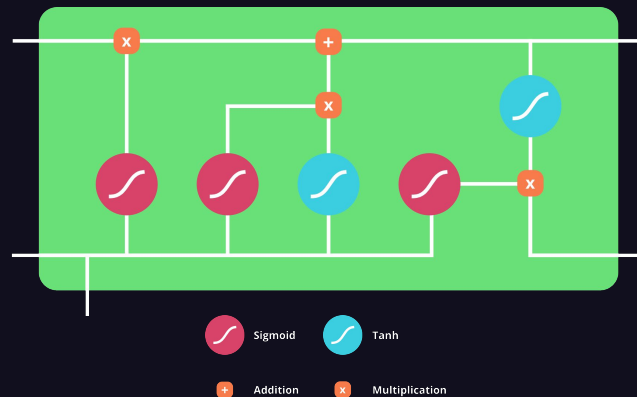
Infinite Input Length
Model **Size Invariant**
Historical Information
Weight Sharing Through Time

DRAWBACKS

Computationally **Slow**
Long Time **Dependency Lost** Over Time
Future Input not Considered
Vanishing/Exploding Gradient



|03 RECURRENT



LSTM

Gates

Forget Gate
Update Gate
Output Gate

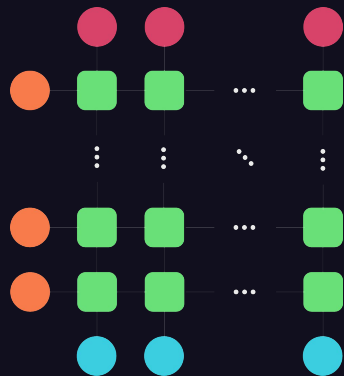
I/O

Previous Input
Cell State
Output State

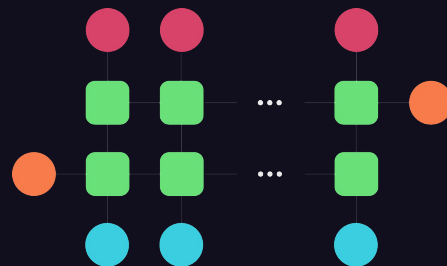
Still **Suffers** from **Exploding Gradient**

|03 RECURRENT

STACKED



BIDIRECTIONAL



|04

AUTO-ENCODER

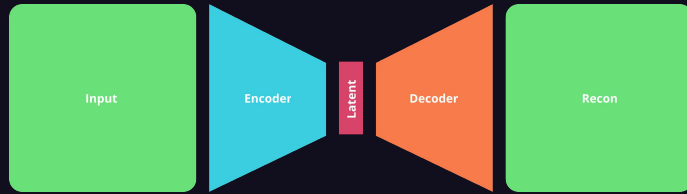
Hierarchical Compression is Key



|04 AUTO-ENCODER



AUTO-ENCODER



$$z = e(x) \quad \hat{y} = d(z)$$

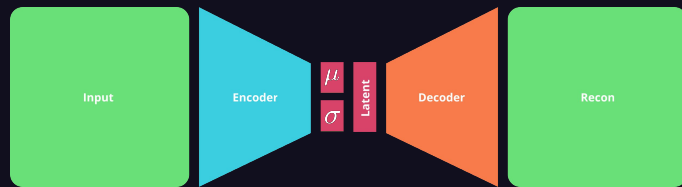
$$loss = \frac{1}{N} \sum_i^N (\hat{y}_i - y_i)^2$$



|04 AUTO-ENCODER



VARIATIONAL AUTO-ENCODER



$$\langle \mu, \sigma \rangle = e(x)$$

$$z = \mu \cdot \epsilon + \sigma$$

$$\hat{y} = d(z)$$

$$\epsilon \sim \mathcal{N}(0, 1)$$

$$z \sim \mathcal{N}(\mu, \sigma)$$

$$loss = \frac{1}{N} \sum_i^N (\hat{y}_i - y_i)^2 + KL(\mathcal{N}(\mu_i, \sigma_i) || \mathcal{N}(0, 1))$$





05|

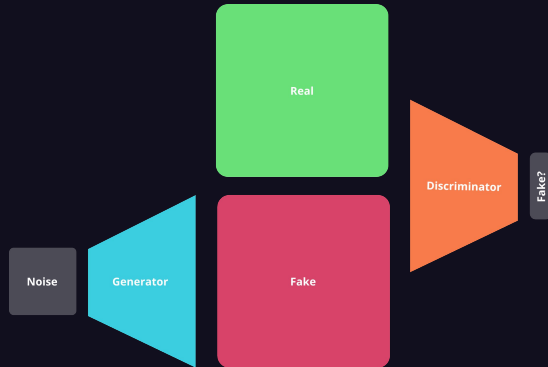
GENERATIVE ADVERSARIAL NETWORK

Min Max for the Win

|05 GENERATIVE ADVERSARIAL NETWORK



GENERATIVE ADVERSARIAL NETWORK



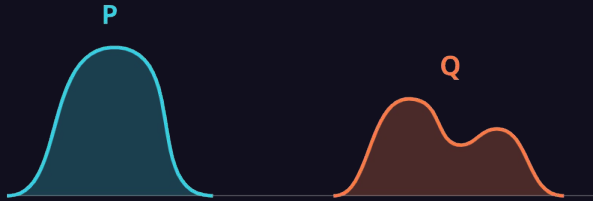
$$\min_G \max_D = \mathbb{E}_{x \sim p_r} [\log(D(x))] + \mathbb{E}_{x \sim p_g} [1 - \log(D(x))]$$



|05 GENERATIVE ADVERSARIAL NETWORK



WASSERSTEIN



$$W_{(p_r, p_g)} = \inf_{\gamma \sim \pi(p_r, p_g)} \mathbb{E}_{(x, y) \sim \gamma} [\|x - y\|]$$



|06

ATTENTION

It is All You Need